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SA METHOD FOR CALCULATING THE NATURAL EREQUENCIES OF CONTINUOUS BEAMS, FRAMES and CERTAIN TYPES OF PLATES

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by

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A METHOD FOR CALCULATING THE NATURAL FREQUENCIES OF CONTINUOUS BEAMS, FRAMES, AND CERTAIN TYPES OF PLATES

I. INTRODUCTION

1. Object and Scope of Investigation.

The purpose of this report is to present a method for calculating the undamped natural frequencies of florural vibration of elastic structures. The method is applicable to continuous beams on rigid or flexible supports. to rigid jointed plane frameworks, and to certain types of continuous plates. The beams may have any number of spans of arbitrary length and any condition of restraint at the far ends. In general, the frames are assumed to be fixed against lateral displacement, but consideration is also given to symmetrical, single-bay, multi-story frames free to undergo sidesway. The plates are assumed to be simply supported along two opposite edges and, in one direction. continuous over a series of rigid supports transverse to the simply supported edges. The mass of the members composing the structure is assumed to be uniformly distributed along each member. A system which has distributed mass and elasticity has an infinite number of natural frequencies. With the method presented herein one is capable of determining all natural frequencies as well as the corresponding natural modes of vibration of a system. The assumptions made in the analysis are those of the ordinary theory of flexure of beams and of medium-thick plates.

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Knowledge of the natural frequencies of structures is important for the analysis and design of structures subjected to time-dependent forces.

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This knowledge is particularly significant in the case of stationary periodic forces such as those resulting from rotating machinery. If the operating frequency of the machinery is sufficiently close to one of the natural frequencies of the structure supporting it, violent vibrations will ensue which, in the absence of dissipative forces, may attain extremely large amplitudes. In order to avoid, by proper design, the destructive condition of resonance, it is necessary to have a workable method for predicting the natural frequencies of structures. It has been the object of this investigation to attempt to meet this need.

The problem of calculating natural frequencies of dynamic systems has been the subject of discussion for a long period of time. The natural frequencies of single span members having different boundary conditions have been investigated rather exhaustively; yet, comparatively little has been done for multiple member systems. Except for structures consisting of only a few members, the classical method of determining natural frequencies becomes so cumbersome that it tends to be entirely useless for practical purposes. Several considerably more efficient methods have been developed, but these seem to be applicable to limited types of structures.

Among the available methods, Mudrak's method (1), (2), (3) which utilizes the effective stiffness criterion for determining natural frequencies, is by far the most efficient. This method has been applied only to continuous beams on rigid supports and apparently is not capable of extension to continuous frames involving closed panels. The natural frequencies of continuous beams on intermediate flexible supports may be best determined by the method developed by Lee and Saibel (4), (5). This method utilizes principles

Numbers in parentheses, unless otherwise identified, refer to the Bibliography at the end of this report.

that are not well known to engineers; furthermore, it presupposes that the natural modes of vibration of the beam without the intermediate supports are known. This assumption restricts seriously the range of applicability of this procedure. The determination of the natural frequencies of continuous frames, involving closed panels, has apparently been attempted only by use of the classical method (6), which, as already stated, is too laborious for practical applications.

The method described herein is a generalization of Holzer's method (7) for calculating the natural frequencies of torsional vibration of shafts. It utilizes well known engineering principles and, like Holzer's method, it is reduced to a routine scheme of computation which, when repeated a sufficient number of times, will give the natural frequencies of the system to any desired degree of accuracy. Holzer's method has been applied to the determination of the natural frequencies of flexural vibration of beams, first, by Myklestad (8) and later by Prohl (9), Rankin (10), and Bellin (11). In these studies, distributed masses were assumed to be lumped at a number of stations along the length of the beam while the portion of the beam between these stations was assumed to be massless. In the method to be presented, the mass is assumed to be uniformly distributed along each member of the structure. Abrupt changes in the magnitude of the distributed mass or of the flexural rigidity within a member may be treated by assuming that the member is supported by a flexible support of zero stiffness at the point of the discontinuity.

The principles underlying the method are presented in Chapter II of this report. This chapter also includes definitions of the several physical quantities which are necessary in the analysis. These quantities are that dynamic stiffnesses and the dynamic carry-over factors which are analogous to

those introduced by Hardy Cross in connection with the method of moment distribution (12). Extensive tables of numerical values of these quantities are presented in Appendix A, while the derivation of the governing equations is given in Appendix B. With these tabulated values, the calculations required in the application of the method to particular problems are simplified immensely.

The application of the method to continuous beams on rigid supports is discussed in Chapter III. In addition, several alternate methods of analysis are considered and the range of applicability and the relative merits of each are discussed.

Chapter IV presents the extension of the method to frames without sidesway. For continuous beams, a single procedure is capable of determining all possible natural frequencies. For frames, however, this procedure may fail to detect those natural frequencies for which only a portion of the structure vibrates while the rest remains stationary. A technique for overcoming this difficulty has been developed and is presented also in Chapter IV. In the study of frames, the effect of permanent axial forces is neglected. The concluding section of Chapter IV is devoted to a discussion of the manner in which this effect may be taken into account. Also, it is pointed out that problems of framework instability are special cases of the more general problem of the vibration of axially compressed members.

In Chapter V, the method is extended to beams continuous over supports that are flexible instead of rigid. The resistance to deformation of the supports is represented by an equivalent set of mutually independent deflectional and rotational springs. It is shown that the method may be modified readily to include the influence of concentrated rigid messes, of concentrated sprung masses, and of an elastic subgrade of the Winkler type.

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Chapter VI shows the application of the method to summetrical, one-bay, multi-story building frames which are free to undergo sidesway.

Chapter VII is concerned with the extension of the method to continuous plates having two opposite edges simply supported. The pertinent expressions for dymanic stiffness and dynamic carry-over factor for plates are presented in Appendix B. It is also shown that numerical values of these quantities may be obtained from available tables of stiffness and carry-over factor for compressed plates.

Table II in Appendix A gives influence coefficients for calculating the natural frequencies of vibration of systems composed of bars. It is pointed out that Müller -Breslau's principle of influence lines is applicable in the case of steady-state forced vibrations, so that these coefficients may be interpreted also as coefficients for dynamic fixed-end moments produced by a concentrated harmonic force.

Appendix C includes a brief account of the manner in which the information presented in this report may be used in the analysis of the steadystate forced vibration of frames.

For convenience of reference, a detailed outline of the steps involved in the application of the method to each class of problems is included in each chapter. In addition, several numerical examples are given
to illustrate the application of the method and to indicate convenient schemes
for arranging the computations. Throughout this report, special effort has
been made to present each chapter as independently of the others as possible
and to discuss the numerical examples adequately.

2. Sign Convention and Motation.

The following sign convention is used throughout this report with the exception of Appendix B. Clockwise rotations are positive. Internal

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bending moments acting at the ends of a member (not a joint) and external moments, except for the restraining moments provided by rotational springs, are positive clockwise. The restraining moment of a rotational spring is positive when it acts in a counter-clockwise direction. Deflections are positive downward. Shears acting at the ends of a member (not a joint) and external forces, except for the forces produced by deflectional springs, are positive downward. The restraining force of a deflectional spring is positive upward.

The letter symbols used are defined where they first appear in the text or by illustration, and they are assembled in this section for corvenience of reference.

General:

w = circular frequency of vibration

 $w_{\rm M}$ = natural circular frequency of vibration

f = frequency of vibration, in cycles per second

t = time

E = modulus of elasticity

For structures composed of bars:

x = horizontal coordinate

I = moment of inertia of the cross section of a bar about its centroidal axis

L = span length of a bar

m = mass per unit of Length of a bar

m = magnitude of a concentrated rigid mass

(m) eq. = magnitude of an equivalent concentrated rigid mass

 $\lambda = \sqrt[4]{\frac{m\omega^2}{F!}} L = a \text{ dimensionless parameter for a bar}$

 λ_{N} = λ value corresponding to a natural frequency

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 θ_{i} = rotation amplitude at support or joint \underline{j}

 δ_i = deflection amplitude at support \underline{j}

M = amplitude of internal bending moment at support j of a continuous beam

M_{ji} = amplitude of internal bending moment at end <u>j</u> of a bar <u>ji</u> in a continuous frame

M = external moment at support or joint j of a continuous beam or frame

V, = amplitude of shear at support j of a continuous beam

F₁ = external force at support 1

u, v = variable parameters

 $\Theta^{1}, \delta^{1}, \overline{M}^{1}, \overline{F}^{1} = \text{values of } \Theta, \delta, \overline{M}, \text{ and } \overline{F} \text{ due to } u = 1.00 \text{ and } v = 0$

 θ^n , δ^n , \overline{H}^n , \overline{F}^n = values of θ , δ , \overline{M} , and \overline{F} due to u = 0 and v = 1.00

K, Q, T = dynamic stiffnesses for a bar, defined in Section 5

k, q, t = dynamic carry-over factors for a bar, defined in Section 5

 $C_{K}, C_{Q}, C_{T} =$ dimensionless coefficients in expressions for $\underline{K}, \underline{Q},$ and \underline{T}

 K^{*}, K^{5}, K^{A} = modified stiffnesses for a bar, defined by Eqs. (9), (10) and (11)

K = effective flexural stiffness for a bar, defined in Section 13

 $\overline{K}_1, \overline{Q}_1, \overline{T}_1$ = stiffnesses $\underline{K}_1, \underline{Q}_1, \underline{T}_1$ of all bars meeting at support or joint \underline{J}_1

 $\mathbf{K}_{\mathbf{j}}'$ = effective flexural stiffness of all bars meeting at support or joint \mathbf{j}

D = stiffness of a deflectional elastic spring

(D) = stiffness of an equivalent deflectional spring

R = stiffness of a rotational restraint

C = dimensionless coefficient in Eq. (14) for the deflection of a bar

P = axial force in a bar

P = buckling lead for a bar hinged at both ends

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d = modulus of a continuous elastic subgrade

 w_s = circular wibration frequency for a bar on a continuous elastic subgrade

 δ^{*} = deflection amplitude of a sprung mass

 $\alpha, \beta, \gamma, \eta = \text{dimensionless coefficients defined, respectively, by Eqs. (24), (73), (74), and (50)$

For continuous plates:

x, y = horizontal rectangular coordinates. The y-axis is taken parallel to the pair of simply supported edges

a, b = span lengths in the x and y directions, respectively, for a panel of a plate

 ρ = density of plate material in a particular panel

h = thickness of plate in a particular panel

 $I = h^3/12 = moment of inertia, per unit width, for a particular panel of the plate$

V = Poisson's ratio

N = $EI/1-\nu^2$ = flexural rigidity of a particular panel of a plate

 $\chi^* = \frac{b^2}{\pi^2} \sqrt{\frac{\rho h w^2}{N}} = a$ dimensionless parameter for a panel of a plate

n = integer representing number of half sine waves in the distribution of deflections, slopes, moments, etc., across a plate width a

9; = maximum rotation amplitude along support j

M, = maximum amplitude of bending moment at support 1

3. Acknowledgements

This investigation has been part of a research program on "Numerical and Approximate Methods of Stress Analysis" sponsored by the Office of Naval Research (Mechanics Branch) in the Structural Research Laboratory, Department of Civil Engineering, of the University of Illinois. The material of this report has been drawn from a doctoral dissertation by A. S. Veletsos submitted to the Graduate College of the University of Illinois. The dissertation was prepared under the direction of Professor N. M. Newmark in the Department of Civil Engineering.

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The numerical values reported in Appendix A of this report were calculated on the Electronic Digital Computer of the University of Illinois.

The governing expressions for these constants were coded for machine solution by Mr. A. J. Carlson, Jr., Research Associate in Civil Engineering. Acknowledgment of Mr. Carlson's part in this work is made gratefully. Appreciation is finally due to Mr. D. Trimakas for the tracing of the diagrams.

II. METHOD OF ANALYSIS

4. Basis of Method of Analysis.

The method used in this report is based on the fact that the exciting couple or the exciting force which is necessary to maintain a dynamical system in a steady-state forced vibration with finite amplitudes becomes equal to zero at any one of the natural frequencies of the system.

Figure 1 shows z members of a plane framework rigidly connected at their common joint 2. The far ends of the members may be considered elastically restrained against both rotation and translation. These restraints are furnished by the portion of the structure not shown on the figure.

Consider that the frame undergoes a steady-state forced vibration under the action of a harmonically varying exciting couple applied at joint \underline{z} .

Joint \underline{z} is assumed to be different from joint \underline{o} . The magnitude of the exciting moment is assumed to be such that the amplitude of either the slope or of the internal bending moment at a joint of the structure different from joint \underline{z} , say at joint 1, has a prescribed finite value. The vibration of the structure is harmonic and its frequency is equal to the frequency of the exciting couple; since the effect of damping is neglected, the amplitudes of vibration are constant and the response is either in phase with, or 180 degrees out of phase with, the exciting couple.

For a given system, the magnitude of the exciting moment necessary to maintain the prescribed amplitude of vibration at joint 1 depends on the frequency of vibration. For the limiting case of no vibration, the magnitude of the moment is obviously finite; its actual value may, if desired, be calculated by any of the available methods of indeterminate stress analysis. As the frequency of vibration increases above zero, the structure is acted upon

by inertia forces of increasingly greater magnitudes. These forces, which are distributed along the length of the individual members, bring about distortions in addition to those produced by the external moment acting statically. Therefore, the amplitude of the dynamic moment necessary to produce the prescribed distortion at joint 1 may be quite different from the magnitude of the corresponding static moment. As the vibration frequency approaches any one of the natural frequencies of the structure considered, the inertial effects predominate, and at a natural frequency the vibration is maintained without any exciting moment acting permanently on the structure.

Priefly, the method presented herein consists of (a) choosing a frequency of vibration, (b) determining the magnitude of the exciting moment which, when applied at joint z, will produce a vibration configuration with a fixed amplitude of slope or bending moment at joint 1, (c) repeating these steps for a number of assumed frequencies, and (d) plotting the magnitude of the exciting moment as a function of the frequency of vibration. The frequencies for which the exciting moment vanishes represent natural frequencies of the system.

In the application of this procedure, the following two conditions must be satisfied: (1) The joint to which a finite amplitude of slope is assigned should be one that is known to rotate for all the natural frequencies that need to be determined. If instead of fixing the amplitude of slope the amplitude of moment is fixed, it must be known that this moment amplitude remains finite. (2) The exciting couple must be applied at a joint which is known to rotate for all the natural frequencies that need to be determined. A couple applied at a joint which does not rotate acts through zero displacement and imparts no energy to the structure; therefore, it does not influence the natural frequencies or the vibration modes of the

system. In such a case, the exciting moment may not vanish at a natural frequency.

If either all these conditions is not satisfied, the procedure will fail to reveal some of the natural frequencies of the system. It will be shown later that, for certain structures, it is impossible to satisfy these requirements. In such cases, in order to obtain the natural frequencies which the basic procedure fails to reveal, it becomes necessary to use a supplementary technique as described in Chapter IV.

For an assumed frequency of vibration, the magnitude of the exciting moment may be determined by a number of different procedures. The conditions to be satisfied are simply those of equilibrium and continuity for each joint of the structure. To satisfy the condition of equilibrium, the sum of the moments and of the forces at the ends of the members meeting at a joint must be respectively equal to zero. To satisfy the condition of continuity, the slopes of the members meeting at a joint must be equal and also the deflection of the members meeting at the joint must have the same magnitude. These conditions may be expressed in equation form in a number of different ways and the equations may be solved by a number of procedures. In the method adopted, these conditions are expressed in the form of a generalized slope deflection equation, and the distortions of the structure at the supports are computed by the repeated application of this equation, working progressively from one end of the structure to the other.

5. Electic Constants for a Vibrating Bar.

The various quantities necessary to express the resistance to deformation of a bar undergoing steady-state forced vibration are defined in this section.

Consider a bar fg with the far end g fixed. Let the near end be subjected to a harmonically varying bending moment of a circular frequency w producing at that end a steady-state forced rotation

$$\theta(t) = \theta \cos \omega t$$
.

The amplitude of the impressed moment may be related to the amplitude of the resulting rotation at end \underline{f} by the equation

$$M_{\epsilon} - K\theta$$
 (1)

The quentity K represents the moment required to produce a rotation of unit amplitude and is defined herein as the "dynamic flexural stiffness" of the end of the bar being rotated.

The moment induced at the fixed end g may be written as

$$M_g = kK\Theta$$
. (2)

The quantity \underline{k} is the ratio of the dynamic moment at the far fixed end to the moment at the near end and is defined as the "dynamic flexural carry-over factor".

In the analysis of continuous beams on rigid supports and of continuous frames for which the joints do not translate, the flexural stiffness and the product of the flexural stiffness and the flexural carry-over factor are the only two quantities needed.

The foregoing definitions are generalizations of those originally introduced by Hardy Cross (12) for the analysis of frames subjected to static loads, and they were first used by Gaskell (13), who extended and applied the method of moment distribution to the problem of determining the steady-state forced vibration of continuous beams and frames subjected to pulsating loads.

For static conditions, the end reactions of the bar resulting from the rotation of one end, may be determined from the end moments by statics. For dynamical conditions, this is not possible, since the bar is acted upon by inertia forces the distribution of which along the length of the bar is generally unknown. The reactions must, therefore, be defined by additional constants.

The amplitude of the vertical reaction at the end being rotated may be written as

$$V_f - Q\theta , \qquad (3)$$

and the reaction at the fixed end may be written as

$$V_g = -qQ\theta = -qV_f. \tag{4}$$

The quantity Q represents the reaction at end <u>f</u> produced by a rotation of unit amplitude at that end and is defined as the "dynamic flexural shear stiffness". The quantity <u>q</u> represents the ratio of the reaction induced at the far fixed end to that produced at the near end and is called the "dynamic flexure-shear carry-over factor".

Consider now that end $\underline{\mathbf{f}}$ is subjected to a harmonically varying force producing at that end a steady-state forced deflection without rotation, such that the magnitude of the deflection is

$$\delta(t) = \delta \cos wt$$
.

The amplitudes of the force and of the deflection at the left end may be related by the expression

$$V_f = T\delta \tag{5}$$

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The quantity <u>T</u> denotes the force necessary to cause a deflection of unit amplitude and is defined as the "dynamic shear stiffness" for the end being deflected. The reaction at the far fixed end may be written as

$$V_g = -tT\delta = -tV_f \tag{6}$$

The quantity \underline{t} shows the ratio of the reaction at the far end to that at the near end and is called the "dynamic shear carry-over factor". The amplitude of the moment induced at the end being deflected is

$$M_f = Q\delta. (7)$$

and the moment at the far fixed end is

$$M_{\rm g} = qQ\delta = qM_{\rm f} \,. \tag{8}$$

The quantities Q and q are the same as those used in Eqs. (3) and (4). That these should be the same follows from a reciprocal theorem given by Lord Rayleigh (14), which is the dynamic equivalent of Maxwell's Law of reciprocal relations.

Throughout this presentation, the members composing the structure are considered to be uniform. The stiffness and the carry-over factors for both ends of such members are equal.

The notation used for the various stiffnesses and carry-over factors is the same as that used by Newmark (15) in his static analysis of slabs continuous over flexible supports. The notation is summarized in Fig. 2. The derivation of the algebraic expressions for the various stiffnesses and carry-over factors is given in Appendix B.

For certain conditions of symmetry, antisymmetry, and for those cases for which the degree of restraint at the far end of a member is known, it is convenient to use effective stiffnesses. The pertinent expressions for these stiffnesses are the same as those for the static case. Expressions are given here only for effective flexural stiffnesses. The particular cases considered and the symbols used to identify them are: K', when the far end of the ber is prevented from deflecting and is elastically restrained against rotation; K', when the far end is simply supported; K', when the bar is on rigid supports and its deformation is symmetrical, and K', when the bar is on rigid supports and its deformation is antisymmetrical. It can be proved readily that

$$\mathbf{K}'' = \mathbf{K}(1 - \mathbf{k}^2) , \qquad (9)$$

$$K^{S} = K(1-k) , \qquad (10)$$

$$\mathbf{X}^{\underline{A}} = \mathbf{K}(1+\mathbf{k}) . \tag{11}$$

The stiffness K^{A} of a given bar is also equal to the stiffness K^{B} of a similar bar one half as long. The expression for K^{B} is given in article 12, where it is used first.

It is possible to derive also expressions for effective shear stiffnesses. However, these are not, in general, as simple and convenient to use as the effective flexural stiffnesses.

6. Numerical Values of Stiffness and Carry-Cver Factors.

All carry-over factors are dimensionless and depend on a single dimensionless parameter

$$\lambda = \sqrt{\frac{m\,\omega^2}{E\,I}}\,L\,,\tag{12}$$

in which m = the mass per unit of length of the bar,

w = the circular frequency of vibration, as previously noted,

B = the modulus of elasticity of the material in the bar,

I = the moment of inertia of the cross section of the bar about its centroidal axis, and

L = the span length of the bar.

The various stiffnesses are determined from the expressions

$$K = C_K \frac{EI}{L}$$
, $Q = C_a \frac{EI}{L^2}$, $T = C_r \frac{EI}{L^3}$, (13)

where the C's are dimensionless coefficients depending on the parameter λ .

A graphical representation of the variation with λ of the various carry-over factors, stiffners coefficients, and of their products is given in

Figs. 3 through 12. It is noted that the curves in these figures range between minus infinity and plus infinity. The A values corresponding to the zero ordinates and to the discontinuities of the curves, represent natural frequencies of bars having standard boundary conditions. For example, consider the curves in Figs. 3 and 5 for the flexural stiffness and the flexural carry-over factor. Values of λ equal to 3.927, 7.069 and 10.210 correspond, respectively, to the first, the second, and the third natural frequencies of a hinged-fixed bar. At these frequencies, no exciting moment is required to maintain the vibration; consequently, the value of dynamic stiffness is equal to zero. Furthermore, since the moment at the fixed end of the bar has a finite magnitude, the carry-ver factor for the member becomes infinite at these frequencies. Values of λ equal to 4.730 and 7.853 correspond, respectively, to the first and the second natural frequencies of a bar fixed at both ends. At these frequencies, the end moments have a finite value while the rotations of the ends are zero; accordingly, the stiffness of the member has an infinite value. For the case of no vibration, $\lambda = 0$, the various quantities in Fig. 3 through 12 assume the well known static values of

$$k = 0.5 K = 4 \frac{EI}{L} kK = 2 \frac{EI}{L} K' = 3 \frac{EY}{L}$$

$$q = 1.00 Q = 6 \frac{EI}{L^2} qQ = 6 \frac{EI}{L^2}$$

$$t = 1.00 T = 12 \frac{EI}{L^3} tT = 12 \frac{EI}{L^3}$$

Numerical values of the carry-over factors, of the coefficients of the various stiffnesses, and of their products are given in Table I of Appendix A. All values are reported to seven significant figures for the range of λ from zero to 10.20 at increments of 0.01. In some cases, the accuracy

of the seventh significant figure reported is uncertain. These values were computed by use of the Electronic Digital Computer of the University of Illinois.

?. Numerical Values of Deflections due to End Rotations.

Consider the beam shown in Fig. 2s with the left end subjected to a steady-state forced rotation 9. The deflection amplitude of the beam at a distance X from the left end may be written as

$$\mathbf{Y}_{\mathbf{F}} = \mathbf{C}\mathbf{\Theta}\mathbf{L} \; ; \tag{14}$$

where \underline{C} is a dimensionless coefficient dependent on the value of \overline{x} and the parameter λ . If $\underline{9}$ represents the rotation at the right end instead of at the left end of the beam, the deflection amplitude at a distance \overline{x} from the right end will be equal to the right hand side of Eq. (14) multiplied by minus one. The minus sign is a consequence of the sign convention adopted.

Numerical values of \underline{C} are given in Table II of Appendix A for successive twelveth points of the beam for values of λ ranging between zero and 10.20. These Values were computed from Eq. (B-32) in Appendix B, by use of the Electronic Digital Computer of the University of Illinois. The values are reported to five significant figures, but to no more than six decimal places.

The values in Table II may also be interpreted as coefficients of dynamic fixed-end moment for a beam subjected to a pulsating concentrated force. This follows from Müller-Breslau's principle, which it can be shown to hold true for dynamical systems undergoing steady-state forced vibration.

This principle, as applied to the dynamical case, is presented in Appendix B.

III. APPLICATION OF METHOD TO CONTINUOUS BEAMS ON RIGID SUPPORTS

8. General.

The beams considered are assumed to be straight and may have any number of spans of arbitrary length. At their extreme ends they may be hinged, fixed, or only partially fixed by means of rotational restraints which are assumed to be proportional to the end rotations. The cross section and the mass per unit of length of the beam may vary from one span to the other, but in any one span these quantities are considered constant. It is assumed that vibration is restricted to one of the principal planes of flexure of the beam, and that the cross sectional dimensions of each span are small in comparison to its length so that the effects of shearing deformation and rotatory inertia are negligible.

The supports of the beam are numbered successively from left to right starting with 1 at the extreme left end and terminating with z at the extreme right end.

The pertion of the beam between two consecutive supports \underline{j} and $\underline{j+1}$ is referred to as the \underline{j} -th span. The quantities L_j , E_j , I_j , λ_j , K_j , and k_j refer to the \underline{j} -th span.

9, denotes the amplitude of rotation of the deflected beam over the j-th support and M, denotes the amplitude of bending moment across a section at the same support. The subscripts L and R designate, respectively, sections just to the left and just to the right of the support. M, denotes the amplitude of the external couple at support j.

2. Development of the Basic Equations.

Figure 13 shows the extreme deflected position of spens <u>i-l</u> and <u>i</u> of a continuous beam undergoing a steady-state forced vibration. The vibration is assumed to be maintained by an exciting couple applied at the extreme right end of the beam. There is no other exciting force or moment acting on the system.

In Fig. 13, the rotations and bending moments at the ends of each span are indicated in their positive directions. The slope and the bending moment at a time \underline{t} for support j are

$$\theta_j(t) = \theta_j \cos \omega t$$
, and $M_j(t) = M_j \cos \omega t$. (15)

In the equations to be used the cos wt appears as a common factor; for convenience, this will be omitted, and in the remainder of this discussion the terms "amplitude of slope" and "slope" and the terms "amplitude of moment" and "moment" will be used interchangeably.

To insure continuity and equilibrium of the beam over the interior support j, it is required that

$$(\theta_j)_L = (\theta_j)_R = \theta_j , \qquad (16)$$

$$\bar{M}_j = (M_j)_L + (M_j)_R = 0$$
 (17)

The moments $(M_j)_L$ and $(M_j)_R$ can now be expressed as functions of the end rotations of the two spans as follows: Consider span j. First, assume that the right end of the span is held fixed while the left end is rotated through an angle θ_j ; then, the moment at the end being rotated is equal to the product of the rotation θ_j and the flexural stiffness of the member K_j . Next, imagine that the left end of the span is kept fixed while the right end is rotated through θ_{j+1} ; the moment induced at the fixed left end is equal to the product of the rotation θ_{j+1} and the product of the flexural stiffness

and flaxural carry-over factor of the member $(kK)_j$. Since the principle of superposition holds true, the moment $(M_j)_R$ corresponding to the rotations θ_j and θ_{j+1} is the sum of these partial moments.

$$(M_j)_R = K_j \theta_j + (\hbar K)_j \theta_{j+1} . \tag{18a}$$

Considering span j-l, one obtains in a similar manner:

$$(M_j)_L = K_{j-1}\theta_j + (kK)_{j-1}\theta_{j-1}$$
 (18b)

Substituting Eqs. (18a) and (18b) in Eq. (17) and solving for θ_{j+1} , one obtains the following equation relating the slopes over three consecutive supports of a continuous beam:

$$\theta_{j+1} = -\frac{(K_{j-1} + K_j)\theta_j + (kK)_{j-1}\theta_{j-1}}{(kK)_j}.$$
 (19a)

This equation is a generalized slope deflection equation with the deflection term missing. It will be referred to as the "three slope equation". Eq. (19a) is applicable only to interior supports; the appropriate relations for the end supports are given in the following paragraphs.

It is assumed that the extreme ends of the beam are elastically restrained against rotation. The relationship between the end moments and end rotations are

$$M_i = -R_i \theta_i , \qquad (20)$$

$$M_z = -R_z \theta_z , \qquad (21)$$

where, R_1 and R_2 are the known stiffnesses of the rotational restraints at the left and the right ends, respectively. For a hinged end, R=0, and for a clamped end, R= infinity. The negative signs in these expressions follow from the sign convention used and indicate that for a positive restraint,

the moment exerted on the beam by the restraint lets in a direction opposite to the direction of rotation of the beam.

The moments M_1 and M_2 can also be expressed by the following equations, obtained respectively from Eqs. (18s) and (18b).

$$M_{i} = K_{i} \theta_{i} + (\pi K)_{i} \theta_{2} , \qquad (18a')$$

$$\mathcal{M}_{z} = \mathcal{K}_{z-i} \theta_{z} + (\hbar \mathcal{K})_{z-i} \theta_{z} . \tag{18b}^{1}$$

Eliminating M_1 between Eqs. (18a') and (20) and M_2 between Eqs. (18b') and (21), one obtains

$$(R_1 + K_1)\theta_1 + (RK)_1\theta_2 = 0 , \qquad (21a)$$

$$(K_{z-1}+R_z)\theta_z + (kK)_{z-1}\theta_{z-1} = 0. (22a)$$

At a natural frequency, both of these equations must be satisfied identically.

Equations (21a) and (22a) apply only to hinged and to partially fixed ends. For fixed ends, the equations are specialized as follows: For $\Theta_1 = 0$, the relation between the moment at the fixed end and the rotation of the beam over the second support is obtained from Eq. (18a) as

$$M_1 = (\pi K)_1 \theta_2 \quad . \tag{21b}$$

If the right end is fixed,

$$\Theta_{z} = O, \qquad (22b)$$

and the criterion for a natural frequency is that Eq. (22b) be satisfied. The magnitude of the moment at the fixed end is of no interest but, should it be desired, it may be calculated from Eq. (18b), keeping in mind that $\theta_z=0$.

10. Outline of the Procedure.

The procedure for arriving at the natural frequencies of a continuous beam may be outlined as follows:

- 1. A fixed value is assigned to the amplitude of slope or bending moment at the first support of the beam. Since the natural frequencies of a system depend only on the relative values of the deflection, any arbitrary amplitude consistent with the actual boundary conditions may be chosen. For a hinged or for a partially fixed end, θ₁ is taken, for convenience, equal to unity; for a clamped end, θ₁ is equal to zero, and M₁ or M₁ times the L/RI of some reference span is taken equal to unity instead.
- 2. A trial frequency of vibration, ω , is chosen and the λ values for all spans are evaluated. These calculations are carried out conveniently in a tabular form, as illustrated in Example 2.
- 3. With the λ values available, the flexural stiffness and the product of the flexural stiffness and flexural carry-over factor for each span of the beam are found from Table I in Appendix A.
- 4. The rotation of the beam over the second support is determined from Eq. (21a) or (21b).
- 5. By successive applications of Eq. (19), the rotations θ_3 to θ_2 are evaluated. A convenient tabular scheme for arranging the computations is described in Example 2.
- 6. If support z is fixed, the determination of the rotation 9 completes one cycle of the procedure (see Eq. 22b). However, if this support is hinged or is only partially fixed, it is necessary to carry out the additional step of evaluating the left hand side of Eq. (22a).
- 7. Steps 1 through 6 are repeated for different assumed frequencies, and the values calculated for the left hand side of Eq. (22a) or (22b) are plotted as a function of the assumed frequencies, or what is usually more convenient, as a function of the corresponding λ

values for some reference span. The zero intercepts of the resulting curve which is, in general, similar in shape to that shown in Figs. 16 and 18, correspond to the natural frequencies of the system.

11. Determination of Modes of Vibration

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Since the rotations of the beam over the supports are evaluated in each cycle of this procedure, the deflection configuration of the beam for any desired frequency can ordinarily be sketched from these rotations. The natural modes of free vibration may be determined from the rotations corresponding to the natural frequencies in the same manner.

If it is desired to compute these deflections accurately, it is necessary to use the numerical coefficients given in Table II. The deflection at any point within a span may be obtained by adding (a) the deflection produced by the rotation of the left end of the span, assuming that the right end is fixed and (b) the deflection produced by the rotation of the right end of the span, assuming that the left end is fixed.

12. Illustrative Examples.

Example 1. Consider a uniform beam continuous over five rigid supports spaced equidistantly. The beam is simply supported at the left end and fixed at the right end, as shown in Fig. 14. It is desired to calculate its first eight natural frequencies and the corresponding natural modes of vibration. It is assumed that the beam is cut at the extreme right end and them an exciting moment is applied there. At a natural frequency, the magnitude of this moment must be such that the condition $\hat{\theta}_5 = 0$ is satisfied. The amplitude of slope at the extreme left end is taken equal to unity. Since all spans are identical, rather than repeating the procedure outlined in Sec-

tion 10 for each assumed frequency of vibration, it is more convenient to derive a general expression for θ_5 and determine directly from this expression the natural frequencies of the beam.

Let \underline{K} be the flexural stiffness and \underline{k} the flexural carry-over factor for each span. These quantities depend, of course, on the parameter λ . From Eq. (21a) one obtains

$$\Theta_z = -\frac{K}{kK} = -\frac{1}{k} .$$

Applying Eq. (19) successively to joints 2, 3, and 4, one obtains

$$\theta_{3} = -K \left[2 \left(-\frac{1}{k} \right) + k \right] \div kK = \frac{z - k^{2}}{k^{2}},$$

$$\theta_{4} = -K \left[2 \frac{z - k^{2}}{k^{2}} + k \left(-\frac{1}{k} \right) \right] \div kK = \frac{3k^{2} - 4}{k^{3}},$$

$$\theta_{5} = -K \left[2 \frac{3k^{2} - 4}{k^{3}} + k \frac{z - k^{2}}{k^{2}} \right] \div kK = \frac{k^{4} - 8k^{2} + 8}{k^{4}}.$$

The expression for θ_5 was evaluated for several values of λ and the results were used to plot the curve shown in Fig. 16. The values of \underline{k} corresponding to the assumed values of λ were obtained from Table I. The λ values corresponding to the natural frequencies are

Order of λ_{N}	Value of λ_{N}	Order of $\lambda_{\scriptscriptstyle N}$	Value of λ_{N}
1	3.21	5	6 . 36
. 2	3.65	6	6.79
3	4.21	7	7.34
4	4.655	8	7.78

These values agree with those reported elsewhere (16). The circular natural frequencies ω_N are obtained from the expression

$$\omega_N = -\frac{\lambda_N^2}{L^2} \sqrt{\frac{EI}{m}} ,$$

and the natural frequencies, in cycles per second, are computed from

$$f_N = \frac{\omega_N}{2\pi} .$$

In order to determine the natural modes of vibration, first, the $\underline{\mathbf{k}}$ values corresponding to the natural frequencies were determined, and then the expressions of θ_2 , θ_3 , and θ_4 were evaluated. The results are summarized in the following:

Order of Mode	91	92	93	Θ <u>,</u>	e ₅
1	1.00	924	.707	383	0
2	1.00	383	707	.924	0
3	1.00	•383	707	924	0
4	1.00	•924	•707	•383	0
5	1.00	.924	.707	•383	0
6	1.00	- 383	707	924	0
7	1.00	383	707	.924	0
8	1.00	924	•707	383	0

From these rotations, the shapes of the natural modes of vibration can be sketched. For this particular problem, the vibration modes were computed by use of the numerical values given in Table II, following the procedure described in the preceding Article. For the purpose of illustration, the computations involved in the determination of the first natural mode ($\lambda = 3.21$) are presented in detail.

Deflection of span 1 at successive 1/6 - points:

for
$$\theta_i = 1.00$$
, $\theta_z = 0$:

0 .128 .179 .163 .103 .033 0

for $\theta_i = 0$, $\theta_z = -.924$:

0 .031 .095 .151 .166 .118 0

total:

0 .159 .274 .314 .269 .151 0

Deflection of span 2 at successive 1/6 - points:

for
$$\theta_z = -.924$$
, $\theta_y = 0$:

0 -.118 -.166 -.151 -.095 -.031 0

for $\theta_z = 0$, $\theta_z = .707$:

0 -.024 -.072 -.115 -.127 -.090 0

total:

0 -.142 -.238 -.266 -.222 -.121 0

Deflection of span 3 at successive 1/6 - points:

for
$$\theta_3 = .707$$
, $\theta_4 = 0$:

0 .090 .127 .115 .072 .024 0

for $\theta_3 = 0$, $\theta_4 = -.383$:

0 .013 .039 .062 .069 .049 0

total:

0 .103 .166 .177 .141 .073 0

Deflection of span 4 at successive 1/6 - points:

for
$$\theta_4 = -.383$$
, $\theta_5 = 0$: 0 -.049 -.069 -.062 -.039 -.013 0

The first six natural modes of vibration are shown in Fig. 17

Example 2. In order to illustrate several additional details of the procedure and present a convenient tabular scheme for recording the computations for the general case in which the dimensions of the beam may vary from span to span, we consider the four-span continuous beam shown in Fig. 15. Only the first five natural frequencies will be evaluated. The beam is assumed to be elastically restrained at the left end and hinged at the right end. The stiffness of the end restraint and the characteristics of the various spans are shown in Fig. 15.

For convenience in carrying out the calculations, the natural frequencied of the system are expressed in terms of the pertinent properties of some reference span, say span $\underline{\mathbf{r}}$. In this particular example we take $\mathbf{r}=1$. In terms of the λ value of the $\underline{\mathbf{r}}$ -th span, the λ value for any span \mathbf{j} is

$$\lambda_{j} = \sqrt[4]{\frac{m_{j}}{m_{r}}} \frac{E_{r}I_{r}}{E_{i}I_{i}} \frac{L_{i}}{L_{r}} \cdot \lambda_{r} . \qquad (23)$$

In terms of the $\frac{EI}{L}$ of the <u>r</u>-th span, the stiffness and the product of the stiffness and of the carry-over factor for any span <u>j</u> are equal to the values obtained from Table I multiplied by the dimensionless factor

$$\alpha_{j} = \frac{E_{j} I_{j}}{E_{r} I_{r}} \frac{L_{r}}{L_{j}} . \tag{24}$$

Equations (23) and (24) can be verified readily.

The quantities λ_j/λ_r and α_j are evaluated in Table 14. It should be noted that the calculations in this table are independent of the frequency of vibration.

The trial-and-error produce for determining the natural frequencies of the system is carried out in Table 18. As an example of the use of this table, a complete cycle of calculations is carried out for a trial value of $\lambda_r = \lambda_i = 2.40$. This value, shown encircled in the <u>r</u>-th line of Column (2), corresponds to a circular frequency of vibration $\omega = \frac{(2.40)^2}{L^2} / \frac{E_1 I_1}{m_1}$ arrangement of the various quantities in this table is believed to facilitate the computational work and to reduce substantially the probability for errors. The order in which the columns in this table are filled in is indicated by the following sequence of column numbers: (1), (3), (2), (4 and 8), (5), (7), and (6). Columns (1) and (3) are reproduced, respectively, from Columns (5) and (6) of Table A. The λ values for the various spans in Column (2) are obtained as the product of the assumed λ_r and each of the values in Column (1). Columns (4) and (8) give, respectively, values of the stiffness and of the product of the stiffness and the carry-over factor for each span. in terms of ; these quantities are obtained directly from Table I in Appendix A, using the λ values computed in Column (2). Column (5) gives the total stiffness of the spans adjoining each support in terms of Tr The value for the j-th line in this column is determined by taking the sum of the products of the values in Columns (3) and (4) for lines j-1 and j. Column (7) gives the product of the stiffness and of the carry-over factor for each span in terms of $\frac{\mathbf{r}_{\mathbf{r}^{\perp}\mathbf{r}}}{\mathbf{L}}$; the entries in this column are obtained

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TABLE 1. CALCULATIONS FOR EXAMPLE 2

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The second secon						
1	(1)	(2)	(3)	(7)	(5)	(9)
Span	<u>mi</u> mr	Es 1; Er 1r	$\frac{(2)}{(1)}$	<u>Li</u> Lr	$\frac{\lambda_j}{\lambda_r} = (3)(4)$	$\alpha_{j} = \frac{(2)}{(4)}$
list	1,00	1,00	1.00	1.00	1.00	1.00
2	06.90	1.00	0.94.57	1.25	1,182	0.80
3	1.20	1.35	0.9710	1.00	0.9710	1.35
4	1*00	1.35	0.9277	1.50	1.392	06°0
						·

TABLE B

					The second secon			
	(1)	(2)	(2)	(7)	(5)	(9)	(7)	(8)
Spen or Support	N.	マ	Ŕ	$K_j \frac{L_j}{E_j I_j}$	$(K_{j-1}^{\dagger} + K_{j}) \frac{L_{F}}{E_{r} I_{r}}$	θ_j	$(\pi K)_j \frac{L_r}{E_j I_r}$	$(RK)_j \frac{L_j}{E_j I_j}$
	۲.			from Table I	(3) _{j-1} (4) _{j-1} (4) _j	Eq. (19)	(e) (e)	from Table I
]=r	1.00	2,40	00°1	3*6649		1.0000	2.2555	2.2555
2	1,182	2.84	08.0	3,3015	6.3061	-1.8466	2,0330	2,5412
3	01.66.0	2,33	1.35	3.704.3	7.6420	4.6185	3.0038	2.2250
7	1.392	3.34	06°0	2,4810	7.2337	-10.500	2.8924	3.2138
5						21,463		

 $Rq^{1}n$ (22a) = (0 + 2.4810 x 0.90) 21.463 + 2.8924 (-10.500) $\frac{R_{1}L_{1}}{L_{1}}$ = 17.55 $\frac{R_{1}L_{2}}{L_{1}}$

by multiplying the entries in Column (3) by those in Column (3). Column (6) gives the rotation of the beam over the supports. The first value in this column is unity. (Had the beam been fixed at the left end. this value would have been zero). The second value in the column, θ_2 , is evaluated from Eq. (21a)

$$\theta_2 = -\frac{(0.5000 + 3.6649) \ 1.0000}{2.2555} = -1.8466$$

This operation is not indicated in the Table. (Had support 1 been fixed, Eq. (21b) would have been used instead). The values of θ_3 to θ_z are determined from the values in Columns (5) and (7) by use of Eq. (19a), which, in terms of column members, takes the form:

$$\theta_{j+1} = -\frac{(5)j(6)j + (6)j-1(7)j-1}{(7)j} \qquad (for \ j \ge 2). \tag{19b}$$

Thus,
$$\theta_3 = -\frac{6.3061(-1.8466) + 1.0000(2.2555)}{2.0330} = 4.6185$$

The left hand side of Eq. (22a), evaluated at the bottom of the table, is found to be equal to 17.55 $\frac{E_1I_1}{I_2}$.

Since, for the assumed value of $\lambda_1 = 2.40$, Eq. (22a) was not satisfied, this value does not correspond to a natural frequency of the system. The physical significance of the computed value of 17.55 is as follows: the negative of this value divided by the rotation θ_2 .

$$-\frac{17.55}{21.463} \frac{E_1 I_1}{I_1} = -0.8179 \frac{E_1 I_1}{I_1};$$

represents the stiffness of a rotational constraint which, if it were imposed at the right end of the beam, would have made the assumed frequency correspond to a natural frequency of the system.

By repeating several such cycles of computation for different values of λ_i , the curve in Fig. 18 was obtained. The first five critical values

are recorded on the figure. The corresponding circular natural frequencies are

$$(\omega_{N})_{1} = \frac{6 \cdot 27}{L_{1}^{2}} \sqrt{\frac{E_{1}I_{1}}{m_{1}}},$$

$$(\omega_{N})_{2} = \frac{2 \cdot 42}{L_{1}^{2}} \sqrt{\frac{E_{1}I_{1}}{m_{1}}},$$

$$(\omega_{N})_{3} = \frac{13 \cdot 7}{L_{1}^{2}} \sqrt{\frac{E_{1}I_{1}}{m_{1}}},$$

$$(\omega_{N})_{4} = \frac{16 \cdot 9}{L_{1}^{2}} \sqrt{\frac{E_{1}I_{1}}{m_{1}}},$$

$$(\omega_{N})_{5} = \frac{24 \cdot 0}{L_{1}^{2}} \sqrt{\frac{E_{1}I_{1}}{m_{1}}}.$$

If it is desired to evaluate these quantities more precisely, the computations should be repeated for several additional values of λ_i in the neighborhood of the critical values, and the results should be plotted on a larger scale.

The natural modes of vibration, determined in the manner described in Section 11, are shown in Fig. 19. It should be stated that, in general, for the fundamental or lowest natural frequency, the rotations of the beam over the supports are not very sensitive to the magnitude of the frequency of vibration. For some of the higher vibration frequencies, however, a slight variation in the value of the frequency may affect the rotations materially. Accordingly, the accurate evaluation of the rotations in these latter cases may become somewhat cumbersome.

13. Alternate Methods of Analysis.

As applied to continuous beams, the criterion for a natural frequency is that

$$\bar{\mathcal{M}}_{z} = 0. \tag{226}$$

It is presumed that support z is not fixed.

As has already been remarked, the method used to evaluate $\overline{\mathtt{M}}_{\mathbf{z}}$ is

merely one of a number of possible methods. It is the purpose of the following discussion to present several alternate procedures for arriving at the
same result.

The Effective Stiffness Criterion. The moment at a joint of a structure necessary to produce at that joint a rotation of unit amplitude, while all other joints are in their actual condition of restraint, is defined as the "effective flexural stiffness" of the joint. This quantity depends on the properties of all the members of the structure, and it will be denoted by \overline{K} .

Let \overline{K}_z^{t} represent the total effective stiffness at the right hand support z of a continuous beam; then, Eq. (22a) may be written as

$$\bar{K}_z' \theta_z = 0. \tag{25}$$

Since $\theta_{\mathbf{z}}$ is assumed to be different from zero, this equation is satisfied only if

$$\bar{K}_z' = 0. \tag{26a}$$

It should be emphasized that Eqs. (22a) and (26a) express identically the same condition, only in slightly different forms.

Equation (26a) represents the effective stiffness criterion for determining natural frequencies. This criterion will now be applied by use of the moment distribution procedure and a procedure which, for want of any better term, will be referred to as the "direct" procedure.

The Moment Distribution Procedure. Gaskell's adaptation of the method of moment distribution (13) may be applied as follows:

1. A frequency of vibration is assumed, and the flexural stiffness, K, and the flexural carry-over factor, k, for each span of the beam are computed from Table I in Appendix A.

- 2. With all joints of the structure, except joint \underline{z} , fixed against rotation, an exciting moment is applied at joint \underline{z} producing a rotation of unit amplitude at that joint. Obviously, the frequency of this moment is equal to the assumed frequency of vibration and the magnitude of the moment is equal to $K'_{z-1} + R_z$.
- 3. This moment is distributed to the adjacent members in proportion to their relative stiffness, and the proper proportion of the balancing moment is carried-over to joint z-1.
- 4. Joint <u>z</u> is then locked, and the unbalanced moment at joint <u>z-l</u> is distributed, carried over, and balanced through the rest of the structure. During this process of moment balancing, joint <u>z</u> is maintained locked.
- 5. The total moment carried back to joint <u>z</u> is determined. Finally, the effective stiffness of the joint is computed as the algebraic sum of the moment applied initially to the joint and the moment carried back after all the other joints have been balanced.
- 6. Steps 1 through 5 are repeated for several frequencies of vibration, and the natural frequencies are determined as those frequencies for which the effective stiffness vanishes.

The "Direct" Procedure. The second procedure for applying the effective stiffness criterion is presented in this section. Consider a bar on unyielding supports at each end with one end elastically restrained against rotation. The restraint may be due to an actual coil spring or it may symbolize the continuity of the bar with adjoining members. The stiffness of the restraint is

At this point, attention should be called to the fact that the method of moment distribution does not converge always to an answer. Therefore, this method, which probably would appeal to many engineers, is restricted in its practical application. This fact is considered in somewhat greater detail in Section 14.

denoted by \underline{R} . It can be shown (17) that the effective flexural stiffness of the opposite end of the bar is given by the expression

$$K' = K - \frac{(kK)^2}{K + R} . \tag{27}$$

This equation may be used to calculate the effective stiffness of a continuous beam as follows:

- 1. A frequency of vibration is assumed, and the corresponding values of \underline{K} and $\underline{k}\underline{K}$ for each span of the beam are determined from Table I in Appendix A.
- 2. With the stiffness of the restraint R₁ at the extreme left end of the beam known, the value of effective stiffness of the first span, K₁, is computed from Eq. (27). This value represents also the stiffness of the rotational restraint R₂ exerted by the first span on the left end of the second span. By application of Eq. (27) to consecutive spans, the effective stiffness of spans 2 to z-1 are evaluated.
- 3. Having determined K_{z-1}^{\dagger} , the effective stiffness at joint \underline{z} is computed as $K_{z-1}^{\dagger} + R_z$.
- 4. As usual, the foregoing steps are repeated for a number of frequencies and the natural frequencies are determined as those frequencies for which the effective stiffness vanishes.

In the foregoing discussion it was assumed that $\theta_z=0$. Consider new that support \underline{z} is fixed; then, $R_z=$ infinite, $\theta_z=0$, and M_z is finite. But, since

$$M_z = K'_{z-1} \theta_z ,$$

$$K'_{z-1} = infinity$$
 (26b)

becomes the modified criterion for a natural frequency.

The curve in Fig. 20 shows the value represented by the effective stiffness \overline{K}_2^1 of a continuous beam as a function of the frequency of vibration. The curve was determined by the "direct" method and is applicable to the particular beam considered in Example 2. The zeros of the curve correspond to the natural frequencies of the beam; the discontinuities correspond to the natural frequencies of the beam assuming that its right end is fixed. The abscissa of any other point of the curve corresponds to the natural frequency of the beam, provided its right end is subjected to a restraint, the stiffness of which is equal to the negative of the value represented by the ordinate of the curve.

It should be pointed out again that the main method, which was presented at the beginning of this Chapter, and the effective stiffness method presented in the preceding paragraphs, are fundamentally alike. In the former method, the moment at joint \underline{z} necessary to produce a rotation of unit amplitude at joint 1 is determined, while in the latter method, the moment at joint \underline{z} necessary to produce a rotation of unit amplitude at the same joint \underline{z} is determined. The correspondence of the two methods can be demonstrated further by noting that, if each ordinate of the curve in Fig. 18 is divided by the rotation of the beam $\theta_{\underline{z}}$ corresponding to that ordinate, the curve will be transformed into that shown in Fig. 20. For example, for $\lambda_1 = 2.40$ the ordinate of the curve in Fig. 18 is $17.55 = \frac{\mathbf{E}_1 \mathbf{I}_1}{\mathbf{I}_1} = \frac{\mathbf{E}_1 \mathbf{I}_1}{\mathbf{I}_1}$ is identical to the corresponding ordinate of the curve in Fig. 20.

The effective stiffness method is similar to Porter's (18) and Manley's (19), (20) methods of determining natural frequencies of torsional

ribration of shafts, and is similar also to Lundquist's stiffness and series criteria for determining the critical buckling loads of structures (21). The stiffness criterion has been applied to the determination of the natural frequencies of continuous beams previously by Mudrak (1), (2), (3). However, Mudrak's method differs from the procedures described in this section both in its development and in the form of its application.

The Mathod of Three Moments. An alternate procedure for calculating the magnitude of the exciting moment \overline{M}_z is provided by the use of the equation of three moments, first applied to the study of steady-state forced vibrations by W. Prager (22). Numerical values of the various coefficients appearing in these equations have been published (23), (24) but, unfortunately, these references are not readily accessible. In general, the three-moment equation can be applied in the same manner as the three-slope equation.

14. Range of Applicability and Relative Merits of Various Procedures.

As previously remarked, the moment distribution procedure is of restricted practical value. Convergence of this procedure can be insured only for vibration frequencies which are smaller that the (unknown) fundamental or lowest natural frequency of the system considered (13). Consequently, the method can, in general, be used to determine only the lowest natural frequency of a structure. Also, it might be important to note that, even for vibration frequencies which are below the fundamental natural frequency of a structure, the moment distribution procedure may be so slow to converge that it may be necessary to carry out a large number of distributions to affect a solution. This process may become rather time consuming, especially when applied to structures involving a large number of members.

The "direct" method does not offer any difficulty of convergence.

It can, therefore, be used to calculate the higher natural frequencies of continuous beam. In general, this procedure requires a much larger number of trials than the main procedure of this report. In addition, it cannot be extended to continuous frames involving closed panels. It is, therefore, of restricted applicability, too.

For continuous beams only, the choice between the main method of this report and the procedure based on the use of the three moment equation depends, to a large extent, on personal preference and on one's femiliarity with the particular procedure. One major advantage of the use of the three slope equation is that it gives a clear picture of the distortions which the structure undergoes during vibration. This feature is particularly important because, in practice, it is frequently desirable to have a rapid means of sketching the vibration configuration corresponding to a given frequency. For the analysis of continuous frames, equations involving the rotation of the joints as unknowns are remarkably better suited than equations involving moments as the redundant quantities. The extension of the main method of this report to the determination of the natural frequencies of continuous frames without sidesway is presented in the following Chapter.

IV. APPLICATION OF METHOD TO CONTINUOUS FRAMES WITHOUT SIDESWAY

15. General

This Chapter is concerned with the determination of the natural frequencies of flexural vibration of rigid jointed plane frameworks for which the joints do not move. The extension of the method to some relatively simple frames with sidesway will be presented in Chapter VI.

The frames considered may have any number of members of arbitrary length; the mass per unit of length and the flexural rigidity of cross section of the members may differ from one member to the other, but in any one member, these quantities are assumed to remain constant. The simplifying assumptions made in the analysis are as follows: The vibrations are assumed to take place in the plane of the framework. The change in length of the members due to axial deformation, and the effect of the axial forces on the bending moment in the members are neglected. In addition, no account is taken of the influence of axial vibrations. As before, the cross sectional dimensions of the members are considered to be small in comparison to their length, so that the effects of shearing deformation and rotatory inertia may be neglected.

16. Basic Relations

Figure 21 shows s members of a structure rigidly connected at their common intersection o. The far ends of the members are assumed to be fixed against translation, but free to rotate subject to the restraint imposed by the adjoining members. Assume that the structure is in a steady-state forced vibration under the action of some exciting moment applied at a joint different from joint o.

Let Θ_{oj} denote the amplitude of rotation at end \underline{o} of member oj, and Θ_{jo} denote the amplitude of rotation at end \underline{j} of the same member. Similarly, let M_{oj} and M_{jo} be the corresponding moment amplitudes at the same ends.

Since all members are rigidly connected at their joints,

$$\theta_{oi} = \theta_{oz} = \cdots = \theta_{oj} = \cdots = \theta_{os} = \theta_{o}$$
, (28a)

and

$$\theta_{jo} = \theta_{j} \quad . \tag{28b}$$

Furthermore, since no external moment acts at joint o,

$$\overline{M}_{o} = M_{o1} + M_{o2} + \dots + M_{oj} + \dots + M_{os} = \sum_{j=1}^{3} M_{oj} = 0$$
 (29)

The moment M may be expressed in terms of the end rotations of member of by the relation

$$M_{oj} = K_{oj}\theta_o + (\hbar K)_{oj}\theta_j . \qquad (30)$$

Substituting this expression into Eq. (29), one obtains Eq. (31s)

$$\sum_{j=1}^{s} K_{oj} \theta_{o} + \sum_{j=1}^{s} (kK)_{oj} \theta_{j} = 0$$
 (31a)

which expresses the conditions of both equilibrium and continuity for joint o of the structure. If only two members meet at joint o, Eq. (31a) reduces to Eq. (19a) for continuous beams.

If the degree of restraint at the far ends of the members meeting at a joint are known, it is convenient to use effective stiffnesses. Assume that the restraints at ends 1 and 2 of the portion of the structure shown in Fig. 21 are known. Let K_{ol}^{i} and K_{o2}^{i} represent the effective stiffness of members ol and o2. Then, Eq. (31a) may be written as

$$(K'_{oi} + K'_{oz})\theta_o + \sum_{j=3}^{5} K_{oj}\theta_o + \sum_{j=3}^{5} (\pi K)_{oj}\theta_j = 0$$
. (31b)

Equations (30) and (31) are the only two relations needed in the analysis of frames without sidesway.

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17. Open Frames.

The frames considered in this section do not involve any closed panels and have known conditions of restraint at all external terminals. It is assumed that the joints of the frame do not translate.

Simple L-frames and portal frames, such as those shown in Fig. 22, act as continuous beams on rigid supports. Their natural frequencies can therefore be calculated by the procedure outlined in Section 10 of the preceding Chapter.

when applied to the analysis of continuous frames, such as those shown in Fig. 23, this procedure will, in general, reveal only a portion of the natural frequencies of the frame considered. The failure of the procedure to identify the complete set of natural frequencies results from the fact that, for certain natural frequencies, only a portion of the frame may vibrate with finite amplitudes while the rest may remain stationary. The natural frequencies corresponding to these modes, which will be referred to as "modes of partial vibration", must be determined by a supplementary procedure.

Consider any of the frames shown in Fig. 23. Let 1 denote the joint of the frame at the extreme left terminal and \underline{z} denote the joint at the extreme right terminal. Without loss of generality, it may be assumed that joint \underline{z} is either hinged or elastically restrained. A fixed end may be handled in the manner described in Illustrative Example 1. Assume that the structure is in a steady-state forced vibration under the action of an exciting couple $\overline{M}_{\underline{z}}$ applied at joint \underline{z} . The amplitude of the slope or of the bending moment at joint 1 is assumed to have some fixed value. If the joint is hinged or elastically restrained, the amplitude of slope is taken equal to unity. If the joint is fixed, the amplitude of bending moment is taken equal to unity instead. For an assumed frequency of vibration, it is

the second secon

generally possible to calculate the magnitude of the exciting moment \overline{M}_{g} , in a manner entirely analogous to that used for continuous beams, by working progressively from one end of the frame to the other. By repeating this procedure for several frequencies of vibration, the magnitude of \overline{M}_{g} may be plotted as a function of the frequency. All frequencies for which the magnitude of the exciting moment vanishes are natural frequencies of the frame.

The natural frequencies determined by the previous procedure may not represent the complete set of natural frequencies of the frame. The procedure is based on the assumption that the amplitude of slope or bending moment at joint 1 is finite. For continuous beams this condition is satisfied for all non-trivial natural frequencies. For continuous frames, however, bar 1-2 may be still even though the rest of the structure, or some portion of it, vibrates with finite amplitudes. Obviously then, the procedure fails to reveal those natural frequencies for which bar 1-2 remains still. A second assumption implicit in the procedure described is that the rotation of joint z is finite for the natural frequencies to be determined. For continuous frames, this condition is not satisfied always. Therefore, the procedure fails also to reveal the natural frequencies for which the bar meeting at joint z is stationary.

Figure 24 presents several natural modes of vibration for which either bar 1-2 or the bar meeting at joint <u>s</u> is stationary. The modes are applicable to the particular structures shown in Fig. 23 and can, of course, exist only if the dimensions of the various members composing these structures satisfy certain definite relations. It should be emphasized that natural modes of partial vibration are peculiar to frames and cannot exist in the case of continuous beams.

The technique for determining the natural frequencies for which either bar 1-2 or the bar meeting at joint \underline{z} is stationary consists of

- (a) calculating the frequencies for which these conditions can occur, and
- (b) ascertaining whether or not these frequencies are natural frequencies of the system. The details of this supplementary technique will be explained in the examples to be presented.

18. Illustrative Examples.

Example 3. The simple frame shown in Fig. 25a has been selected for analysis. To illustrate several features of the method, the bars identified by (1) are taken identical while the bar designated by (2) is considered to have such dimensions that

$$\frac{\mathbf{E}_{2}\mathbf{I}_{2}}{\mathbf{L}_{2}} = \frac{\mathbf{E}_{1}\mathbf{I}_{1}}{\mathbf{L}_{1}}$$
, $\mathbf{L}_{2} = 0.80\mathbf{L}_{1}$

and

$$\lambda_z = \frac{3.927}{4.730} \lambda_i = 0.8502 \lambda_i$$

The subscripts 1 and 2 refer to bars (1) and (2), respectively.

For the sake of brevity, only one cycle of the procedure is presented. The computations are given for a value of $\lambda_i = 3.30$; this corresponds to a value of $\lambda_2 = 2.74$. The appropriate values of \underline{K} and $\underline{k}\underline{K}$ are obtained from Table I in Appendix A.

for bars (1)
$$K_1 = 2.5720 \frac{R_1 I_1}{I_1}$$
 and $(kK)_1 = 3.1375 \frac{R_1 I_1}{L_1}$

for bar (2)
$$K_2 = 3.4051 \frac{E_1 I_1}{I_1}$$
 and $(kK)_2 = 2.4589 \frac{E_1 I_1}{I_1}$

The data necessary for the analysis are compiled on the diagram in Fig. 25b.

The number in parentheses opposite each joint gives the sum of the stiffnesses of the members meeting at that joint. The parenthesized number at the middle

of each member gives the product of the stiffness and the carry-over factor for the member. Both quantities are expressed in terms of $\frac{E_1I_1}{I_1}$. The numbers without parentheses denote the rotations of the various joints. These rotations are evaluated in the manner described below, and they are recorded on the diagram as they are computed.

The procedure is started by taking $M_1 = 1.00 \frac{E_1 I_1}{I_1}$. Then, e_2 is computed by application to joint 1 of Eq. (30), as

$$e_2 = \frac{1}{3.1375} = 0.31873$$

The rotations θ_4 and θ_5 are determined successively by application of Eq. (31a) to joints 2 and 4.

$$\theta_4 = -\frac{(5.1440) \ 0.31873 + 3.1375 \ (0)}{3.1375} = -0.52256$$

$$\theta_5 = -\frac{8.5491 \ (-.52256) + 3.1375 \ (.31873)}{2.4589} = 1.4101$$

The magnitude of the exciting moment is determined from Eq. (30), as

$$\overline{M}_5 = (1.4101)3.4051 \frac{\overline{R_1}\overline{l_1}}{\overline{l_1}} + (-.52256)2.4589 \frac{\overline{R_1}\overline{l_1}}{\overline{l_1}} = 3.517 \frac{\overline{R_1}\overline{l_1}}{\overline{l_1}}$$

It should be noted that each of the foregoing operations can be carried out with a single set-up on a desk calculator.

Repeating this procedure for several values of λ_i , the curve shown in Fig. 26 was obtained. The λ_i values corresponding to the natural frequencies are recorded on the figure. The corresponding natural modes of free vibration are given in Figs. 27a to 27f.

The foregoing procedure is based on the assumption that the amplitudes of both the bending moment at joint 1 and of the rotation at joint z = 5 are finite. To obtain the natural frequencies for which $M_{\perp} = 0$, the following reasoning is used. In order for M_{\parallel} to be equal to zero, bar 1-2 must be

stationary; then, the rotation of joint 2 and the internal bending moment at the joint are also equal to zero. This condition requires that bar 2-4 be stationary and that $\theta_4 = M_{42} = 0$. But with joint 4 remaining fixed against rotation, bar 3-4 can oscillate freely only for frequencies represented by values of

$$\lambda_1 = 4.730, 7.853, \dots$$
 (32)

During a natural frequency, every member of the structure vibrates with the same frequency. Therefore, in order for these frequencies to be natural frequencies of the entire frame, they must be also natural frequencies of the remaining portion of the frame (bar 4-5, in thi particular case). The natural frequencies of bar 4-5, considering that its left end is fixed, are

$$\lambda_2 = 3.927, 7.069, \dots$$

these correspond to values of

$$\lambda_1 = 4.730, 8.514, \dots$$

Comparing the latter values with those given in Eq. (32), one concludes that, within the range of frequencies considered in Fig. 26, $\lambda_i = 7.853$ and $\lambda_i = 8.514$ do not represent a natural frequency, while $\lambda_i = 4.730$ does. The natural mode of vibration for $\lambda_i = 4.730$ is shown by the solid curve in Fig. 27g.

The natural frequencies, if any, for which $\theta_5 = 0$, are determined in a similar manner. θ_5 can be equal to zero only if bar 4-5 is stationary. Under this condition, $\theta_4 = M_{45} = 0$; then, bar 3-4 may vibrate freely only at frequencies represented by the λ_i values given in Eq. (32). Since members 1-2 and 2-4 of the remaining portion of the frame are identical to member 3-4, each of these members can vibrate with its ends fixed for the same frequency; therefore, the λ_i values given in Eq. (32) correspond to ustural

frequencies of the frame. The natural mode corresponding to $\lambda_i = 4.730$ is shown by the dotted curve in Fig. 27g, while the mode corresponding to $\lambda_i = 7.853$ is shown in Fig. 27h.

It should be observed that the natural modes shown in Figs. 27c and 27g can exist for the same frequency. Of these three modes, however, only the two are independent; the third is a linear combination of the other two. In fact, from any two of these three modes, one can obtain an infinite number of combination modes.

Within the range of frequencies considered in Fig. 26, the complete set of λ_i values corresponding to natural frequencies is

$$(\lambda_1)_{\overline{\mathbf{k}}} = 3.59, 4.22, 4.73$$
 (double), 6.80, 7.44, 7.85, 8.35

More involved frames may be handled by the same procedure. The technique for obtaining the natural frequencies corresponding to modes of partial vibration is illustrated further by the examples given in Section 21.

Example 4. A sketch of the frame considered is shown in Fig. 28.

This frame is similar to that analyzed in the preceding example. In this case, the dimensions of the structure are assumed to be such that

$$\frac{\mathbf{E}_{1}\mathbf{I}_{1}}{\mathbf{I}_{1}} = \frac{\mathbf{E}_{2}\mathbf{I}_{2}}{\mathbf{I}_{2}} = \frac{\mathbf{E}_{3}\mathbf{I}_{3}}{\mathbf{I}_{3}} = \frac{\mathbf{E}_{4}\mathbf{I}_{4}}{\mathbf{I}_{4}}$$

and

$$\lambda_z = 0.75 \lambda_i$$
, $\lambda_s = 1.30 \lambda_i$, $\lambda_4 = 0.90 \lambda_i$.

To determine the natural frequencies of this frame, we proceed in the usual manner and plot the magnitude of the exciting moment at joint 5 as a function of the assumed frequency of vibration. The curve in Fig. 28 summarizes the results obtained. It should be noted that this curve, unlike that shown in Fig. 26, is not continuous. The values of λ , corresponding to the first few natural frequencies are recorded on Fig. 28. It can be shown that, within the range of the frequencies considered, there are no natural

frequencies corresponding to modes of partial vibration.

19. Closed Frames.

The application of the method to frames involving closed panels, such as those shown in Fig. 29, is described in this section by reference to a simple example. The hypothertical two called rectangular frame shown in Fig. 29a is selected for this purpose.

The first step in the enalysis is to assume that the frame is cut at some convenient joint. In the example considered, the cut is introduced at joint 6. Next, it is assumed that the structure undergoes a steady-state forced vibration with finite amplitudes and known frequency. The vibration is assumed to be maintained by an exciting couple applied at the cut joint (joint 6). If the frequency of vibration is equal to the natural frequency of the frame, the magnitude of the exciting moment must vanish and the amplitudes of slope on either side of the cut must be equal.

For an assumed frequency, the discontinuity of slope and the magnitude of the exciting moment may be determined in the same way as for open frames, by working progressively from joint to joint across the structure.

For the frame considered, Eq. (31a) is first applied to joint 1. It is noted that the resulting expression involves three unknowns: θ_1 , θ_2 , and θ_3 . Therefore, θ_2 and θ_3 cannot be solved directly in terms of θ_1 alone, as it was possible in the case of continuous beams and continuous open frames. Instead, it is necessary to express θ_3 in terms of both θ_1 and θ_2 . Next, Eq. (31a) is applied to joint 2. and θ_4 is determined in terms of the same two permanent unknowns θ_1 and θ_2 . By successive applications of the same equation to joints 3, 4, and 5, the rotations θ_5 , θ_{64} , and θ_{65} may also be determined in terms of θ_1 and θ_2 . Eaving computed the rotations of all joints, the exciting moment at joint 6 may also be expressed in terms of

the two permanent unknowns Θ_1 and Θ_2 . In the application of this technique, consecutive joints must be selected in such an order that, when Eq. (31a) is applied to a joint, the resulting expression involves only one new unknown. This technique is an adaption of Wilbur's scheme (25) of solving the set of simultaneous equations resulting from the use of the slope deflection equation.

The joint for which the rotation is evaluated last in this procedure (joint 6 in this case), is the one at which the atructure is generally assumed to be cut. The number of members meeting at this joint must be equal to the number of permanent unknowns used.

At a natural frequency

and
$$\theta_{cc} - \theta_{cc} = 0$$
, (33a)

In terms of the two permanent unknowns θ_1 and θ_2 , these conditions may be written as

$$c_{i1}\theta_{i} + c_{i2}\theta_{2} = 0$$
,
 $c_{21}\theta_{i} + c_{22}\theta_{2} = 0$, (33b)

where the c's are constants, the magnitudes of which depend on the assumed frequency of vibration and on the characteristics of all the members in the structure. Equation (33b) represents a set of linear and homogeneous equations for the unknowns θ_1 and θ_2 ; these equations have a solution different from zero when the determinant of their coefficient is zero,

$$\Delta_{G}(\theta_{i},\theta_{2}) = \begin{vmatrix} C_{ii} & C_{i2} \\ C_{2i} & C_{22} \end{vmatrix} = 0.$$
 (34)

This criterion of vanishing determinant will fail to reveal

(a) the natural frequencies for which θ_1 and θ_2 are simultaneously equal to zero, and

是一种,我们们是一种,我们们是一种,我们们是一种,我们们,我们们,我们们,我们们是一种,我们们是一种,我们们们是一个一个一个一个一个一个一个一个一个一个一个一个

(b) the natural frequencies for which the bers meeting at the cut joint (joint 6) are stationary.

The natural frequencies corresponding to the foregoing two conditions may be calculated by the supplementary technique described in connection with continuous open frames.

The single-bay multi-story frame shown in Fig. 29c may be handled by the same procedure. The rotations of its joints may be expressed in terms of θ_1 and θ_2 ; the cut may be introduced at joint 9 or 10. For the analysis of the two-bay multi-story frame shown in Fig. 29c, one needs to take three quantities, say θ_1 , θ_2 , and θ_3 , as permanent unknowns. The cut must be introduced at joint 14. The conditions of continuity and equilibrium for this joint may then be expressed as

$$\begin{aligned}
\partial_{M,13} - \partial_{M,11} &= c_{11} \theta_1 + c_{12} \theta_2 + c_{13} \theta_3 = 0, \\
\partial_{M,11} - \partial_{M,13} &= c_{21} \theta_1 + c_{22} \theta_2 + c_{23} \theta_3 = 0, \\
\bar{M}_{14} &= c_{21} \theta_1 + c_{32} \theta_3 + c_{33} \theta_3 = 0,
\end{aligned}$$

where the Q's are numerical constants. The criterion for a natural frequency is

$$\Delta_{H}(\theta_{1}, M_{1}, \theta_{3}) = \begin{vmatrix} c_{11} & c_{12} & c_{13} \\ c_{21} & c_{22} & c_{23} \\ c_{31} & c_{32} & c_{33} \end{vmatrix} = 0.$$

It is seen that, for this problem, it becomes necessary to evaluate a third order determinant. For the general case, the order of the determinant is equal to the number of the permanent unknowns that must be used in evaluating the rotations of the joints.

The computational work required to calculate the exciting moment and the discontinuity of slope at the cut, may get fairly involved, particu-

larly if more than two quantities must be used as permanent unknowns. One may simplify this work considerably by carrying out the computations in parts: Consider again the frame shown in Fig. 29a. First, assume that $\theta_1 = 1.00$ and that $\theta_2 = 0$. Calculate the rotations of the joints in the usual manner, and designate them by $\hat{\theta}$. Calculate also the magnitude of the exciting moment at the cut joint. Designate this by $\hat{\mathbf{M}}$. Next, assume that $\theta_1 = 0$ and that $\theta_2 = 1.00$, and calculate the corresponding rotations and moment. Denote these by $\hat{\theta}$ and $\hat{\mathbf{M}}$, respectively. Then, the actual rotation at a joint $\hat{\mathbf{j}}$ is

$$\Theta_{j} = \Theta_{j}^{\dagger} \Theta_{1} + \Theta_{j}^{\dagger} \Theta_{2} , \qquad (35a)$$

and the total exciting moment at the cut joint, say joint j , is

$$\overline{\mathbf{H}}_{\mathbf{j}} = \overline{\mathbf{H}}_{\mathbf{j}}^{\mathbf{I}} \mathbf{e}_{1} + \overline{\mathbf{H}}_{\mathbf{j}}^{\mathbf{H}} \mathbf{e}_{2} . \tag{35b}$$

The direct combination of these partial effects is justified by the fact that the differential equation for steady-state forced vibration is linear.

20. Outline of Procedure.

The procedure for determining the natural frequencies of continuous frames involving closed panels may be outlined as follows:

- 1. For some member of the frame, say member \underline{r} , assume a value of $\lambda_r = \sqrt[4]{\frac{m_r \, w^2}{E_r \, I_r}} \, L_r$. This is equivalent to assuming a frequency of vibration w.
- 2. From Eq. (23) compute the λ values for the remaining members of the frame.
- 3. From Table I in Appendix A, calculate the appropriate values of K and kK for each member. These values, as obtained from Table I, are expressed in terms of L, where the subscript i refers to the particular member considered.

- 4. Express the quantities determined in step (3) in terms of the $\frac{ET}{L}$ of the reference member r, by multiplying them by the dimensionless coefficient α_i (Eq. 24).
- on the same diagram record also the product of the stiffness and the carry-over factor for each member. These quantities must be expressed in terms of the same reference member. A convenient scheme for arranging the computations is shown in the illustrative examples presented in the next section.
- 6. Choose the unknowns in terms of which the distortions of the frame will be expressed. In general, the number of unknowns that must be selected is equal to the number of the main longitudinal members in the frame. For the frame shown in Fig. 29a, one may take eq and eq as the two permanent unknowns.
- 7. Consider the first of these quantities equal to unity and the other equal to zero ($\theta_1 = 1.00$ and $\theta_2 = 0$). Working across the structure, as described in the preceding section, compute the rotations of the joints. Denote these by θ . Compute also the exciting moment and denote it by \overline{M} .
- 8. Repeat step (7), taking the second quantity equal to unity and the first equal to zero ($\theta_1 = 0$ and $\theta_2 = 1.00$). Denote the resulting rotations by θ^{M} and the exciting moment by $\overline{\text{M}}$. In general, steps (7) and (8) must be repeated as many times as there are permanent unknowns.
- 9. Determine the total discontinuity of slope and the total exciting moment and set each expression equal to zero. For the

frame considered, these expressions will be

$$(\theta'_{c4} - \theta'_{c5})\theta_1 + (\theta''_{c4} - \theta''_{c5})\theta_2 = 0,$$

$$\vec{P}'_{c}\theta_1 + \vec{P}''_{c}\theta_2 = 0.$$
(33c)

- 10. Evaluate the determinant of the coefficients of Θ_1 and Θ_2 in the expressions of Eq. (33c).
- 11. Repeat steps (1) to (10) for different values of λ_r .
- 12. Plot the variation of the determinant evaluated in step (10) as a function of the λ_r values. The frequencies for which the determinant becomes equal to zero are natural frequencies of the frame.

The foregoing procedure fails to reveal the natural frequencies for which the permanent unknowns (θ_1 and θ_2) are simultaneously equal to zero. In addition, it fails to reveal the natural frequencies for which the members meeting at the cut joint are stationary. A supplementary procedure for determining these natural frequencies has been described, and its details are illustrated further in the two numerical examples that follow.

21. Illustrative Examples.

Example 5. The structure considered is shown in Fig. 30a. All members are assumed to be uniform and identical to each other. It is desired to calculate the natural frequencies and the corresponding natural modes of vibration of this frame for a range of values of λ less than 6.50. Since all members are identical, rather than repeating the procedure outlined in Section 20 for each assumed frequency, it is more convenient to derive a general expression for the criterion for a natural frequency and determine directly from this expression the desired quantities. This is similar to what was done in Section 12 for Example 1.

Let K be the flexural stiffness and k the flexural carry-over factor for each member of the frame. These quantities are, of course, functions of the parameter λ . The sum of the stiffnesses for the various joints and the product of the stiffness and the carry-over factor for each member of the frame are shown in Fig. 30b. The rotations of the joints will be expressed, not in terms of θ_1 and θ_2 , as it was suggested in the preceding discussion, but rather, in terms of θ_1 and the internal bending moment M_{13} . The reason for this choice will become apparent shortly. The frame is assumed to be cut at joint 6. First, it is assumed that $M_{13} = M_1 = 1.00$ and $\theta_1 = 0$. Applying Eq. (30) to ends 1 of members (1) and (2), one obtains

$$\theta_2' = -\frac{1}{kK},$$

$$\theta_3' = \frac{1}{kK}.$$

Similarly, applying Eq. (31a) successively to joints 2, 3, 4, and 5, one obtains

$$\begin{aligned} \partial_{4}^{\prime} &= -K \left[2 \left(-\frac{1}{\hbar K} \right) + \hbar(0) \right] \div \hbar K = \frac{2}{\hbar^{2} K} , \\ \partial_{5}^{\prime} &= -K \left[3 \left(\frac{1}{\hbar K} \right) + \hbar(0) + \hbar \left(\frac{2}{\hbar^{2} K} \right) \right] \div \hbar K = -\frac{5}{\hbar^{2} K} , \\ \partial_{64}^{\prime} &= -K \left[3 \left(\frac{2}{\hbar^{2} K} \right) + \hbar \left(-\frac{1}{\hbar K} \right) + \hbar \left(\frac{1}{\hbar K} \right) \right] \div \hbar K = -\frac{G}{\hbar^{2} K} , \\ \partial_{65}^{\prime} &= -K \left[2 \left(-\frac{5}{\hbar^{2} K} \right) + \hbar \left(\frac{1}{\hbar K} \right) \right] \div \hbar K = \frac{10 - \hbar^{2}}{\hbar^{3} K} . \end{aligned}$$

The discontinuity of slope at joint 6 is

$$\theta'_{64} - \theta'_{65} = \frac{k^2 - 16}{k^2 K}$$

and the exciting moment at joint 6 is

$$\overline{M}_{G}' = K \left[2 \left(-\frac{G}{k^2 K} \right) + k \left(\frac{2}{k^2 K} \right) + k \left(-\frac{5}{k^2 K} \right) \right] = -\frac{3}{k^2} \left(4 + k^2 \right) .$$

Next, it is assumed that $M_1 = 0$ and $\theta_1 = 1.00$. The rotations θ^n are obtained in a similar manner. The results are

$$\theta_{2}^{"} = -\frac{1}{R},$$

$$\theta_{3}^{"} = -\frac{1}{R},$$

$$\theta_{4}^{"} = -K \left[2\left(-\frac{1}{R} \right) \pm \frac{1}{R} \right] \div \frac{1}{R} K = \frac{2 - \frac{1}{R^{2}}}{R^{2}},$$

$$\theta_{5}^{"} = -K \left[3\left(-\frac{1}{R} \right) + \frac{1}{R} + \frac{2 - \frac{1}{R^{2}}}{R^{2}} \right] \div \frac{1}{R} K = \frac{1}{R^{2}},$$

$$\theta_{64}^{"} = -K \left[3 \frac{2 - \frac{1}{R^{2}}}{R^{2}} + \frac{1}{R} \left(-\frac{1}{R} \right) + \frac{1}{R} \left(-\frac{1}{R} \right) \right] \div \frac{1}{R} K = \frac{5R^{2} - G}{R^{3}},$$

$$\theta_{63}^{"} = -K \left[2 \frac{1}{R^{2}} + \frac{1}{R} \left(-\frac{1}{R} \right) \right] \div \frac{1}{R} K = \frac{R^{2} - 2}{R^{3}}.$$

The discontinuity of slope and the exciting moment at joint 6 are

$$\theta_{G4}'' - \theta_{G5}'' = \frac{5k^2 - 6}{k^3} - \frac{k^2 - 7}{k^3} = \frac{4}{k^3} (k^2 - 1),$$

$$\tilde{M}_{G}'' = K \left[2 \frac{5k^2 - 6}{k^3} + k \frac{2 - k^2}{k^2} + k \frac{1}{k^2} \right] = \frac{K}{k^3} (13k^2 - 12 - k^4) \theta_1.$$

The total discontinuity of slope and the total exciting moment at joint 6 are

$$\theta_{c4} - \theta_{c5} = \frac{1}{k^2 K} (k^2 - 16) M_1 + \frac{4}{k^2} (k^2 - 1) \theta_1 ,$$

$$\overline{M}_G = -\frac{3}{k^2} (4 + k^2) M_1 + \frac{K}{k^2} (13 k^2 - 12 - k^4) \theta_1 .$$
(36)

The determinant of the coefficients of θ_1 and M_1 is

$$\Delta_{G}(M_{i},\theta_{i}) = -\frac{144}{R^{6}} - \frac{R^{6} - 41R^{2} + 184}{R^{6}}.$$
 (37.)

The curve in Fig. 30d shows the variation of this determinant with λ . The values of \underline{k} and \underline{k} corresponding to the various values of λ were obtained from Table I in Appendix A. The zero intercepts of this curve represent natural frequencies of vibration. These values are indicated on the figure.

The vibration modes corresponding to a natural frequency are determined as follows: First, the relationship between Θ_1 and M_1 is determined by setting either of the expressions in Eq. (36) equal to zero. Then, the rotations of the joints are evaluated, in terms of either Θ_1 or M_1 , by use of the relation

$$\theta_{j} = \theta_{j}^{\dagger} M_{1} \overline{K} + \theta_{j}^{\dagger} \theta_{1}$$

In this perticular case, the rotations were expressed in terms of θ_1 . The results are summarized in the following table.

Value of λ_N	e ₂ /e ₁	e ₃ /e ₁	e ₄ /e ₁	e ₅ /e ₁	e ₆ /e ₁
π	-1.00	-1.00	1.00	1.00	-1.00
3:556	-1.00	0	0	-1.00	1.00
3.805	1.00	-1.333	-1.333	1.00	1.00
4.048	-1,00	1.333	-1.333	1.00	-1.00
4.298	1.00	. 0	C	-1.00	-1.00
2π	1.00	1.00	1.00	1.00	1.00

It should be noted that the value of $\lambda_N=4.730$ is not included in this table. For this value, as it willfollow from the discussion of the succeeding paragraphs, there is an infinite number of possible natural modes. Such modes cannot be determined by the procedure described. From the rotations in the above table, the deflections at the interior points of the members may be obtained by use of the influence coefficients given in Table II of Appendix A. The natural modes corresponding to the natural frequencies determined in Fig. 30d are shown in Fig. 31a through 31g.

The next step in the solution is the determination of the natural frequencies for which θ_1 and M_1 vanish simultaneously. θ_1 and M_1 may be equal to zero only if both bars (1) and (2) are stationary. Under this condition, bar (3) also is stationary and joints 3 and 4 remain fixed against

rotation as shown in Fig. 30c. For the range of λ values considered, bar (a) can execute free vibrations with fixed ends only at a frequency represented by

$$\lambda = 4.730.$$

Since all members of panel 3-4-6-5 are identical, each member can vibrate at this frequency with fixed ends; therefore, $\lambda = 4.730$ corresponds to a natural frequency of the frame. The vibration mode corresponding to this natural frequency is shown in Fig. 31h.

The concluding step in the solution of the problem under consideration is the determination of the natural frequencies for which the members meeting at a joint 6 remain stationary. Proceeding in the manner described in the preceding case, it can be shown that, within the range of λ values considered, $\lambda = 4.730$ represents a natural frequency for which bars (6) and (7) are stationary. The vibration mode corresponding to this natural frequency is shown in Fig. 31i.

It should be observed that the natural modes shown in Figs. 31f, 31h, and 31i can exist for the same frequency of vibration. However, of these three modes only two are independent. The third is a linear combination of the other two.

Had the distortions of the frame and the exciting moment \overline{M}_0 been expressed in terms of Θ_1 and Θ_2 instead of in terms of Θ_1 and M_1 , the basic procedure would have failed to reveal the natural frequencies for which $\Theta_1 = \Theta_2 = 0$. In other words, the curve in Fig. 30d would not have intersected the λ -axis at $\lambda = 4.730$. Of course, this natural frequency would have been determined by the supplementary technique.

Example 6. As a further illustration of the application of the method to continuous closed frames, the symmetrical frame shown in Fig. 32a

is selected for analysis. All columns are considered hinged at the base. It is desired to calculate natural frequencies corresponding only to symmetrical modes of vibration. Since for symmetrical vibrations the joints of the frame, even though free from external restraining forces, do not translate, the method of this Chapter is directly applicable to the problem considered. The effect of symmetry is taken into account by using for the girders of the central bay modified stiffnesses \underline{K}^{S} instead of the usual stiffnesses \underline{K}^{S} .

The dimensions of the frame and some additional data pertinent in the analysis are assembled in the table below. Member (2) of the frame is taken as the reference member. Columns (5) and (6) of this table give,

1	(1)	(2)	(3)	(4)	(5)	(6)	(7)
Member	n n	E ₁ I ₁ E ₁ I ₂	*\(\frac{1}{(2)}\).	L _j L _r	$\frac{\lambda_{\mathbf{i}}}{\lambda_{\mathbf{r}}} = (3)(4)$	$\alpha_{j} = \frac{(2)}{(4)}$	$\lambda_{\mathbf{j}}$
1	0.50	0.67	0.9294	1.00	0.9294	0.67	2.04
2=r	1.00 -	1.00	3.,000	1.00	1.000	1.00	2.20
3	3.00	1.75	1.144	1.50	1.716	1.1667	3.78
4	3.00	1.50	1.1.39	1.125	1.338	1.3333	2.94
5	0.40	0.45	0.971	0.75	0.7282	0.600	1.60
6	0.50	0.625	0.9457	0.75	0.7093	0.83333	1.56
7	2.00	1.25	1.125	1. 0	1.687	0.83333	3.71
8	2.00	1.25	1.125	1.lk.	1.265	1.1111	2.78

respectively, the ratio of λ_j/λ_z (Eq. 23, and the α_j values (Eq. 24) for each member of the frame. For the sake of breakty, only one cycle of the procedure is presented. The computations are given for a value of $\lambda_z = 2.20$; this corresponds to a circular vibration frequency $\omega = \frac{(2.20)^2}{L^2} \sqrt{\frac{EI}{m}}$.

The & values of the various members are recorded also on the diagram in Fig. 32b. The numbers without parentheses above these values give

the stiffness of the various members, while the parenthesized numbers below the α values give the product of the stiffness and the carry-over factor of the members. These quantities are expressed in terms of the $\frac{EI}{L}$ of the member to which they refer, and they are obtained directly from Table I in Appendix A.

On the diagram in Fig. 32c, the number in parenthesis opposite each joint represents the total stiffness of the members framing into that joint. These stiffnesses are expressed in terms of the $\frac{RI}{L}$ of the reference member (2). Thus, the total stiffness of the members connecting at joint 4 is $\overline{K}_4 = 3.7675 \text{xl.}.00 + 0.91884 \text{xl.}.1667 + 3.9430 \text{x0.}83333 + 0.54510 \text{xl.}.3333 = 8.8521$. The parenthesized number at the middle of each member represents the product of the stiffness and the carry-over factor for that member; these values are also expressed in terms of the $\frac{RI}{L}$ of the reference member (2).

The rotations of the joints are expressed in terms of θ_1 and θ_2 . The frame is assumed to be cut at joint 5 (and joint 5'). First, consider that

$$\theta_1 = 1.00$$
 and $\theta_2 = 0$.

Applying Eq. (30) to joints 1 and 2, one obtains

$$\theta_3' = -\frac{2.5661 \times 1.00}{1.4262} = -1.7993$$

$$\theta_{L}^{1} = -\frac{3.7675 \pm 0}{2.1764} = 0.$$

As usual, these values are recorded on the diagram as they are computed. Applying Eq. (31) successively to joints 3, 4, and 6, one obtains

$$\theta_{53}^{!} = -\frac{6.0003(-1.7993) + 1.4262(1.00) + 5.3324(0)}{1.2285} = 7.6273$$

$$\theta_6' = -\frac{0 + 5.3324(-1.7993) + 0}{1.7024} = 5.6359$$

$$\theta_{56}^{1} = -\frac{5.3103(5.6359) + 0}{3.5544} = -8.4201$$

The unbalanced exciting moment at joint 5 is computed as

$$\overline{M}_{5}^{1} = 1.2285(-1.7993) + 2.3621(7.6273) + 1.0522(-8.4201) + 3.5544(5.3103) = 26.979$$

Next, consider that and an arrangement

$$\theta_1 = 0$$
 and $\theta_2 = 1.00$.

The rotations θ are computed in the same manner and the results are recorded on the diagram above the values of θ .

The total slope at a joint, say at joint 6, is

$$\theta_6 = 5.63590_1 + 7.72290_2$$
.

The total discontinuity of slope and the total exciting moment at joint 5 are

$$e_{56} - e_{53} = -16.047e_1 - 18.223e_2$$
,
$$\overline{M}_5 = 26.979e_1 + 33.931e_2$$

The value of the determinant of the coefficients of θ_1 and θ_2 is

$$\Delta_{5}(\theta_{i},\theta_{2}) = \begin{vmatrix} -16.047 & -18.223 \\ 26.979 & 33.931 \end{vmatrix} = -52.85$$

Since this is different from zero, the assumed value of λ_2 = 2.20 does not correspond to a natural frequency. Repeating this procedure for several values of λ_2 and evaluating, in each case, the resulting determinant, the curve given in Fig. 33 was obtained. The values of λ_2 corresponding to the natural frequencies of the frame are recorded on the figure.

The next step in the solution is the determination of the natural frequencies for which θ_1 and θ_2 are simultaneously equal to zero. θ_1 and θ_2 can be equal to zero only when bars (1) and (2) are stationary as shown in Fig. 34s.

$$M_{31} = M_{42} = 0$$
 and $\theta_3 = \theta_4 = 0$

Under this condition, bars (3) and (4) can vibrate freely only at frequencies equal to the natural frequencies of these bars for the condition of fixed ends. For bar (3), these natural frequencies are represented by values of

$$\lambda_3 = 4.730, 7.853, 10.996, \dots$$
 (38a)

The equivalent values of λ_2 are

$$\lambda_2 = 2.756, 4.576, 6.408, \dots$$
 (38b)

For ber (4), natural frequencies corresponding only to symmetrical modes must be considered; these are given by values of

$$\lambda_4 = 4.730, 10.996, \dots$$
 (39a)

which are equivalent to

$$\lambda_2 = 3.535, 8.218, \dots$$
 (39b)

It is now necessary to ascertain whether or not these frequencies are natural frequencies of the portion of the frame composed of bars (5), (6), (7), and (8). To do this, it is necessary to carry out one cycle of the basic procedure for each frequency to be investigated. For the purpose of illustration, three different frequencies will be considered in detail.

(a) $\lambda_2 = 2.756$ ($\lambda_3 = 4.730$). Since none of the values given in Eq. (39b) is equal to 2.756, bar (4) must be stationary; this means that

$$M_{AA} = 0$$
 .

The condition of equilibrium at joints 3 and 4 requires that

$$M_{34} = -M_{35}$$
 and $M_{46} = -M_{43}$.

Since, for the λ value considered, the deflection of bar (3) is symmetrical about its mideran,

$$-M_{43} = +M_{34} = -M_{35}$$

The joint rotations of the frame may now be expressed in terms of M_{35} , which, for convenience, may be taken equal to 1.00 $\frac{R_2I_2}{I_2}$. Starting from joint 3 and considering that $\hat{\theta}_3 = 0$, one may determine the rotations of joints 5, 6, and 4 in the usual manner. If $\lambda_2 = 2.756$ is a natural frequency, the computed value of θ_4 must be equal to zero and M_{46} must be equal to $\frac{R_2I_2}{I_2}$.

The data necessary in carrying out these computations are assembled in the following table and in Figs. 34b and 34c.

Member	2	5	7	8	6
λ_j/λ_z	1.00	0,7282	1.687	1.255	0.7093
λj	2.756	2,61	4.65	3.49	1.95

In Fig. 34b the stiffnesses are expressed in terms of the $\frac{RI}{L}$ of the member to which they refer, while in Fig. 34c they are expressed in terms of $\frac{R_2I_2}{L_2}$. The rotation θ_5 is computed by application of Eq. (30) to joint 3, while θ_6 and θ_4 are computed by use of Eq. (31). Since the computed value of θ_4 -is different from zero, $\lambda_2 = 2.756$ does not represent a natural frequency of the frame. If θ_4 were found to be equal to zero, it would have been necessary to investigate also if M_{46} were equal to -1.00 $\frac{R_2I_2}{L_2}$.

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(b) $\lambda_2 = 4.576$ ($\lambda_3 = 7.853$). In this case also, ber (4) is stationary, but M₄₆ is equal to +M₃₅ instead of -M₃₅. In all other respects, the details of the analysis are similar to those of the previous case. The pertinent computations are given in the following table and in Figs. 34d and 34e.

Meaber	2	5	7	8	6
31/2	1.00	0.7282	1.687	1.265	0.7093
73	4+576	3.33	7.72	5.79	3.25

Since the computed value of θ_4 is different from zero, $\lambda_2 = 4.576$ does not correspond to a natural frequency.

(c) $\lambda_z = 3.535$ ($\lambda_4 = 4.730$). Since none of the values given in Eq. (38b) assessqual to 3.535, bar (3) in Fig. 34a must be stationary in this case. This means that bars (5) and (7) are stationary also and that joints 4 and 6 remain fixed against rotation. It follows that, if $\lambda_z = 3.535$ is a natural frequency, each of the members composing panel 4-6-6'-4' must be capable of vibrating freely with the ends fixed. For bar (6) this is possible for values of

$$\lambda_{c} = 4.730, 7.853, \dots$$
 (40a)

while for bar (8) it is possible for values of

$$\lambda_{n} = 4.730, 10.996, \dots$$
 (41a)

The corresponding λ_2 values are, respectively

$$\lambda_2 = 6.669, 11.071, \dots$$
 (40b)

$$\lambda_{r} = 3.739, 8.692, \dots$$
 (41b)

Since these are different from 3.535, $\lambda_r = 3.535$ does not correspond to a natural frequency. It is worth noting also that the λ_r values given in Eqs. (40b), (41b), and (39b) are different. It is, therefore, concluded that, within the range of the frequencies considered, the panel formed by the members (4), (6), and (8) cannot vibrate freely while the rest of the frame remains stationary.

The concluding step in the solution of the problem under consideration consists of investigating if there are any natural frequencies for which the bars meeting at joint 6 are stationary.

When bars (5) and (7) are stationary $M_{35} = M_{65} \neq 0$ and joints 3 and 6 remain fixed against rotation as shown in Fig. 35%. Excluding the trivial case of no vibration, this condition can occur only at frequencies equal to

the natural frequencies of bar (8), assuming that it is fixed at the ends, and of bar (1), assuming that joint 3 is fixed. For bar (8) the first two of these natural frequencies are represented by the λ values given in Eq. (41). For bar (1) the first two natural frequencies are given by values of

$$\lambda_i = 3.927, 7.069$$
 (42a)

which sre equivalent to

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$$\lambda_2 = 4.225, 7.606$$
 (42b)

It remains now to investigate whether these values represent natural frequencies of the frame shown in Fig. 35a. Only two frequencies will be considered in detail; the others may be handled in a similar manner.

(a) $\lambda_2 = 3.739$ ($\lambda_8 = 4.730$). Since none of the values given in Eq. (42b) are equal to 3.739, bar (1) cannot vibrate freely in this case; consequently, both bars (1) and (3) must remain still and joint 4 must remain fixed against rotation as shown in Fig. 35b. If $\lambda_2 = 3.739$ represents a natural fr. mency, each member of the frame in this figure must be capable of vibrating at the same frequency. It has already been shown that this condition is not possible for panel 4-6-6'-4'. It remains, therefore, to ascertain whether panel 2-4-4'-2' can vibrate freely. The first two natural frequencies of bars (4) and (2) are represented respectively by values of

$$\lambda_z = 3.535, 8.218$$

$$\lambda_2 = 3.927, 7.069$$

Since the λ_2 values for the two bars are unequal, it is concluded also that panel 2-4-4-2 cannot vibrate freely while the rest of the frame remains still.

(b) $\lambda_2 = 4.225$ ($\lambda_1 = 3.927$). In this case, bar (8) cannot vibrate freely; therefore, bars (8) and (6) in Fig. 35a are stationary, and the rotation of joint 4 is zero as shown in Fig. 35c. This means that each member of

the frame shown in Fig. 35c must behave as if it were fixed at joints 3 and 4. The λ_2 values for which this condition can be realised are different for the different members; consequently, $\lambda_2 = 4.225$ does not correspond to a natural frequency.

In summary, it should be stated that for this particular problem and for the range of frequencies considered, the zero intercepts of the curve in Fig. 33 represent the complete set of natural frequencies of the frame.

22. Comments on Natural Modes of Partial Vibration.

The determination of the natural frequencies corresponding to modes of partial vibration is not as tedious as it might appear from the space devoted to its discussion in the preceding sections. Furthermore, it should be noted that, for most practical applications, it may be entirely unnecessary to calculate these natural frequencies. As already explained, the procedure for determining these natural frequencies consists of (a) computing a number of frequencies, and (b) establishing whether or not these frequencies are natural frequencies of the frame. In most actual problems, one is interested in determining natural frequencies comprised within specified ranges of frequencies. Therefore, if the values calculated in the first step of this procedure are found to lie outside the ranges of interest, it will be superflucus to earry out the second step. The first step of the procedure can usually be carried out almost by inspection.

Natural modes of partial vibration correspond always to higher natural frequencies. Therefore, no consideration need be given to these modes, if only the fundamental natural frequency of a frame is to be determined. The fundamental natural frequency of a frame may be determined also by the moment distribution procedure described in Section 13.

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23. Need for Approximate Mathods of Analysis.

The method that has been described, even though simple bothoth principle and in the details of its application, may become time consuming when applied to structures comprising a very large number of members. For very complex structures, such as multi-story multi-bay building frames, it may be desirable to have a simpler, though less accurate, method of analysis.

Strictly speaking, the dynamic response of a member of a framework and, as a consequence, the natural frequencies of the structure depend on the properties of all the members in the structure. Intuition leads one to expect, however, that the importance of this influence diminishes rapidly as the distance from the member concerned increases. For example, the natural frequencies of a two-span beam may vary greatly, depending on whether the extreme ends are fixed or hinged; on the other hand, for a multiple-span beam the natural frequencies may be almost independent of the condition of restraint at the extreme ends. For example, for a uniform beam of two equal spans, the fundamental natural frequency for fixed ends is 56 percent higher than the corresponding natural frequency for hinged ends. For a uniform beam, of seven equal spans, the fundamental natural frequency for fixed ends is only 6 percent higher than for hinged ends. (The latter value was obtained from reference (16)). This condition indicates that it may be possible to determine the natural frequencies of complicated systems by considering only a portion of the structure instead of the entire structure.

It is believed that an investigation aimed at determining the possibilities of such an approximate procedure will be most rewarding. The procedure described herein will be of great value in such a study.

24. Effect of Axial Forces: Problems of Instability.

In the discussion thus far, the effect of permanent axial forces on the natural frequencies of flexural vibration has been omitted. This effect, which may be quite important when the magnitude of the external force on the structure is a sissable fraction of the critical buckling load, may be taken into account by use of modified stiffness and carry-over factors which include the influence of the axial thrust. It is assumed that the axial loads are independent of time and that they are applied at the ends of the members.

The modified stiffnesses and carry-over factors may be expressed conveniently in terms of the dimensionless parameter λ , which was used previously, and the ratio P/P_o, where P is the axial compressive or tensile force and P_o is the fundamental buckling load of the member assuming its ends to be simply supported.

Algebraic expressions for the dynamic flexural stiffness and the dynamic flexural carry-over factor are given in Appendix II. Humerical values of these two quantities and of their product have been computed for values of λ between zero and 4.75 at increments of 0.05 and for values of P/P₀ between -4.00 and 4.00 at increments of 0.1. It is expected that these results will be made available zero.

For the limiting case of $\lambda=0$, the values of stiffness and carryever factors are those for an axially leaded bar which does not vibrate. Detailed tabulations of these quantities have been presented previously by Jemes (26), by Lundquist and Kroll (27), and by Ru and Libove (28). It becomes apparent that the problem of elastic instability is a limiting case of the more general problem of the vibration of structures for which the members are subjected to axial forces.

The those slope equation has been applied to the investigation of

the instability of frameworks by Ghwelle and Jokish (29) and by Winter and his associates (30). The procedure described in this report has the adventage that it can be used to obtain solutions with considerably less effort.

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V. APPLICATION OF METHOD TO CONTINUOUS BRAMS ON FLEXIBLE SUPPORTS

25. General.

Thus far application of the method has been restricted to continuous beams on rigid supports and to continuous frames for which the joint do not translate. In this chapter, the method is extended to continuous beams on flexible supports. The flexibility of the supports is represented by a set of mutually independent deflectional and rotational springs. To start with, it is assumed that the stiffnesses of the restraints are independent of the vibration frequency. The assumptions made in the analysis are similar to those made in the case of continuous beams on rigid supports.

The continuous beam considered is shown in Fig. 36. As in the case of continuous beams on rigid supports, consecutive supports are numbered from left to right, starting with 1 at the extreme left end and terminating with 2 at the extreme right end.

26. Basic Relations.

Figure 37 shows the extreme deflected position of spans j-l and j of a continuous beam undergoing steady-state forced vibrations. The vibrations are assumed to be maintained by an exciting moment applied at the extreme right end of the beam.

The forces acting at the ends of each span and the deflections and rotations at the supports are indicated in their positive directions. In addition to the symbols used previously, the symbol \hat{S} is used to designate the deflection of the beam at a support; the stiffness of a deflectional spring is denoted by \underline{P} , while that of a rotational spring is denoted by \underline{P} .

Since the beam is continuous at the supports.

$$(\theta_j)_L = (\theta_j)_R = \theta_j$$
, and $(\delta_j)_L = (\delta_j)_R = \delta_j$. (43)

Also, since no external moment or force acts at the joint, and since the internal mements and forces must be in equilibrium,

$$\bar{M}_{j} = (M_{j})_{L} + (M_{j})_{R} + \bar{R}_{j}\theta_{j} = 0,$$
 (44)

$$F_j = (V_j)_L + (V_j)_R + D_j \delta_j = 0.$$
 (45)

The moments and shears acting at the ends of a span may be expressed in terms of the rotations and deflections of the ends of the span.

For example, the moment or shear at the left end of span j may be obtained by the addition of the following four component effects:

- (1) Moment or shear produced at the left end, when that end is rotated by 9, without deflection and the right end is held fixed.
- (2) Moment or shear produced at the left end, when that end is held fixed while the right end is rotated by ithout deflection.
- (3) Moment or shear produced at the left end, when that end is displaced by δ_1 without rotation and right end is held fixed.
- (4) Moment or shear produced at the left end, when that end is held fixed and the other end is deflected by δ_{j+1} without rotation.

The direct superposition of these effects is justified by the fact that, for a given frequency of vibration, the moments and shears are linear functions of the distortions. Thus,

$$(M_j)_R = K_j \theta_j + (k_j)_j \theta_{j+1} + Q_j \delta_j - (qQ)_j \delta_{j+1},$$
 (46a)

$$(V_j)_R = T_j \delta_j - (tT)_j \delta_{j+1} + Q_j \theta_j + (qQ)_j \theta_{j+1}$$
 (47a)

Similarly,

$$(M_j)_L = K_{j-1}\theta_j + (kK)_{j-1}\theta_{j-1} - Q_{j-1}\delta_j + (qQ)_{j-1}\delta_{j-1}$$
, (46b)

$$(V_j)_L = T_{j-1}\delta_j - (tT)_{j-1}\delta_{j-1} - Q_{j-1}\theta_j - (qQ)_{j-1}\theta_{j-1} . (47b)$$

Substituting Eqs. (46a) and (46b) in Eq. (44) and Eqs. (47a) and (47b) in Eq. (45), one obtains

$$\vec{P}_{ij} = (qQ)_{j-1}\delta_{j-1} + (kK)_{j-1}\theta_{j-1} + (Q_j - Q_{j-1})\delta_j
+ (K_{j-1}+R_j+K_j)\theta_j - (qQ)_j\delta_{j+1} + (kK)_j\theta_{j+1} = 0,$$
(48a)

$$\vec{F}_{j} = -(tT)_{j-1} \delta_{j-1} - (qQ)_{j-1} \theta_{j-1} + (T_{j-1} + D_{j} + T_{j}) \delta_{j}
+ (Q_{j} - Q_{j-1}) \theta_{j} - (tT)_{j} \delta_{j+1} + (qQ)_{j} \theta_{j+1} = 0.$$
(49)

Eliminating 0 1+1 from Eq. (49) by use of Eq. (48a), one obtains

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in which
$$\eta_{j} = \frac{(qQ)_{j}}{(kK)_{j}}$$
, (50)
$$\bar{K}_{j} = K_{j-1} + R_{j} + K_{j},$$

$$\bar{T}_{j} = T_{j-1} + D_{j} + T_{j},$$

$$\bar{Q}_{j} = Q_{j} - Q_{j-1}.$$

Equation (50) expresses the deflection at support j+1 in terms of the deflections and rotations at the two preceding supports. The rotation at support j+1 may be obtained in terms of the deflection δ_{j+1} and the distortions at supports j and j-1 from Eq. (48a), which may be rewritten as

$$-(qQ)_{j-1}\delta_{j-1}-(kK)_{j-1}\theta_{j-1}-\bar{Q}_{j}\delta_{j}-\bar{K}_{j}\theta_{j}+(qQ)_{j}\delta_{j+1}-(kK)_{j}\theta_{j+1}=0. \tag{48b}$$

Equation (50) assures equilibrium of shears, while Eq. (48) assures equilibrium of mements for support j. Of course, both equations satisfy the conditions of continuity. If support j is rigid, Eq. (50) is satisfied automatically, and need not be used. If $\delta_{j-1} = \delta_j = \delta_{j+1} = 0$, that is, when three consecutive supports are rigid, then Eq. (48) reduces to Eq. (19a).

The foregoing relations are applicable to intermediate supports only.

For the end supports the following specialised relations must be used. First,

the boundary conditions for the extreme left support are considered. Four

different cases must be distinguished:

Case I. Beth D and R are considered finite or zero in this case. Then, the equilibrium condition for moments at support 1 is

$$\vec{R}_1 = Q_1 \delta_1 + (R_1 + K_1) \theta_1 - (qQ)_1 \delta_2 + (kK)_1 \theta_2 = 0.$$
 (51a)

The corresponding condition for shears is

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$$\overline{F}_1 = (D_1 + T_1)\delta_1 + Q_1\theta_1 - (\pm T)_1\delta_2 + (QQ)_1\theta_2 = 0.$$
 (52a)

Eliminating 0 from Eq. (52), one obtains an equation similar to Eq. (50),

$$[\eta_{i}Q_{i}-(D_{i}+T_{i})]\delta_{i}+[\eta_{i}(R_{i}+K_{i})-Q_{i}]\theta_{i}-[\eta_{i}(qQ)_{i}-(tT)_{i}]\delta_{z}=0.$$
 (53)

From this equation, δ_2 may be determined in terms of θ_1 and δ_1 . With δ_2 determined, θ_2 also may be computed from Eq. (51a) in terms of θ_1 and δ_1 .

Case II. D₁ considered infinite (rigid deflectional support) and R₁ finite or zero. Then, the equilibrium condition for moments is expressed by the equation

$$\overline{M}_{l} = (R_{l} + K_{l})\theta_{l} - (qQ)_{l}\delta_{2} + (RK)_{l}\theta_{2} = 0.$$
 (51b)

He equilibrium equation for shears need be written, since at a rigid support this is satisfied automatically.

Case III. D₁ is considered finite or sere, but R₁ infinite (clamped end). In this case, it is necessary to write only one equilibrium equation for shears; this is

$$\overline{F}_{i} = (D_{i} + T_{i}) \delta_{i} - (tT)_{i} \delta_{k} + (qQ)_{i} \theta_{k} = 0.$$
 (52b)

Gase IV. Both D and R are considered infinite in this case (fixed end).

The relation between the moment or shear at the fixed end and the distortions at the second support are

$$M_1 = (\hbar K)_1 \theta_2 - (qQ)_1 \delta_2 , \qquad (54)$$

$$V_1 = (qQ), \theta_2 - (tT), \delta_2. \tag{55}$$

It should be noted that Mrs. (53), (51b), (52b), and (54) or (55) involve only three unknown quantities.

The conditions that must be matisfied at the right end of the beam are as follows:

For Case I.

$$M_z = (K_{z-1} + R_z)\theta_z + (\pi K)_{z-1}\theta_{z-1} - Q_{z-1}\delta_z + (qQ)_{z-1}\delta_{z-1} = 0, \quad (56)$$

$$\bar{F}_{z} = (T_{z-1} + D_{z}) \delta_{z} - (tT)_{z-1} \delta_{z-1} - Q_{z-1} \Theta_{z} - (qQ)_{z-1} \Theta_{z-1} = 0.$$
 (57)

For Case II.

$$\delta_z = 0 \,, \tag{58}$$

$$\overline{M}_{z} = (K_{z-1} + R_{z})\theta_{z} + (\pi K)_{z-1}\theta_{z-1} + (qQ)_{z-1}\delta_{z-1} = 0.$$
 (59)

For Case III.

$$\theta_z = 0$$
, (60)

$$\vec{F}_z = (T_{z-1} + D_z) \delta_z - (tT)_{z-1} \delta_{z-1} - (qQ)_{z-1} \theta_{z-1} = 0.$$
 (61)

For Case IV.

$$\theta_z = 0 , \qquad (62)$$

$$\delta_z = 0. (63)$$

27. Outline of Procedure.

The rotation and deflection of the beam at support j may be written

$$\theta_{j} = \theta_{j}u + \theta_{j}'v ,$$

$$\delta_{j} = \delta_{j}u + \delta_{j}'v ,$$
(64a)

where \underline{u} and \underline{v} are dimensionless parameters which represent two of the three unknowns in the equations expressing the boundary conditions for the left end of the beam. θ_j and δ_j^t are, respectively, the rotation and deflection at support \underline{j} when $\underline{u}=1.00$ and $\underline{v}=0$, and θ_j^t and δ_j^t are the corresponding rotation and deflection when $\underline{u}=0$ and $\underline{v}=1.00$. Since the natural frequencies of a system depend on the relative values of the deflection, any arbitrary amplitude consistent with the actual boundary condition may be chosen for either \underline{u} or \underline{v} . For convenience, the following values are selected:

Rer Case I:
$$u = \theta_1 = 1.00$$
 and $v = \frac{\delta_1}{L_r}$
For Case II: $u = \theta_1 = 1.00$ and $v = \theta_2$
For Case III: $u = \frac{\delta_1}{L_r} = 1.00$ and $v = \theta_2$
For Case IV: $u = M_1 = \frac{L_r}{L_r} = 1.00$ and $v = \theta_2$

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The details of the procedure are:

- 1. For some reference span of the beam, say span r, assume a value of λ_r ; this is equivalent to assuming a frequency of vibration $\omega = \frac{\lambda_r^2}{L_r^2} \sqrt{\frac{E_r I_r}{m_r}}$
- 2. From Eq. (23) compute the λ values for the remaining spens of the beam.
- 3. From Table I in Appendix A and the λ values computed in the previous step, determine the stiffnesses and the product of the stiffnesses and the carry-over factors for each span.
- 4. Identify the parameters u and y.
- 5. Consider that u = 1.00 and v = 0. Progressing from support

tions at all supports. Denote these by θ and δ . If necessary, evaluate also the unbalanced moment or shear at the extreme right hand support. Denote this by \overline{M}_8 or \overline{F}_8 . The distortions of the second support are determined from the appropriate expressions given in Eqs. (51) through (55). The distortions of the remaining supports are evaluated by the repeated application to each support of Eqs. (50) and (48b).

- 6. Repeat the preceding step by considering that u=0 and v=1.00.

 Denote the resulting distortions by θ^n and δ^n . If necessary, determine also the magnitude of the umbalanced moment or shear at the extreme right hand end. Denote this by \overline{M}_8^n or \overline{F}_8^n .
- 7. The actual distortions at a support, say at support j, are

$$\begin{aligned}
\theta_j &= \theta_j' + \theta_j' V ,\\
\delta_j &= \delta_j' + \delta_j'' V .
\end{aligned} (64b)$$

Similarly the total unbalanced moment or shear at support z is

$$\vec{P}_z = \vec{P}_z' + \vec{P}_z'' V ,$$

$$\vec{F}_z = \vec{F}_z' + \vec{F}_z'' V .$$
(65)

- 8. From one of the two equations expressing the boundary conditions for the right end of the beam, determine the unknown parameter y.
- 9. Evaluate the second boundary equation.
- 10. Repeat steps 1 through 9 for different assumed values of λ_r and plot the value calculated in step (9) against the assumed values of λ_r . The values of λ_r for which the ordinates of the resulting curve are equal to zero represent the natural frequencies of the beam.

28. Effect of Various Intermediate Constraints.

The foregoing procedure can be modified readily to include concentrated rigid masses, concentrated sprung masses, intermediate rigid supports, flexible supports for which the stiffness depends on the frequency of vibration, and a continuous elastic subgrade of the Winkler type. For convenience, these effects are discussed separately.

Rigid Concentrated Masses. Assume that at station \underline{j} the beam has no deflectional support, instead it carries a concentrated mass \overline{m}_j as shown in Fig. 38a. Assume that the beam undergoes a steady-state forced vibration with a frequency ω . Then for a downward deflection δ_j , the force exerted on the beam by the mass is $\overline{m}_j \omega^i \delta_j$, downward. Had the beam been elastically supported against deflection at that point, the corresponding force would have been $D_j \delta_j$, upward. Thus, the effect of the concentrated mass is equivalent to that of a deflectional spring of stiffness

$$(D_j)_{eq} = -\bar{m}_j \, \omega^2 = -\lambda_r^4 \, \frac{\bar{m}_j}{m_r L_r} \, \frac{E_r I_r}{L_r^3} \, .$$
 (66a)

If the mass is applied at a point on the beam that is supported by a deflectional spring of stiffness D_j, as shown in Fig. 38b, the stiffness of the equivalent spring is

$$(D_j)_{eq.} = D_j - \overline{m}_j \omega^2 . ag{66b}$$

After the concentrated mass has been replaced by the equivalent deflectional spring, the natural frequencies of the system may be determined in the usual manner. It must be noted, however, that the stiffness of the equivalent spring is a function of the assumed frequency of vibration and must be evaluated for each cycle of the procedure.

Concentrated Sprung Masses. Assume that the mass m, is spring borne as shown in Fig. 38c. Let S, be the stiffness of the spring. The influence of the

flexible support may be taken into account by replacing the actual mass by an equivalent rigid mass of magnitude

$$(\overline{m}_j)_{eq} = \frac{\overline{m}_j}{1 - \frac{\overline{m}_j \, \omega^2}{S_j}} \qquad (67)$$

The amplification factor $\frac{1}{1-\frac{m_i\omega^i}{\delta_j}}$ is determined as follows: Let δ_j^* be the deflection of the mass while δ_j is, as before, the deflection of the elastic axis of the beam. The forces acting on the mass are the inertia force and the spring reaction; these must be in equilibrium; therefore,

$$\bar{m}_j \omega^2 \delta_j^* = S_j (\delta_j^* - \delta_j)$$
,

whence, the amplification factor is

$$\frac{\delta_j^{\sigma}}{\delta_j} = \frac{1}{1 - \frac{\overline{m}_j \, \omega^2}{S_i}}$$

It should be noted that, for vibration frequencies greater than the natural frequency of the spring borne mass, the amplification factor becomes negative, and Eq. (67) results in a negative equivalent mass.

Rigid Intermediate Supports. Consider the beam shown in Fig. 38d for which support 4 is rigid instead of flexible. Let the outer supports be flexible. The natural frequencies of this beam may be determined by a combination of the principles that have been described. As usual, the procedure may be initiated at support 1 by taking $\theta_1 = 1.00$. For the portion of the beam between supports 1 and 4 the distortions at the supports may be expressed as the sum of a constant term and a term involving $\frac{\delta_i}{L_r}$ as unknown. The magnitude of this unknown may be determined from the condition that $\delta_4 = 0$. For the portion of the beam between supports 4 and 7, θ_5 may be selected as the new unknown, and the distortions at the supports may be computed by the repeated application of Eqs. (50) and (48b). As usual, the value of θ_5 may be determined from one of the two equations describing the boundary condition

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for the right end of the beam. The natural frequencies are those frequencies for which the second boundary condition is satisfied identically.

In the application of this procedure, one must, in general, change temporary unknowns as many times as there are rigid intermediate supports.

Abrupt changes in the magnitude of the distributed mass or in the flexural rigidity within a span may be handled by assuming that the beam is supported by a flexible support of zero stiffness at the point of the discontinuity.

Supports Having Mass. Consider a construction consisting of a cross beam supported on a series of longitudinal girders as shown in Fig. 39a. For simplicity's sake, the connections between the beam and the girders are considered hinged. It is assumed that the mass of the supports cannot be neglected; consequently, the stiffnesses of the supports are functions of the frequency of vibration.

The natural frequencies of this system are the same as those of the cross beam assuming that it is supported on deflectional springs as shown in Fig. 39b. The stiffness of each spring is equal to the stiffness of the corresponding girder. The stiffness of each girder is, in turn, equal to the magnitude of a harmonically varying concentrated force which, when applied at the point of intersection of the girder and the beam, will deflect the girder by a unit amount. The magnitude of this force may be calculated in terms of the numerical values tabulated in Table I, Appendix A. As an example, consider a girder fixed at both ends. For the point of application of the force, the conditions of equilibrium and continuity are expressed by the equations

$$(Q_z - Q_I) w_x + (K_I + K_Z) \theta_x = 0 ,$$

$$(T_I - T_Z) w_x + (Q_z - Q_I) \theta_x = \overline{F}_x .$$

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where the subscripts 1 and 2 refer, respectively, to the portions of the girdsr to the left and the right of the concentrated force, and the subscript x refers to the point of application of the force. From the simultaneous solution of these equations one obtains

$$\frac{\bar{F}_{x}}{w_{x}} = D = T_{1} + T_{2} - \frac{(Q_{2} - Q_{1})^{2}}{K_{1} + K_{2}}. \tag{68a}$$

For a force at midspan, this equation reduces to

$$D = 2T_{i} ag{68b}$$

The stiffness of a girder with different boundary conditions may be determined in a similar manner.

With the expression for the effective stiffness of the deflectional spring available, the natural frequencies of the system may be determined in the usual manner. It is only necessary to evaluate the stiffness of the springs for each assumed frequency of vibration and to use this value in the calculations.

Continuous Klastic Subgrade. Consider that the beam is supported along a portion of its length on a continuous elastic subgrade of the Winkler type, as shown in Fig. 39c. Let d be the foundation modulus, defined as the force per unit length necessary to compress the foundation by unit amount. The mass of the foundation is assumed to be negligible.

The natural frequencies of such a system may be determined by the same procedure, except that the influence of the elastic foundation must be taken into account in evaluating the stiffnesses and the carry-over factors of the elastically supported spans.

A vibrating beam which is not supported by any foundation, is acted upon only by distributed inertia forces, the intensity of which is

The intensity of the reactive forces produced by the elastic foundation is dw. These forces act opposite to the inertia forces and, in effect, reduce the intensity of the latter to

mww-dw.

Now, the coefficients of dynamic stiffnesses and the carry-over factors depend solely on the dimensionless parameter $\lambda = 4\sqrt{\frac{m\omega^2}{EI}}$; therefore, the effect of the foundation can be taken into account by replacing in this expression the quantity $m\omega^2$ by the reduced value of $m\omega^2-d$.

If $m\omega^2-d$ is positive, λ is real, and the various stiffness and carry-over factors may be obtained directly from Table I in Appendix A. If, however, $m\omega^2-d$ is negative, λ is imaginary and the values of Table I can no longer be used. In this case, the expressions for dynamic stiffness and dynamic carry-over factors may be obtained from the expressions for static stiffness and static carry-over factors of a bar on elastic foundation. It is only necessary to replace in the latter expressions the quantity \underline{d} by the reduced value $d-m\omega^2$. These expressions may be obtained readily from solutions given by Hetényi (31).

consider now the case for which the foundation extends along the efficiency that the length of the beam as shown in Fig. 39d. The modulus of the foundation may differ from one span to the other. Let d be the foundation modulus for span j. In what follows, it is shown that, if the natural frequencies of the system without the subgrade are known, under certain conditions, the natural frequencies of the system with the subgrade may be computed directly.

Assume that the beam without subgrade and the beam with the subgrade are in a steady-state of vibration. Let ω be the circular vibration frequency of the beam without the subgrade and ω_s be the frequency of the beam with the subgrade. Then, for span \underline{r} the λ value of the beam without the

subgrade is

$$\lambda_r = \sqrt[4]{\frac{m_r \, \omega^2}{E_r \, I_r}} \, L_r \qquad (12)$$

and the value for the beam with the subgrade is

$$(\lambda_r)_s = \sqrt{\frac{m_r}{E_r I_r} (\omega^2 - \frac{d_r}{m_r})} L_r \qquad (69)$$

For any other span i, the values for the two cases are

$$\lambda_{j} = \sqrt[4]{\frac{m_{j} \omega^{2}}{E_{j} I_{j}}} L_{j}$$

$$(\lambda_{j})_{s} = \sqrt{\frac{m_{j}}{E_{j}}} \left(\omega^{2} - \frac{d_{j}}{m_{j}}\right) \quad L_{j}$$
and if
$$\frac{d_{r}}{m_{r}} = \frac{d_{j}}{m_{j}} = constant, \qquad (70)$$

$$\frac{(\lambda_{j})_{s}}{(\lambda_{r})_{s}} = \sqrt{\frac{m_{j}}{m_{r}}} \frac{E_{r}I_{r}}{E_{j}} \frac{L_{j}}{L_{r}} = \frac{\lambda_{j}}{\lambda_{r}}$$

Now, if λ_r and $(\lambda_r)_s$ are equal, the numerical calculations involved in carrying out a cycle of the procedure will be identical for the two systems. Therefore, if λ_r corresponds to a natural frequency of the beam without the subgrade, then $(\lambda_r)_s$ will correspond to a natural frequency of the beam with the subgrade. Equating Eqs. (12) and (69), one obtains the following relationship between the natural frequencies of the two systems.

$$(\omega_s)_N = \sqrt{\omega_N^2 + (ds/mj)} . \tag{71}$$

The subscript N designates natural frequencies. Equation (71) can be applied to beams having any number of spans and any boundary conditions, provided that the relationship given in Eq. (70) is satisfied.

29. Determination of Modes of Vibration.

After the distortions of the beam at the ends of a span have been

evaluated, the deflection configuration of the span may be determined by superimposing the following four component configurations:

- (1) Deflection configuration produced by the rotation of the left end of the span when that end is restrained against deflection and the right end is fixed.
- (2) Deflection configuration produced by the rotation of the right end of the span when that end is restrained against deflection and the left end is fixed.
- (3) Deflection configuration produced by the deflection of the left end of the span when that end is restrained against rotation and the right end is fixed, and
- (4) Deflection configuration produced by the deflection of the right end of the span when that end is restrained against rotation and the left end is fixed.

Effects (1) and (2) can be obtained readily by multiplying the end rotations by the appropriate values given in Table II, paying proper attention to signs. Rffects (3) and (4) may be calculated from Eq. (B-34) in Appendix B. These effects may also be expressed in terms of the quantities given in Table I as follows: Consider a clamped ended uniform beam, the left end of which is displaced by unit amount. The deflection amplitude at a point, a distance \underline{x} from the end being displaced, may be obtained by writing for the point the two equilibrium equations (see Eqs. 48a and 49),

$$\overline{M}_{x} = (Q_{z} - Q_{i}) w_{x} + (K_{i} + K_{z}) \theta_{x} + (qQ)_{i} = 0 ,$$

$$\overline{F}_{x} = (T_{i} + T_{z}) w_{x} + (Q_{z} - Q_{i}) \theta_{x} - (tT)_{i} = 0 .$$

The subscripts 1 and 2 denote, respectively, the left and the right portions of the beam. Eliminating from the first of the foregoing two equations the unknown θ_x , and solving for the deflection w_x , one obtains

$$W_{x} = \frac{(tT)_{i} + (qQ)_{i} \frac{Q_{z} - Q_{i}}{K_{i} + K_{z}}}{(T_{i} + T_{z}) - \frac{(Q_{z} - Q_{i})^{2}}{K_{i} + K_{z}}}$$
(72a)

The deflection at the same point of the beam due to a unit deflection at the right end may be obtained from Eq. (72a) by interchanging the subscripts 1 and 2. When $x = \frac{L}{2}$, this equation reduces to

$$w_x = \frac{(tT)_t}{2T_t} . \tag{72b}$$

Note that for $\lambda=0$ this equation yields $\frac{1}{2}$, which is, of course, the correct value for the static deflection at midspan.

30. Illustrative Example.

Example 7. In order to illustrate the details of the procedure and present a tabular scheme for arranging the computations, we shall calculate the first three natural frequencies of the hypothetical continuous beam shown in Fig. 40. The dimensions of this beam and the stiffnesses of the rotational and deflectional restraints are shown in Fig. 40. The various quantities are expressed in terms of the physical properties of a reference span \underline{r} . In this particular case, we choose $\underline{r} = 4$.

It is convenient to express the stiffnesses and the carry-over effects for each span in terms of the <u>EI</u> and <u>L</u> of the reference span <u>r</u>. To do this, the values obtained from Table I in Appendix A must be multiplied by certain dimensionless factors as follows: The coefficients of <u>K</u> and <u>kK</u> for a span <u>j</u> must be multiplied by the factor α_j (Eq. 24). The coefficients of <u>Q</u> and <u>oQ</u> must be multiplied by

$$\beta_{j} = \frac{E_{j}I_{j}}{E_{r}I_{r}} \frac{L_{r}^{2}}{L_{j}^{2}} , \qquad (73)$$

and the coefficients of T and tT by

$$\Upsilon_{j} = \frac{E_{j}I_{j}}{E_{r}I_{r}} \frac{L_{r}^{3}}{L_{j}^{3}} \qquad (74)$$

These relations may be verified readily.

For the beam considered, the ratio λ_j/λ_r and the factors α_j , β_j and λ_j are evaluated in Table 2A. This table is independent of the frequency of vibration and is computed but once.

Table 2B presents one complete cycle of the procedure for a trial value of $\lambda_i = \lambda_r = 1.30$. This value, shown encircled in the r-th line of Column (1), corresponds to a circular frequency of vibration $\omega = \frac{1.69}{L^2} \sqrt{\frac{EI}{m}}$. Columns (1) through (18) in this table are conveniently filled in the following order: (2), (9), (1), (3 and 8), (4 and 7), (10 and 12), (5), (6), (11), (13), (14), (15), (16), (17), and (18). It should be noted that all quantities in Columns (2) through (12) are expressed in terms of the EI and L of the reference span r. The value of -5.7122 in Column (9), which represents the stiffness of an equivalent deflectional spring having the same effect as the concentrated mass m_2 , is computed from Eq. (66a). The partial distortions δ^1 , θ^1 , and θ^2 are evaluated in Columns (19) through (22). The parameter g is determined from the condition that

$$\frac{\delta_s}{L} = -87.5781 + 3436.36 \ v = 0 \ ;$$

whence.

$$v = 0.0254857$$
.

The total distortions at supports 4 and 5 are given in Columns (23) and (24).

The magnitude of the exciting moment

$$\overline{M}_5 = [4.473(2.327) + 2.021(-1.177) + 6.089(0.3438)] \frac{EI}{L} = 10.12 \frac{EI}{L}$$

Under the action of this moment the distortions at the extreme left support are

$$\theta_1 = 1.00$$
 and $\delta_1 = 0.0254857L.$

Had δ_i/L , instead of θ_1 , been taken equal to unity, the magnitude of the exciting moment would have been

$$\overline{M}_5 = \frac{10.12}{0.0254857} \frac{ET}{L} = 397.1 \frac{ET}{L}$$

Since \overline{M}_5 is different from zero, the assumed value of $\lambda_4=1.30$ does not correspond to a natural frequency. By repeating several such cycles of computation for different values of λ_4 , the curves shown in Fig. 41 were obtained. The solid curve in this figure shows the moment \overline{M}_5 necessary to produce a rotation $\theta_1=1.00$, while the dashed curve shows the moment \overline{M}_5 necessary to produce a deflection $\delta_1=1.00$ L. The λ intercepts of these curves correspond to natural frequencies of vibration. The first three critical values are

$$(\lambda_4)_1 = 0.85$$
, $(\lambda_4)_2 = 2.01$, $(\lambda_4)_3 = 2.55$.

It should be noted that the distortions δ and θ are obtained as small differences between large quantities. It becomes necessary, therefore, to use in the computations a relatively large number of significal figures, particularly if the higher natural frequencies of the beam are to be evaluated. It is recommended that at least 6 or 7 significant figures be retained throughout the computations.

TABLE 2. CALCULATIONS FOR EXAMPLE ?

						TABLIS A				
	(0.)	(2)	(3)	(4)	(5)	(9)	(1)	(8)	(6)	(01)
Span	E	E L	* \		(4)	(11)	$\alpha_{j} = \frac{2}{4}$	$\beta_3 = \frac{(2)}{(5)}$	χ _j = (2)	$\chi_{j} = \frac{(2)}{(6)} \left \frac{\lambda_{j}}{\lambda_{r}} = (3)(4) \right $
p= -{	0970	1.00	0.580712	2,30	1.69	2.8561	3062692.0	0917198-0	0.3501278	1.14415
03	1,30	7.50	1507×°C	ಾಳಿ	0.36	0.1296	2.500000	7.99991.4	17.5.707	0.57891.
₹°`,	1.30	1.50	6.964377	0.70	6700	0.2701	2.17.2857	3.061.224	6.25.3377	0.67540
477	ਨ ੰ	1•ීහ	1,00	1,98	දි	1,000	1.0000000	1,000000	3,000000	1.0000

TABLE ! - CALCULATIONS FOR EXAMPLE 7 - CONTINUED

TABLE B

Spen	9	(^	6	•	යා	(9)	Œ	(8)	(6)	(10)	an	(12)	((3)
Support	ک	R LT	K; 44	9, 4,	.) <u>E, I,</u> .3); - (4);-1-0	$\vec{K}_j = \frac{L_F}{E_F L_F}$ -(3),-(13)+(3)	$\vec{K}_{j} = \frac{L_{r}}{E_{r} L_{r}} \left(qQ_{j} = \frac{L_{r}^{2}}{E_{r} L_{r}} \right) \left(qKK_{j} = \frac{L_{r}}{E_{r} L_{r}} \right)$ $(3)_{j\rightarrow} (3)_{j\rightarrow} (3)_{j} = \frac{L_{r}}{E_{r} L_{r}}$	(AK) E.L.	D; £, L	Ti Ell	$\vec{T}_{j} : \frac{L^{p}}{E_{p} I_{r}} $ (47) $\frac{L^{p}}{E_{r} I_{r}}$ -(40)	$(tT)_j \frac{l_s^2}{E_s L_r}$	η; -(1)/(8)
	1.49		3.240508	3.396416	396416	3.040508	3.641616	1.565839	3.00	3.557417	6.557417	4.426246	2.3256.64
	0.75	0.0	9.992462	9.992462 24.93091	11 53449	13.73297	25.04084	5.005655		137.52819	141.03561 139.36.002	139.36.00?	5.002510
	0.98		8.559177	01173.81	6.5981	18.551639	8.551639 18.42425	4. 294905	- 5.7122	13.57634	-5.7122 73.57634 205.39233	75 45119	4.289792
. ,	ír.		3.972666	5.849766	:.42133	12.531843	12.531843 6.088995 2.020530	2.020530	1.50	10. 93617	36.01251 12.36992	26698 21	3.013563
-	. † .	! - ! ; ;		and the same		4 4 7 2 6 6 6			8				

			/		′	
(54)	δj/L Θj (Ψ)j - ν(ZZ)j				-1.17	. 927
(62)	δj/L - (19); • ν(21);				0.3438	0
(22)	δ_{jn}/L δ_{jn}/L δ_{jn}/L $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$ $\delta_{jn}/(2D_{j-1})$	0	-1.397380	20.9649	1019.52	5535.33
(12)	(a) . (20). (b) . (a) . (a) . (a) . (a) . (b) . (a) . (c) .	1.00	0.3318151	3.85531	644.152	3436.36
(20)		1.00	0.1721161	- 0.886928	- 27.1605	-138.745
(14)	[(14);(19), 14); [-(1), 14); (19), (19); (19), (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (19); (0	0.9089410	0.7612935	-6.21754	-87.5781
	8 (St.	4.042929	-14.0929,1	3.58501	5.97965	
(12)	Coe. in Eq. io.	34,505 3.674764	47.16483 -14.0929	86.24248	50.18683	
, 8	in Eq. (40) in Eq. (50) Eq. (50) in Eq. (40, 8 (50) in Eq. (40) (50) in Eq. (40) (50) in Eq. (40) (50) in Eq. (40) (50) in Eq. (50) in Eq. (50) (50) (50) in Eq. (50) (50) in Eq. (50) (50) in Eq. (50) (50) in Eq. (50) (50) in Eq	1.34,1505	:	-233. 4615	31.36721 -123.44497 50.18683	
(15:	Coef. of 8; in Eq. (50)		2: 64347 11 47474 - 3: 3591	₹ 5140€	31.36721	
(4)	oef. o. (5.1 in Eq. (40)		7: 64347	24: 7800	136.9738	

Mg = [4.473 (2.327) + 2.021 (-1.177) + 6.089 (0.3438)

Fis - 10.12 EI

VI. APPLICATION OF METHOD TO FRAMES WITH SIDESWAY

31. Symmetrical, Single-Bay, Multi-Story Frames.

The method described in the preceding Chapter can also be used to determine the natural frequencies of lateral vibration of frames for which the joints are free to translate. Though this method can be applied to frames of any complexity, it can efficiently be used only for symmetrical, single-bay, multi-story frames. For such frames, the details of application of the procedure are similar to those for a continuous beam on flexible supports.

Consider the symmetrical frame shown in Fig. 42a. Because of symmetry, the end rotations of each girder are algebraically equal, and the midpoints of the girders are points of inflection. Consequently, it is possible to consider in the analysis only one half of the structure as shown in Fig. 42b. In this figure, the right ends of the girders can rotate and slide freely in the horisontal direction but can not deflect in the vertical direction. The influence of these horizontal members may be represented by a set of concentrated masses and concentrated rotational springs, attached at the points of intersection of the horizontal members and the main column as shown in Fig. 42c. The magnitude of each concentrated mass in Fig. 42c is equal to the total distributed mass of the corresponding girder in Fig. 42b. Similarly, the stiffness of each rotational spring in Fig. 42c is equal to the flexural stiffness of the corresponding girder in Fig. 42b.

The natural frequencies of this system may be determined by the procedure described in Sections 27 and 28. It must be borne in mind, however, that the stiffnesses of the rotational restraints are not constant in this case, but rather depend on the frequency of vibration, and must be evaluated for each cycle of the procedure.

32. General.

This chapter is concerned with the determination of the natural frequencies of flexural vibration of rectangular plates which are simply supported along two opposite edges and which, in one direction, are continuous over rigid supports transverse to the simply supported edges. The plate may have any number of panels of arbitrary length. The mass per unit of area and the flexural rigidity of the plate may vary from one panel to the other, but, in any one panel, these quantities are assumed to remain constant.

The method of analysis is similar to that described in Chapter III for the case of continuous beams on rigid supports. The assumptions made in the analysis are those embodied in the ordinary flexure theory of medium thick plates composed of an elastic, homogeneous, and isotropic material. In addition, it is assumed that the supports can offer no torsional restraint and that no frictional forces or horizontal shearing forces may develop between the plate and the supports. Throughout this discussion the effects of damping, rotatory inertia, and shearing deformation are divregarded.

33. Basis of the Method.

Figure 43 shows the type of the continuous plate considered. The coordinate exes are taken parallel to the edges as shown in Fig. 43. The sides parallel to the y-axis are assumed to be simply supported. All transverse supports are considered to be rigid. Along the extreme edges the plate may be hinged, fixed or subjected to a rotational elastic restraint of constant stiffness. For simplicity, it will first be assumed that the extreme right edge is either hinged or elastically restrained against rotation. A fixed edge

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will be treated separately at the end.

For the plate shown in Fig. 43, the solution of the differential equation for transverse vibration of plates reveals that, during free vibration, the deflections, rotations, shears, and bending moments along sections perpendicular to the simply supported edges are proportional to

$$\sin\frac{n\pi x}{a}\cos\omega_{n}t \qquad (75)$$

In this expression, ω_N represents a circular natural frequency, \underline{t} time, and \underline{a} the width of the plate; \underline{n} is an integer which designates the number of half-sine waves, alternately upward and downward, in the distribution of the deflection, slope, shear, or bending moment along the plate width. Corresponding to each value of \underline{n} there is an infinite number of natural frequencies.

Consider now that the plate undergoes a steady-state forced vibration, such that the rotation of the plate at the extreme left support is

$$\theta_i(x,t) = \theta_i \sin \frac{n\pi x}{2} \cos \omega t$$

where ω is the circular frequency of vibration, \underline{n} is the same integer used in Eq. (75), and θ_1 is the maximum amplitude of slope at the left support. The magnitude of θ_1 is assumed to have a prescribed finite value. If support 1 is fixed instead of hinged or elastically restrained, θ_1 is equal to zero, and it becomes necessary to assume that the bending moment at that support is

$$M_{i}(x,t) = M_{i} \sin \frac{n\pi x}{2} \cos \omega t$$
.

M₁ is assumed to have a fixed value. In either case, the vibration of the plate is presumed to be maintained by an exciting couple applied at the extreme right hand support z. Then, the solution for steady-state forced with ration of the governing differential equation reveals (a) that the deflections, slopes, shears, and bending moments along sections perpendicular to the simply

The second secon

supported edges are proportional to, and in phase with, the rotation (or bending moment) at the extreme left edge, and (b) that the exciting moment may be expressed as

$$\overline{M}_z(x,t) = \overline{M}_z \sin \frac{n\pi x}{a} \cos \omega t$$
.

Obviously, the magnitude of \overline{M}_Z depends upon the frequency of vibration. For a frequency equal to a natural frequency of the plate $(w=w_N)$, \overline{M}_Z becomes equal to zero, but the deflection of the plate remains finite. The deflected surface of the plate, which represents a natural mode of vibration, is then expressed as

$$w(x,y,t) = Y_n \sin \frac{n\pi x}{a} \cos \omega t .$$

where, Yn is a function of the y-coordinate only; its absolute value depends on the value assigned to the amplitude of slope (or bending moment) at support 1.

In the discussion thus far, it was assumed that the extreme right support of the plate was either hinged or elastically restrained. If support z is fixed, the criterion for a natural frequency is that $\theta_z = 0$.

34. Details of the Method.

The foregoing considerations suggest the following procedure for calculating the natural vibration frequencies of continuous plates having two opposite edges simply supported.

1. Assume that the amplitude of slope or bending moment at the extreme left edge of the plate is distributed sinusoidally, and that it has a fixed value. Since the natural frequencies of a system depend only on the relative values of the deflection, any arbitrary amplitude, consistent with the actual boundary condition, may be chosen. For a

hinged edge or for a partially fixed edge, take $\theta_{1}(x) = 1.00 \sin \frac{n\pi x}{8}$

For a fixed end, $\Theta_1 = 0$; therefore, take $M_1(x) = 1.00 \sin \frac{m\pi x}{a}$

In the application of this procedure, it is necessary to consider a specific value of \underline{n} in each case. Let $n = n_0$.

- 2. Choose a frequency of vibration and determine the rotations of the plate over the supports, and from these determine the magnitude of the exciting moment at the extreme right edge. (For a fixed edge the moment at that edge need not be evaluated). These quantities are determined by identically the same procedure that was used for continuous beams. The pertinent relations are reviewed in subsequent paragraphs.
- 3. Repeat the previous step for different frequencies and, from the results obtained, plot a curve of the variation of the exciting moment or of the slope at the right edge as a function of the frequency of vibration. If the right edge is hinged or elastically restrained, plot the variation of the exciting moment; then, the natural frequencies are those frequencies for which the exciting moment vanishes. If the right end is fixed, establish the variation of the rotation θ; the frequencies for which θ vanishes are natural frequencies.
- 4. For the natural frequencies determined in step (3), the deflection of the plate along sections perpendicular to the hinged edges has no half-sine waves. In general, steps (1) to (3) must be repeated for as many values of n as may be necessary for a given problem.

For a given frequency of vibration, the rotations of the plate over the supports and the magnitude of the exciting moment may be determined from the same equations that were used to analyze continuous beams on rigid supports, namely from Eqs. (19), (21), and (22). Equation (19) expresses the condition of equilibrium and continuity at an interior support of a continuous beam, by relating the rotations of the beam over three consecutive supports. Equations (21) and (22) express, respectively, the boundary conditions for the extreme left and the extreme right ends of the beam.

In the application of these equations to continuous plates, it is only necessary to interpret θ_j as the maximum amplitude of slope along the <u>j-th</u> support, and M_j as the maximum amplitude of moment at that support. In addition, it is necessary to replace the stiffness and carry-over factors for beams by equivalent quantities for plates. Such quantities are defined in the section that follows.

35. Elastic Constants for a Panel of a Plate.

Consider a rectangular plate simply supported on three edges and fixed on the fourth as shown in Fig. 44. Let edge <u>f</u> be subjected to a steady-state rotation without deflection, such that the magnitude of the rotation is given by the relation

$$\theta_f(x,t) = \theta_f \sin \frac{n\pi x}{a} \cos \omega t$$

The amplitude of the moment at edge \underline{f} necessary to produce this rotation is proportional to $\sin\frac{m\pi x}{a}$ and may be written as

$$M_{f} = K\Theta_{f} (76)$$

The quantity \underline{K} is a measure of the resistance to steady-state forced rotation of edge \underline{f} of the plate, when edge \underline{g} is fixed, and is referred to as

the "dynamic flexural stiffness" of edge f.

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The amplitude of the moment induced at the fixed edge is also proportional to $\sin\frac{n\pi x}{a}$, and may be expressed as

$$M_{g} = kKR_{f} = kM_{f} . (77)$$

The quantity \underline{k} , which represents the ratio of the moment at the far fixed edge to that at the edge being rotated, is defined as the "dynamic flexural carry-over factor".

These quantities are strictly analogous to those defined for beams, and they are used in the analysis of plates in identically the same way as the quantities for beams are used in the analysis of continuous beams.

The quantity K may be expressed as

$$K = C_{K} \frac{N}{b} , \qquad (78)$$

where \underline{N} is the flexural rigidity of the plate per unit width and \underline{b} is its span length in a direction parallel to the simply supported edges. The coefficient C_K is dimensionless and depends on the ratio $\frac{a}{nb}$ and the dimensionless parameter

$$\lambda^* = \frac{b^2}{\pi^2} \sqrt{\frac{\rho h w^2}{N}} \tag{79}$$

where ρ denotes the density and \underline{h} the thickness of the plate. The carry-over factor \underline{k} is dimensionless and depends on the same two quantities as the coefficient $C_{\mathbf{v}}$.

The pertinent analytical expressions for $\underline{\underline{K}}$ and $\underline{\underline{k}}$ are given in Appendix B. For $\lambda^{\pm} = 0$, that is, when the plate does not vibrate, the values of $\underline{\underline{K}}$ and $\underline{\underline{k}}$ reduce to those given by Newmark (15).

Assume now that the plate is not vibrating but is instead subjected along its simply supported edges to uniformly distributed compressive forces px. Let

$$R' = \frac{b^2 P_x}{\pi^2 N} \qquad (80)$$

Then, it can be shown that the values of $\underline{\underline{K}}$ and $\underline{\underline{k}}$ of a vibrating plate for given values of $\underline{\underline{\underline{k}}}$ and λ^{\dagger} are numerically equal to the stiffness and carryover factor of an equivalent compressed plate having the same $\underline{\underline{\underline{k}}}$ value but a value of

$$\mathcal{R}_{eq} = (\lambda^{e})^{2} \left(\frac{a}{nb}\right)^{2}. \tag{81}$$

Numerical values of \underline{K} and \underline{k} for compressed plates have been tabulated by W. D. Kroll $(32)^+$ as a function of $\frac{a}{nb}$ and \underline{k}^* . It should be noted that Kroll defines stiffness as the moment necessary to produce a maximum rotation amplitude of 1/4 radian instead of one radian. Consequently, the stiffness values obtained from Kroll's tables must be multiplied by 4 to make them conform to the definition given in this report.

As a simple illustration, we shall determine the dynamic flexural stiffness and dynamic flexural carry-over factor for a rectangular plate having a ratio of sides a/b=0.5 when n=1 and $\lambda^6=4.00$. The equivalent value of \underline{k}^1 ,

$$k_{eq.}^{\dagger} = (16)(\hat{v}_{\bullet}.25) * 4.00$$
.

From page 14 of reference (32) we find

$$\frac{K}{L} = 2.54385 \frac{N}{b}$$
 and $k = 0.126499$,

whence

$$K = 10.1754 \frac{N}{b}$$
 and $k = 0.126499$.

See Section 2c of Appendix B.

Kroll uses the symbols $\hat{\lambda}$ for $\frac{a}{nb}$, \underline{k} for \underline{k}^{\dagger} , \underline{S} for \underline{K} , and \underline{C} for \underline{k} .

36. Illustrative Example.

Example 8. This example involves a rectangular plate simply supported along two opposite edges and continuous over five equally spaced rigid supports as shown by the sketch in Fig. 45. The plate is simply supported at the extreme left edge and fixed at the extreme right edge.

All penels are square. It is desired to calculate the first few natural frequencies of this structure.

The plate is analyzed in identically the same manner as the continuous beam considered in Example 1. In fact the expression for θ_5 is the same as that for the beam:

$$\theta_5 = \frac{k^4 - 8k^2 + 8}{k^4}$$

The carry-over factor \underline{k} , which depends on the parameters $\frac{a}{nb}$ and λ^* , was determined from the numerical values reported in reference (32) as described in the preceding section. In Fig. 45 θ_5 has been plotted as a function of $(\lambda^*)^2 \left(\frac{a}{nb}\right)^2$ for values of n=1 and n=2. The values of $(\lambda^*)^2 \left(\frac{a}{nb}\right)^2$ corresponding to natural frequencies are recorded on the figure.

The lowest circular natural frequency for n = 1 is

$$w_{N} = \sqrt{4.11} \frac{\pi^{2}}{b^{2}} \sqrt{\frac{N}{\rho h}} = \frac{20.01}{b^{2}} \sqrt{\frac{N}{\rho h}}$$

The lowest frequency w_n for n = 2 is

$$\omega_{N} = 2\sqrt{6.29} \frac{\pi^{2}}{b^{2}} \sqrt{\frac{N}{\rho h}} = \frac{49.51}{b^{2}} \sqrt{\frac{N}{\rho h}}$$

For purposes of comparison, the corresponding circular natural frequencies of a square plate having (a) all four edges simply supported and (b) three edges simply supported and one fixed are given in the following. For edge condition (a):

when
$$n=1$$

$$\omega_N = \frac{19.74}{b^2} \sqrt{\frac{N}{\rho h}},$$
 when $n=2$
$$\omega_N = \frac{49.35}{b^2} \sqrt{\frac{N}{\rho h}}.$$
 When $n=1$
$$\omega_N = \frac{23.65}{b^2} \sqrt{\frac{N}{\rho h}},$$
 when $n=2$
$$\omega_N = \frac{51.68}{b^2} \sqrt{\frac{N}{\rho h}}.$$

These values have been obtained from reference (33).

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37. General.

A method has been presented in this report for the determination of the undamped natural frequencies and of the corresponding natural modes of flexural vibration of elastic atructures. The method has been applied to continuous beams on rigid or flexible supports, to continuous frames without sidesway, to symmetrical single-bay multi-story frames for which the joints are free to translate, and to continuous plates having two opposite edges simply supported.

The method is a generalization of Holzer's method for calculating the natural frequencies of toraional vibration of shafts and, like Holzer's method, it has been reduced to a routine scheme of computation which, when repeated a sufficient number of times, will give the natural frequencies of the system to any desired degree of accuracy. The method is based on the fact that the exciting couple necessary to maintain a dynamical system in a steady-state of forced vibration with finite amplitudes becomes equal to zero at any one of the natural frequencies of the system.

Extensive tables of numerical values for the various quantities entering in the analysis are presented in Appendix A of this report. With these tables the calculations required in the application of the method to particular problems are simplified greatly. The tabulated values may be used also with other analytical techniques as well as for the analysis of the ateady-state forced vibration of structures.

APPRINDTY A

TABLE I

NUMERICAL VALUES OF DINAMIC CARRY-OVER FACTORS, OF COEFFICIENTS FOR DYNAMIC STIFFNESSES, AND OF THEIR PRODUCTS FOR A UNIFORM BAR UNDERGOING STEADY-STATE FORCED VIBRATIONS

The various quantities are defined in Fig. 2, and are tabulated here as a function of the dimensionless parameter

 $\lambda = 4 \frac{m \omega^2}{EI} L$

in which m is the mass per unit of length of the bar; wis the circular frequency of wibration; E is the modulus of elasticity of the material in the bar; I is the moment of inertia of the cross section of the bar about its centroidal axis; and I is the span length of the bar.

ct.	1,000004 1,000004 1,000067 1,000038	1,002609 1,008824 1,005428 1,007461 1,010082	1.013220 1.014058 1.015416 1.015410	1.017296 1.018189 1.019118 1.020082
tr <u>L</u> 3	12,00000 12,00001 12,00021 12,00126 12,00329	12,00804 12,01177 12,01667 12,02296 12,03085	12.0%293 12.0%293 12.0%2% 12.0%76% 12.0%0018	12.05272 12.05541 12.05820 12.06109
T 17	12,00000 11,999% 11,999% 11,99699	11.97678 11.95601 11.95186 11.91080	11.882% 11.8760% 11.86989 11.862%7 11.85527	11.84780 11.84004 11.82364 11.82364
Ď	1,000000 1,000001 1,000022 1,000118	1,000869 1,001272 1,001802 1,003848	1.004409 1.004469 1.004900 1.005161 1.00518	1,005713 1,006006 1,006809 1,006624 1,006624
90 ET	264000°9 152000°9 050000°9 800000°9	6.001985 6.002888 6.004013 6.005527 6.007436	6.009801 6.010334 6.010890 6.011667 6.012067	6.012690 6.01337 6.014009 6.014706 6.015428
0 III	6,00000 5,99995 5,999916 5,999576 5,99858	5,996726 5,995206 5,998210 5,990647 5,987419	5,983419 5,982516 5,981577 5,979586	5,978582 5,977487 5,976302 5,975124 5,978902
자 라고	8_00000 2_99998 2_999970 2_999846 2_999846	2.998809 2.998256 2.997530 2.996598 2.995922	2.993966 2.9938687 2.998295 2.992940 2.992570	2,992186 2,991787 2,991874 2,990844 2,990499
	0.5000000 0.5000008 0.5000048 0.5000241 0.5000762	0.5001861 0.5002724 0.5003859 0.5005817 0.5007153	0,5009480 0,5009944 0,5010478 0,5011084 0,5011612	0.5012212 0.5012836 0.5013483 0.5014154
전 12 12	2,000000 2,000001 2,000058 2,000058	2.00047 2.000554 2.000926 2.001276 2.001716	2.002262 2.002385 2.002513 2.002546 2.002785	2.002928 2.008078 2.008238 2.008398 2.008560
K L	3,000000 8,99999 8,99998 8,99998 8,99998	3,999405 3,999128 3,998766 8,998299 3,997712	3,596,385 3,596,321 3,596,380 3,596,280 3,596,288	3,99567 8,995837 8,595631 8,595476 3,195234
~	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	00000 00000 00000	5.00 5.00 5.00 5.00 5.00 5.00 5.00 5.00	0.80 0.82 0.83 0.63 0.63

-	222000							1.7%
	ب.	1.023202 1.023202 1.024321 1.024321	1.027221 1.029221 1.030558 1.031941	1.034856 1.036389 1.037974 1.039618	1.043059 1.044868 1.046737 1.050667	052718 1.057881 1.057088 1.059295	1.064085 1.06517 1.069077 1.071716 1.071716	1.077242 1.090188 1.096182 1.085846
	tr <u>L3</u>	12.06720 12.07043 12.07377 12.07722	12.08080 12.06450 12.0832 12.09228 12.09636 12.10058	12,10494 12,10944 12,11408 12,1281	12,12890 12,13915 12,13956 12,1318 12,13086	12.15 <i>67</i> 12.16285 12.16310 12.1758 12.1758	12,19594 12,20318 12,21051 12,21051	12.22588 12.23888 12.24209 12.25052
	T 113	11.80601 11.79672 11.78709	11.76681 11.78512 11.78372 11.78372 11.7837211	11.69723 11.68426 11.65710 11.65710	11,62821 11,59753 11,58149 11,58149	11.59729 11.53050 11.51250 11.57250 11.7797	11.45541 11.43530 11.41464 11.393842 11.37163	11.34925 11.32628 11.30270 11.27851
	ď	1,007290 1,007641 1,008005 1,00882	1,009176 1,009593 1,010025 1,010025 1,010033	1,011\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	1,014036 1,014613 1,015207 1,015819 1,016450	1.017101 1.017770 1.018160 1.019170	1,020653 1,021426 1,022222 1,023040 1,023882	1.024747 1.025636 1.026549 1.027488
	90 <u>L²</u>	6.016177 6.016958 6.017756 6.018588	6,020339 6,021260 6,022211 6,023198 6,02310	6,025259 6,026341 6,027459 6,028611 6,029799	6.031025 6.032288 6.030589 6.034929	6.037780 6.039192 6.010697 6.01284	6.015173 6.014155 6.014155 6.05066 6.05066	6.054358 6.056231 6.058256 6.060282
	4 II	5,972636 5,971821 5,9696,8 5,9696,8	5.965600 5.965600 5.962435 5.963773 5.959057	5,957284 5,953567 5,953567 5,91620 5,949612	5.947542 5.945409 5.94211 5.940948 5.938617	5.986217 5.933748 5.981207 5.928594 5.925907	5,923144 5,920305 5,917387 5,914390 5,911311	5,908150 5,904905 5,901574 5,898156 5,894649
	K" L	2,990038 2,989559 2,989064 2,988551	2,987472 2,986904 2,986318 2,985711 2,985085	2.984438 2.983770 2.983081 2.982870 2.981637	2.980881 2.980101 2.979298 2.978471 2.977619	2.976741 2.975838 2.974909 2.973953 2.972970	2,971958 2,969850 2,969850 2,967624	2.966465 2.965276 2.965054 2.962800 2.961518
	ĸ	0.5015572 0.5016319 0.5017093 0.5017095	0.5019588 0.502047 0.5021888 0.5022837 0.502883	0.5024228 0.5025373 0.5026451 0.5027563 0.5028710	0.5029898 0.5031112 0.5032869 0.5033663	0.5036870 0.5037783 0.5039287 0.5040734	0.5043856 0.5045483 0.5047156 0.5048475 0.5056641	0.5052456 0.5054819 0.5056282 0.5058196 0.505812
	H H	2,003788 2,003912 2,004097 2,004289	2,004698 2,004698 2,005125 2,005852 2,00586	2.005828 2.006078 2.006336 2.006602 2.006602	2.007159 2.007750 2.007750 2.006059 2.008378	2,006705 2,009048 2,009390 2,009747 2,010114	2.010492 2.010880 2.011278 2.011688 2.012109	2,012541 2,012985 2,018840 2,018908 2,014987
	K L	3,995(2) 3,994/85 3,994/88 3,994/88	3,993744 3,993461 3,993463 3,972867 8,992554	3,997222 3,991899 3,991556 3,991502 3,990886	3,99046) 3,990077; 3,989677; 8,989888	3,989400 3,987950 8,987948 8,987013 3,986524	3.985505 3.985505 3.984974 3.98428 3.98428	3,98223 3,982702 8,982096 8,961474 8,96086
	~	0.85 0.86 0.87 0.88	00000 00000 000000	0.97 0.97 0.98 0.98	85886	89686	0-264	27.00

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	1,092606 1,095964 1,099423 1,102987	1,1104.37 1,114.331 1,112.471 1,126.722 1,135.611	115936 1119959 1160251 1160251 1160251 1171116	1.162789 1.168787 1.2017 1.2080\5 1.214855 1.221871 1.223101	1.252144 1.252144 1.26308 1.269714 1.277367 1.286381
	12,26808 12,27718 12,28645 12,29602	12.31587 12.32617 12.33671 12.35855 12.35855 12.36952 12.88152	12.40555 12.41799 12.43071 12.43878 12.43878 12.43765 12.43459	12, 59822 12, 51838 12, 52825 12, 52845 12, 57485 12, 60782 12, 60782	12.67180 12.65948 12.67748 12.69580 12.71456
1 173	11,22628 11,20218 11,17536 11,17536	11,09101 11,06149 11,06214 11,0001 10,56862 10,90296 10,8698	10.83×20 10.79868 10.76225 10.68639 10.69839	10.56770 10.52617 10.8877 10.8877 10.39612 10.35091 10.25759	10.16034 10.05904 10.05904 9.958563 9.899238
ט	1,029442 1,030456 1,031502 1,032578	1.03×801 1.035×59 1.0371×7 1.039€1× 1.04209 1.04209 1.04356	1.047840 1.047840 1.047840 1.050808 1.052367 1.058364	1.05500 1.057775 1.058990 1.060747 1.06486 1.066189	1.07/261 1.07/261 1.07/877 1.080754 1.080022
8 기교	6.064495 6.06682 6.06924 6.071226 6.073584	6.076000 6.0781012 6.083610 6.083610 6.086271 6.091785	6,037562 6,10351 6,103610 6,105740 6,112513 6,11559	6.123478 6.127052 6.137704 6.134436 6.138249 6.145121 6.146121	6.154881 6.158546 6.167802 6.177804 6.177804
2.15 2.16 2.16 2.16 2.16 2.16 2.16 2.16 2.16	5,891052 5,887863 5,883581 5,879704 5,875730	5.871658 5.8627486 5.863218 5.85838 5.854354 5.849766 5.845070	5,835845 5,835813 5,825166 5,819501 5,809018 5,803886	5.797634 5.791756 5.773612 5.773843 5.773843 5.773840 5.778725	5.732886 5.732887 5.725587 5.718167 5.70687
X" K	2,960198 2,958888 2,95749 2,95754 2,954564	2,953067 2,953067 2,959360 2,948349 2,946698 2,94508 2,943277	2.937834 2.935934 2.935938 2.927863 2.927863	2.925755 2.928578 2.919678 2.918675 2.918877 2.911949 2.909468	2.901345 2.901700 2.896242 2.896242 2.89627 2.890552
F	0.5062280 0.5061402 0.506579 0.506811 0.5071100	0.5073447 0.5075452 0.5076817 0.5080842 0.5083430 0.5086080 0.5086080	0.5094328 0.5100314 0.510335 0.5106487 0.5105881	0.5116290 0.5119708 0.5128202 0.5126775 0.5130127 0.513716 0.5141874	0.5149928 0.5154006 0.5158388 0.5162670 0.5167100
12 12 14	2.014079 2.015804 2.015901 2.015482 2.016782	2.017588 2.018104 2.019288 2.019288 2.019901 2.020580 2.021173 2.021173	2.022505 2.023194 2.024621 2.025359 2.026113 2.026865	2,027674 2,028480 2,029304 2,031146 2,031885 2,032782 2,033639 2,034635	2.085591 2.086567 2.087567 2.089581 2.089618 2.040677
비교	5,980181 3,979510 8,978621 3,978421 8,977878	3,976.5:1 3,975.8!2 3,975.1!4 3,977.3!7 3,972.6.6 3,977.6.6; 8,977.81:1	3,96912;1 3,968186 3,96727 3,962247 3,965244 3,967219	3,563172 3,562101 3,5621006 3,553888 3,557579 3,553888 3,55378 3,55328	3,952660 8,951865 8,996694 8,997318 3,945918
رد	1,20 1,22 1,22 1,28	2,4,2,2, 8,5,6		3-30- NAP	5. 5. 5. 5. 5. 5. 5. 5. 5. 5. 5. 5. 5. 5

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4	1,295557 1,305074	325028	1.3574.38 1.3574.38 1.368956	1.30215	1. +05860 1. +19000 1. +32590 1. +46648 1. +66196	1.476256 1.491851 1.508005 1.524745 1.524745	1,56/095 1,578768 1,578760 1,618277	1,50924 1,683530 11,707053 1,731546 1,757061	1.7836.60 1.811407 1.8405.63 1.8706.23
대	12,77316	12 81429 12 83598	12 85696 12 87896 12 90139	2,94759	12,97136 12,99559 10,02029 10,04546	13,1286 13,1286 13,15099 13,17862 13,20676	18,23543 18,25462 18,25435 18,32462	15,38682 15,41876 13,45128 13,48439	13,55237 13,58726 13,62278 18,65891
티	9.843621	9.611005	9.545987 9.487693 9.424257	9,293745	9.22 6/87 9.158278 9.008687 9.017712 8.945481	8.871928 8.797035 8.720786 8.673167	8,483728 8,401879 8,318586 8,239832 8,177597	8.059848 7.970618 7.879827 7.693572	7.598065 7.500947 7.402197 7.301736
ď	1.085340 1.087711	1.092617	1,100402	1,100729	1,111630 1,117631 1,120783 1,120783	1,127147 1,130462 1,137315 1,14085	14481 148184 151970 155840	1.63842 1.67978 1.772207 1.76530	1,19092 1,194818 1,194818 1,19550
8 14년	6.181091 6.185 <i>37</i> 6 6.190 <i>7</i> 57	6.195736	6.205992 6.211278 6.216657 6.222147	6.227742	6,23346 6,23260 6,25122 6,257373	6.263641 6.270026 6.276530 6.283155 6.289902	6.22.6774 6.303772 6.310897 6.318151 6.325537	864496.6 824356.6 92436.6 92436.6	6,381065 6,381065 6,389567 6,398218 6,407018
4	5.695075 5.687060 5.678885	5.662049	5.653383 5.644549 5.635544 5.626366	5,617012	5.597770 5.597770 5.587877 5.567738	5,557076 5,546428 5,535545 5,524544 5,513303	5,501859 5,490210 5,478353 5,466286 5,454004	5,441507 5,428790 5,402689 5,80299	5.975678 5.961824 5.9847384 5.989405
- 1 22	2.887617 2.88%622 2.881565	2,878445	2,872014 2,868700 2,865320 2,861871	2,858355	2.854768 2.851110 2.84380 2.843577 2.839700	2,635747 2,631718 2,627611 2,628425 2,619159	2.811.812 2.810382 2.805868 2.801269 2.796588	2.791810 2.786947 2.781994 2.776949	2.76.577 2.761247 2.755019 2.750298 2.744665
¥	0.5176241	0.519680	0.5200010 0.5206031 0.5211358 0.5216793	0.5222338	0.527994 0.528368 0.528967 0.528568 0.5251767	0,5258007 0,526/369 0,5270956 0,5277%99 0,528/211	0.5291082 0.5298087 0.5396525 0.5312501 0.5319915	0.5327471 0.5335170 0.5343015 0.5351007 0.5859151	0.5375838 0.5375838 0.5384507 0.539327K
T YA	2.041758 2.042860 2.043985	2,045132	2.047195 2.048711 2.04952 2.051216	2,052505	2,053819 2,055158 2,05622 2,057912 2,057829	2,060772 2,062242 2,063740 2,065265 2,066818	2,068\00 2,07001 2,071651 2,078321 2,0783221	2,076751 2,078512 2,080305 2,082129 2,083986	2,085875 2,087797 2,089753 2,091748 2,092767
지 III	3,944480 3,943019 3,941526	3.94865£ 8.93845£	3,936877 3,935264 3,938628 3,931949	3,930242	3.928503 3.9285731 3.928925 3.923086	3,919303 3,917359 3,915379 3,913368	3,909220 3,907092 3,904926 3,902721	3,838193 3,835869 3,835304 3,091096	3,886159 3,883625 3,381048 3,878427 3,875461
~	1.55	1.58	3238	1.64	6368 6	51 171 17.3 17.3	5.25.55	8.5.5.5	88.22

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1,935388 1,96988 2,006289 2,004372 2,004855	2,126377 2,170587 2,217151 2,266259 2,318056	2,372904 2,430927 2,492444 2,557768 2,627253	2.701285 2.780322 2.864867 7.555500 3.052835	3,157785 3,271085 0,393811 0,527167	3,831637 4,006540 4,199576 4,413689 4,552514	1,920543 5,223427 5,568374 5,56730 6,424831
13,73308 13,77114 13,80286 13,88730	13,93005 13,97149 14,01364 15,05650 14,10009	14, 18948 14, 23530 14, 28189 14, 28189	14, 17741 14, 12636 14, 12670 14, 12670	14 (30.36 14 (59.34.7 14 70745 14 792.30 14 84.005	14.90470 14.9527 15.02076 15.08020 15.14059	15,20135 15,26423 15,32763 15,39198 15,45736
7,095942 6,990488 6,888283 6,77326 6,668596	6,551072 6,436734 6,320559 6,202527 5,082615	280808 280808 280208 280308 280308 280308	2.322.33 2.1187.33 2.153.33 2.153.33 2.153.33 2.153.33 2.153.33	4 503139 4 158869 4 158850 4 158850	2,805848 3,734442 8,57482 8,16688 3,254281	3.089486 2.922276 2.752623 2.580499 2.405877
1.209644 1.214812 1.225502 1.225502	1.236685 1.242870 1.248887 1.254441	1,275,78 1,273,58 1,20,09,4 1,38,638 1,29,3537	300953 30527 315625 1 323331 1 331150	1. 379150 1. 847859 1. 855761 1. 373167	1.382224 3.391486 1.406575 1.410712 1.420690	1.490924 1.441419 1.452185 1.453282 1.474567
6, 415971 6, 425078 6, 434342 6, 443764 6, 453347	5309 7300 8333 7375	3506 3506 4719 5851	6,570011 6,581701 6,595502 6,505528 6,517328	286239°9 269639°9 269639°9 240539°9 240539°9	6.7595841 6.70956 6.729510 6.737576 6.7375067	6.765686 6.781537 6.796621 6.811944 6.827507
5, 304016 5, 288950 5, 258062 5, 212238	5,205148 5,209788 5,193186 5,178273 5,159106	5,143651 5,123936 5,105925 5,087627 5,069037	2 03 03 03 03 03 03 03 03 03 03 03 03 03	# 951176 # 300040 # 400040 # 800000 # 800000	4,3014250 4,821373 4,7750151 4,775066	4 725994 4 704764 4 680271 4 655410 4 635410
2,738935 2,733101 2,727161 2,721114 2,711958	2,702312 2,695818 2,689209 2,682482	2,675635 2,660666 2,661574 2,553357 2,047011	2,639536 2,631930 2,624196 2,61633 2,508239	2,5001% 2,5001% 2,50010% 2,57% 2,57% 2,5603	2,557178 2,548180 2,538924 2,539557 2,529557	2_510388 2_500469 2_480084 2_480224 2_469836
0.5411306 0.5420572 0.5480009 0.5439619 0.54940?	0.5459374 0.5469528 0.5479858 0.5490381 0.5501096	0.555231!4 0.55231!4 0.5534523 0.5534523 0.555555	0. 5569584 0. 55845448 0. 5585590 0. 5585590 0. 5585590 0. 558590 0. 558590	5. 5602556 5. 5645656 5. 5639375 5. 56393134 5. 5689344	0.5701405 0.5715922 0.5730698 0.5745740 0.5745740	0.5776635 0.5792499 0.5608647 0.5825085 0.5841887
2.095826 2.097920 2.100050 2.102217 2.104420	2,106661 2,108939 2,111256 2,113611 2,116006	2,128451 2,125989 2,125989	2,312/0 2,33/3/5 2,196/34 2,198/17 2,198/17	2.145.94 2.140.00 2.1509.54 2.1509.54 2.157019	2.1601.9 2.160269 2.166468 2.169718 2.178019	2.17 <i>C373</i> 2.17 <i>9773</i> 2.163236 2.186751 2.190320
3,273050 3,870293 3,857490 3,864640 3,861742	3,858796 3,855801 3,649562 3,845517	300088 8.00088 8.00088 8.00088 8.00088 8.00088	3,628678 2,628678 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,639873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873 3,6399873	5. 808084 3. 804578 3. 796785 3. 796785	3,7867% 3,734637 3,736281 3,776221 3,771915	8.767544 3.763106 3.758595 3.754025 3.754025
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	3.373050 2.095826 0.5411306 2.738935 5.304016 6.415971 1.209644 7.095962 13.73308 3.870298 2.097920 0.5420572 2.733101 5.288950 6.425078 1.214812 6.990488 11.77114 3.85702 2.100050 0.549009 2.727161 5.258062 6.443764 1.225502 6.774326 13.84924 3.861742 2.104420 0.5449407 2.714358 5.242238 6.453047 1.231030 6.668596 113.88930	3.873050 2.095826 0.5411306 2.738935 5.804016 6.415971 1.209644 7.095962 13.77314 6.990481 13.77314 6.990481 13.77314 6.990481 13.77314 6.990481 13.77314 6.990481 13.77314 6.990481 13.873101 5.25802 6.425078 1.22097 6.990481 13.89224 13.89224 1.225502 6.774326 13.89324 1.225502 6.774326 13.89305 1.225502 6.774326 13.89305 1.225502 6.453934 1.225502 6.453934 1.231030 6.669596 13.89305 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.23683 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226685 6.453934 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.226885 1.22	3.873050 2.005826 0.5411306 2.738935 5.304016 6.415971 1.205644 7.09562 1.37714 3.870293 2.097920 0.5420572 2.727114 5.28050 6.42578 1.220077 6.88289 13.3079 3.870293 2.097920 0.5420079 2.727114 5.25062 6.44764 1.220077 6.88289 13.3079 3.86779 2.100050 0.549000 2.77114 5.25062 6.44764 1.220077 6.88289 13.3079 3.86776 2.100050 0.549967 2.77114 5.25078 6.45307 1.220077 6.88390 1.27414 3.86776 2.100661 0.549578 2.702312 5.20778 6.45307 1.28605 6.551072 13.38730 3.84577 2.116406 0.549586 2.702312 5.193166 6.550750 1.26035 6.551072 13.38930 3.64377 2.116406 0.551006 2.64528 5.159106 5.540375 1.216037 5.71637 3.64377 2.118441 0.	3.873050 2.095826 0.5411304 2.738935 5.304016 6.415971 1.20544 7.09592 13.77114 3.87790 2.095826 0.548097 2.77114 5.288950 6.425078 1.214812 6.990481 13.77114 3.85779 2.100050 0.548009 2.77114 5.258062 6.43342 1.225507 6.89361 1.477114 3.86779 2.100050 0.544367 2.77114 5.258062 6.43347 1.225507 6.89364 13.8930 3.86779 2.100250 0.544367 2.77112 5.20228 6.45399 1.23665 6.551072 13.8930 3.86579 2.10267 0.546398 2.776278 6.45399 1.24665 6.45399 1.24665 6.45399 1.24665 6.45397 1.24665 6.45397 1.24665 6.45397 1.24665 6.45397 1.24665 6.45397 1.24665 6.45397 1.24665 6.45397 1.24665 1.24665 1.24665 1.24665 1.24665 1.24665 1.24665 1.24665 <td< td=""><td>3.873050 2.09582 0.5411306 2.738101 5.804016 6.415971 1.20544 7.09592 13.77114 3.87709 2.100720 0.540077 2.773101 5.28850 5.47734 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77324 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77732 1.21412 1.21412 1.21412 6.77732 1.21412 6.77732 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.214112 1.21412 1.21412 1.21412</td><td> Common C</td></td<>	3.873050 2.09582 0.5411306 2.738101 5.804016 6.415971 1.20544 7.09592 13.77114 3.87709 2.100720 0.540077 2.773101 5.28850 5.47734 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77324 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77332 1.21412 6.77732 1.21412 1.21412 1.21412 6.77732 1.21412 6.77732 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.21412 1.214112 1.21412 1.21412 1.21412	Common C

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TABLE

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t)	6,965302 7,609098 8,88842 9,35250 10,57350	12,17099 14,84977 17,4978 22,44378 31,34554	52,10313 155,5623 -[54,516, -51,92700	-22, 15219 -17, 19557 -13, 04276 -11, 86096	-9.039214 -8.071619 -7.291200 -6.619852	5.648458 5.251777 1.306548 1.668400 1.385131	-4.096080 -8.661752 -8.58526 -8.513460 -3.854130
tr 173	15,52377 15,59123 15,72989 15,80011	15.87194 15.94498 16.01901 16.09429 16.17074	16.24849 16.32727 16.40737 16.57184	16,65525 16,74046 16,91489 17,(0414	17,09476 17,18682 17,28029 17,87521 17,47159	17.56947 17.66887 17.76980 17.87290 17.9768	18,18207 18,1859 18,2988 18,52143
H 173	2,22872, 848185, 847458, 817698, 817698, 817698,	1,304077 1,111161 0,4155105 0,7170960 0,5158866	0,3118507 0,1049565 0,1049284 0,3175345 0,5332(111	-0.775185 -0.775185 -1.198243 -1.426098 -1.657055	-1.891173 -2.128491 -2.86245 -2.612671 -2.860007	-3,110491 -3,364360 -3,621454 -3,862418	-1, VIVN82 -1, 605678 -5, 239579 -5, 521978
o'	1,486201 1,498144 1,519466 1,522999 1,535935	1,549224 1,562881 1,576318 1,591849	1,621\55 1,687161 1,658825 1,66965 1,687100	1,704750 1,722936 1,741680 1,761005 1,76005	1,801502 1,822727 1,844642 1,867278	1,914646 1,989655 1,965726 1,992511 2,020246	2.076713 2.10567 2.10567 2.11760 2.175065
40 L ²	6.848815 6.859875 773756.6 86.95288 6.90969	6.926130 6.948484 6.961099 6.978986 6.997:55	7.038825 7.038825 7.053848 7.072654	7,112169 7,132882 7,152905 7,173742 7,194898	7.216376 7.236188 7.260822 7.282798	7,328783 7,852802 7,876178 7,400418 7,425025	7.50006 7.75367 7.50113 7.527249 7.553783
C 기급	4, 578579 4, 578579 4, 552803 4, 525487 4, 525487	4 470714 4 414370 4 885578 4 85578	4,296660 4,296660 4,29510 4,29510	4.171371 4.18568 4.06300 4.07868	3.005756 3.935898 3.935898 3.90222 3.864040	3.827844 8.730180 3.752889 8.714116 3.675503	3,685944 8,596081 8,555558 8,517516 8,772899
H 기교	2.45926 2.446516 2.48757 2.426418 2.415125	2.403605 2.87186 2.377958 2.367825 2.85580	2.803919 2.817135 2.817135 2.803901 2.290437	2.276785 2.262798 2.284165 2.284165	2.204517 2.189297 2.178806 2.158039 2.141991	2,125656 2,109027 2,092099 2,074866 2,057822	2.021278 2.021278 2.002750 1.98895 1.964691
¥	0,51588\9 0,5176186 0,5176186 0,5173885 0,5911800 0,5990089	0.59%6706 0.5986952 0.6006594 0.6026594	0,6046949 0,6067676 0,6088778 9,6110268 0,6132140	0.6154414 0.627095 0.6220191 0.622709	0,6272050 0,6296890 0,6322189 0,6347956 0,6374201	0,6400935 0,6428168 0,6455910 0,6484172 0,6512966	0,6542304 0,6572197 0,6602658 0,6633699 0,665338
기대	2,193943 2,197624 2,201361 2,205156 2,209010	2,212923 2,2216897 2,2250982 2,225028 2,225028	2,283411 2,287699 2,282052 2,286472 2,250959	2,255514 2,260138 2,264833 2,269599 2,274437	2,279348 2,284538 2,294531 2,295745	2,305038 2,310411 2,315864 2,321400 2,327018	2.332722 2.336510 2.344866 2.350350 2.356404
TI Y	3,74466 3,73502 3,73502 3,73002 3,73002	3,7200(8) 3,714852 3,704864 3,704809 3,69850	3,693451 3,687361 3,682270 3,67655 3,670756	3,6548/2 3,6588/2 3,6528/4 3,6462/8 5,6404(2	8.684185 8.627716 9.627716 8.614557 3.607895	3,601095 3,594198 3,587200 3,580102 3,572901	3.55596 3.558187 3.550671 3.543046 8.585313
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.	-2,150409 -2,111:27 -2,078417 -2,087198 -2,002378	-1,968882 -1,98651 -1,905616 -1,875714 -1,646891	-1.819094 -1.792272 -1.766881 -1.741877	-1.69871 -1.619457 -1.649457 -1.607876	-1.568978 -1.568994 -1.559312 -1.552304 -1.514848	1.45583 1.45583 1.45082 1.45082	-1. 120582 -1. 106451 -1. 392780 -1. 379403
99 🚰	15.04864 15.21023 15.37531 15.54897 15.71632	15.89246 16.07252 16.25662 16.44186	16.88484 17.03584 17.24204 17.45809	17.89089 18.11697 18.84907 18.58688 16.33060	19,08042 19,318657 19,59927 19,86875 20,14526	20.12905 20.72040 21.01958 21.82691 21.64268	21.96722 22.8406 22.64406 22.99709
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K# IX	-9.204254 -9.736188 -10.31368 -10.93577	-12.3%444 -13.14617 -14.02541 -14.99397	-17.25969 -18.59628 -20.10337 -21.61584 -23.77877	-26.05152 -28.71376 -31.87510 -35.69051 -40.38656	-16.30809 -51.00709 -61.12561 -79.31428 -102.3369	-11/2,6641 -281,5777 -583,7867 1160,597 298,0060	172,7428 122,4899 95,39508 78,44719 66,84468
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EK II	4,088357 4,074199 4,110800 4,148188	4,265255 4,306002 4,347654 4,347654	4,478320 4,523880 4,570494 4,618198	4,667027 4,717017 4,768208 4,820639	4,929393 4,985807 5,043642 5,102948 5,163779	5.226191 5.290240 5.855990 5.428508	5,564093 5,687815 5,712598 5,79008 5,869648
K EI	1,520609 1,479695 1,487982 1,895437	1,367767 1,2162598 1,216492 1,169437 1,121401	1,072354 1,022265 0,9711082 0,9188353 0,8654270	0.8108425 0.7550443 0.6379935 0.6896492 0.5779569	0.5189083 0.4554206 C.3924572 0.3269673 0.2598972	0.1911:112 0.1207:106 0.04:66:130 -0.0259:862 -0.1012:198	-0.1790159 -0.2588770 -0.3468721 -0.4250148 -0.5115012
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다 다	90.06661 91.82850 93.62898 95.47536	99,35595 101,3905 103,4918 103,680 107,9073	110,2282 112,6297 115,1156 117,6902 120,3582	123,121,8 125,93,48 128,9728 132,0658 135,2807	138,6210 142,1032 145,7263 149,5021 158,4398	157,5439 161,6422 154,3318 171,8230 175,9488	181, 1071 186, 5208 192, 2088 198, 1918 204, 4926
E III	-180,7336 -133,1512 -135,6281 -138,1667 -140,7693	-143,4367 -146,1777 -146,9893 -151,6766	-157,4922 -161,0278 -167,2589 -167,5774	-174,5199 -178,1548 -181,9040 -185,7750	-193.9071 -198.1834 -202.6097 -207.1958	-216,8826 -222,0057 -227,3908 -282,8718 -286,6414	2 th 6566 -250,3318 -257,1931 -261,3511
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C. H	-17.58060 -17.97732 -18.3820 -18.90776	-19.89106 -20.40398 -20.93191 -21.47554 -22.03558	-22.61280 -23.20802 -28.82209 -24.45595 -25.11059	-25.78705 -26.18647 -27.21006 -27.95912 -28.73503	-29.53981 -80.37355 -31.28951 -32.13907	-34,04725 -35,06046 -36,11649 -37,21815 -88,36858	-39.57101 +0.82926 +2.14734 -48.52371
비교	58.40269 51.28429 46.2846 52.8625 39.51689	36.70685 31.3174 82.26066 30.47144 28.90068	27.510% 26.27181 25.15979 2%.15705 28.2%778	22.41948 21.66157 20.96552 20.32394 19.78062	19.18025 16.66828 18.19077 17.74481	16,98297 16,56318 16,21451 15,88516 15,57358	15.27819 14.29785 14.47769 14.47769
. 	-9.913800 -8.726994 -7.794558 -7.042676 -5.428594	4,39502 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4,5863 4	-1,211225 -1,983649 -3,77772 -3,595956 -3,429517	-3.278078 -8.139714 -3.012811 -2.896015 -2.788174	-2,688306 -2,595569 -2,509232 -2,128661 -2,353313	-2.216386 -2.216386 -2.154009 -2.095230 -2.089754	-1.987315 -1.937676 -1.890624 -1.845967 -1.808532
TI XX	5.951605 6.035976 6.122864 6.212376 6.304628	6.397%2 6.59907% 6.703575 6.811501	6.928017 7.038296 7.157524 7.280900 7.408636	7.540957 7.678106 7.820348 7.967945	8.280466 8.446058 8.618346 8.797749 8.984698	9,179666 9,383166 9,595756 9,8180%3 10,05069	10,29442 10,55003 10,81636 11,10044
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TABLE I (continued)

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ب	-7.190418 -8.007834 -9.035776 -10.36720	-18.591 %; -18.591 %; -25.278218 -39.47809	320,1131 57,0900 31,08195 21,08608 16,67275	13.48212 11.31785 9.75345 8.56970 7.6871	6.89851% 6.286556 5.77%% 5.340911 7.968085	4. 64404 4. 360777 4. 110228 3. 587309 3. 337708	8.5079£7 8.34576 3.197886 8.062240 2.988388
다 에버	-219.9096 -218.2137 -216.6183 -215.1209 -213.6588	-242.2596 -240.9211 -239.6411 -236.4176 -237.2467	-286.1326 -285.0676 -286.0521 -283.0845 -232.1635	-231.2876 -230.4556 -229.6662 -229.5182 -220.2107	227.572 226.3125 226.3200 225.769	-224.7581 -224.8067 -223.8887 -223.5033	-222.8282 -222.5372 -222.8765 -222.0455
다 (기교	34,75592 80,99991 27,29686 28,64889 20,03826	16,47735 12,95878 9,180135 6,039287 2,633976	-0.7376585 -4.077559 -7.887561 -10.66540 -13.92578	-17.15513 -20.36218 -23.54718 -26.71167	-82.98426 -86.09488 -39.16997 -42.27060 -45.33811	48,332 51,4372 51,43711 57,4956 60,51185	-63,52061 -64,52280 -69,51927 -72,51062 -75,49625
סי	-1.286689 -1.297398 -1.302411 -1.319753 -4.331429	-1,343452 -1,35832 -1,36583 -1,361717 -1,395248	-1, 103138 -1, 123561 -1, 153617 -1, 163336	-1,48505 -1,502410 -1,519712 -1,587574 -1,556019	-1.575074 -1.594763 -1.615115 -1.636160 -1.657930	-1,660458 -1,703781 -1,72935 -1,752963	-1,805816 -1,882724 -1,862724 -1,892834 -1,924130
27 B	15.93959 15.93916 15.55345 15.18187	44.14892 44.14652 43.82622 43.51756	-12.93353 -12.65710 -12.18512 -11.88882	11,65066 11,22167 10,98982 10,78694	-40.59012 -40.40183 -40.04732 -89.88070	-39.72092 -39.56782 -39.42123 -39.28099 -39.14695	-39.01896 -36.89690 -86.78064 -86.57004 -36.56500
아네티	36.011460 35.40882 34.23511 33.66598	83.10794 82.56047 82.02807 81.49528 80.97667	20,46680 29,9658 29,7174 28,96580 28,56714	28.03540 27.57030 27.11151 26.65877 26.21178	25.77030 25.33407 23.90285 24.67640 24.05451	23.63696 23.22854 22.81407 22.40834 22.40634	21.21188 21.21188 20.81982 20.42970 20.04282
TE II	5.929607 5.886024 5.842395 5.779530 5.774598	5.710528 5.666310 5.621932 5.577365 5.532657	5.497788 5.492616 5.897280 5.851720 5.305928	5.259880 5.218577 5.167004 5.120149 5.073000	5.025545 4.977771 4.929667 4.881219 4.832416	1,783218 1,683788 1,68378 1,582596	\$,531 875 \$,475702 \$,427563 \$,476,942 \$,521828
Ж	-0.7154448 -0.7146900 -0.7140087 -0.7128655	-0.7124080 -0.7120180 -0.7116952 -0.711496	-0.7111745 -0.7111448 -0.7111870 -0.711870	-0.7117459 -0.7120766 -0.7129798 -0.7129556	-0.7141265 -0.7148222 -0.7155918 -0.7164857 -0.7179544	-0.7183484 -0.71934183 -0.7205645 -0.7217877 -0.7230885	-0.7244576 -0.7257259 -0.7274639 -0.7307830
변 기교 	-6.690782 -6.5098786 -6.509894 -8.428979 -6.340919	-8,260601 -8,182919 -8,107770 -8,085059 -7,364694	-7,896590, -7,830666, -7,76669, -7,705051, -7,695218,	-7,581168 -7,531168 -7,476829 -7,424205 -7,873241	-7,32386 -7,276090 -7,229808 -7,184994 -7,141607.	-7.09506 -7.058952 -7.019609 -6.981541	-6.90908 -6.878660 -6.801878 -6.807207 -6.778136
ㅋ 키루	12.14788 12.03149 11.91847 11.80820 11.70055	11,59541 11,89265 11,81219 11,29322 11,19775	11,10859 11,0%185 10,92096 10,88288 10,7%540	10,66009 10,57685 10,49409 10,41328 10,33384	10.25573 10.17388 10.10326 10.02381 9.953479	9.88.234 9.61;028 9.74;8028 9.67;2568	9.535793 9.471196 9.401415 9.887416
~	2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	N N N N N N N N N N N N N N N N N N N		ກຸກທູກທູ ທູກທູກທູ ຄຸດສຸກຸຄຸກ	2.28.84 3.28.84	**************************************	0.00000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.00000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.00000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000

TABLE I (continued)

t 2	2.824471 2.719326 2.621994 2.531646 2.447564	2.25734 2.227083 2.162534 2.101941	2.044808 1.990889 1.939939 1.891722	1.802.671 1.7611.79 1.722.300 1.681.994	1,615506 1,583103 1,583103 1,552129 1,522121	1,466930 1,416832 1,81821 1,81821 1,868709	1,3%65@h 1,325139 1,30%572 1,28%760
t <u>17</u>	-21,6711 -221,5267 -221,8103 -221,2314	-221,2250 -221,2168 -221,2349 -221,2349 -221,2349	-221 .44.38 -221 .564.2 -221 .7096 -221 .8799	-222,2943 -222,5980 -221,8061 -228,0982 -228,114,8	-228,7344 -221,1188 -221,5060 -221,9175	-225, 8116 -226, 2942 -226, 8005 -227, 8906	-228, %620 -229, 063% -229, 6888 -290, 3382 -231, 0118
타 E계편	-78,482;4 -61,46383 -94,44347 -67,42195	-98,37825 -96,25742 -99,83813 -102,3210 -105,8968	-108.2959 -111.2851 -114.2869 -117.2839	-128,3139 -126,3859 -129,8654 -182,4030 -135,4491	-188.50%2 -141.5690 -144.040 -147.7295 -150.8268	-153,9346 -157,0555 -160,1883 -163,3953 -166,1959	-163,6705 -172,8539 -176,0646 -179,2850 -182,5217
ď	-1,95678 -1,990547 -2,025815 -2,062566 -2,100887	-2.140878 -2.182641 -2.226293 -2.272577 -2.319768	-2.36976 -2.372452 -2.377645 -2.535679 -2.596760	-2.661127 -2.72908 -2.800800 -2.876725 -2.957180	-8.0%2578 -8.183864 -3.230067 -3.833266 -3.448627	-3.561908 -3.68977 -3.825835 -3.97364 -4.133751	4, 897760 4, 705178 4, 705178 4, 988488 45, 185608
90 <u>L.</u>	-38.46539 -38.37113 -38.28209 -38.19820 -38.11385	-38.04546 -87.97644 -87.91223 -87.85273	-77.746 -77.70190 -77.66063 -77.62977 -77.53126	-87.56.305 -87.51935 -87.50377	-87.481.57 -87.481.68 -87.48242 -87.48716 -87.49587	-87.50854 -37.52514 -37.54565 -37.57005 -87.59883	-37.66048 -37.76634 -37.75634 -87.7503
۵ الایا	19,65853 19,27668 18,89718 18,51975 18,1440	17.77096 17.29931 17.02931 16.66095	15,92810 15,56859 15,20017 14,88775 14,8775	18,115% 18,255% 18,295% 18,036,57	12.32015 11.56212 11.24637 10.88848	10,580% 10,1722% 9,818712 9,854811	8.725550 8.875028 8.013805 7.651801 7.28936
TE TE	4.268191 4.214029 4.159322 4.104051 4.048201	3.991752 3.934687 3.876987 3.818688 3.759605	3.699882 3.639444 3.578269 3.516336 3.459621	3,390101 3,325752 8,260549 3,194467 3,127478	8.059555 2.990671 2.920796 2.819900 2.777961	2.704917 2.680765 2.555460 2.478967 2.401247	2.22268 2.241974 2.160339 2.077315 1.992856
Ä	-0.7325658 -0.7344820 -0.7363328 -0.7364191	-0.7427580 -0.7450580 -0.7474485 -0.7525012	-0.757171 -0.7579379 -0.7606024 -0.7637667	-0.7700005 -0.7732744 -0.766555 -0.7601459	-0.7874695 -0.7912954 -0.7952460 -0.7993179 -0.8035137	-0.8078363 -0.8122887 -0.8168739 -0.8215951 -0.8264557	-0.8314591 -0.8346089 -0.8419090 -0.8473634 -0.8529761
kK AL	-6.779175 -6.691245 -6.69310 -6.69353	6.613354 -6.589294 -6.566158 -6.343918 -6.522558	6.502072 -6.482439 -6.445672 -6.445672	-6.12117 -6.896569 -6.88176h -6.867722 -6.857722	-6.341882 -6.330065 -6.318972 -6.308595 -6.298920	-6.289946 -6.281664 -6.27067 -6.267148 -6.260902	-6.25522 -6.25043 -6.246134 -6.242585 -6.239576
TE Y	9,211648 9,148609 9,086689 5,025105 8,264181	8.903841 8.844060 8.784815 8.726082	8.610061 8.552730 8.455825 8.435324 8.983208	8.272055 8.216982 8.162219 8.162219	8_05854 7_999623 7_945938 7_682471 7_839219	7.78610A 7.7332:0 7.680542 7.5280;5 7.5754(6	7.52387 7.419024 7.419024 7.867011
~	5.75 5.76 5.78 5.78	55.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00 50.00	လုလုလုလ စုံစုံစုံစုံ လူ စုံစုံစုံစုံ	25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00 25.00	N N N N N N N N N N N N N N N N N N N	66.69	60000

							114.
43	1.247257 1.223497 1.212356 1.195804	1.164363 1.15927 1.15980 1.721008 1.107475	1,034375 1,063405 1,063405 1,045368	1.034775 1.021925 1.013400 1.003189	0.9886615 0.9748245 0.9652586 0.9564546 0.9473986	0,9315272 0,9315272 0,9286862 0,9160668 0,9086620	0,901%(52 0,89%(70) 0,887%706 0,8810610
tr 12	-231,7095 -282,4315 -233,1780 -281,9492 -284,7450	-285.5658 -286.1117 -237.2828 -286.1734 -285.1018	-240,0501 -241,0245 -242,0254 -243,0529 -244,1074	-245.1832 -246.2385 -247.4357 -248.6012 -249.7352	-251.0181 -252.2704 -259.5528 -256.2070	-257,580¢ -258,9857 -260,422¢ -261,8920 -268,8943	-264.9300 -266.4997 -268.1060 -269.7485 -271.4168
대표	-185.7752 -189.0460 -192.8347 -195.6417 -198.9675	-202.3127 -205.6779 -203.0628 -212.4700 -215.8981	-215.3462 -222.8209 -226.316.8 -229.8365 -233.3806	-236, 3493 -240, 5436 -247, 1690 -247, 8110 -251, 1653	-255.1875 -258.9182 -262.6781 -266.4679 -270.2881	-274,1394 -278,0226 -281,9384 -285,8874 -289,8704	-293,8882 -297,9415 -302,0310 -306,1576 -310,3221
ď	-5.465446 -5.77776 -4.12890 -4.525509 -6.378049	-7.498800 -8.104371 -8.817244 -9.668617	-11.98665 -13.621\\$ -15.77\2\ -18.73721 -23.07315	-80.02827 -42.97011 -75.55778 -312.7679	59.2560 37.16214 27.07164 21.29268 17.54862	14,92579 12,98629 11,49399 10,810\$2	8.551796 7.880985 7.308988 6.811066
\$ AF2	-87,84693 -37,90413 -87,96317 -36,02605 -38,09278	-38,16336 -38,23780 -38,31612 -38,39838	-38.5747 -38.6684 -36.76636 -38.86829 -38.97422	-33,19822 -33,19822 -33,31636 -33,8360 -33,56503	-19,69565 -39,83052 -39,96968 -40,11316	10,11330 10,57006 10,73185 10,89722 11,06778	11.8224 11.6224 11.60773 11.73765 11.39218
상	6,925131 6,560308 6,194888 5,827293 5,458944	5.089263 h.718171 h.345589 3.971440 3.595643	3,218120 2,838791 2,457574 2,074391 1,689159	1,301796 0,9122206 0,5203434 0,1260954 -0,2706234	-0.6628942 -1.071804 -1.476441 -1.883895 -2.294255	-2,707615 -3,124068 -3,548708 -3,96681 -4,892986	-4.822723 -5.256092 -5.633148 -6.133995 -6.978742
K" L	1.906916 1.819447 1.730397 1.689715	1.453231 1.357313 1.259528 1.159813	0.9548144 0.8483868 0.7402381 0.6297872 0.5163499	0.4016953 0.2837520 0.1632018 0.03980056	-0.2155092 -0.3478118 -0.4833506 -0.6222597 -0.7646785	-0.9107544 -1.060648 -1.214510 -1.372528 -1.534882	-1.701768 -1.873898 -2.059976 -2.231750 -2.418965
אַ	-0.8587515 -0.8646941 -0.8708085 -0.8770998 -0.8835731	-0.8902337 -0.9041898 -0.9118973 -0.9188664	-0.9265596 -0.9844665 -0.9426121 -0.9509984 -0.9596336	-0.965262 -0.9776853 -0.9871205 -0.996917 -1.006860	-1,017185 -1,027830 -1,058806 -1,050127 -1,061807	-1,073859 -1,086300 -1,099145 -1,12412 -1,126118	-1.154929 -1.154929 -1.176075 -1.185745
NA NA	-6.237261 -6.235587 -6.234552 -6.234153	-6.285254 -6.236750 -6.238875 -6.241627	-6.258612 -6.258615 -6.258904 -6.264791 -6.271306	-6.278451 -6.286228 -6.294637 -6.303681 -6.319364	-6.323687 -6.334654 -6.358538 -6.371458	-6.395083 -6.39277 -6.11192 -6.129781 -6.146051	-6. N62009 -6. N80661 -6. N95018 -6. 51807A -6. 587851
	7.263173 7.21322 7.159439 7.107630 7.055813	7,00004 6,9522;2 6,9003\8 6,8415 6,796\15	6.58753 6.63957 6.58753 6.58753	6.129704 6.129704 6.32858 6.270352	6,216850 6,163135 6,109192 6,055010 6,000575	5,945871 5,890893 5,835618 5,750085 5,774131	5.667896 5.611808 5.555855 5.497027 5.489308
~	6.10	21.9 21.0 21.0 21.0 21.0	6.22 6.22 6.23 6.23	6.25 6.26 6.27 6.28	6.50 6.50 6.50 6.50 6.50 6.50 6.50 6.50	6.6.65 9.83 9.83 9.83 9.83	0 - 7 - 7 - 9 - 9 - 9 - 9 - 9 - 9 - 9 - 9

TABLE I (continued)

4	C.868389% O.8628171 O.856%139 O.8506758 O.8950968	0.8396741 0.834088 0.822394 0.8248016 0.8134685	0.8117626 0.8101957 0.805/525 0.8011511 0.7372675	0.7932060 6.783430 0.7854388 0.7817281	0.774606 0.7712594 0.7673839 0.7640117 0.7617718	0.758986 0.7558986 0.7531227 0.750416 0.7478537	0.7459577 0.7429521 0.7406895 0.7384067 0.7362694
5 四四	-273, 1304 -274, 8791 -276, 6256 -278, 1985 -280, 2545	-282,2585 -284,2031 -284,1892 -283,2177 -290,2893	-252, 1051 -254, 1558 -254, 7724 -259, 0260 -801, 8276	-80%, 6781 -30%, 6788 -30%, 5807 -311, 0850 -313, 5929	-316,2057 -313,8747 -321,6012 -321,3866 -327,2325	-330,1402 -383,1119 -336,1375 -389,2504 -342,4216	-345,6634 -348,3772 -352,3851 -355,8720 -359,3712
.겨급	-314,5253 -316,7681 -323,0512 -327,3757 -331,7425	-386,1524 -380,6060 -385,1055 -389,6508 -354,2431	-868,8687 -368,5736 -368,8139 -378,1058 -377,9509	-362,8490 -387,8028 -372,0181 -37,8813 -403,0087	108,1967 118,1468 118,7664 129,1892 129,5897	135.0966 140.6825 146.3883 152.0677 157.8726	163,7551 163,7170 173,7609 181,8876 188,1008
ď	6.003825 5.667728 5.867735 5.058512	1, 696939 1, 130036 1, 25024 1, 061488 3,926008	3,782812 3,649124 3,525345 3,410026 3,802838	3.201560 3.107058 3.018278 2.938718 2.855987	2.781555 2.711217 2.604611 2.521498	2.46498 2.410262 2.858595 2.809326 2.262296	2,17364 2,174897 2,188275 2,098187 2,056181
2.11 8s	42,19187 42,89673 42,6679 43,04287	13.26907 13.50083 18.73824 118.98141	45.28%7 45.28%7 45.50%	15.85418 146.14735 146.75478 17.0638	47.20108 47.72017 48.00156 48.75115	11.03 149.18408 150.286182 150.2868	51.0480 51.4283 51.8869 52.2077
271 <u>1</u>	-7.027497 -7.480874 -7.987485 -8.88949 -8.864884	-9.895413 -9.810661 -10.29075 -10.77588	-11.761\5 -12.26227 -12.76864 -13.28068 -13.79657	-14, 82245 -14, 85249 -15, 38885 -15, 93170 -16, 48128	-17.03760 -17.60102 -18.17164 -18.74978 -19.33543	-19.92898 -20.58658 -21.15067 -21.75888 -22.88605	-28.02222 -28.6766 -24.82262 -24.96789
교 교	-2.611885 -2.810790 -3.015982 -3.27781 -3.46530	-3, 672597 -3, 906372 -1, 114280 -1, 59877	4.92799 5.206815 5.79898 6.1211	-6. 538719 -6. 773096 -7. 134166 -7. 504532 -7. 892493	-6.298050 -6.722924 -9.168568 -9.696588 -10.12874	-10.64700 -11.19355 -11.8355 -12.88154 -13.02874	-18.71587 -18.4680 -15.22598 -16.05827 -16.954
я	-1.216760 -1.286157 -1.254188 -1.272688	-1,312406 -1,333309 -1,355028 -1,377609	-1,72551 -1,751021 -1,77570 -1,50526	-1.564377 -1.595959 -1.629011 -1.69682	-1.78082 -1.778062 -1.820163 -1.864511	-1.960629 -2.012819 -2.068078 -2.126677 -2.188922	-2.255156 -2.825763 -2.401188 -2.481927 -2.568538
13 YX	-6.558352 -6.579586 -6.601562 -6.628289 -6.687777	4.672036 4.637078 4.722913 4.74554 4.777011	4,805300 4,834431 4,85282 4,85282	-6.359682 -6.392552 -7.027753 -7.062213	-7.187074 -7.175508 -7.214974 -7.255438 -7.257438	-7,383596 -7,883596 -7,428559 -7,474697 -7,522035	-7.570 6 03 -7.620 62 -7.67154 -7.772981
K L	5.381170 5.322618 5.263616 5.204162 5.144287	5,023822 5,022901 4,361457 4,039471 6,83622	1, 773805 1, 710086 1, 545751 1, 560781 1, 515154	301849 31127 31127 215662	4,085577 3,968904 3,891865 3,817384	3,560286 3,592012 3,592012 3,514780 8,486410	3.857020 8.27.6526 8.194895 8.112090
i	24.69 24.69 24.69 24.69	6.52 5.52 5.53 5.53 5.53 5.53 5.53 5.53 5	6.55	82883	6.65	5255 5255 5255 5255 535 535 535 535 535	27.5

TABLE I (continued)

							116
دب .	0.715:074 0.712:347 0.710:1451 0.725:377 0.726:0115	0.7251656 0.7255990 0.7221110 0.7207006	0.7181109 0.7169299 0.7158290 0.7186290 0.718689	0.7129516 0.7121409 0.7114090 0.7107978 0.7107487	0.7094217 0.7021712 0.7087919 0.7084837	0.7079027 0.7079027 0.707954 0.7080327 0.7081197	0.78880CA 0.7885629 0.7892929 0.7892929
함 메립	-862,5938 -866,6990 -370,4692 -374,8669 -378,3846	-342, 3950 -346, 5509 -390, 804.9 -395, 1403 -399, 4201	104.1876 108.8668 118.5596 128.5712	128.7652 128.0559 148.0559 145.0466	155.5151 140.6031 143.1331 143.1331	1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	-524.7370 -532.6567 -530.8167 -557.8615
т СЛП	-500,7944 -500,7944 -507,2797 -518,8607 -520,5402	527,8209 -5803,820 -580,800 -580,800 -580,800	-542,8885 -570,8016 -577,8785, -545,584-1	2000 2000 2000 2000 2000 2000 2000 200	-0.8, 1/27 -62, 18515 -661, 1111 -070, 0.09 -680, 0.687	-69, 6790 -699, 4061 -709, 4972 -719, 7201 -710, 1626	-740,834 -751,7411 -762,8958 -77,8658 -765,9829
ď	2.019918 1.985145 1.951747 1.919.645	. 650654 . 630442 . 602675 . 776303	. 725950 1.702080 1.673023 1.656758	1,61418 1,594286 1,57806 1,555950 1,557698	1.502879 1.502879 1.45277 1.454580	2000 2000 2000 2000 2000 2000 2000 200	1. #570258 1. #57004 1. #45320 1. #88389
99 ET	-58.21962 -58.68509 -54.16166 -54.64968 -55.14988	-55.66109 -56.18527 -56.72222 -57.27238 -57.48599	-56.41862 -59.00565 -59.1259 -60.28472	-61.52705 -62.19828 -62.5669 -63.59845 -63.59845	-6.06319 -6.8279 -6.6127 -67.11923	-69.0956 -70.97596 -71.00135 -72.7596	-78.78.59 -75.78.89 -75.78.89 -76.854.07
9 L ²	-26.39.736 -27.75035 -27.75035 -28.36862 -29.19856	-22.94054 -30.63492 -31.46209 -32.14243 -33.03637	-33.8414 -34.66678 -35.50417 -36.95699 -37.22575	-36,11097 -12,01828 -18,93306 -10,67114	12,8043 14,81851 15,8576 16,91988	14.09.2 15.7.19.7 15.7.19.7 15.7.19.7 15.75.7 15.75.7 15.75.7	-58.81091 -55.05576 -56.88189 -57.68817 -56.97830
E. L.	-17.90636 -18.98628 -20.0807 -21.25218 -22.56051	-23.38754 -25.55027 -27.26313 -29.16314 -31.28052	-33.64037 -26.29757 -20.31013 -42.75568	-51.28384 -56.3854 -71.61016 -71777.14	-94,30640 -117,5129 -137,8654 -289,1958	-672.2305 -615.5004 -4995.585 -627.1671 888.0609	233,0161 173,6734 145,4729 123,0752 106,3458
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TABLE I (continued)

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98 EI	-1924, 28 9098, 554 8690, 775 2319, 488 1698, 542	1885.281 1183.08A 1183.08A 820.8628 727.8228	594, 4755 594, 8878 595, 5288 508, 9658 468, 5014	487,8862 411,1922 807,714 866,9068 848,8409	881,6752 816,6339 802,9925 290,5659 277,2002	269.7666 259.1569 250.2769 242.0492 248.4051	227, 2857 220, 6898 214, 4227 208, 5951 208, 1228
0 EI	-1924, 18 -1924, 18 -193, 844 -193,	1812.742 1161.312 295.1169 317.8893 775.8672	531,5081 531,5081 531,8125 539,9258 54,1814	182,1829 106,1558 882,8118 861,1968	225,2830 309,8980 295,9108 283,1364 271,4209	260,6354 250,6712 241,4857 222,8498 225,8458	217, 26.9 210, 2522 208,7687 197,5719
K" L	15.76276 15.62595 15.59162 15.86026 15.20116	15.10412 14.57596 14.85769 14.78751 14.61985	14.50813 14.27622 14.16539 14.05621	12.94.25 11.94.25 12.94.25 12.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 13.94.25 14.94 15.94.25 15.94.25 15.94.25 15.94 15.94.25 15.94.25 15.94.25 15.94.25 15.94.25 15.94.25	18, \$269 18, 29351 18, 29556 13, 18177	12,81,855 12,85503 12,76252 12,67097	12,49062 12,40175 12,31871 12,22645 12,18996
, 4	1.00223 0.992261 0.993606 0.9777283	0.9542805 0.9474323 6.981214 0.928874	0.902900 0.902900 0.901609 0.8940425 0.8940425	0.85822 0.871829 0.867848 0.8677691	0.8500858 0.8444877 0.8890468 0.8887575	0.8236221 0.8187682 0.8140521 0.8094705 0.8050208	0.8006984- 0.7965020 0.7924282 0.7884748
kk II.	2449,596 1156,678 568,6086 254,1158 275,415	183.868 119.658 119.658 180.8681 21.558.68	42.26059 74.67712 64.89459 64.10522 54.59128	2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.	41 .17097 39 .25528 37 .51756 35 .9842	88,1562 81,98171 90,79976 29,77969 28,77584	27.86771 27.01580 26.22580 25.48251 24.78878
K L	-2441,721 1164,517 176,4138 801,8962 222,228	176,6021 147,000 126,226 110,994; 99,195;3	25,23116 75,20119 75,50119 78,50119 66,60010	52,4254 55,6254 55,66176 57,96118	46,48154 46,4846 44,71458 43,89987 41,61981	12. 257.38 17. 255.73 17. 255.73 18. 755.73 18.25.7.28	84.26424 85.92801 85.9963 87.81673 81.58621
7	7.15 7.16 7.17 7.18	22.22.2	7.55	8585	2,222	0-20-	80000 211111

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TABLE I (continued)

							120
4	658618*1 058222*1 306252*1 38665*1	1,863593 1,910229 1,959460 2,011503 2,066600	2,125019 2,187063 2,253071 2,323429 2,398572	2,478995 2,565264 2,658032 2,758048 2,866189	2,983%58 3,111065 3,250%16 3,403196 3,571%23	3,757544 3,964552 4,196145 4,456951 4,752837	5.091353 5.482382 5.93722 6.479594 7.129075
다	1622,921 1566,042 1550,310 1516,556 1481,627	1454,386 1425,709 1398,485 1372,612	1324,561 1342,223 1280,915 1260,572 1241,136	1222,554 1206,774 1187,758 1171,447 1155,817	1140,827 1126,544 1112,635 1099,873 1086,630	1073, 380 1062, 600 1051, 269 1040, 365	1019.768 1010.031 1000.655 991.6221 982.9171
e: 6개점	375,4078 933,8019 892,3123 853,2681 816,0165	780,4201 746,3550 713,7092 692,3811 652,2785	623,3174 595,4210 568,5193 542,5479 517,4479	493,1650 469,6492 446,8534 724,7376 103,2599	382, 3812 362, 07/66 342, 30/55 323, 04/14 304, 25/66	295,9261 268,0253 250,5320 233,4252 216,6851	200,2932 184,2221 168,4854 153,0377 137,8744
ט י	1.063202 1.067106 1.071146 1.075324	1.084107 1.088716 1.093475 1.098385 1.103451	1,108674 1,114059 1,119609 1,125328 1,131219	1,137286 1,143533 1,149965 1,156586 1,163600	1,170413 1,177629 1,185054 1,192693 1,200552	1,208637 1,216953 1,225509 1,234,309 1,24,3362	1.252675 1.262256 1.272112 1.282259
98 L.	197,9738 193,1224 188,5436 184,2165	176.2898 172.5578 169.0592 165.7326 162.5659	159.5484 156.6703 153.9228 151.2977 148.7877	146,3857 144,0855 141,8412 139,7676 137,7395	135,7923 183,9218 132,1241 130,3953 128,7320	127,1811 125,5895 124,1048 122,6731 121,2983	119.9626 118.6788 117.4399 116.2440 115.0894
0 <u>L²</u>	136.2058 180.9777 176.0207 171.3125	162.5668 158.4961 154.6078 150.8875	148.9092 140.6301 137.4790 134.4477 131.5287	128,7150 126,0003 129,3788 120,8450 118,3939	116.0209 118.7216 111.4920 109.3284 107.2274	105,1855 108,1999 101,2676 99,38602 97,55263	95.76508 94.02117 92.3188 90.65610 89.03115
K* L	12,05419 11,96912 11,88471 11,80095	11.6952: 11.5532: 11.8907: 11.3907:	11.23022 11.15062 11.07148 10.99263	10,836/1 10,75834 10,6908 10,60370 10,52678	10,45016 10,37364 10,29735 10,22138	10,06967 9,994042 9,918525 9,843102	9,692460 9,617266 9,541375 9,466748 9,391508
, x	0.78091£1 0.7773070 0.7786081 0.7704173	0.7639517 0.7608729 0.7578948 0.7550142 0.7522308	0.7469426 0.7469479 0.744458 0.7420334 0.7397108	0.7374762 0.7353284 0.7382661 0.7312889 0.7293939	0,7275818 0,7258511 0,7242008 0,7226302 0,7211382	0.7197242 0.7183874 0.7171272 0.7159428 0.7148336	0.7137992 0.7128388 0.7119522 0.7111387 0.7103980
kK <u>L.</u>	24.12617 28.50697 22.92125 22.86805 21.84481	20.34779 20.87551 20.42865 20.00258 19.59680	19.20995 18.84081 18.4824 18.15119 17.82874	17.52414 16.94046 16.66825 16.40688	16,1576 15,91486 15,68215 15,45867	15.03616 14.83634 14.64366 14.5778 14.27839	14,10523 13,93792 13,77631 13,62011
N L	20, 89470 80, 24078 29, 62136 29, 08368 28, 47527	27,34830 27,48758 26,9549 26,19298 26,19298	25,62890 25,22878 24,83491 24,16142 24,10231	23,15668 23,12874 23,10274 22,19299 22,49385	22,204/14 21,92510 21,65142 21,89:22 21,1807	20,89156 20,65228 20,41989 20,19405 19,97443	19.76074 19.55270 19.35005 19.15253 18.95998
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TABLE I (continued)

1							121
t+	7.924153 8.919852 10.20292 11.91855	17.96556 24.07761 36.49851 75.40622 -1140.455	-66.5990# -34.30265 -23.10188 -17.41657 -13.97799	-11.67%27 -10.02331 -8.782207 -7.815280	4.877628 -5.877636 -5.723909 -5.046030 -1.713284	-4, \$22119 -4, 165226 -8, 936911 -3, 548927	-3,382738 -3,231726 -3,033916 -2,967662 -2,851592
ti 四	974,5269 966,4891 958,6419 951,1242 943,8753	936.8855 930.1453 928.6458 917.3787	905,5099 899,8936 894,4802 889,2631	873, 3941 873, 7308 870, 2411 865, 9202 861, 7632	85.1,2657 85.1,9233 850,2318 846,6875	810,0256 836,5010 833,9097 851,0486	825,7055 828,2180 820,8499 818,5986
대	122.3818 108.3870 93.95740 77.80203 65.86930	52.14897 38.63113 25.30640 12.16582 -0.7990917	-13,5964 -26,23394 -98,71893 -51,05844 -63,25918	-75,22754 -87,26966 -99,09139 -110,7984 -122,3959	-133,8893 -145,2835 -156,5831 -167,7928 -178,9170	-189,9600 -200,9257 -211,8133 -222,6k14 -233,3967	-244,0938 -254,7301 -265,3110 -275,8355 -286,3150
ď	1.803428 1.314472 1.325848 1.337547 1.349596	1.362002	1.429883 1.444662 1.459949 1.475712	1,508742 1,526050 1,543916 1,562364 1,583417	1.601103 1.621450 1.642486 1.664244	1.710062 1.734195 1.759197 1.785112	1.839867 1.868810 1.898871 1.930111
40 E.	118.97%? 112.8969 111.8561 110.8501 109.8779	108,9380 108,0292 107,1504 106,3006 105,4787	104,6838 103,9149 102,4517 102,4517	101,0827 100,4316 99,80201 99,19314	98,08522 97,48503 96,95331 96,43954	95,46397 95,00125 94,55469 94,12387 93,70842	93,30797 92,92216 92,19318 91,84937
o El	87.44222 85.88769 84.36601 82.87569	79.98372 76.579%9 77.20150 75.8%863 7%,51980	78.21.899 71.59302% 70.66763 69.%2527 68.20232	66.39798 65.81149 64.64212 69.48915 62.35192	61,22979 60,12214 59,02838 57,94794 56,88028	55.82486 54.78119 58.74878 52.72717 51.71589	50.71452 49.72264 48.73984 47.76573 46.79994
K" L	9,316238 9,240921 9,165540 9,090078	8.938841 8.863033 8.710774 8.710950 8.634641	8.556132 8.481403 8.404440 8.327222 8.249734	8.171957 8.093873 8.015465 7.936713 7.857599	7.778105 7.698212 7.617301 7.537152 7.455945	7.87%260 7.292078 7.209377 7.126136 7.0%2885	6.957950 6.872961 6.787345 6.701077 6.614186
. M	0.7097297 0.7091835 0.7086091 0.7081562 0.7077766	0.707%640 0.70722%4 0.7070556 0.7069575 0.7069301	0.7069734 0.7070873 0.7072720 0.7075275 0.7078539	0,7082515 0,7087204 0,7092609 0,7098731 0,7105576	0,7113144 6,7121442 3,7130472 0,7140240 0,7150750	0.7162008 0.7174020 0.7186791 0.7200329 0.7214640	0,7229732 0,7285613 0,7262291 0,7279776 0,7298075
KK L	13,32905 19,18177 13,04506 12,91275 12,78465	12,66061 12,54048 12,42410 12,31135 12,20208	12,19618 11,99852 11,89401 11,79752 11,7036	11.61323 11.52525 11.43992 11.85716	11,19903 11,12853 11,05029 10,97927 10,91040	10.84361 10.77886 10.71608 10.65525 10.59625	10.53903 10.48372 10.43009 10.87815 10.32786
R EL	18.7200 18.8856 18.4033 18.23432 18.(6317	17.69577 17.73197 17.57161 17.41455 17.86066	17,10981 16,96187 16,81674 16,67429 16,57443	16.25205 16.25205 16.12935 15.93885 15.87048	15.71414 15.61977 15.451728 15.37662 15.22770	15.140% 15.02485 14.91080 14.79825 14.68714	14,57743 14,46306 14,86198 14,25514 14,15149
~	8 57 8 57 8 58 8 58	8 8 8 9 8 8 2 3 8 4	8 65 8 67 8 68 69	8.72 8.72 8.73 8.73	8.75 8.76 8.78 8.78	8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8

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4	-2,744504 -2,64;431 -2,55;508 -2,467996 -2,888257	-2.343934 -2.178438 -2.116861 -2.058869	-2.004165 -1.952482 -1.903583 -1.857255 -1.813305	-1.771559 -1.731862 -1.634070 -1.658055 -1.623634	-1.590891 -1.559537 -1.529545 -1.529832 -1.520832	-1,44,6943 -1,421,632 -1,377329 -1,373278 -1,351527	1.28922 -1.289116 -1.269822 -1.269822 -1.251220
tr <u>L3</u>	814, 4378 812, 5240 810, 7186 809, 0196 807, 5254	605, 9342 801, 5444 803, 2545 802, 0630 800, 9685	799, 9698 799, 0656 797, 5360 797, 5360	795,9284 795,9284 795,5640 795,2928 795,1075	735,0089 734,3960 735,0681 735,2747	795.7896 796.1971 796.6878 797.2603	719 4722 800, 9738 801, 3563 802, 4209
म् म्य	-2 46. 7523 -307. 1428 -317. 492 1 -327. 8042 -338.0014	-348,5264 -358,5416 -368,7295 -378,8926 -389,0333	-399,153; -409,2563 -419,3432 -429,4166	449,5313 459,5767 469,6169 479,6538	-499,7255 -509,7641 -519,8070 -529,81561 -539,9132	-549,9801 -560,0585 -570,1503 -580,2571 -590,1809	-600,5222 -610,6854 -620,8697 -631,0777 -641,3111
o '	1,396396 2,081586 2,068253 2,106/80 2,146366	2,16801% 2,231538 2,277061 2,324718 2,374655	2,427032 2,482026 2,539830 2,600657 2,664742	2,732345 2,803756 2,879295 2,959322 3,044238	3,134493 3,230598 3,333125 3,442730 3,560157	3,686259 3,822018 3,968573 4,127244 4,299580	4,487404 4,692878 4,918589 5,167653 5,443859
99 K	91,51897 91,20168 90,89725 90,605%2	90.05662 89.80319 89.55946 89.32722 89.10629	88.69748 88.59762 88.50955 88.33210 88.16513	88,00850 87,86206 87,72570 87,59929	87.27868 87.27868 87.19100 87.11277 87.04890	86,98432 86,93291 86,89271 86,86056 86,83744	86.82329 86.81307 86.82173 86.83%?*
0 II	45.64209 44.69183 43.94881 43.01272 42.08321	41,15999 40,24273 39,33115 38,42497 37,52389	36,62764 35,73597 34,84861 33,96530 38,08580	32,20967 31,33727 30,46777 29,60114 28,73715	27.87560 27.01626 26.15893 25.30340 24.44946	23,59691 22,74556 21,89520 21,04566 20,19673	19,34822 18,4996 17,65175 16,86342 15,95478
K" L	6,526497 6,438135 6,3%9025 6,259141 6,168458	6.07(5947 5.98+542 5.891885 5.791175 5.702074	5,606000 5,508928 5,416809 5,311626 5,211339	5,109913 5,007311 4,798431 4,692074	8.584385 8.475320 8.364837 8.252390 8.189832	4,024415 3,907787 3,789499 3,669494 3,547718	3,424113 3,296618 3,171171 3,041707 2,910159
м	0.7317201 0.7337161 0.7357969 0.7879634 0.7879634	0.7425586 0.7449899 0.7475121 0.7501267 0.7528851	0.7556389 0.7585398 0.7615894 0.767896	0,7711490 0,7745622 0,7780838 0,7817161	0,7833219 0,7933002 0,7973990 0,8016208 0,8059685	0.8104451 0.8150536 0.8197972 0.8246792 0.8287032	0,8348726 0.8%01914 0.8%56634 0.8512928 0.8570839
KK L	10.27920 10.23211 10.18657 10.14255	10.05890 10.01922 9.980935 9.944014 9.308430	9.874161 9.841183 9.809472 9.779007	9.721736 9.694890 9.669213 9.64468	9.599029 9.577865 9.557793 9.538798 9.520868	9 503991 5 473858 9 459570 9 46799	9.435030 5.424256 9.414468 9.405660
K L	14,04793 13,94561 13,8427 13,74897 13,6465	13,54627 13,84881) 13,8521 13,25645 13,16149	13,06730 12,9738! 12,88111 12,78900 12,69762	12.60682 12.51661 12.92696 12.33789 12.249281	12.07344 11.98621 11.89939 11.81295	11.72688 11.64114 11.55579 11.47060	11.2016 11.21680 11.13264 11.04868
~	8 90 8 91 8 92 8 92	8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	85000	2 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	01.000	00000 04500	9.20 9.21 9.23 9.23

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TABLE I (continued)

							123_
42	-1.233276 -1.215959 -1.199241 -1.183092 -1.167188	-1.152404 -1.123706 -1.123706 -1.130050	-1.084028 -1.071628 -1.05:418 -1.047968 -1.036679	-1,025732 -1,015114 -1,004813 -0,9948178 -0,9351168	-0.97%6998 -0.96%569 -0.9576787 -0.9490561 -0.9406806	-0.9325441 -0.9246388 -0.9169574 -0.5094927	0.888337 -0.8816718 -0.8751961 -0.8699010
tr 12	803,5678 80%,7955 80%,1056 807,1057 808,977	812,1681 812,1681 813,8909 815,6960 817,5853	819,5586 821,6167 823,7596 825,9884 825,333	830,70\5 833,19\1 835,7715 836,\373	844.0409 846.9792 850.0101 853.1344 856.3532	859,6677 863,0789 866,5380 870,1964 873,9052	877,7159 881,6299 885,6487 885,7737 894,0066
T 17	-651.5714 -661.8605 -672.1739 -682.5314 -692.5166	-703,8372 -713,7949 -724,2915 -734,8285 -745,4077	-756.0308 -766.6395 -777.156 -788.1308 -788.3969	-809,8656 -820,7887 -831,7681 -842,8055 -853,9029	-865. C620 -876. 2849 -897. 5733 -898. 9294 -910. 3549	-921,8520 -933,4227 -945,0690 -956,7931 -968,5971	-980,4832 -992,4536 -1064,511 -1016,656 -1026,894
oʻ	5.751868 6.057%68 6.4579%5 6.982597 7.843%83	8,036528 8,733204 9,563162 10,56866	13,88772 15,45081 18,26776 22,34365 28,76444	40, 36926 67, (8189 4209, (296 -191, 5277 -65, 70720	-39,(583) -28,40160 -22,12406 -18,112068 -15,31543	-13,30851 -11,75000 -10,51919 -9,5222648 -8,699371	-0.007854 -7.418866 -6.911225 -6.469210 -6.080907
90 KI	86,88568 86,92457 86,97219 87,02856 87,09865	87,167%5 87,2%998 87,3%122 87,4%120	87,66741 87,79367 87,92874 83,07265 88,22543	88,38712 88,55777 88,73741 88,92611 89,12892	89,33090 89,54712 89,77265 90,00756	90,50586 90,76942 91,04272 91,32585	91,92205 92,23534 92,55892 92,89292 93,23748
0 H	15,10565 14,25585 18,40520 12,55858 11,70066	10.84641 9.990604 9.133072 8.273685 7.412119	6.546946 5.682142 4.813329 3.941731 3.067170	2.189%66 1.308%1 40.%239185 -0.%6%2990	-2.252514 -3.152890 -4.057694 -4.967118 -5.881355	-6.800.602 -7.725055 -8.654914 -9.590385 -10.53167	-11, \$7899 -12, \$3255 -13, 38255 -14, 35524 -15, 38282
K" L	2.776458 2.640529 2.502297 2.861688 2.218605	2.072378 1.924711 1.778711 1.619601	1.308319 1.140868 0.9741515 0.6314250	0.4546533 0.2740107 +0.08951941 -0.0990U557	-0.4891378 -0.6910262 -0.8977140 -1.109401	-1.548632 -1.776635 -2.010558 -2.250664 -2.497234	-2,750564 -3,010969 -8,278788 -3,554362
Ж	0.8630411 0.8631652 0.8754780 0.8819577 0.8886267	0.8954915 0.9025521 0.9098165 0.9172912 0.92%829	0.9328988 0.9410461 0.9494328 0.9580668 0.9580668	0.9761119 0.9855414 0.9952553 1.005264	1.026211 1.037173 1.048477 1.060138	1.084586 1.097465 1.110643 1.124318 1.138450	1,153057 1,168168 1,183790 1,199962 1,216705
kk <u>L</u>	9.390955 9.385047 9.380095 9.376094	9.370931 9.369761 9.369530 9.370235	9.377950 9.382386 9.387754 9.397056	9,401292 9,409463 9,418573 9,428623 9,439616	9.451556 9.464247 9.478294 9.493101 9.508873	9.525618 9.543340 9.542048 9.581747	9.624157 9.646884 9.670638 9.695431
N N	10.88124 10.79772 10.71482 10.63100 10.54776	10.46457 10.38141 10.29626 10.21511 10.13194	10.04873 9.965951 9.882036 9.798613	9.631366 9.547517 9.463474 9.379250 9.294815	9.210111 9.12523 9.040059 8.954592 8.868820	8.782721 8.696277 8.609467 8.522272	8.346641 8.255565 8.169221 8.079781 7.989835
۲	9.25 9.25 9.27 9.28	8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	8 8 8 8 8 12 8 8 8 12 8 8 8	9.55 9.56 9.57 9.58

TAME I (continued)

		4:					
ψ.	-0.8627815 -0.856827 -0.851099 -0.8954286 -0.8899645	-0,8246536 -0,8244755 -0,8196009 -0,8148646	-0.8102634 -0.80572939 -0.80145383 -0.727263	-0.7891759 -0.7852211 -0.7015825 -0.7775568 -0.7754417	-0.7710369 -0.7677345 -0.7645383 -0.761844	-0.7555565 -0.7527588 -0.7500546 -0.7474482 -0.7479482	-0.725069 -0.7379237 -0.7376337 -0.7386855
다	898, 34.91 902, 8028 917, 8695 912, 0512	921,7671 926,8055 931,9669 947,2536	948.2125 958.8895 959.7017 965.6517	977.9765 986.3572 990.8876 997.5707 1006.410	1011,409 1018,571 1025,901 1089,401 1041,076	1056.367 1056.367 1065.192 1073.610	1091,042 1100,967 1109,305 1118,762 11128,443
대표	-1041,224 -1053,651 -1066,177 -1078,803	-1104.371 -1117.317 -1130.375 -1143.549	-1170.252 -1183,788 -117,452 -1211.246 -1225,174	-1239,239 -1253,446 -1267,796 -1282,296 -1296,947	-1311,755 -1326,723 -131,856 -137,158	-1388,287 -1404,124 -1420,149 -1436,367 -1452,783	-1463,403 -1486,238 -1503,279 -1520,546 -1538,041
טי	-5,737118 -5,430636 -5,155726 -4,907775 -4,683025	4,78386 4,291298 4,119600 -3,961899	-3,60(1h3 -3,554h6 -3,574h6 -3,228110 -3,225981	-3,130048 -2,040040 -2,955351 -2,875538 -2,800184	-2,728950 -2,661509 -2,597575 -2,596887 -2,479218	-2.872875 -2.872875 -2.322243 -2.277685 -2.229254	-2.185816 -2.144249 -2.104440 -2.066284
90 1	93,59272 93,95880 94,33587 94,72410 95,12863	95,53466 95,395735 96,33190 96,83849	97.76865 98.25264 98.74954 99.25959	100, 2201 100, 8711 101, 4363 102, 0159	108,2199 109,8448 104,4854 105,1401 105,8152	106,5052 107,2123 107,9371 108,6798 109,4410	110,2212 111,0207 111,8400 112,6797 113,5404
۵ در ۱۳	-16,81354 -17,30162 -18,29730 -19,30082 -20,31243	-21,38239 -22,86094 -28,89836 -24,44491 -25,50088	-26.56654 -27.64218 -28.72810 -29.82461 -30.93203	-32,05066 -33,18064 -34,32292 -35,47728 -36,64414	-87,82402 -39,01724 -40,22421 -41,44581 -42,68097	-48,93162 -45,19769 -46,47966 -47,77797	-30, N2564 -51, 77802 -53, 14480 -54, 53255 -55, 93984
74 TA	4,130315 4,431531 4,72266 -5,062864 -5,333311	-5.735967 -6.089635 -6.455561 -6.83442 -7.227026	-7.684121 -8.056598 -8.195401 -8.951550	-9.920419 -10.43565 -10.97329 -11.53489 -12.12216	-12,73699 -13,88146 -14,05779 -14,76856 -15,51658	-16.30480 -17.18683 -18.01647 -18.94806 -19.93645	-20.98714 -22.10636 -23.30119 -24.57972 -25.95125
м	1,234047 1,252018 1,270648 1,289972 1,310026	1,330849 1,352481 1,374968 1,888358	1,448056 1,474479 1,502038 1,50803 1,560850	1.592262 1.625131 1.65554 1.695641	1,773288 1,815121 1,859166 1,95598 1,954608	2.006411 2.061247 2.119382 2.181115 2.246785	2.81670 2.891502 2.471471 2.557238 2.649446
kk Ki	9.748172 9.776143 9.805199 9.885352 9.866616	9.899006 9.982586 9.967223 10.00308 10.04018	10,07839 10,1787 10,15861 10,20060	10.28849 10.33442 10.88171 10.43038 10.48046	10,53198 10,58496 10,63944 10,69544	10,81214 10,87291 10,99947 11,06538	11,1227 11,20243 11,27875 11,34697
A 게진	7.893£2 7.808312 7.71£632 7.63448 7.531617	7.438114 7.343936 7.249055 7.153448 7.057087	6,959%7 6,861998 6,762218 6,668564 6,563021	6,461553 6,359181 6,255721 6,151291 6,045800	5,939238 5,831545 5,722692 5,612642 5,501357	5.888796 5.274920 5.159684 5.043047 4.924962	4, 684264 4, 684264 4, 561552 4, 437198 4, 311149
~	8 2 2 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8 8	9 9 66 9 66 9 68 69	5.000 0 W	22.52	8 8 8 8 8 8 8 8 8 8	9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9	9.90 9.92 9.93 9.93

THE PERSON NAMED IN COLUMN TWO PARTY OF THE PERSON NAMED IN COLUMN TWO IS NOT THE PERSON NAMED IN COLUMN TWO IS NAMED IN THE PERSON NAMED IN

TABLE I (concluded)

	<u> </u>			
٠	-0.7316385 -0.7257920 -0.7279680 -0.7276587 -0.7218785 -0.7218785 -0.7218785	-0.717.346 -0.7162395 -0.7151948 -0.7188942 -0.7122073	-0.7118388 -0.7106181 -0.7095149 -0.7096189 -0.7096148	-0.7083523 -0.7079611 -0.7076111 -0.7072189 -0.707189
tr 113	1138,355 1148,504 1158,896 1169,539 1180,940 1203,646 1203,644 1214,764	1239XIO 1251235 1264277 1277.RE5 1291.1481 1305.125	1343,731 1334,407 1349,467 1364,926 1360,795	1397, 030 1412, 1825 1431, 0317 1446, 1827 1446, 1837
1 E	-1555.771 -1573.781 -1591.961 -1610.885 -1629.173 -1648.182 -1647.871 -1706.920	-1727.099 -1747.593 -1768.112 -1789.548 -1811.070	-1855,150 -1877,772 -1900,779 -1924,195	-1972,309 -1997,038 -2022,235 -2047,919 -2074,106
ם.	-1.994560 -1.90621 -1.928393 -1.867198 -1.867198 -1.788640	-1.732806 -1.708788 -1.68544 -1.672865 -1.671242 -1.6712782	-1,599922 -1,580265 -1,561240 -1,542820 -1,524989	-1.507698 -1.490956 -1.474716 -1.458973 -1.449710
90 K	111, \$225 115, \$266 116, 2588 117, 2033 118, 1771 119, 1755 120, 1992 121, 2469	124, 56113 124, 56113 125, 7234 126, 9158 129, 3933	180.0815 182.0039 134.7561	187.6595 189.1712 140.7258 142.8219 143.9640
JE O	-57.86727 -58.81576 -60.28500 -61.77672 -63.29115 -6.39121 -67.59182	77. 23034 77. 59365 76. 91862 78. 07396	-81.67942 -88.58275 -87.542086 -87.34898 -89.80488	-91.30411 -93.3439 -95.42507 -97.54921 -99.71802
1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	-27, 12619 -29, 01788 -30, 71893 -32, 6(1967 -36, 81750 -36, 81750 -12, 081728 -15, 081728	-6.38708 -5.42867 -61.29707 -6.91569	-81.20017 -90.87348 -101.8005 -115.9860	-158.3179 -157.1568 -272.8252 -827.0704 -154.7989 -932.1118
. **	2.774838 2.85677 2.972759 8.099471 9.237805 8.368019 9.556803 9.740862 8.740862	* 175481 * 183716 * 726502 5 901233 5 998411	6.481300 7.070820 7.852440 8.829322 10.08497	11,75833 14,09914 17,60582 23,18748 85,05091 69,19167
K	11.57859 11.57859 11.65994 11.7836 11.82921 11.91723 12.00761 12.1956	12.23.350 12.39.396 12.49.718 12.77.193 12.82.873	12.93660 18.05682 13.17790 18.30255 13.48069	13.562%2 13.69788 13.88719 18.38050 1%.12793
피	\$.1833\$8 \$.053739 3.922263 8.788860 9.659\$6\$ 3.5160\$1 3.376\$82 8.29\$656	2.744213 2.795390 2.644055 2.990123 2.335502 2.174099	2.081816 1.846549 1.678192 1.506632 1.331752	1,159631 0,9715397 0,7859439 0,5965028 0,4030689 0,2054873
~	25.66 25.66 26.60 26.00 26.00 26.00	9 99 99 99 99 99 99 99 99 99 99 99 99 9	0000 0000 0000 00000 00000	10.15 10.17 10.18 10.19 10.20

TABLE II

VALUES OF THE COEFFICIENT C FOR THE STEADY - STATE FORCED DEFLECTION OF A UNIFORM BAR FIXED AT ONE KND AND SUBJECTED TO A HARMONICALLY VARYING ROTATION AT THE OTHER END.

rotated is expressed as $w(x,t) = V_{x'} \cos \omega t$, where $I_{x'} = COI_{x'}$ if θ represents the rotation amplitude at the right end. Values of C are tabulated For an end rotation $\theta(t)$ = $\theta \cos w t$, the deflection of the bar at a distance \bar{x} from the end being Values of C are tabulated for successive twelveth points of the bar as a function of the dimensionless parameter

in which m is the mass per unit of length of the bar; ω is the elecular frequency of wibration; $\overline{\mathbf{E}}$ is the modulus of clusticity of the material in the bar; $\underline{\mathbf{I}}$ is the moment of inertia of the cross section of the bar about its centroidal axis; and L is the span length of the bar.

				8	RATIO X/L		1			
 1/12	2/12	3/12	\$/12	5/12	1/2	7/12	8/12	9/12	10/12	11/12
0,070028	0.11574	0.14062	0.14815	0,14178	0.12500	0.10127	0.074074	0.046875	0.023148	998900*0
0.070025	0.11575	0.1.00	0.14816	0.14180	0.12562	0.10129	0.074087	0.046884 0.046894	0.023158	0.006367
 0.075030	0.11576	0.11067	0.11820	0.14185	0.12507	20.0	0.074124	0.000	0,023166	0.006871
 0.070042	0.11580	0.140%	0.14830	0.14196	0.12512	0.101	0.074211	636340.0	0.023198	0,005860
 0.070051	0,11583	0.14079	0.14838	0.14206	0.12528	0.10158	0.074284	0.047019	0.023224	0,006368
0.070064 0.070069	0.11588	0.11087	0.14849	0.14218	0.1254	50.00	0.074381	0.047085	0,023259	0.006398
 0.07010	0.11601	0.1411	0.14882	0.11257	0.12581	0.10202	0.074675	0.047287	0,023365	0.000428
 מייסנים מ		0.14160	4100	107610	7000	0.10220	0.074004	0.047.00	0.0004	
0.070167	0.11628	0.14161	0.11951	0.14338	0.12665	0.10278	0.075295	0.047712	0.023589	0.00693
 0.070209	0.11636	0.121%	0.11969	0.14360	0,12687	0.10299	0.075469	0.047827	0.023649	0.006511
 0.070234	0.10	0.14189	0.14990	0.14384	0.12712	0.10322	0.075648	0.037954	0,023716	0.006530
 0.070261	0.11653	C0211.0	0.15013	0.14410	0.12/40	0.10347	1086/0.0	BK08:3.0	0.023/69	1669m*n

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

								·		~										_	_										•	_
	11/12	0,006575	0.006585	0.006590	00990000	0.006506	0.006511	0.006622	0 0000	0,006634	0.006610	0,006646	0,006652	0	0.004658	0.006671	973300.0	0.006685	0.006691	0.006696	0.006705	0.006718		0.006727		0.000.0	0.006758	0 00000	0.006775	0.006783	0,006791	30000°
	10/12	0.023887	0.028904	0.023522	0,023958	0,023976	0.023995	0.024034		0.024074	0.024095	0,024116	0.024137	93446	0.024133	0.024203	0.024226	0.024249	0.024278	0.024297	0.024321	0.024346		0.024397	0.024450	C 024477	0.02450	C COLES	0.024560	0.024589	0.02h618	0101700
-	9/12	0.0482%	0.048911	0.048378	0.048453	0.04848	0.039	0.048533	Those are	0.048634	0.048673	0.048718	0.048753	The same	0.048896	0.048879	0.048922	0.048967	0.049011	0.049057	0,049108	0.049150		0.049247	74264U U	0.049298	0.0491,50	O OFFICE	0.049557	0.049611	0.049667	0377100
	8/12	0.07607	0.076169	0.076217	0.076318	0.076369	0.076721	0.076529	0 075584	049920	0.076697	0.076755	0.076811	0 07697	986920	0.076998	0.077061	0.077125	0.077191	0.077257	0.077325	0.077398	}	0.07758	089220	0 07775	0.077880	0.00	0.077986	0.078065	0 076146	2370100
	7/12	0.10375	0.10387	0.10893	0.10405	5.10+11	30.00	0.10431	10138	0.1045	0.10452	0,10459	0,10466	100.0	10.0	0.10489	0.10497	0.10505	0,10513	0,1052	0,10530	0.10538	-	0.10555	0.10573	0.10588	0.10592	0.10600	0.10611	0.10621	0.10681	md .
10 X/L	1/2	0.12770	0.12782	0.12789	0,12803	0.12809	0.12817	0.12831	80act 0	0.12846	0.12854	0,12861	0.12869	0 12878	0.12886	0.12894	0.12903	0.12911	0.12920	0,12929	0.12938	0.12947		0.12966	0.12986	0.12996	0.13006	0 12017	0.13027	0.13038	0.18049	20001-0
RATIO	5/12	0.14489	0.14452	0.14458	0.14471	0.14478	0 1485	0.14499	O Theore	0.11518	0.14521	0.14528	0,14596	O TREAM	0.11552	0.14560	0.14568	0.14577	0.14585	0.14594	0.14603	0.14611		0.14690	0,14649	0.11658	0.14668	0.11678	0.14689	0.14699	0.11.709	>311100
	1/12	0.15037	0.15948	0.15058	0.15064	0.15070	0.15076	0.15088	15091	0.15100			0.15120	0 15126		0,15140	0.15147	¥2121.0				0.15191	-	0.15199	0.15215	0.15224	0.15232	0.15241	0.15249	0.15258	0.15267	2.3/
	3/12	0.11228	0.14281	0.14234	0.14242	0.14247	0.14251	0.14259	000	0,11268	0.14273	0.14277	0.11282	0.11287	0.11292	0.11297	0.11902	0.14307	0,14912	0.14318	0.14323	0,14328		0.14340	0,14351	0.11357	0.14369	0.11369	0,14376	0,11382	0.14388	1101.00
12	2/12	0,11663	0.11667	0.1160	0,11678	0.11676	0.11678	0.11683	30710	0.11688	0.11690	•	0,11695	0 11698			=		0.11712	0.11715	0.11718	0.11724		0.11727	0,11733	0.11737	_	0.11743	0.11747	-	0.11754	_
	1/12	0.070291	0.070808	0.070310	0.070323	0.070330	0.070337	0.070351	O CHESSES	0.070366	0.07037	0.070382	0.070389	0.070857	0.070105	0.070414	0.070122	0.070431	0.070439	0.070448	0.070457	0.070466		0.070485	0.07050	0.07051	0.070524	485020	0.070545	0.070555	0.070566	
ا	<		2	۳£	8		چ چ	8.4			83		8	Ç		.35	86	.		96	25	1.99		8.8	_				-	.,	308	

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

~			,	-	æ	RATIO X/L	-					
	1/12	2/12	3/12	1/15	5/12	1/2	7/12	8/12	9/12	10/12	11/12	
2.10	0.070588	0.11761	0.14402	0.15285	0.14791	0.18071	0,106\$2	0.078812	0.049780	825420°0	600300"0	
2.12	0.070611	0.11769	0.1	0,1580	0.11758	130%	0.10673	0.078482	000000000000000000000000000000000000000	0.024740	0.006877	
2.13	0.070622	0.11772	0.1422	0.15814	0.14765	0.18106	0.10604	0.078570	0.049958	0.024772	0.004896	
	******		0.1442	0.15524	0.1477	91.81.0	0.10633	0.0/0653	e locação	10.0248U	ctononon	
2.15	0,070646	0.1:780	0.14486	0.15334	0.14788	0.13130	0,10706	0.078749	0.050081	0.024836	0.006855	
2,16	0.070658	0.11784	0.1444	0.1584		ᆵ		0.078841	0.050144	0.024870	0.00586	
2,17	0.070670	0.11768	0.14451	0.15854	0.14812	0.13155	0.10729	0.078984	0.050207	0.024903	0.00587	
200	0.073688	0.11798	0.1459	0.15865	0.14824	0.18167	0.107.0	0.079029	0.050272	0.024938	183900°0	_
(1.2	96901000	0.11(3)	0.1410	0.138(3	7 TAGG	09.61	26701.0	0,077163	0.070338	716470	*C0*00*0	
2.20	0.070708	0,11801	0.14474	0,15386	0.14849	0,13198	0.1076	0.079228	0.050005	0,025008	0.006900	
2,21	0.070722	0,11805	0.1482	0,15897	0.11862	0.13207	0.10776	0.079822	0.050474	0.025048	0.006915	
2,52	0.070785	9-11810	0.14490	0.1758	0.14875		0.10789	0.079428	0.050513	0.025080	0.006925	
2,2	0.070762	0.11819	0.14506	0.17	0.11902	0.13248	0.10814	0.079629	0.050684	0.025154	0.006347	
	-											
2.25	0.070776	0.11824	0.14515	0.1548	0.14916	0.13262	0.10827	0.07978	0.050757	0.025193	0.006958	
2.27	0.07080	=	0.11582	'n	116110	0.13291	0.1085	0.079950	0.050905	0.025271	0.006380	
2.28	0.070819	0.11838	0.14541		0.14958	0.18306	0.10868	0.080061	0.050981	0,025311	0,006992	
(31.3	-	=	200	١.		•	7000	811000*3	00000	100000	100/000	
2.30	0.070819	0.11848	0.11559	0.15504	0.14988	0.13336		0.080287	0.051186	0.025398	0.007016	
3.0	0.070879	0.11858	0.11577	1 15	0.15018	0.13358		0.080500	0.051215	0.025.77	0.007020	
88	0.070895	0.11863	0.14587	0.15542	0.15088	0.1386	0.10989	0.080639	0.051877	0.025520	0.007058	
No.	116070.9	0.1166	0.14596	5	0.15045	0.13400		09/08/02	0.031360	0,025564	690,400-0	
2.35	0.070927	0.11874	0.11606	0.15569	0.15065	0.13417		0.080888	0.051545	0.025608	0.007078	
8.8	0,070,0	0.11885	0.14616	0.15547	0.15061	0 13483	0.10985	0.081007	0.051680	0.025659	0.007091	
2.38	0.070577	0.11890	0.18686	10	0.1511			0.061262	0.051806	0.025/146	0.007118	
2°38	0.070994	0.11896	0.14646	0.15626	0.15131	_	0,11032	3,081898	0.051895	0.025793	0,007182	
2.50	0,071012	0.11902	0.11657	0.15640	0,15148			0,081525	0.051986	0,025841	0,0071%	
200	0.071020	0.11908	0.14667	0.15655	0.15166	0.13521		0.081660	0.052078	0,025890	0,007160	
2,43	0.071065	0.11920	0.14689	0.15685	0.15201	0.18558	0,11099	0.081985	0.052172	0.025935	0.00777	
2.44	0.071084	0.11926	0.14700	0.15701	0.15220	0.13577	0.11117	0.082075	0.05236	0,00000	0.007203	
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TABLE II - VALUES OF THE COEFFICIENT C - CUNTINUED

1/12	2/12	3/12	1/12	5/12	1/2	7/12	8/12	9/12	10/1.2	11/12
0.071102	0.11932	0.1%712	0,15716	0,15288	0.18596	0.11134	0.082218	294250*0	0,026/392	0.007218
0.07121	0.11988	0.14728	0.15782	0.15257	0.13615	0.11152	0.082363	0.052561	0.026144	0.00728
0.071160	0,11951	0.14746	0.15765	0.15295	0.18655	0.111.0	0.082659	0.052765	0.026251	0.000
0.071180	0,11958	0.14758	0.15781	0,15815	0.18675	0,11207	0.082810	0.052869	0.026306	0.00729
000100	211.0	0 41.77	95360		70000	70011	6	1	9,20,00	20000
0.071220		0.11788	15815	1500 C	0.19717	0.11226	0.00,784	0.052374	256920	0.00723
0.071211	0.11978	0.14795	0.15833	0.15375	0.18728	0 11255	0 084778	0.053061	0.026416	0.0078330
0.071262	0.11985	0.11808	0.15851	0.15896	0.18759	0.11285	0.00	058300	0.02530	0.007887
0,071283	0.11992	0.14821	0.15868	0.15417	0.18731	0,11305	0.083602	0.053412	0.026593	0.007364
		1								
0.071305	0.11999	1001 C	0.15887	0.15489	0.13808	0.11325	0.088767	0.058526	0.026653	0.007381
0.071314	1201	1 1 1 8 C 1	0 15424	0 15180	0.19826	0.1346	0.088383	0.038642	0.026714	
0.071871	12021	0.14874	0 1591.8	0 15505	0 12672		0.0010	0.059879	0.026.76	
0.071394	0,12029	0.11888	0.15962	0.15527	0.13896	0.1110	0.084454	0.053998	0.02690	0.007458
						•				
0.071118	0.12037	0.14902	0.15981	0.15551	0.13919	-	0.084682	0.054121	0.026967	0.007472
0.07144	0 12052	0.14916	18001	0.15574	18744 O	0.11.0	0.084818	0.054245	0.027032	0.007491
0.071489	0,12060	0.14945	0,16042	0,15622	0,13998		0.085188	0.054499	0.027166	0.007580
0.071514	0.12069	0.11960	0,16062	0.15646	0.14018	0,11528	0.085372	0.054629	0.027235	0,007550
0.071589	0,12077	0,14975		129510	0.14044	0.11547	0.085561	0.051761	0.027305	0.007570
0.071564	0,12085	0,14991	•	96951.0	0.14070	-	0.085758	0 (54895	0,027875	0.007591
0.071589	0.12094	0.15006	0.16126	0.15721	0.11097	0.11595	0.085956	0.(55030	0.027447	0.007611
0.071642	0.12111	0.15088	0,16171	0.1577	0,14151	0,11645	0,066360	0 (55%08	0.027554	0.00763
0,071669	0.12120	0,15054	0.16193	0.15800	0.14170	0.11671	0.086566	0.(1554.50	0.07768	3 000
0.071696	0.12129	0.15070	0,16216	0.15827	0.11206		924980.0	0 (555%	0.02775	0.0076.8
0.071723	0.12135	0.15087	0.16289	0.15855	0.1,295	0,11728	0.086989	0.(55740	0.027822	0.007720
	1210	2000	0.16263	7564	10.14264	=;	0.087204	0. (355835	0.027900	0.0077
£1.1000	16131	171610	707910		0614630	=	\$24/90°0	62095	0.027980	0.007766
0.071808	0,12166	0.15139	0.16311	0.15989	0.14828	-	0.087646	0.056192	0,028060	0,007789
0.071837	0.12176	0.121.0 5.121.0	0.16836	0.15968	0.14858		0.087872	0,036848	0.028142	0.007818
0.071397	0.12196	0.15192	0.16886	0,16028	0 1 150		0.080.0	0.056505	0.028225	0.007837
0.071977	12206	0 15211		0107		•	***************************************	20000	01807070	

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TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

																			-									_					_		
	11/12	0,007912	0.007964	0.007990	0,008017	0,0080%	0.(108072	0.08100	0,008128	0,008157	0.008186	0.(082)6	0.008217	0.600277	0.038303	10000	0.003340	0.00372	0.0081:38	0.008472	O OTHEROC	0.003543	0.008576	0,008612	0,008648	0.008685	0.008723	0.008761	0.008800	0.008839	0.008879	0.008920	13.008961	0.009003	C. 527249
	10/12	0.028483	0.028661	0,028752	0.028844	0.028938	0.079083	0.0 9129	0.029228	0.029327	0.079428	0.02953	0.029635	0.029741	0,029848	030000	0.023330	0.0000	0.030295	0.030411	0 080599	0.030649	0.030770	0.03089%	0.031019	0.0311%6	0.031276	0.031107	0.031540	0.031676	0.031813	0.031954	0.032096	0.032240	0,35,00 (
	9/12	0.036992	0.057329	0.057501	929250	0.05785	0.058034	0.058217	0.058402	0.058591	C. 6587.22	0.058977	0.059174	0.059374	0.059577	- C 05910h	0.027.04	0,000,00	0.060422	0,060612	278070	0.061091	0.061321	0.061554	0,061791	0.062032	0.062277	0.062525	0.062778	0.063034	0.063294	0.063559	0.063828	0.064103	C.CCLOO.O
	8/12	0.088806	0.089298	0.089548	0.089803	0.090061	0.090322	0.090588	•	0.091132	0.091410	0.091692	0.091979	0.092270	0,092565	D Decec	0.093169	0.093478	0.093792	0.094111	0.094480	0.094763	0.095097	0.095436	0.095780	0,096129	0.096464	0.096845	0.097211	0.097583	0.097961	0.058344	0.098734	0.099130	0000000
	21/12	0,11947	0,12007	0.12088	0.12070	0.12101	0.12134	0,12166	0.12200	0.12233	0.12268	0.12302	0.12338	0.12373	0.12410	0.12449	0.1288	0.12522	0,12561	0,12600	0.1260		0,12721		0,12805	0,12848	0,12892	0.12936	0.12981	0.13027	0,13074	0,13121	0,13169	0.1321	2030100
RATIO X/L	1/2	0.14478	0,14543	0,11577	0.14611	0.14645	89	0.14716	0.14752	0.14788	0.14825	0.14863	0.14901	0.14940	0.14979	0 15014	0,15060	0.15101	0.15148	0,15185	0.15229	0.15272	0.15317	-	0.15408	0.15454	0.15501	0.15549	0.15598	0.15648	0.15698	0.15749	0.15801	0.15858	
R	5/12	0.16089	0,16152	.0.1618h	0,16217	0.16250	0.16284	0,16318	0.16858	0.16388	0.16424	0,16460	0,16497	0.16534	0.16572	0.18610	0,16649	0.16683	0.16729	0.16770	0.16811	0.16854	0.16896	0,16910	0.16984	0,17028	0.17074	0.17120		0.17214	0,17263	0,17912	0.17361	0.17412	
	1/12	0.16438			0.16546	0.16574			₹	0,16691	0,16721	~	-		0,16846	62831.0	- 3~	94691.0	0.16980	0.17014	0,17049	0.17085		2	0.17195	0.17233		0.17310	- I	0.17889	÷.			0.17556	
	3/12	0.15229	0.15268	0.15287	0.15807	0.15827	0.15348	0.15866	0.15889	0.15411	0.15432	0.15454	0.15477	0.15499	0.15522	0.15545	0,15569	0.15593	0.15617	0.15642	0.15667	0,15693	0.15718	0.15745	U.15771	0.15798	0.15826	0.15853	0.15882	0.15910	0.15940	0.15965	0.15999	0.16080	
	2/12	0.12216	0.12237	0.12248	0.12259	0.12270	0,12281	0,12293	0.12804	0,12316	0.12328	0,12340	0.12352	0.12364	0.12377	0.12390	0,12403	0,12416	0.12429	0.12443	0,12456	0.12470	0.12484	0.12499	U.12513	0.12528	0,12543	0.12558	0.1257	0.12590	0,12605	0,12622	0,12638	0.12655	
	1/12	0.071958	0,072021	0.072053	0.072086	0.072119	0,072153	0.072187	0.072222	0.072257	0,072292	0.072328	0,072365	0,072402	0,072440	0.072478	0.072517	0.072557	0.072597	0.072637	0.072678	0,072720	0.072763	0.072806	0.072849	4682400	0.072939	0.072934	0.078031	0.073078	0,078125	0.073174	0.073228	0.073273	
	<	2,80	2,82	2.83	2.8	2.85	2.86	2.87	2.88	2.83	2.90	2.91	2.92	2.93	2.94	2,95	2.96	2.97	2.98	2.99	3.00	3.01	3.02	30.03	5. m	3,05	3.06	3.07	3.03	3,09	3,10	3.1	3.12	m m	

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

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	11/12	0,079089	0.009133	0.0017	0.005270	200000	0.009865	0.005418	854600,0	0.99518	0.0356	0.005616	0.009663	0.0057722	0.009777	0 (000000	0.00000	0,009987	0.010005	0,010065	0.010125	0.010187	0,010249	0.010313		0.01044	0.010512	0.010300	0.010721		0,010/38	0.01032	0.011918	0.011096
:	10/12	0.082586	0.032684	0.082842	0.098157	00000	0.088484	0.989658	0.033821	0.088998	0. 1841 CO	0.081447	0.034529	0.084714	0.034901	O Decres	0.00000	0.085188	0.035685	0.035890	0.086098	0.0061110	0,036525	0.086744	30,000	0.037195	937726		0.086145		0.038898	0.0389.0	0.039167	0.08949
	9/12	099190*0	0.004546	0.065284	0,065834	0.00.00	0.06650	99/530.0	0.007067	0.067418	0.067745	0,069082	0.00025	0.06877	0.069128	O Octobres	0.00055	0.07022	0.070608	0,070974	0.07:387	0.071787	0.072193	0.072607	2	0.078457	0.078598	0.074887	0.075250		0.075719	0.0766112	0.077177	r.,077682
	8/12	0.099942	0.10036	0.10078	0.192		1000	0.10300	0.10876	0.10393	0.10%1	0.10490	0,10%	0.10590	0.10642	16701	10717	0,10801	0.10856	0,10912	0,10969	0,11027	0.11086	0.11146		-	0.11382		0,11528		0.11596	0.11785	0,11807	0.11880
	7/12	0,18317	0.18868	0.1920	0.13526		0.1868	0.18692		0.18608	0,13867	0.18927	0.1558	0.18050	0.14118	0.11177	0,14242	0,14308	0.14876	0.14444	0,14514	0,14585	0.14657	0.14731		0.11882	0.14359	0 15118	0.15203		0.15283	13.60	0,15541	0.15631
RATIO X/L	1/2	0.15961	0.16016	0.16072	0.16187	•	0.16306		0.16428		0.16555			0,16758	0.15821	0.16890	0,16960	0.17032	_	0.17179	0.17254	0.17830	0.17408	0.17488	3	0.17650	0.1772	797	0.17998		0.18083	0.18267	0.18361	0.18457
RAT	5/12	0,17515	0.17568	0.17622	0.17733	49700	0.17846	0,17905	0.17964	0.18024	0,18085	0.18147	0.18210	0.18275	0.18340	0.18406	0.18474	0,18542	0.18612	0, 18683	0.18755	0.18828	0.18903	0.18979		0.19135	0.19215	0.0000	0.19469		0.0000	0.15725	0.19815	0.19907
	1/12	0.17644	0.17688	0.1773	0,17827	36000	0.17928	0.17772	0.13022	0.18078	0.1812%	0,18177	0.18280	0.000	0, 18333	0.18995	0.18452	0.18509	0.18568	0.18628	0.18689	0.18750	0.18813	0.18877		0.19008	0.19075	19218	0.19284		0.19856	0.1950	0.19580	0.19657
	3/12	0.16092	0.16124	0.15150	0.16223	63636	1631.0	0,16826	0,16862	0.14883	0,16485	0.16472	0.16310	0,16949	0,16588	0.1608	0,16669	0.16710	0.16752	U.16734	0.16837	0,16881	0.16926	0.1697	,	0,17065	0.1713		0-17261	•	0.17812	0.1713	0.17772	0,17527
	2/12	0,12689	0.12706	0.1272	0,12760	13778	0,12798	0,12617	0,12836	0.12856	0.12876	0.12897	0.12917	0.12930	0.12360	0,12982	0.1800	0.13026	0.13049	0.18072	0.13096	0,13120	1314	28.6		0.13220	0.1875	1323	0.18827		0.1855	0.13412	0.13442	0.18471
	1/12	0.078875	0.07928	0.07859	0.078589	0.07845	0.073701	0.073759	0.078817	0.078676	0.078936	0.07897	0.074059	0.074122	00147000	0.074251	0.074317	0,071,384	0.074452	0.079262	0,074592	0.074664	0.074787	0.074886		0.074962	0.075040	0.075200	0.075282		0.07285	0.075536	0.075629	0.075718
اا	<	3,15	3,16	8	8.19	9.20	3.21	3.22	3.28	3.24	9.25	3,26	3.27	2000	6,62	3.30	33	8,8	30.00	\$, °	3,35	3.36	3,33	8 8		9	200	30.00	3.4		S A	3.47	3,58	3,43

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TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

	11/12	0.01176 0.011256 0.011389 0.011428	0.011536 0.011635 0.011776 0.011848	0.012059 0.012157 0.012256 0.012860 0.012860	0,012571 0,012680 0,012791 0,012905 0,01302i	0.013139 0.013260 0.013894 0.013510	0.013772 0.018907 0.014045 0.014187	0.014480 0.014632 0.014787 0.015109
	10/12	0.089707 0.089985 0.040268 0.040556	0,041150 0,041455 0,041767 0,042085 0,042409	0.0%2739 0.0%3077 0.0%372 0.0%3772	0.04496 0.044870 0.045251 0.04560	0,0%6445 0,0%6860 0,0%7284 0,0%7718	0.048615 0.049078 0.049652 0.050037 0.050534	0.0510%2 0.051562 0.05209% 0.0526%0 0.0536%0
	9/12	0,078196 0,078719 0,079253 0,079797	0.080916 0.0813-92 0.082079 0.082678	0.084546 0.084546 0.085195 0.085856	0.087220 0.087924 0.08642 0.069875 0.090124	0.090889 0.091671 0.092470 0.093286	0.094973 0.095846 0.096738 0.097650	0,099540 0,10052 0,10152 0,10254 0,10860
	8/12	0.11954 0.12030 0.12107 0.12186 0.12266	0.12%8 0.12%8 0.12516 0.12502 0.12602	0.12780 0.12872 0.12966 0.13061 0.13159	0,13258 0,13360 0,13464 0,13570 0,13678	0,13789 0,19301 0,14016 0,14134 0,14254	0.14877 0.14508 0.14682 0.14764 0.14898	0.15036 0.15177 0.15322 0.15469 0.15621
	21/12	0.15722 0.15815 0.15909 0.16005 0.16108	0.16208 0.16305 0.16509 0.16515 0.1623	0.16733 0.16946 0.16960 0.17077	0.17318 0.17742 0.17539 0.17698	0.17965 0.18708 0.18798 0.18388 0.18388	0.18686 0.18889 0.18996 0.19157 0.19322	0.59490 0.19662 0.19888 0.20019 0.20203
D. X/I.	1/2	0.18555 0.18655 0.18757 0.18861	0.19074 0.19184 0.19295 0.19409 0.19425	0.19644 0.19765 0.19888 (0.20013 0.20142	0.20272 0.20406 0.20592 0.20681 0.20683	0.20968 0.21116 0.21268 0.21422 0.21580	0.21741 0.21906 0.22075 0.22247 0.22247	0.2260% 0.22789 0.22978 0.28171
PAT 10	5/12	0.20001 0.20096 0.20193 0.20293 0.20293	0.20496 0.20601 0.20817 0.20817	0.21041 0.21156 0.21273 0.21398	0.21641 0.21768 0.21898 0.22030	6.22445 6.22445 0.22589 0.22787 0.22887	0.23041 0.23198 0.28529 0.28529	0.28868 0.24039 0.24218 0.14402 0.24591
	1/12	0,19736 0,15816 0,19838 0,19981 0,20066	0.20152 0.20240 0.20380 0.20421 0.20514	0.20609 0.20706 0.20809 0.20905 0.21008	0.21112 0.21219 0.21828 0.21839 0.21552	0.21658 0.21786 0.221907 0.22030	0.22417 0.22417 0.22551 0.22688 0.22829	0.22972 0.28119 0.28270 0.28424 0.28581
	3/12	0.17588 0.17640 0.1759 0.17757	0.17878 0.17941 0.18004 0.18069 0.18185	0.18208 0.18271 0.18341 0.18341 0.18418	0.18560 0.18712 0.18731 0.18731	0.18954 0.19087 0.19128 0.19299	0.19391 0.19579 0.19579 0.19676 0.19775	0.19877 0.19981 0.20087 0.20196
	2/12	0.18502 0.18588 0.18565 0.18597 0.18629	0.1868 0.1869 0.18731 0.18767	0.18839 0.13676 0.13914 0.13958 0.13993	0.14038 0.14074 0.14159 0.14159	0.11247 0.11292 0.11889 0.11886 0.11886	0.11484 0.11584 0.11586 0.11686 0.11692	0.14747 0.14804 0.14861 0.14920 0.14980
	1/12	0.075804 0.075894 0.075990 0.076086	0.076288 0.076889 0.076487 0.076592	0.076808 0.076919 0.077032 0.077147	0.077381 0.077506 0.077637 0.077751	0.078020 0.078293 0.078293 0.078486	0.078724 0.078874 0.079027 0.079183	0,079506 0,079673 0,080013
c	<	3.2.2.2.4.4.4.4.4.4.4.4.4.4.4.4.4.4.4.4.	ម្ដាយ យូល ល ស្រុស្តិស្តិស ស្រុស្តិស្តិស	0 50 00 00 00 00 00 00 00 00 00 00 00 00	6 6 6 6 6 6	6.52 5.22 5.22 5.22 5.22 5.22 5.23 5.23 5	3 3 3 3 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

ear med 1774 は世紀の東京戦争の地域の最初では、1984年の1985年では、1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の1985年の19

1/12 2/12 2/12 3/12 1/12 2/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12 1/12	~					8 8	RATIO X/L				,	
Q. MORRES Q. LISTRE Q. LISTRE <t< th=""><th><</th><th>1/12</th><th>2/12</th><th>3/12</th><th>1/12</th><th>5/15</th><th>1/2</th><th>7</th><th>8/12</th><th>9/12</th><th>10/12</th><th>11/12</th></t<>	<	1/12	2/12	3/12	1/12	5/15	1/2	7	8/12	9/12	10/12	11/12
Company Comp	3.85	0,080380	0.15012	0,20121	0.23742	0.24784	0.29572	0.20898	0.15776	0.10%67	0.053771	922510.0
0,000355 0,15304 0,20790 0,24477 0,20485 0,1636 0,10035 0,1636 0,10035 0,10035 0,1636 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035 0,10035	2 60	0,080759	0.151.0	0.70588	0.2500	0.25125	0.23780	0.20286	0.15098	0.301.0	0.054958	0.015628
0.081356 0.228322 0.228452 0.228465 0.21112 0.16646 0.16925 0.16646 0.081362 0.135383 0.121094 0.228522 0.22846 0.21112 0.16641 0.11097 0.16655 0.081739 0.13544 0.21166 0.22857 0.22857 0.21857 0.11676 0.11697 0.11697 0.11697 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01687 0.01766 0.01766 0.01766 0.01766 0.01767 0.01887 0.01767 0.01887 0.01767 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0.01887 0	3.88	0.080955	0.15236	0.20780	0.21250	0.25892	0.21211	0.20969	0.16265	0,10806	0.055575	0.015908
0.08736 0.27834 0.27834 0.27834 0.27841 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.1877 0.	3,89	0.081156	0.15304	0,20905	0.24477	0.25604	0.24485	0.21197	0,16436	0,10925	0.056207	0.015387
1,0007789 0,15578 0,27166 0,27167 0,27167 0,16772 0,11772 0,11772 0,16772 0,11772 0,078204 0,078204 0,27167 0,12768 0,11767 0,11767 0,11767 0,11767 0,078204 0,078204 0,27821 0,27831 0,27832 0,27832 0,27832 0,27832 0,27832 0,27832 0,27832 0,27832 0,27832 0,27832 0,27837 0,17847 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767 0,11767	3,90	0,061362	0.15373	0.21084	0.2461.	0.25822	0.24664	0,21412	0,16611	-	0,056855	2,016177
0,08278 0,15518 0,25189 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,25599 0,17561 0,1156 0,1156 0,05595 0,082710 0,15672 0,25189 0,25189 0,25599 0,22569 0,17561 0,11569 0,11569 0,05592 0,082711 0,15729 0,22189 0,22569 0,17767 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 0,11569 <td>3.91</td> <td>D. 201578</td> <td>0.15444</td> <td>0.21166</td> <td>0.24796</td> <td>0.260%6</td> <td>0.21900</td> <td>0,21631</td> <td>0.16792</td> <td></td> <td>0.057521</td> <td>0.016371</td>	3.91	D. 201578	0.15444	0.21166	0.24796	0.260%6	0.21900	0,21631	0.16792		0.057521	0.016371
0,082210 0,15525 0,27132 0,25543 0,22543 0,17564 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,11745 0,000366 0,000257 0,000257 0,11745 0,11747 0,000366 0,000257 0,11747 0,11747 0,000366 0,000257 0,11747 0,01184 0,00136 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 0,000367 <th< td=""><td>25.52</td><td>0.081789</td><td>0.15518</td><td>0.21301</td><td>0.24988</td><td>0.26275</td><td>0.25141</td><td>0,21857</td><td>0.16976</td><td></td><td>0.058204</td><td>0.016570</td></th<>	25.52	0.081789	0.15518	0.21301	0.24988	0.26275	0.25141	0,21857	0.16976		0.058204	0.016570
0,082712 0,15749 0,21778 0,25527 0,27255 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,22559 0,27551 0,22559 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27551 0,27552 0,27552 0,27552 0,27552 0,27552 0,27552 0,27552 0,27552 <	00 A	0.082238	26661-0	0.21582	0.25386	0.26752	0.25643	0.22825	0.17361		0.059626	0.016986
0,082717 0,15748 0,27789 0,27558 0,1777 0,11764 0,11777 0,060367 0,082717 0,15749 0,22557 0,27556 0,27559 0,27559 0,17767 0,11976 0,11979 0,01196 0,082310 0,15918 0,22019 0,26027 0,27756 0,27757 0,27757 0,27777 0,1777 0,11976 0,11979 0,01197 0,061906 0,083210 0,15918 0,222189 0,27257 0,27757 0,23842 0,18196 0,12197 0,061908 0,089210 0,16187 0,22719 0,27719 0,27719 0,27719 0,1777 0,18177 0,12177 0,06177 0,06177 0,27719 0,27729 0,27729 0,27729 0,1777 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479 0,18479												
0.083710 0.15822 0.27729 0.27729 0.27729 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 0.17876 <	3,95	0.082472	0.15748	0.21728	0.25592	0.2:000	0.2590	0,22569	0.17561	0.11707	0.060366	0.017202
0.08376 0.1571 0.22382 0.2679 0.27022 0.23347 0.11779 0.11779 0.12779 0.06731 0.08376 0.15086 0.22382 0.2679 0.27022 0.23347 0.11779 0.12779 0.06738 0.08373 0.16087 0.16087 0.22887 0.28088 0.27897 0.23684 0.12779 0.12779 0.12789 0.16689 0.12779 0.12789 0.16689 0.12779 0.12789 0.16689 0.12779 0.12789 0.16689 0.12779 0.12789 0.16689 0.12779 0.12789 0.17679 0.12779 0.12789 0.16689 0.12779 0.12789 0.28679 0.27789 0.27789 0.27789 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779 0.12779	3,96	0.082711	0.15629	0.21677	0.25805	0.27255	22.132	0.22320	0.17767	0.1384	0.061126	22.50
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0.08510 0.1562 0.2246 0.22673 0.28773 0.15380 0.112970 0.068052 0.08480 0.1562 0.23429 0.22640 0.22673 0.25429 0.1568 0.13590 0.115970 0.068052 0.08480 0.1566 0.23429 0.2266 0.22662 0.25423 0.19905 0.13536 0.068052 0.08530 0.16677 0.23628 0.22849 0.22862 0.25622 0.26102 0.25639 0.13723 0.13723 0.068052 0.08530 0.16774 0.23628 0.23849 0.23662 0.25662 0.26102 0.25662 0.26102 0.26428 0.17733 0.17733 0.77185 0.08631 0.16774 0.22849 0.23845 0.23662 0.26428 0.21734 0.77330 0.77346 0.08651 0.17736 0.27746 0.21656 0.27244 0.23662 0.26426 0.27544 0.27244 0.23662 0.26562 0.26564 0.21656 0.27244 0.27244 0.27244 0.27244 </td <td>5</td> <td>0.084010</td> <td>0.16268</td> <td>16922*0</td> <td>0.26758</td> <td>0.28688</td> <td>0.27630</td> <td>0.24162</td> <td>0.18886</td> <td>0.12627</td> <td>0 065264</td> <td>0.018633</td>	5	0.084010	0.16268	16922*0	0.26758	0.28688	0.27630	0.24162	0.18886	0.12627	0 065264	0.018633
0.085387 0.29568 0.28610 0.25029 0.19638 0.1335 0.068052 0.085387 0.28629 0.26610 0.25423 0.1905 0.1335 0.066052 0.085387 0.28629 0.28639 0.1905 0.1335 0.066052 0.085394 0.16666 0.23628 0.28639 0.28639 0.1335 0.06908 0.085304 0.16666 0.23628 0.28639 0.30365 0.26102 0.201773 0.1335 0.06908 0.085304 0.16666 0.28639 0.28639 0.28639 0.13723 0.17723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07723 0.07724 0.07723 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724 0.07724	70.7	0.08581	0.1666	0.23049	0.27467	0.29219	0.28273	0.2778	0.19380	0.12970	0.067095	0.019167
0.085187 0.16666 0.23429 0.28957 0.28956 0.25428 0.19905 0.1335 0.06998 0.085504 0.16774 0.23628 0.20589 0.30585 0.29314 0.25757 0.20179 0.13526 0.070056 0.085504 0.16774 0.23838 0.28689 0.30585 0.29622 0.25672 0.20458 0.17723 0.071106 0.085512 0.16894 0.28679 0.30585 0.29687 0.20687 0.26675 0.20755 0.17723 0.077106 0.086512 0.16894 0.28779 0.20685 0.20685 0.25687 0.20685 0.27754 0.17723 0.077106 0.086512 0.17661 0.27262 0.217361 0.27869 0.21779 0.20577 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569 0.17569	Ď.	0.08480	0.16562	0.23236	0.27733	0.29568	0,28610	0,25099	0,19638	0.13150	0,068052	0.019447
3.085501 0.6774 0.28528 0.28289 0.30236 0.29314 0.25757 0.20179 0.13526 0.070056 0.08530 0.16884 0.28639 0.30585 0.29622 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29622 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.29629 0.2	8	0 005187	0 16666	0 22629	O SEDEM	0,29897	0 289KG	0.254.22	_	73335	0.069039	D. 019725
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0,08672 9 0,24487 0,29509 0,31701 0,30860 0,27204 0,21369 0,14578 0,175559 0,14578 0,175659 0,14578 0,175659 0,14578 0,176495 0,176495 0,24719 0,28509 0,31711 0,28602 0,27204 0,21691 0,14578 0,176495 0,14878 0,176495 0,14878 0,176495 0,14878 0,176495 0,14878 0,176495 0,14878 0,176495 0,14878 0,176495 0,14878 0,176495 0,14878 0,176495 0,14876 0,14876 0,14876 0,14876 0,14876 0,14876 0,14876 0,15595 0,14876 0,15596 0,14876 0,15596 0,14876 0,15596 0,14876 0,15596 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876 0,15699 0,14876	88	0.086166	0.16998	14042.0	0.28679	0.30945	0.80062	0.26458	0.20755	0.13927	0.072189	959020-0
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11 U.087239 U.17861 U.27719 U.22839 U.82098 U.81779 U.27794 U.27794 U.27794 U.27799 U.82098 U.87739 U.87739 U.87739 U.82098 U.87739 U.82098 U.87739 U.82098 U.82008 U.		0,086870	0.17236	0.24487	0.29509	0.31701	0,30860	0.27204	0.21369	0.11354	0,074464	0.021321
13 0.088015 0.17626 0.25207 0.30532 0.32159 0.26421 0.22369 0.17647 14 0.088422 0.17762 0.25729 0.31275 0.38371 0.32622 (.28855 0.22726 0.15298 0.179438 15 0.088844 0.17905 0.25729 0.31275 0.38325 0.3865 0.2304 0.23096 0.15555 0.080869 16 0.089220 0.18058 0.26004 0.31666 0.34783 0.34118 0.30752 0.23478 0.16098 0.016098 17 0.089712 0.18206 0.26288 0.32071 0.34783 0.34118 0.30752 0.24287 0.16098 0.045292 18 0.090211 0.18365 0.26584 0.32927 0.35280 0.35202 0.31772 0.24715 0.16682 0.0086679	۳,	0.067239	0.17361	0.24719	2000 C	0.32036	0.81273	0.27396	0.21691	0.147/8	0, (17,655) 0, (17,695)	0,020,07
14 0.0884/2 0.17762 0.25729 0.32622 (-28855) 0.22726 0.15298 0.1778/38 15 0.08884 0.17762 0.25729 0.31275 0.38825 0.32622 (-29304) 0.22726 0.15598 0.103049 16 0.089220 0.18058 0.21666 0.34785 0.32671 0.34789 0.23478 0.15821 0.082289 17 0.089732 0.18206 0.32071 0.34789 0.34118 0.32375 0.16098 0.16386 18 0.099732 0.18365 0.22584 0.32071 0.34789 0.34478 0.16386 0.16386 18 0.090201 0.18365 0.22584 0.32471 0.35280 0.35287 0.34775 0.16386 0.16386 0.16682 0.066677	•	0.000	72710	0.25207	30532	2862	92159	0 26421	63637	200	0 (1/817)	0.02200
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16 0.089220 0.18058 0.2600% 0.31666 0.84295 0.38599 0.29769 0.28478 0.15821 0.082289 17 0.089752 0.18206 0.26288 0.32071 0.34783 0.3418 0.30752 0.23478 0.16098 0.085763 18 0.080201 0.18365 0.26584 0.32491 0.35280 0.34477 0.30752 0.24287 0.16384 0.15384 0.15384 0.15384 0.16382 0.16382 0.16382 0.16682 0.16682 0.086679	45	0 08881	17905	0 26729	0 91275	0.83825	0 89102	(L. 2930)	0.03096	ח זיקאיני	0 030869	4618600
.17 0.089712 0.18206 0.26288 0.32071 0.84789 0.34118 0.30252 0.23875 0.16098 0.083768 .18 0.090201 0.18365 0.26584 0.32491 0.35286 0.34647 0.30752 0.24287 0.16384 0.75292 .19 0.090686 0.18530 0.26890 0.32927 0.85813 0.35202 0.31272 0.24715 0.16682 0.086879	9	0.089260	0.18058	0.2600	0.31666	0.84295		(), 29769	0.28478	0.15821	0.082289	0.025610
.18 0.090201 0.18365 0.26584 0.32431 0.35286 0.34647 0.30752 0.24287 0.16384 0.535292 0.090686 0.18530 0.26890 0.32927 0.85813 0.35202 0.31272 0.24715 0.16682 0.086879	1.17	0.089732	0.18206	0.26288	0.32071	0.34783		0,30252	0,23875	0.16098	0.083763	0.02400
4.12 U-U20606 V-16735 U-C4070 V-36.74 U-C4070 V-36.74 U-C41713 U-C41713 U-C41713 U-C41713 U-C4070	8.4	0.090261	0.18365 0.18365	0.26584	0.32491	0,35286	0.94647	0.30752	0.24287		0.035292	0.024488
	613	929060*0	Dec 1 60 30	0.50920	0.36267	0.62013	702660	2/2/000	U.C4/15	U. IB60Z	C/9990°0	76/6+70°0

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

· 不 · 中央管理的现在分词,所以是对对一种自然的原理的问题,可能,但是现在一种中,是是是是是是是一种,是是是是是一种,是是是是是一种,是是是是是一种,是是是是

11/12 21/12 91/12 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/13 11/1	~					RA	RATIO X/L	-				
0.00000000000000000000000000000000000		1/12	2/12	8/12	4/12	5/12	1/2	2/12	8/12	9/12	10/12	11/12
0.0997711 0.18479 0.27538 0.58879 0.58879 0.28257 0.28250 0.17747 0.092034 0.092021 0.19479 0.28291 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.28292 0.	1,20	0.091190	0.18701	0,27208	0.88379	0.36357	0.85777	0,31811	0,25159	0,16991	0,088528	0.025454
0.099471 0.19653 0.22877 0.28978 0.38762 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.38763 0.387	200	0.091713	0.18879	0.27538	0.83849	0.96923	0.96375	0,82872	0.25620	0.17313	0,090248	0.0259 BG
0.094021 0.19653 0.28997 0.85978 0.49178 0.39022 0.78459 0.271761 0.28989 0.10714 0.095891 0.095891 0.095891 0.28999 0.29999 0.49178 0.49178 0.28999 0.29999 0.49178 0.49178 0.28999 0.29999 0.29999 0.49178 0.49178 0.49178 0.29999 0.49178 0.49178 0.49178 0.29999 0.49178 0.49178 0.49178 0.49178 0.29999 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0.49178 0	23	0 09982	1925	0.2750	0.59.880	0.87312	0.36337	0,8000	0,26100	0.17647	0.092026	0.626.58
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0.099563 0.79983 0.209463 0.40193 0.40593 0.40594 0.29983 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993 0.1993	35.75	0.094024	0.19663	0.28997	0.85927	AC498.0	0.39022	0 26.85E	0 2260	0 1872	6 0000	0 000458
0.095736 0.20046 0.20076 0.48022 0.477108 0.44599 0.44527 0.520440 0.229440 0.19574 0.100744 0.20076 0.20094 0.48023 0.48024 0.48290 0.44529 0.54726 0.20040 0.200940 0.48023 0.48024 0.48024 0.200940 0.200940 0.48023 0.48024 0.48024 0.200940 0.20170 0.48023 0.48024 0.48024 0.200940 0.21704 0.20094 0.48024 0.48024 0.48024 0.20094 0.21704 0.20094 0.21704 0.22016 0.49024 0.48024 0.48024 0.20094 0.21704 0.22016 0.49024 0.48024 0.48024 0.48024 0.20094 0.21702 0.22016 0.21703 0.48024 0.48024 0.48024 0.48024 0.22016 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.48024 0.48024 0.22016 0.48024 0.22016 0.48024 0.48024 0.48024 0.48024 0.22016 0.48024 0.48024 0.22016 0.48024 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.48024 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22016 0.42016 0.22	1.26	0.094663	0,19880	0.29401	0.36503	0.10119	0.39755	0.85541	0.28230	0.19131	0.099988	0.02877
0.0057515 0.20590 0.387263 0.347591 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590 0.487590	4.27	0.095330	0,20106	0.29822	0.87108	0.40848	0,40521	0.86260	0.28822	0,19543	0,10214	0.0294.18
0.093113 0.202049 0.31775 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.48278 0.19378 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.2020 0.202	.28	0.096026	0.20313	0.30263	0.87731	0.11599	0,41321	0.97010	0.29440	0.19974	0.1044	0,030031
0.007515 0.20849 0.38205 0.88218 0.48034 0.38618 0.20875 0.109751 0.009313 0.21120 0.38774 0.48278 0.48937 0.48978 0.48978 0.21120 0.21120 0.21120 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0	670	0.03673	0.20230	0.30728	0.88387	0.42330	J. \$2158	0.877%	0.80087	0.20425	0.10685	0.080735
0.0968111 0.21170 0.48179 0.48098 0.48998 0.48998 0.48998 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170 0.21170	# 30	0.097515	0.20849	0,81205	0.89074	0.13218	0.43034	0.38618	0.30765	0.20897	0,10987	0.031533
0.1095 0.27340 0.82735 0.49597 0.49397 0.49396 0.83222 0.21912 0.21914 0.21914 0.42740 0.82735 0.49593 0.48397 0.48396 0.22436 0.21912 0.22735 0.1959 0.48396 0.83205 0.22436 0.12778 0.12778 0.12778 0.12778 0.12778 0.12778 0.12779 0.12779 0.22635 0.83279 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919 0.84919	ر ا ا	0,098313	0.21120	0.31710	0.897%	0.14066	0.13953	0.89481	0.31176	0.21392	0.11201	0,082877
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0.10192 0.22637 0.48096 0.48019 0.48010 0.48690 0.48690 0.22635 0.12401 0.10292 0.22635 0.48096 0.48019 0.48090 0.48679 0.48090 0.48679 0.28022 0.12401 0.10292 0.22635 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48021 0.28022 0.48091 0.28022 0.48091 0.28022 0.48091 0.28022 0.48021 0.28092 0.48091 0.28022 0.48091 0.28022 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48091 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.28092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.48092 0.4809		0,10095	0.22016	0.83880	0.12176	0.16959	56694	0.47384	20000	2242	1200	
0.10192 0.62347 0.83595 0.83059 0.84819 0.84890 0.84890 0.34698 0.35634 0.12401 0.10298 0.22695 0.84864 0.84916 0.84900 0.84592 0.12772 0.12772 0.10298 0.22642 0.845991 0.51871 0.56592 0.24952 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 0.12772 </td <td></td> <td></td> <td></td> <td></td> <td></td> <td></td> <td></td> <td></td> <td>3</td> <td>2000</td> <td>-</td> <td>30000</td>									3	2000	-	30000
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0.10638 0.23462 0.47086 0.52884 0.52270 0.48291 0.33690 0.26423 0.15286 0.10638 0.23462 0.37633 0.48287 0.52286 0.5726 0.43627 0.39841 0.2726 0.14317 0.10766 0.24761 0.38497 0.49481 0.55775 0.58076 0.41100 0.41665 0.28077 0.14717 0.11077 0.25784 0.49481 0.55736 0.58077 0.41769 0.28077 0.4177 0.4269 0.28077 0.1477 0.11077 0.25780 0.40786 0.58064 0.61729 0.51877 0.42579 0.58067 0.4277 0.42579 0.58067 0.4277 0.42579 0.58064 0.61729 0.56180 0.45289 0.16182 0.42579 0.58067 0.42579 0.58069 0.52809 0.42579 0.58069 0.52809 0.51826 0.58199 0.45289 0.16182 0.58199 0.16182 0.58199 0.16182 0.51869 0.51869 0.51869 0.51869 0.51	38	0.10517	0.23451	0.96058	0,15991	0.51563	0.51871	0.46916	0.37606	0.25666	0.13102	0,038909
0.10766 0.24238 0.37633 0.45247 0.55775 0.54756 0.43627 0.14736 0.14737 0.14736 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.11738 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 0.14737 <t< td=""><td>£.33</td><td>0,10638</td><td>0,23862</td><td>0.86820</td><td>0.47086</td><td>0.52884</td><td>0.53270</td><td>0,18231</td><td>0.38690</td><td>0,26423</td><td>0,12388</td><td>0.040173</td></t<>	£.33	0,10638	0,23862	0.86820	0.47086	0.52884	0.53270	0,18231	0.38690	0,26423	0,12388	0.040173
0.109/2 0.2476f 0.8946f 0.55775 0.56885 0.51110 0.42469 0.28077 0.14773 0.11097 0.22534 0.8946f 0.57362 0.58016 0.55690 0.42369 0.28989 0.15258 0.11201 0.25780 0.40396 0.57362 0.58016 0.55690 0.42369 0.15258 0.11201 0.25780 0.40396 0.53964 0.61729 0.51729 0.15258 0.11366 0.25892 0.41789 0.51729 0.62804 0.61729 0.51729 0.15258 0.11386 0.26945 0.62804 0.61729 0.56119 0.45249 0.16327 0.11384 0.26945 0.62804 0.61729 0.61724 0.51726 0.51726 0.1158 0.22828 0.46778 0.58862 0.67894 0.62848 0.58969 0.18259 0.1259 0.28288 0.46887 0.67894 0.67894 0.58489 0.18259 0.1259 0.28268 0.48687 0.67894 0.678	04.4	0,10766	0.24298	0,37683	0.48247	0.54286	0.54756	0.43627	0.39841	0.27226	0.18817	0.041429
0.11548 0.26945 0.4557; 0.58694 0.60864 0.61729 0.51818 0.45249 0.15289 0.15288 0.15289 0.15288 0.15289 0.15288 0.15289 0.15289 0.15288 0.15882 0.40896 0.51824 0.51818 0.45248 0.26945 0.45277 0.45248 0.26945 0.16322 0.48778 0.25959 0.62804 0.61739 0.62804 0.61739 0.62804 0.61739 0.62804 0.61738 0.28288 0.48377 0.48577 0.38307 0.16324 0.18389 0.27592 0.48778 0.57025 0.62804 0.62994 0.60191 0.48577 0.38307 0.18399 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.18999 0.1899		0.10962	0.24768	0.38197	0.4948	0.55775	0.56335	0,51110	0.41065	0.28079	0.14773	0.04271A
0.11346 0.26342 0.41447 0.58634 0.60844 0.61729 0.56180 0.45248 0.42353 0.16332 0.11348 0.27532 0.42571 0.58634 0.60844 0.61729 0.56183 0.45248 0.32111 0.16326 0.11548 0.27532 0.42571 0.58632 0.64887 0.65394 0.60191 0.48557 0.33307 0.16332 0.18339 0.183307 0.18338 0.27532 0.43775 0.58882 0.67132 0.68375 0.62428 0.50404 0.58482 0.67428 0.50404 0.5956 0.18339 0.18339 0.18339 0.183397 0.52400 0.85394 0.67467 0.54887 0.55400 0.27563 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.18339 0.183	2	0.11047	0.25254	0.39417	0.50794	0.57362	0.58016	0.52690	0.42369	0.28989	0.15258	0.04187
0.11548 0.26345 0.4257; 0.55300 0.62804 0.63785 0.58113 0.46848 0.32111 0.16326 0.11548 0.22532 0.43775 0.57025 0.64887 0.65191 0.48557 0.33307 0.17566 0.11788 0.22828 0.45078 0.58882 0.67132 0.62875 0.62842 0.50404 0.3556 0.18254 0.12159 0.29040 0.46482 0.60839 0.67956 0.70946 0.52400 0.85599 0.18254 0.12159 0.29050 0.46482 0.60839 0.69556 0.70946 0.54847 0.55400 0.85599 0.18254 0.12159 0.29055 0.46832 0.75046 0.77467 0.54847 0.54849 0.18254 0.1806 0.12658 0.40855 0.63068 0.77856 0.77845 0.77845 0.54847 0.54849 0.18749 0.18749 0.12658 0.40856 0.68069 0.77845 0.77845 0.77845 0.76768 0.77845 0.5809		0,11366	0.26842	0.4147	0.58694	0.60864	0.61729	0,56180	0.45248	0.8099	0.16332	
0.11788 0.27552 0.48775 0.57025 0.64887 0.65994 0.60191 0.48557 0.83307 0.17566 0.18254 0.50404 0.84557 0.84557 0.18254 0.18254 0.18254 0.28288 0.46487 0.52406 0.85389 0.18254 0.18254 0.29065 0.46487 0.52406 0.85389 0.18254 0.18254 0.29065 0.46682 0.67182 0.67182 0.67182 0.67182 0.67182 0.67182 0.67182 0.67182 0.67184 0.52406 0.85389 0.18254 0.19606 0.12658 0.30746 0.46603 0.65926 0.75040 0.76768 0.77467 0.5487 0.5487 0.5489 0.19606 0.20683 0.67264 0.59488 0.40182 0.20683 0.62296 0.42194 0.22690 0.18251 0.32764 0.58435 0.70828 0.8156 0.81570 0.81691 0.76883 0.62296 0.42195 0.28346 0.45195 0.28346 0.45195 0.58039 0.77869 0.81570 0.81571 0.80582 0.65391 0.45195 0.28346 0.45195 0.58039 0.77869 0.87676 0.80582 0.65391 0.45195 0.28394 0.25128	54	0 11588	54676 0	0 4257	0 55300	- C28/A	0 C270E	0 1440	0.107.1			200
0.11938 0.28288 0.45078 0.58882 0.67132 0.68375 0.62428 0.50404 0.85596 0.18254 0.18599 0.18599 0.18599 0.18599 0.18599 0.18598 0.70946 0.64847 0.52400 0.85389 0.18599 0.18599 0.1259 0.29040 0.46482 0.65068 0.70314 0.67467 0.54563 0.37493 0.19606 0.12658 0.30740 0.49655 0.65068 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.75040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040 0.77040	94	0.11783	0.27592	0.18778	0.57025	0.0887	0.6599	200	0.16018	0.35111	0.1512	
0.1259 0.290% 0.4648? 0.60889 0.60889 0.608% 0.7218% 0.73738 0.67467 0.55400 0.85389 0.18399 0.1259 0.29655 0.48003 0.63068 0.7218% 0.73738 0.67467 0.55469 0.37493 0.18006 0.12658 0.30740 0.49656 0.65426 0.75040 0.76768 0.73426 0.589180 0.20683 0.1254 0.30740 0.49656 0.65426 0.75040 0.76768 0.73426 0.59488 0.40932 0.1254 0.32764 0.58435 0.70828 0.78156 0.81691 0.76883 0.62296 0.42196 0.1359 0.332764 0.58435 0.78382 0.81697 0.81691 0.45196 0.45196 0.45196 0.13570 0.35212 0.58039 0.77869 0.92081 0.92081 0.92081 0.47746 0.81776 0.45126	4.47	0,11938	0,28288	0.15078	0.58882	0,67132	0.68375	0,62428	0.50404	0.84596	0.18254	0,052968
0.12658 0.30740 0.49656 0.65426 0.76768 0.76768 0.7937 0.56915 0.89140 0.20683 0.31641 0.12658 0.32764 0.58435 0.7037 0.59488 0.4032 0.21641 0.32764 0.58435 0.4032 0.4032 0.4032 0.22690 0.12941 0.32764 0.58435 0.4032 0.4032 0.22690 0.12941 0.32764 0.32764 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.4032 0.403	9	0,12159	0.29040	0 16787	0,60889	0.69556	0.70916	0.64847	0.52400	0.85989	0.18999	0.055144
0.12658 0.30740 0.49656 0.65426 0.75040 0.76768 0.70317 0.56915 0.89140 0.20683 0.12941 0.81706 0.51460 0.6004 0.78156 0.80069 0.73426 0.73428 0.4032 0.21641 0.12941 0.32764 0.58435 0.70828 0.81570 0.81691 0.76883 0.62236 0.421396 0.22690 0.13538 0.32764 0.58435 0.78335 0.81570 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676 0.81676	76.4	0.000	0,629639	0.40003	0.63068	0.72184	0.78738	29k29"0	0,54563	0.37493	¬.	0.057508
0.1251 0.3276 0.51460 0.68004 0.78156 0.80069 0.73426 0.59488 0.40332 0.21649 0.18251 0.32764 0.58435 0.70828 0.4032 0.22690 0.18251 0.3327 0.55608 0.77859 0.85326 0.87676 0.80582 0.65391 0.45757 0.23846 0.18570 0.35212 0.58039 0.77869 0.89478 0.92081 0.84727 0.66813 0.47746 0.25128	1.50	0,12658	0,30740	0.1965	0.65426	0.75040	892920	0.70317	0,56915	0.89140	0.20683	0,060079
0.13570 0.35212 0.58039 0.77369 0.89478 0.92081 0.84727 0.68813 0.42196 0.25128	٠ د	0.12341	0.81706	0.51460	0.68004	0.78156	0.80069	0.73426	0.59488	0.10332	0.2164	0.062885
0.13970 0.35212 0.58009 0.77869 0.99478 0.92081 0.84727 0.68813 0.47146 0.25128	7634	0.13598	0.32764	0.55408	0,70520	0.61570	169880	0.76883	0,62296	0.42896	0.22690	0.065961
	K.	0,13970	0,35212	0,58009	0.77869	0.89478	0,92081	0.84727	0.68813	0.471.46	0.25128	0.073069

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

																		_					_	_
	11/12	0.077249	0.093075	2.98550.0	0.10770	0,12765	0.15748	0.17631	0.23580	0.23339	0,17366	1.4221	-1,1389	-0,71931	0.35041	0.28301	-0.20720	-0.18165	0.16179	-0.13291	-0.12209	-0.11294	2000	100000
	10/12	0.26548	0.31963	6255	0.36932	0,18739	0.53576	0,60340	0.80634	0.96869	1,6178	8531 8531	3065	-2.451?	6357	0 98885	92402	0.61760	5496	0.15132	-0.41140	0.38317	8992	17000
	9/12	0.50:02	60.03	10°40°0	0.69534	0.8226	1.006.6	1,1381	1,2957	1.8161	3,0298	9,0793	± 0.1691	-4.5792	-2.25.55	-1-8346 -1-5801	-1.3127	-1.1497	1,0230	-0.83876	176971	-0.7131	300	1
	8/12	0.76870	0.87082	0,53285	1.004	1.1867	1.4501	1.6912	2,174	2.6090 3.2607	19 34 6 P	6,5157 13,006	13,116	-6.5157	-3.2708	-2.6167	-1.8696	-1.6362	1 2097	1.1910	-1.0922	-1.0085	2,78686	2121000
	7/12	0.89334 0.94486	1,0635	1.1436	1,2302	1.1509	1,7697	1,9889	2.6464	3,1724	5.2751	15,755	± 000 -15,858	-7.9066	-3.268	-3,1515	-2.2478	-1.9649	1,753	-1.1259	-1.3062	-1.2050	701107	1000
RATIO X/L	1/2	0.96978 1.0245	1.1559	1587-1	827	1.5622	1,9009	2.1337	2,8322	9.3908 \$.2286	5.6242	16.755	15,821	-8.8758	->-5684	-3,8258	-2.8649	-2.0649	1.0316	-1.4928	-1.3652	-1.2576	10855	11000
PA.	5/12	0,99243	1.163	• 161.	1.2782	1.1990	1.8179	2,0372	2,6949	3.22 0 3	5.8238	15,864	-15,809	-7.8575	-8.8989	-3.1021	-2.1978	-1,9152	5198	-1.3760	-1.2568	-1,1549	1990	117110
	1/12	0.85449	189560	0610.1	1743	1.2732	1,5868	1.7180	2,2616	2.6963	4,4839	13.094	± 00-13,028	6. 4575	4.27.03 43.1829	-2,528	-1.7807	-1.5472	2000	12	-1.0025	-0.91875	28488	20101
	8/12	859E9*0 2.63658	0.70813	U•15157	0.86015	0.92924	1.13	1.2401	1.6198	1.9235	3,1874	9,1872	± ± 0090	-4-4709	-2,3450	-1.7258	-1,2086	-1.0405	91363	0.72909	-0.65989	9	2010	70.00.00
	2/12	0.86640	0.12066	0.44400	0.50200	0.58896	0,68751	0.70524	0.90887	1.0708	1.7201	2,5806 1,9556	± 2038	-2.3489	-1.1252	-0.21764	-0.60148	-0.51121	10.000	-0.34761	-0.81058	-0.27525	0.22288	VILLE !!
	1/12	0.14389	0.15981	79991	0,1743	0.19450	0.22340	0.24326	0.30281	0.35043	0.54077	1.4893	±	-0,65203	0.2323	-0.22162	-0.13974	-0.11416	0.034255	-0.065304	-0.054445	-0.045254	0.08/8/	2112200
ا		\$.55 \$.56	28.5	60.	0,0	25	36.	50	999	80.0	0.4	4.72 4.72	#. 730+	5.75	1	22	9.		28	8	65.	9.66	200	

TABLE II - VALLES OF THE CONFFICIENT C - CONTINUED

								1	_								 										-								
	11/12	0.067128	0 (82.72	1/08/14	0.(71189		-0.068116	-0.065313	0.042745	-0.060885	0.058208	A 05/195	051228	052591	050977	0.049459	0.048043	0.046711	29465	0.043280		-0.042132		000000	088468	275	106580 106580	0.086172	874280 O	-0.094815	O 081182	0.088576	-0.082997	-0.082442	0.081910
**	10/12	-0.29510	-0.27322	77677	0.24070		-0.23021	-0.220G	-0.21167	19802 °C	-0.19638	18861	18818	17720	12167	1,16650	-0.16166	-0.15712	58251-0-	200 A		-0.14146	- 18507 - 18507	- 1 4 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	-0.12892		-0.12617 -0.12856	0.12106	-0.11869	-0.11642	-0.11125	-0.11217	-0.11019	-0.10828	-0,10616
	9/12	-0.54656	4.51685	C255-0	22		-0.42515	-0.40724	-0.39088	6.37 575	-0,36183	78848	2022	250	21555	-0,30587	-0.29680	-0.2882°	0.28029	2525.0		-0.25898	0.25257	0.24655	-0.23511	10000		-0.22066	-0.21619	-0.21192	-0.2078k	-0.2085	-0.20021	-0.19663	-0.1932i0
70 00	8/12	-0.77258	-0.78008	2	-0.62678		-0.598G	-0.57257	-0.54946	-0.52788	-0.50788	S PROPE	P 17280	98954 0-	A 1150	-0.12761	-0.41460	-0.40238	0.39090	-0.36008		-0.36022	0.35109	0.04240	-0.92642		2000	-0.80519	-0.29875	-0.29261	-0 28C7k	-0.28111	-0.27578	-0.27057	-0.26561
	7/12	-0.91930	-0.26776	2000	-0.74267		-0.70859	-0.67748	-0.64897	-0.62276	-0.59358	-0.57619	-0.5550	-0.58609	-0.51806	-0.50120	-0.18511	-0.47058	2000	50.85.0	-	-0.11386	0.40526	20,000	-0.87826	00000	772927	-0.35241	-0.34457	-0.83706	-0.82992	-0.82806	0.31649	-0.31019	-0.30414
RATIO X/L	1/2	96856*0-	0.83917	0000	-0.76617	===	-0.72991	-0.69682	-0.66619	0.68860	-0.61286	40685 0-	26,56692	10.54694	-0.52718	-0.50917	-0.4928h	-0.47653	96196	-0.44.00 -0.434.0		-0.42191	90014.0	-0.53002	-0.37801	76070	0.35636	0.85037	-0.34199	-0.83897	082680	-0.31695	-0.81190	-0.80514	-0.29865
2	5/12	48898°0-	0,81720		0.63162		-0.65768	-0.62642	-0.59781	-0.57150	-0.54721	C 50272		14484-0-	-0. MG677	-0.44580	-0.48340 -0.48340	-0.41846	20000	-0.37862		-0.36678	0.35557	2000	-0.82521	90750	-0-51805 -0-51805	-0.29899	-0.23103	-0.28342	-0.27418	-0.2691	-0.2624A	-0.25601	-0.24983
	\$/12	61289*0-	-0.63348	2000	-0.5857		₩205.0	-0.48161	-0.45792	-0.43613	-0.41601	A8798 0-	-0.38008	-0.36897	-0.34893	0.33486	-0.82167	0.30977	092620	-0.25620		-0.26637	-0.25705	02947-0	-0.28180	9000	0.22416	-0.20997	-0.20333	-0.19698	-0.19090	-0.18507	-0.17947	-0.17410	-0,16898
	8/12	56564*0-	2000	0.8738	-0.88951		-0.31371	-0.29568	9.27303	-0.25379	-0.24970	57782 0-	-0.22458	-0.21821	0.20270	-0.19288	-0.18358	-0.17488	-0-16669	-0.15167		-0.14476	0.13821	2500	0.12045		2000	-0.10508	0.10040	-0.095925	463160 0-	-0.087519	-0.088567	-0.079769	-0.076116
	2/12	-0.19078	-0.17474	7000	19581		-0.12527	-0.11558	-0.10669	-0.098514	-0.090961	-0. ORS963	-0.077661	-0.071100	-0.065747	-0.060451	-0.055483	-0.050812	E149413	-0.088887		-0.081621	-0.031097	0.027731	-0.021538	97000	- C-	-0.013253	-0.010730	-0.008317	-0 005947	0.00377	-0.001638	+0.000416	0.002398
	1/12	-0.019286	-0.01+NIE	700010"0-	-1), 0031115		-0.000071	+0.002774	0,00538	0.007787	0.010006	0.012068	0.012873	0.015755	0.017813	0.018977	 0.020438	0.021818	0.023100	0.02538		0.026582	0.027621	709920	0.030440	000000	0.081293	0.082887	0.083682	0.034346	0 085082	0.085690	0.086322	0.036930	0.037516
c	<	4,30	16.3	200			1.95	96"4	1,97	¥-98	66.4	8	35	5.02	200	5	5.05	8	20.0	3.6		5.10	2.5	2017	5.1	;	25.2	2.5	5.18	5.19	5 20	5.55	2.2	5.23	5.24

TABLE 11 - VALLES OF THE COEFFICIENT C - CONTINUED

					- W. W. W.					
1/12	2/12	3/12	1/12	5/12	1/2	7/12	8/12	9/12	10/12	11/12
0.083040	0.004296	-0.072600	-0.16896	-0.2%369	-0.292\2	-0.23833	-0.26086	0.18!90	-0.1()471	0.031400
0.0891:0	0.007902	-0.065945	6.125%	-0.28266	0.2806	-0.28787	0.25190	6.18:70	0.10142	0.03041
0,039638	0.009611	-0.062734	6.15011 6.15521	0.22735	0.26972	-0.28220	-0.24768	0.18778	-0.098877	-0.029389
0.040639	0.012859	-0.058810	0.1168	0.21780	-0.26456	0.27243	-0.23969 -0.23569	-0.17526 -0.17526	-0.096942 -0.096942	6.02183
0.041528	0.015900	-0.051215	-0.13380	-0.20792	-0.25476	-0.26383	-0.2328	0.1701	0.094230	-0.028349
0.041960	0.017349	-0.048552	-0.13006	-0.20347	-0.25011	-0.25902	-0.22877	-0.16772	-0.092548	-0.027976
0.042378	0.018754	-0.045971	-0.12643	-0.19916	-0.24561	-0.25486	-0.22538	-0.16538	-0.091711	-0.027615
0.042785	0,020117	-0.043470	-0.12292	-0.19499	-0,24126	-0.25084	-0.22211	-0.16312	-0.090518	-0.077770
0.043179	0.021110	6.919°	-0.11952	-0.19096	-0.23706	-0.24695	-0.21896	-0.16095	-0.089167	-0.076986
0.043563	0.022725	-0.038690	-0.11621	-0.18704	-0.28299	-0.2¥318	-0.21589	-0.15804	-0.088255	-0.076613
0.043335	0.023973	-0.036+04	-0.1130;	-0.18325	0.22904	-0.23954	-0.21293	-0.15681	-0.067181	-0.07.6301
0.044293	0.025187	-0.034183	-0.10990	-0.17957	-0.22522	-0.28602	-0.21007	-0.15484	-0.086144	-0.0%6001
0.044652	0.026366	-C. 032024	-0,10689	-0.17601	-0.22152	-0.2:260	-0.20780	-0.15294	-0.0851152	-0.025710
	0.027517	-0.029924	-0,10395		-0.21792	-0.22929	-0.20462	-0.15110	-0.08%172	-0.025429
0,04583	0.028637	-0.027881	0.10110	-0,16918	-0.21448	-0.22609	-0.20203	-0.11.32	-0.083234	-0.025158
0.04565	0.029727	-0.025892	-0.098327	-0,16591	-0.21105	-0.22297	-0.19951	-0.1*760	-0.082827	-0.0214895
0.045978	0.030730	-0.023355	RZ9560°0-	-0.16278	-0.20776	-0.21995	-0.19707	-0.14598	-0,081149	-0.024641
0.046290	0_031827	-0.022067	0008000	-0.15964	-0.20457	-0.21703	-0.19471	-0.1443	-0.380600	-0.021396
0.046594	0.032839	-0.02022	-0.090441	-0.15669	-0.20147	-0.21418	-0.192\$2	-0.1427	-0.079777	-0,021158
0.046891	0.033827	-0.018432	-0.087943	-0.15370	-0.19645	-0.21112	_	-0.14122	-0.078980	-0.023928
0.047182	0.034792	-0.016580	-0.085518	-0.15085	-0.19551	-0.20874	1880	5.8	-0.078208	-0.023705
994740.0	CE / CEN . O	10.014971	24 LE SU -0-	2021.0-	-0.19266	-0.20613	-0.18594		-0.077859	-0°423430
0.04774%	0.036657	-0.013301	-0°08083¢	-0.14537	-0.18988	-0.20360	-0.18391	1889	-0-U76736	-0,02:2281
0.048016	0.037558	-0.011670	-0.078580	-0.14274	-0.18718	-0.20113	-0.18193	-0.13559	-0.076032	-0.02:3079
0.048282	0.038440	-0.010075	-0.076378	-0.14017	0.18454	-0.19873		-0.13429	-0.075853	-0.02:083
0.04854	0.089303	-0.008518	-0.074226	-0.13766	-0.18198	0.19640	-0.1781	.0.13302	-0.074690	-0.022698
0.048799	240149	-0.006991	-0.072124	-0.18521	-0.17947	-0.19413	-0.17633	−.	-0.074043	-0.022509
0,049050	0.040977	-0.005498	-0.070070	-0.18282	-0.1770	-0,19192	-0-17457	-0.13050	-0.073427	-0.022331
0.049297	0.041789	-0.00\037	-0.068061	-0.13049	-0.17466	-0.18977	-0.17286	-0.129lt	-0.072R2%	-0.022158
0.049538	0.042584	905606	960990.0-	-0.12821	-0.1723	-0.18768	-0.17119	-0.128:X	-0.072239	-0.021990
0.05000	0.048865	0.00120	0.064174	12237	1,700	-0.18563 -0.18563	0.16957	-0.12722	0.071672	0,021828
			07778						֡	

TABLE 11 - VALLES OF THE COEFFICIENT C - CONTINUED

`					RATIO X/L					
	2/12	8/12	1/12	5/12	1/2	7/12	8/12	9/12	10/12	11/12
	044882 045621	0.001517	0.060451	12169	0.16572	0.18171	-0.16645 -0.16645	0.12513	-0.070587	-0.021518
	946946	0.004134	-0.056879	-0.11757	0.16156	-0.17798	0.16351	0.12315	-0.069566	-0.021228
_ 0	0.047759	0.006655	-0.053489	0.11358	-0.15759 -0.15759	0.17518	-0.16209	-0.12220 -0.12128	-0.068603	-0.020954
٠ ت	0.048447	0.007882	-0.051788	-0.11173	-0.15568	-0.17272	-0,15937	-0.12039	-0.068143	-0.020828
	A9125	0.009086	0.050149	0.10986	-0.15880	-0.17105	-0.15807	- 115/15 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	.0.067697	0.020697
	0.050448	0.011435	0.046972	0.1062		0.1678	-0.15555	0.11.05	-0.066844 -0.066844	0.0000 O
	51095	0,012580	-0.045427	-0.10448	-0.14843	-0.16629	-0.15435	-0.11705	.0°06643€	-0.020341
- 0	0.051782	0.013707	-J.048910	-0.10276	-0.14671	-0.16477	-0.15317	-0.11627	040990*0-	-0.020230
	0.052359	0.014815	0.042419	0.10107	0.14504	0.16890	-0.15202	-0.11552	-0.065657	-0.020122
	53588	0.015305	10.040554	0.033403		1,000	10.15051	2021	-0.065284 -0.064933	0.020018
	0.054189	0.018089	-0.038097	-0.096187	-0.11021	-0.15906	-0.11876	0.1338	-0.064573	0.019819
0	0.054783	0.019082	40.03670%	10.094621	-0.19867	-0.15777	-11 15777	-0.11,70	#20 0K#23#	-0 01977
	0.055369	0.020109	-0.035333	-0.093084	-0.13716	-0.1561	-0.14672		-0.053505	-0.019638
١	559148	0.021123	-0.083985	-0.091574	-0°13563	-0,15512	-0.14574		-0.063588	-0.019544
ں ب	0.057034	0.023122	-0.0313k3	-0.090090	-0.13428	-0.15387 -0.15264	-0,14478	-0,11079	-0.063277	-0.019459
	E SOLD	Oppress of	0/3000 0	0	9	4				
ت ب	0.058593	0.025041	-0.028738	-0.085793	-0.13005	-0.15027	0 11206		0.052688	000000
•	0.058739	0.025989	-0.027543	-0.084409	-0.92872	-0.14913	0.14120	0,10813	0.062137	-0.0191%
ايب	59279	0,025925	-0.026319	-0.0830h7	-0.127%0	501.0	-0.14036	-0.10736	- 051875 - 051875	-0.019374
_ پ	59918	0,027850	-0.625096	-0.081708	-0.12612	16541.00	-0.13954	-0,1074	-0.061621	-0.019005
9	0.0609%1	0,028764	-0.023837	-0.080391	-0.12485	-0.14584	-0.19875	-0.1069¥	-0.051976	-0.018995
اين	0.060865	0.029658	-0.022715	-0.079095	-0.12361	-0.1±73	-0.13797	0.106.5	-0.061139	-0.018875
ى ب	61383	0.030561	0.021518	0.077819	0.12240	- F-	-0.13722	0,105:8	-0.060910	-0.018814
• •	0.062405	0.032320	-0.019260	0.075826	-0.12003	-0.14179	-0.18577	0.105:2 0.105:2	0.060690	0.018755
,					-					
0.0	0.062910	0.033185	0.018137	0.074108	-0.11888	1,084	-0.13507	-0.10kb	-0.060273	-0.018645
• 9	20039	0.034890	0.015988	6.071725	9,11,50	-0.13898	0 18873	200	10.060076	0.018593
9	0.064398	0,035730	-0.014850	-0.070560	-0.11555	-0.18809	-0.13309	0.1034	0.05970	-0.018196
9	.064887	0,036562	-0.018779	-0.06%11	-0.11148	-0.13722	-0.13246	-0.108%	-0.059529	-0.018451

		88	222	× ×	3%	===	£2	: K 3	88	25	\ R:	33	73	- F	73	258	28	88	ક્ષ		
	11/12	-0.018503		-0.018226	ξξ	4.018116	480314	0.018055	-0.018023	-0.018010	-0.017990	-0.017983	-0.017973	6.0	-0.017973 -0.017976	-0.017981	6.01337	-0.018020 -0.018020	-0.018035		
	10/12	-0.059361 -0.059201	0.0589067	-0.058627	0.058500	0.058159	-0.058057	0.05787	0.057715	-0.0576%	0.057521	0.057468	0.057331	0.057316	-0.057292 -0.057274	-0.057262	-0.057255	-0.057260 -0.057270	-0.057286	0.057308	
	31/6	-0.10270 -0.1028	6.00 0.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 83.00 80 80 80 80 80 80 80 80 80 80 80 80 8	20.00	0.10077	-0.10022	-0.099716	0.099256	0,098830	-0.098646 -0.098463	-0.098291	-0.093129 -0.097976	-0.09788#	-0.097580	-0.057467	-0.097271	-0.097114	-0.037049	616960*0-	60.00	
	8/12	-0.13186	-0.13069 -0.13014 -0.13014	-0.12907		0.12712	-0.12667	0.12581	-0.12500	-0.12462	-0.12390	-0.12356	-0.12292	-0.1232	0.12178	-0.12153	0.12106	-0.1208# -0.12063	-0.12944	0.12026	
	1/12	-0, 13636 -0, 13552	0.18391	-0.13236	-0.13161		-0.12879	0.12747	-0.12621	-0.12560	-0.12448	-0.12387 -0.12332	-0.12278	0.12175	-0.12125	-0.12029		0.11852	-0.11811	325	
RATIO X/L	1/2	-0.11248	0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.0.	-0.10845		0.10566	-0.10387		0.1001.2	-0.099656	0.098066	-0.097289 -0.096524	-0.095771	0.094299	-0.093581 -0.092873	-0.092176	0.090813	-0.0901¥7	-0.088844	0.088207	
2	5/12	-0.068278	0.066060	0.062841	0.061796	0.058739	-0.0577%	0.055790	0.053880	-0.0529\1	0.051092	-0.050182	0.048390	0.046633	0.044908	0.044057	0.042877	0.040725	906680	0.030036	
	1/15	-0.012721	-0.010688 -0.009613	-0.007594	0,006599	0.00%70	-0.002711	0.00817	0.001048	0.001970	0.003794	0.005593	0.006485	0.008252	0.009128	0.010868	0.012591	0.013448	0.015150	0.015957	
	3/12	0.087867	0.039620	0.041410	0.042196	0.043752	0.045288	0.046805	0.048306	0.049051	0.050530	0.051265	0.052727	0.054179	0.054901	0.056342	0.057776	0.058192	0.059921	0.0000	
	2/12	0.065872	0.066832	0.067779	0.068216	0.069603	0,070061	0.070971	0.071875	0.072324	0.073220	0.073666	0.074555	0.075442	0.075885	0.076769	0.077653	0.078095	0.078979	0.079866	
	1/12	0.056595	0.056900	0.057852	0.057502	0.057799	460850.0	0.058367	0.058678	0.058824	0.05911%	0.059403	0.059548	0.059887	0.059981	0.060271	0.050560	0.060706	256090.0	0.061289	
ç	\	5,95 5,96	2 2 2 3	8		25.50 9	.6.3	353	38	6.10	6,12	6.13	6.15	6.17	6.19	6.20	22.9	6.23	\$2,5	97.9	7779

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TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

	i							
	11/12	0.018188 -0.018158 -0.018185 -0.018214	6-6-6-6-6-6-6-6-6-6-6-6-6-6-6-6-6-6-6-	-0.018%8 -0.018512 -0.018588 -0.018606 -0.018606	0.018708 0.018762 0.018876 0.0189876	6.9983 6.9983 6.9933 6.9933	0.019420 0.019420 0.019579 0.019579	0.019749 0.019847 0.01954 0.02050 0.02018
	10/12	-0.057502 -0.057502 -0.057503 -0.057620 -0.057687	-0.057760 -0.057840 -0.057924 -0.058015 -0.058112	-0.058215 -0.058323 -0.058438 -0.058438 -0.058559	-0,058819 -0,058958 -0,059104 -0,059256 -0,059415	-0.059580 -0.059752 -0.059931 -0.060116 -0.060309	-0.060508 -0.060714 -0.060928 -0.051148 -0.051377	-0.061612 -0.061856 -0.062107 -0.06266 -0.062633
	9/12	-0.096865 -0.096877 -0.096896 -0.096828 -0.096928	-0.097018 -0.097077 -0.097145 -0.097223 -0.097211	0.097168 0.097516 0.09753 0.097759	-0.098043 -0.098200 -0.098367 -0.698544 -0.098731	-0.098129 -0.099138 -0.099357 -0.099587 -0.099827	0.1008 0.10082 0.10082 0.10120	0.10151 0.10216 0.10216 0.10287
	8/12	0.11965 -0.11951 -0.11981 -0.11981	0.11914 0.11907 0.11897 0.11894	0.11892	0.11998 0.11909 0.11916 0.11916	0.1198	0.12016 0.12016 0.12034 0.12034	-0.12096 -0.12119 -0.12169 -0.12169
	7/12	0.11622 0.11597 0.11594 0.11592	0.1146	0.11326 0.11279 0.11279 0.11256	0.1128	0.1135 0.1121 0.11097 0.11087	0,11078 0,11069 0,11050 0,11050	6,6,6,6,6,6,6,6,6,6,6,6,6,6,6,6,6,6,6,
RATIO X/L	1/2	-0.065751 -0.065159 -0.084575 -0.084000	-0.082874 -0.082823 -0.081779 -0.081243 -0.080715	-0.080194 -0.079480 -0.078478 -0.078478	-0.077694 -0.077214 -0.076741 -0.076274	-0.075958 -0.074910 -0.074967 -0.074031	-0.073174 -0.072755 -0.072340 -0.071931	-0.071129 -0.070786 -0.070388 -0.069963 -0.069963
C	5/12	-0.035915 -0.035182 -0.034854 -0.033581	-0.032048 -0.031288 -0.029778 -0.029029	-0.028282 -0.027589 -0.026061 -0.025826	-0.024593 -0.028462 -0.028183 -0.022406 -0.022406	-0.020955 -0.020232 -0.019509 -0.018787 -0.018066	-0.017344 -0.016623 -0.015902 -0.015181	-0.013736 -0.013012 -0.012287 -0.01561 -0.010638
	21/4	0.015362 0.020198 0.021082 0.021866 0.022698	0.023530 0.024361 0.025191 0.026022 0.026852	0.027683 0.028514 0.030179 0.030179	0.031848 0.092685 0.038524 0.0383508	0.036054 0.036903 0.037755 0.038610	0.040331 0.041198 0.042069 0.042944 0.043825	0.04501 0.045601 0.045401 0.047401
	8/12	0.069487 0.064201 0.064915 0.06581	0.067064 0.067788 0.068508 0.069225 0.069949	0.070675 0.071404 0.072185 0.072868 0.073605	0.074944 0.075087 0.075894 0.076584	0.078097 0.078859 0.079627 0.080899 0.081176	0.081958 0.082746 0.083540 0.084340 0.084340	0.085959 0.086778 0.087605 0.088489 0.089280
	2/12	0.061201 0.08(648 0.082096 0.082945 0.082996	0.063948 0.063902 0.064357 0.064814 0.065273	0.085785 0.086198 0.086663 0.087132 0.087602	0.088075 0.088552 0.089031 0.089513 0.089998	0.090979 0.091475 0.091974 0.092478	0.093497 0.093497 0.094018 0.094584	0.095590 0.096125 0.09666 0.097212 0.097763
	1/12	0.061731 0.061879 0.062027 0.062177 0.062326	0.062\times 77 0.062\times 28 0.062\times 80 0.062\times 82 0.063\times 80	0.063240 0.063295 0.063551 0.063708 0.063866	0.0002k 0.0018k 0.0018k 0.00508	0.067836 0.065002 0.065170 0.065823	0.065681 0.06585k 0.066029 0.066206	0.066564 0.066746 0.06630 0.067116 0.067633
6	<	6.32 6.33 6.33 6.33	88788 88788	9777	2.47.8°	5.55 5.55 5.55 5.55 5.55 5.55 5.55 5.5	25 25 25 25 25 25 25 25 25 25 25 25 25 2	6.5.5.6 6.5.5.6 6.5.5.6

TABLE 11 - VALLES OF THE COEFFICIENT C - CONTINUED

						_								_		_																	
	11/12	-0.020217	0.000	0.02058	0.02061	S mark	0.020871	0.020991	0.02111	0.021240	-0.021370	0.021508	0.021640	-0.021783	-0.021924	200200	0.02222	-0.022379	0.022539	-0.022703	0.022872	0.023045	-0.028222	0.02350		-0.023783	0262320	0.024103	-0.021604	-0.024823	0.025280	-0.025518	-0.025762
	10/12	0.062909	O DESERVE	0.063786	0.064096	4400	0.064742	0.065080	0.065427	-0.065784	151990	066528	916590 0-	-0.067315	+217300-	-0 OCRINE	0.068577	0.069021	0.069178	946690.0-	-0.070428	0.070923	0.071131	0.071854		0.073041	0.073608	074.70	0.075402	10,076030	0.077350	0.078036	0.078742
	9/12	-0.10824	1000	0.1048	-0.10485	20620	0.1057	-0,10621		-0.10718	-0.10770	-0.10822	-0.10877	-0.10933	-0.10990	0 11060	÷	_	_	-0.11305	-0.11374	_	=	-0.11592	•		6791167		-0.1208	0.12173	-0.12369	-0.12469	-0.12571
	6/12	-0.12225	0 12387	0.12820	-0.12354	-0 12880	-0.12\$27	-0.12466	-0.12507	-0.12549	-6,12592	-0.12638	-0.12685	-0.1278	-0.12784	12887	-0.12891	-0.12947		-0.13065	-0.13127	-6.13191	-0.13257	-0.13326 -0.13336		-0.13469	0.13544	2200	-0.13785	 0.13870	0.15059	-0.11118	-0.11239
	7/12	11041	200	9.11951	-0.11057	4011	1001	_	_	-0.11102	-0.11115			6.1169		A 1114	-	_	_	-0.11285	-0.11311	_	-	6.1.87		_	6.11457	==	-0.11612		-0.11748		•
RATIO X/L	1/2	0.069213	0.068481	0.068121	992290	A newste	0.0200	0.066729	-0.066891	0.066058	-0.065729		-0.065083	-0.064767	-0.064454	-0 norths	0,063010	-0.063538	0.063241	-0.062947	-0.062656	-0.062369	-0.062086	061806		0.061257	0.060987	00000	0.060198	0.059941	0.059437	0.059189	-0.058945
	5/12	-0.010103	0.00687	0.007901	-0.007161	PLADO0 0-		-0.004924	0.00171	-0.003613	-0.002652	-0.001886	-0.001115	-0.000339	+0.003448	0 001280	0.002024	0.002824	0.003631	0.00445	0,005266	96090000	0.006934	0.007780		0.09501	0.010876	0.01.00	0.013066	0.013986	0.015863	0.016822	0.017795
-	1/15	0.049225	0.051078	0.052015	0,052961	0 053415	0.054877	0.055848	0.056829	0.057820	0.058821	0.059832	0.060854	0.061888	0.062984	0 063992	0.065068	0.066117	0.067245	0.068858	0.069485	0.070628	0.071787	0.072963		0.075367	0.076597	0.077040	0.080405	0.081717	0.084410	08579	0.087199
* *	3/12	0.030130	0.09185	0.092729	0.09361	n néarcea	0.0971	0.096325	0.097250	0.398186	0.029183	0.10005	0.10106	0,10205	0.13304	0 13k05	0,10508	0,10611	0.10717	0.1562	0,10982	0.11042	0.1115	0.11268		0,11501	0,11620	10.10	0.11991	0.12119	0.12382	0, 12517	0.12655
	2/12	0.098821	10.00000 10.000000	0.10003	0.10061	0.10120	0,10180	0.10240	0.10301	0.10363	0.10426	0.10490	0.10554	0,10620	0.10686	0 10758	0.10821	0.10890	0.10961	0.11032	0,1110	0.11178	0.11253	0.11329		-	0.11565	-	0.11813	0.11899	0,12076	0.12167	0.12260
	1/12	0,067499	0.067880	0.068076	0.068275	O DCR476	0.068680	0.068887	9606900	0.069808	0.069528	0.069740	0.069961	0.070185	0.070412	O COUCES	0.070876	0.071113	0.071355	0.071600	0.071849	0,072101	0.072358	0.072620		0.073156	0.073431	0.0/3/11	0.071287	0.074583	0.075192	0.075505	0,075825
c	:	59*9		83.9	69.9	6 70	2.5	6.72	6.73	6.2	6.75	6.76	6.77	6.78	6.79	, BO	9	6.82	6.83	5 .9	6.85	6.86	6.87		}	6.90	F. 9	26.00	6.9	6.95	2.5	6.98	6.39

TO SECTION OF THE PERSON OF THE PROPERTY OF THE PERSON OF

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

2/12							*		
	. 1/12	1/12	5/12	1/2	21/12	8/12	9/12	10/12	11/12
0.12855	0.12796	0.088688	0.018788	-0.058703 -0.058703	6.11891	0.1433	-0.12676	-0.079467	-0,026U13
2550	0.130%	0.091584	0.020807	-0.058229	-0.12000	-0.11598	-0.12896	0.080961	-0.026587
0,12651 0,12754	0.13388	0.094658	0.022898	-0.057786	-0.12058	0.14657	6.13	0.082582	0.027091
2259	0,135N	0.096285	0.023970	-0.057589	-0.12181	-0.14887	-0.18252	-0.093418	-0,077380
2367	0.18734	0.097850	0.025068	-0.057314	0.12216	-0.15007	-0.13377	0.084279	-0.027677
0.13189	0.11084	0.10119	0.027308	-0.056874	-0.12363	-15250	900	0.066078	0.028238
0.13304	0.11204	0.10291	0.028464	-0.056657	-0.12456	0.15391	-0.13777	0.067018	-0.028622
0.18422	0.14379	0.10467	0.029642	-0.056444	-0.12532	-0.15528	-0.13919	0.087986	-0.028956
200	0.14558	0.1064	0.08084	0.056288	0.12610	0.15669	901.00	088385	58628.9
37.56	0.11929	0.11021	0.033826	-0.055818	-0.12776		0.14271	0.091075	0.00021
0.18924	0.15121	0.11215	0.034608	-0.055615	-0.12864	-0.16120	-0.14581	0.092169	962080
0.14058	0.15319	0.11314	0.035919	-0.055414	-0.12955	-0.16281	-0.14697	0.093298	-0.030787
0.14195	0.15522	0.11618	0.037260	-0.055215	-0.18050	-0.16447	-0.14868	194460 O	-0.031188
14386	0.15730	0.11827	0.088682	0.055019	0.13148	-0.16(19	-0.150%	29960	- Carea
0.14629	0.1619	0,12262	0.041479	589450.0-	-0.13356	9.55	0.15716	0.098198	-0.082472
0.14782	0.16890	0.12488	0.042957	944450 0-	-0.13366	-0.17170	-0.15611	-0.099520	-0.032329
0.11933	0.16622	0.12721	0.044478	-0.054259	-0.18580	-0.17367	-0.15H2	0 10089	0.033401
0.15101	0.16861	0,12961	62094000	-0.054075	-0.13699	-0.17571	-0.1GR21	0.10231	-0.032689
0.15268	0.17108	0.13%62	0.047628	-0.058718	-0.13822	0.18001	0.1663	0.10530	-0.084917
15740	407630	48423	ezeuar u	.A. 069692	40046	900	00000	2010	STANCE OF
0,15801	0.1789	0,13993	0.052703	-0.058861	-0.11223	0.18464	0.16933	0.10651	-0.036019
15990	0.18173	0.11272	0.054496	-0.053188	-0.14367	-0.18708	-0.17182	-0.11020	-0.036600
0.16185	0.18461	0.11560	0.056348	0.053017	40.14518	-0.18962	45.0	0.11195	-0.037209
9000	61013	0.1403	6,000	0407000	200	-0.19663	201110	781.7	11:08/662
0.16595	0.19067	0.15164	0.060216	-0.052682	-0.14887	-0.19499	-0.17988	-0.11566	-(),038478
16811	0.19386	0.15482	0.062248	-0.052517	-0.15007	0.19784	-0.18276	0.11763	-0.039153
1705	0.39717	0.15612	0.064349	0.052855	201719	20080	0.18575	1196:	0.039855
17500		200	1	7777		100000	200	20131.0	Cocaron !

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

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0.11820 0.22645 0.27798 0.22046 0.11625 -0.05026 -0.1967 -0.27794 -0.26388 -0.21774 0.22645 0.22645 0.22645 0.22645 0.22645 0.22645 0.22645 0.22645 0.22645 0.22645 0.22645 0.22646 0.11625 -0.049696 -0.19669 -0.27794 -0.26388 -0.21529 0.22642 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22649 0.22	7.17	0,10847	0,21794	0,26658	0.22710	0.10789	-0.050157	-0.19086	-0.26516	-0.25096	-0.16379	0.054997	
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0.5344 U.8482U	7.63	0.14893	0,83505	45044	0.89971	0.21547	0.048261	0.29448	-0.43339	-0.42067	158220	0.094391	
	*9 • /-	0.15344	0.34820	0.45988	00614.0	94/22"0	-0.Well57	-0.30e19	70.45282	-0.43306	0.177.0-	0,030133	

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TABLE 11 - VALUES OF THE COEFFICIENT G - CONTINUED

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	11/12	0.1080	0.1217	0.1577 0.15861 0.17154 0.17157	-0.20505 -0.22718 -0.25463 -0.28968	-0.33908 -0.49188 -0.99183 -0.91723 -1.6132	1,6508 3,1405 1,2719 0,79600 0,58172	0.45783 0.37769 0.37769 0.27375 0.27375	0.222.9 0.2020 0.1698 0.17062 0.15885
	10/12	-0.80578 -0.82147	-0.35083 -0.35083	- 10510 - 0 10510 - 0 10510 - 0 10510 - 0 10510	-0.60121 -0.66575 -0.76582 -0.86780 -0.98207	-1.1669 -1.18722 -1.8705 -2.6778 -4.7062	-19.838 9.1511 9.7061 2.8227 1.6322	1.3812 1.0974 0.98868 0.81252 0.71985	0.58540 0.58540 0.50544 0.49877
	9/12	-0, 46095 -0, 46095 -0, 46428	6.58838 6.57188	6.69738 6.63785 6.7876 6.7876 6.81957	-0.99817 -0.99866 -1.1121 -1.2630 -1.4617	-1.7351 -2.1352 -2.7763 -8.5791	-28.711 13.532 5.4720 8.4281 2.6952	1.9511 1.6151 1.3728 1.1936	0.34632 0.85747 0.7886 0.72183 0.65898
	8/12	0.1965 -0.1965 -0.1965	0.55078	0.61925 0.66072 0.76834 0.82936	-0.907;; -1.002; -1.119; -1.2694 -1.666	2.1831 2.1831 2.7715 4.86	28.515 18.416 5.4159 8.8870 2.4610	1.5874 1.1860 1.1690 1.2801	0.92857 0.88587 0.76280 0.70077 0.64825
	21/2	-0.81912 -0.88301	-0.386.98 -0.386.88	0.5850	0.5877 0.6467 0.71988 0.91218	1.1.25 1.7.386 1.7.380 1.825 1.825 1.825	-17.696 8.2500 8.3815 2.0741	1,1716 0,95874 0,80966 0,69948 0,61462	0.54785 0.45270 0.44742 0.40229 0.87676
RATIO Z/L	1/2	-0.048054 -0.047958	0.047755	0.047568 0.047373 0.0473873 0.047287	6.94711 6.94725 6.9485 6.9485 6.9475 6.9475	6.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000 9.000	0.046816 0.046215 0.046175 0.046106	-0.045972 -0.045908 -0.045944 -0.045782 -0.045782	0,04568 0,04559 0,04559 0,04559 0,04598
	5/12	0.24061 0.25512 0.25512	0.28918	0.38195 0.35784 0.86759 0.42215	0.51188 0.57024 0.64830 0.85829	2.10270 2.1027 2.1027 2.1027	17.62 4.864 4.4657 2.1181 1.5741	-1.2458 -1.0828 -0.77278 -0.68776	0.52035 0.52012 0.52012 0.52135
8 7	1/12	45854.0 62854.0	0.55072	0.5873% 0.6290% 0.67702 0.73276	0.87658 0.97160 1.0854 1.2854	1.7085 2.1058 2.7423 8.9276 6.9078	28,186 -13,145 -5,1486 -2,1146	-1,9581 -1,6145 -1,3787 -1,1956	-0.94.978 -40.86.96 -0.70808 -0.726.94 -0.67862
7.0	8/12	6,48122 0,50476 0,58086	0,55996	0.62952 0.67156 0.71989 0.77605 0.84212	0.32096 1.0167 1.1854 1.2866	2.1592 2.1595 2.8008 8.9948 6.9372	26.7 47 -18.507 -5.14 68 -5.1021 -2.1690	-1,9946 -1,5884 -1,3458 -1,1668	-0.91868 -0.82958 -0.75568 -0.69845 -0.64081
	2/12	0.86264 0.37856 0.37856	0.41590	0.16298 0.19186 0.56201 0.6668	0.65998 0.72370 0.80436 0.90712	1.2266 1.3971 1.9806 2.7876 4.7667	19,459 -9,0905 -8,6481 -2,2615 -1,6808	-1.2697 -1.0356 -0.87167 -0.75087 -0.65700	-0.58291 -0.52267 -0.47274 -0.45066 -0.89472
	1/12	0.15840 0.16867 0.16998	0.17669	0.19284 0.20259 0.21881 0.22684	0.260% 0.28267 0.81021 0.8%526	0.15185 0.54767 0.69688 0.97822 1.6698	6.7095 -4.0858 -1.2156 -0.74165	-0.40185 -0.82111 -0.26485 -0.22828	0.1857 0.12736 0.12736 0.11852 0.10118
6		7.65	7.68	でただれ	~~~~~ 2% 2% 2% 5% 5% 5% 5% 5% 5%	7.83	7.56	3. 2. 2. 2. 2. 2. 2. 2. 2. 2. 2. 2. 2. 2.	7.95 7.95 7.97 7.98 7.98

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TABLE II - VALUES OF THE COEFFICIENT C - CONTINUED

						i.			_			_			_					_														_					
	11/12	0.14777	0.1885	0.18342	0.12822	0.11680		58			0.03001	107/0-0	0.089204	5.08593K	0.062861	010000	0.07341		0.074858	0.072588	0.070482	0.068410	0.066510	0.000	0.0670	O OKINE	0.059942	0.058518	2000	O CASSON	0.0560	0.058508	0.052404		0.051351	Panch n	100 C	194945 1010	16C 5 "0
	10/12	0.42717	0.10025	0.87658	0.85560	0.38687	70000	907550	0.60468	711600	0.2570	211270	25,25656	0.04685	0.78788	0 22956	0.22188		0.21163	0.20790	0,20161	0.19571	0.1901	48484	1800	0.17588	0.17098	0.16582	0 47369	1540	0 1557	0.15218	0,14895		0.14588	0.147.4		12/20	0.10760
	9/12	0.62330	0.58847	0,54848	0.51786	93684.0	200		0.14280	76174-0	0.38685		0.37075	0.85237	0.34808	0 9907K	0.8783		15808.0	0.29867	0.28985	0.28060	0.27238	0 200	0.257	0.2545	0.24301	0.23776	00000	0 22690	20.00	0.21609	0.21123		0.20666	6220250	210010	215610	7071-0
	8/12	16205-0	0.56896	0.52857	0.49778	0.47021	O There	0.11220	252510	- 200 c	0.96761		0.85211	0.89788	0.32162	0.81286	0.30100		0.29089	0.28048	0.27121	0.26251	0,25488	0 2000	0.23987	0.28251	0.22602	0.21987	2110	0.0850	0.20823	0.19821	0.19848		0.18886	1000	2000	0.17959	0071100
	7/12	97848.0	0.2216	0.30261	0,28350	0,26645	0.05443	20000	0.23(8)	0.000	0.20283		0.19327	0.1842	0.17628	0.1686	_	-	0.15501	0.14886	0,11811	0.18771	0.132GA	D 1270K	0.12894	0.11910	_	0.11125	0 1005	1918	0.10090	0.007776	0.094798		0.091936	000000	0.00004	0 084777	20.00
RATIO X/L	1/2	-0.045387	-0.047834	-0.045286	-0.045238	-0.045190	S OFESTER		2000	- CASO16	0.04974		-0.044985	-0.044897	-C. 044860	D. O. 1825	0.044731		0.044758	-0.044727	96940.0-	-C. Oth 667	-0.044640	-0. OBLC18	-0.045588	-0.044565	-0.04592	-0.044521	-0 OFFS	-0.034488	-0.041465	O. 044449	-0.04km		20.04.42	G 000 00	0.0460	0.00	200
4	5/12	-0.42094	-0.36m	-0.87462	0.85588	-0.33820	70000	9255		2000	0.2750		6.262	-0.25582	-0.24703	-0.28988	-0.28216		-0.22548	-0.21928	-0,21388	-0.20788	-0.20271	-0.197B	-0.19828	-0.18888	0.18476	-0.18086	-0.17715	-0.17862	-0.17026	-0.16706	-0.16400	90777		1560	1580	12041	
	4/12	-0.62806	-0.58881 -0.58881	-0.55882	-0.52228	-0.49455	- PC804		D 12560	1000	96080		-0,37526	-0.36078	-0.84738	46488 0-	-0.82887		-0.81257	-0.30247	0.29300	-0.28411	-0.27575	-0.2678£	-0.26041	-0.25887	-0.24669	-0.24036	-0 29kgb	-0.22862	-0.22317	-0.21797	-0.21300	70000	2002.9	2/800	19521	19125	
	3/12	-0.59420	9.55kg	6.51904	1,187.0	-0.45978	10 had 0			5225	-0.85526		-0.83941	6.82473	-0.8125	-0.29869	-0.28700		-0.27608	-0.26587	-0.25630	9.24780	-0.23864	-0.28085	-0.22831	-0.21617	-0.209#1	-0.20299	-0.19K88	-0.19107	-0.18554	-0.18026	-0.17521	-000		1000	0 15710	1580	
	2/12	-0.36867	-0.33656	-0.31270	0.2152	-0.27260	-0 25559	2000	22626	0 21851	-0.2018		0.19110	6,181.9	-0.17202	-0.16850	-0.15557		-0.14817	-0.14124	₹ 81.9	-0.12864	-0.12289	-0.117%	-0.1129	-0.10748	-0.10288	-0.098512	-0,094858	0.090402	089980.9-	0.083029	-0.079588	Jacobs of			-0 067218	-0.0648H	
~	1/12	-0.090521	-0.081215	-0.078019	-0.065746	-0.059247	A DESERTE	6.53	0 0832	246800	-0.034981		0.031240	-0.027882	-0.024677	-0.021746	0.019017		-0.016468	-0.011083	0.011845	6.0071	-0.007759	-0.005889	-0.00121	-0.002#47	-0.000859	0.000638	0.002085	0.008452	0.004755	0000000	0,007191	Cooper	0.00000	0.1010	0.011775	0.012142	
ے۔		8.00	2	8.8	80.8	ద్ జ	¥	2	3.5	80	8		8,10	£.	8.12	8.13	8.1		8.15	8.16	25.2	3.18	6.9	8.20	8,21	8.23	8.28	8°5%	8.25	8.26	8.27	8.28	8,29	50	3 6	8	2	5	1

TABLE II - VALUES OF THE COEFFICIENT C - CONTINUED

6						RATIO X/L	-					
<	1/12	2/12	8/12	1/15	5/12	1/2	7/12	8/12	9/12	10/12	11/12	
8.85	0.01837?	-0.061751	-0.14910	-0.18787	-0,14826	-0.044878	0,079480	0.16887	0,18664	0.18241	0.09.6750	
%	0.011267	-0.059172	-0.11584	-0.18368	-0.1,600	-0.044868	0.077788	0,16585	0,18312	0.13005	0.045944	
8.83	0.015180	-0.056687	0.14171	0.18013	-0,1,883	96450	0.075179	0,16198	0.17575	0.12779	0.045171	
8	0.015963	-0.054298	0.13622	-0.17671	0.14178	0.044860	0.073144	0.1587	0.17652	0.12562	35.0	
£.	0.016760	-0.051362	-0.13465	-0-17842	-1°18978	-0.044859	0.071191	0,15562	0.17341	0.12853	0.048717	
8.10	0.317542	-13.049752	-0.18160	-0.17025	-0.18779	-0.044858	0.069911	0.15262	0.17041	0.12152	0.043630	
8.41	0.018298	6.97557	12846	-0.16719	-0.13598	-0.044859	0.067499	0.1197	0.16754	0.1.959	0.042375	
8.42	0,019019	-0.045518	-0.12548	-0.16423	0.1313	-0.944861	0.065751	0.14696	0,16476	0.1177	0.913·	
8,43	0,019722	-0.043497	0.12250	-0.16138	-0.18283	-0.044365	0.064065	0.14427	0.16209	0.11595	0.041132	
**	0,620402	-0.041545	-0.11967	-0,15862	-0.13072	-0.044870	0.062486	0,14169	0.15952	0.11428	0.040545	
8.45	0.021068	-0.08965t	0 11698	-0.15595	-0.12910	-0.04497¢	0.040863	0 18919	10051	0 11956	n fragues	
8,16	0,021703	-0.087821	0 11827	-0.15887	0.1275	0.044888	0.059342	0.13678	0	11096	0.039434	
8.47	0.022325	-0.0360¥8	0.11169	-0.15067	-0.12602	-0.044392	0.057871	0.13445	0.15233	0.10942	0.088908	
8.48	0.022928	0.094817	0 10919	-0.1.845	-0.12456	804440	0.056447	0.18220		0.10792	0,038%00	
8.49	0.023515	-0.082641	0.10677	-0.14610	-0.12814	-0.054414	0,055068	0.13002	0.14794	0.10648	0.037210	
	30000	0,000		200.0			-				j	
2	0.024086	200000	246	79841	0.1217/	724457	0.053732	0.12792	0.14585	0.10509	0.037/37	
2.5	0.024641	2420	0.10213	-0-14161	1204	- C.	0.052487	0.12588	0.14363	0.10375	0.036979	
2000	7016700	000170-0	0.022310	2000	2000		1011010	0.12830		0.10245	0.036538	
8 20	0.026221	086420	0.095649	0,13536	6,11620	0.04492	0.048778	0.12018	0 3816	0.10115	0.036110	
}												
8.55	0.026722	-0.023507	109860	-0.13340		-0.044512	0.047629	0.11838	0.13638	0.098789	0.035237	
8 8 8	0.027210	-0.022121	0.091613	0.181%		-0.044583	0.046512	0,11659	0.13467	0.097647	0.034911	
8.57	0.027686	-0.020769	0.089674	-0.12962	-0.11328	0.044556	0.045426	0.11489	0.13300	0.096541	0.034536	
χ. α	0.028151		0007788	0.12781		0.044500	2000	0.11325	_	0.095470	0.034174	
0.07	0.02020	201010	0.000	-0.12603		C.044602	0.048342	0,11165	0.12902	0.091482	0.(33822	
8,63	0.029050	-0.016906	0.084143	-0.12438	-0.11014	-0.044632	0.042341	0,11010	0.12830	304860 O	G 089432	
8.61	0.029484	-0.015678	-0.082389	-0.12266	-0.10915	-0.044660	0,041367	0,10860	0,12682	0.092450	0.028153	
8,62	0.029909	-0.014477	929080	-0.12108	-0.10819	-0.044689	0.040418	0.10713	0.12589	0.091503	0.032833	
8,63	0.030325	-0.013304	100640	787.9	-0.10726	-0.04*720	0.089498	0.10571	0.12400	0.090585	0.032523	
8 .64	0.030732	-0,012156	0.07371	-0.11789	-0.10635	-0.044753	0.038591	0.101.32	0,12265	169680.0	0.032274	
8.65	0.031131	-0.011032	-0.075774	-0.11637	-0.10547	-0.044787	0.037712	0.10297	0 12184	0.088830	0 031932	
99.8	0.031522	-0.009988	0.074213	-0.11189	-0.10460	-0.041822	0.036854	0.10166	0.12006	0.087991	0.031650	
6.67	0.031905	-0.008855	-0.072686	-0.11345	-0.10377	-0.044859	0.036016	0.10038	0.11882	0.087176	0.031376	
8.68	0.032281	-0.007800	0.071192	-0.11204	-0.10295	0.041897	0.035198	0.099138	0,11762	0,086385	0,331110	
8.69	0,032650	-0,006766	0.069780	-0.11067	-0.10215	-1). O44987	0.084899	0.097926	0.11644	0.085617	0.030852	
				4			7					_

TABLE 11 - VALLES OF THE CUEFFICIENT C - CONTINUED

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	11/12	0.030602	0.029895	0.029457	0,028657	0.028471	0.028116	0.027346	0.027621	0.027316	0.027170	0.026491	0.02473	0.026505 0.02638h	0.026267	0,026045	0.025939	0,025738	0.025643	0.025462	
	10/12	0.084871 0.084146 0.08842	0.082092	3,081¥¥6	0,080208	0,078477	0.077.02	0,076887	0.075900	196120	0.074521	0.073665	0.372857	0.072470	0.071731	0.077034	0.070701	0.07/0065	0.069468	0.069183	
	9/12	0.11580 0.11420 0.11312	0.11207	0.11005	0,10814 0,10722 0,10638	0.10546	0.10378	0.10238	5.10113	0.099961	0.099254 0.09856¢	0.097894	0.096603	0.095982	0.094787	0.098653	0.093108	0.092059	0.091065	0,090588	Lancas o commence of
	8/12	0.095745	0.093378	0.091271	0.089265 0.088298 0.087854	0.086432	0.081652	0.083793	0.082133	0.080547	0.079780	0.078298	0.076879	0.076193	0.074864	0.073591	0.072975	0.071781	0.070636	0.070082	4
	21/12	0.033619	0.031380	0.029968	0.02861% 0.027958 0.027315	0.026684	0,025460	0.024261	0.023708	0.022592	0.022043	0.020990	0.019966	0.019466	0.018490	0.01754	0.017081	0,016176	0.015295	0.014864	+
10 X/L	1/2	-0.044978 -0.045021 -0.045066	0.045111	0.045208	6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95% 6.95%	0.095476	-0.045591	0.045719	-0.045785	-0.045920	-0.046062	-0.96135 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.05 55.	-0.046288	-0.046367	-0.046531 -0.046531	0.046701	-0.046790	-0.046972	0.047162	0.047260	
RATIO	5/12	-0.10138 -0.10063 -0.099890	-0.099172	-0.097791		-0.09\$628 -0.09\$035	0.09361	-0.092353	-0.091819	-0.090788	-0.089805	-0.089331	-0.088416	-0.087974	-0.087122	-0.086309	-0.0855917	-0.085160			
-	\$./12	01-01		0.10303	- 60 PO	-0.097370	0.095263	0.093236	-0.092252	0.090336	0.088494	-0.087597	0.085819	-0.084998	-0.083339	0.081735	-0.080183	0.079426	0.077946	-0.077224	4
	3/12	-0,068299 -0,066897 -0,065524	-0.064177 -0.062858	-0.061564	-0.059048 -0.057825 -0.056624	-0.055445 -0.054286	0.053116	-0.050928	-0.049845	-0.047782	0.045684	4894400	0.042727	-0.041769 -0.040825	-0.039894 -0.038976	0.038070	-0.037176 -0.036293	-0.035421	0.033710	-0.032870 -0.032040	
	2/12	-0.005752 -0.004758 -0.003782			0.000838	0.003426		0.006689			0.010507	0,011240	1	0.013383	0.014768					0.020013	-
	1/12		0.034059		0.085374 0.085690 0.036001	0.036307	0.036906	0.037489	0.037774	0.038394	0°038880	0,039148	0.039675	0.039934	0.040444	0.040943	0.041189	0.041675	0.042152	6.042887 0,042621	
6	<	8.70 8.71 8.77	8.7° 8.7°	8.75	8.00 8.00 8.00 8.00 8.00 8.00 8.00 8.00	800	800		8.85	8.87	88	9.90	8.92	8 8 8 8 8	8.95	8.97	85 80 85 80	8.6	2,8	80.6	

A STATE OF THE PARTY OF THE PAR

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

<u> </u>						·				
	11712	9.075295 0.075216 0.025140 0.025047	0.024930	0.024776	0.024638	0.02414 0.024878 0.024812	0.024282 0.024282 0.024210	0.021160	0.024188 0.024181 0.024181	0.021121 0.021121 0.021121 0.021132
	10/12	0.06/1641 0.06/1983 0.068134 0.067893	0.067487	0.065812	0.066435 0.066258 0.066088 0.065325	0.065622 0.065481 0.065347 0.065320	0.06190 0.064986 0.064880 0.064880	0.064600 0.064600	0.064218 0.064218 0.064218	0.064216 0.064175 0.064139 0.064111
	9/12	0.08367U 0.083800 0.083800 0.083800	0.08756	0.086121	0.085781	0.084230 0.083949 0.063677	0.083161 0.082816 0.082851	0.082026	0.08143 0.081448 0.081272 0.081104	0.08/798 0.08/7798 0.08/649 0.08/514 0.08(386
	8/12	0.069006 0.068485 0.067974 0.07474	0.066704		0.06%2%5 0.063820 0.063%0%	0.062205 0.061821 0.061845 0.061076	0.00715 0.060861 0.060015 0.059675	0.058698	0.058385 0.058079 0.057779 0.057486	0.057198 0.056917 0.056642 0.056878 0.056109
- :-	7/12	6.014018 9.013608 0.013198	0.011992	0.010832	0.010078 0.009707 0.009340 0.008976	0.008257 0.007908 0.007551 0.007203	C.006857 C.006513 C.006178 C.005834	0.005182	0.00%17%	0.003199 0.002677 0.002557 0.002280
RATIO X/L	1/2	-0.047468 -0.047567 -0.047673	-0.048005 -0.048120 -0.048120	0.048356	-0.048602 -0.048857 -0.048857	-0.049258 -0.049396 -0.049537 -0.049681	-0.049827 -0.049976 -0.050128 -0.050282	-0.050762	-0.051096 -0.051268 -0.051442	-0.051620 -0.051801 -0.051985 -0.052171
~	5/12	-0.083421 -0.083097 -0.082782 -0.082474	-0.081882 -0.081597	0.081048	-0.080527 -0.080277 -0.080038 -0.079796		-0.078314 -0.078127 -0.077245	0.077600	-0.077277 -0.076977 -0.076835	-0.076598 -0.076567 -0.076442 -0.076821 -0.076207
	1/12	-0.075812 -0.075122 -0.078442 -0.078772	-0.072461 -0.072461 -0.071820	-0.070568	-0.069341 -0.068742 -0.068151 -0.067568	-0.066423 -0.065862 -0.065408 -0.069760	-0.064219 -0.063685 -0.062634	0.061134	-0.060605 -0.060112 -0.059628 -0.059141	-0.058663 -0.058190 -0.057721 -0.057258
	3/12	-0.081219 -0.080407 -0.029604 -0.028810	-0.0272%6 -0.026%76 -0.026%76	-0.024958	-0.023\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	-0.019855 -0.019150 -0.018450 -0.017755	-0.017065 -0.016380 -0.015839 -0.015023	0.013018	0.011639 0.01045 0.01039	-0.009100 -0.009100 -0.008458 -0.007817
	2/12	0,021260 0,021875 0,022484 0,022484	0.024284 0.024284 0.024874	0.026042	0.027194	0.030567 0.030567 0.031118 0.031668	0.032214 0.032759 0.03301	0.034916	0.035985 0.036517 0.037048 0.087578	0.038107 0.038685 0.039162 0.039689 0.040216
	1/12	0,042653 0,043083 0,043538	0.043764 0.043988 0.044210	0.044652	0.045088 0.045305 0.045521 0.045736	0.046162 0.046375 0.046586 0.046797	0.047007 0.047426 0.047426	0.048259	0.043673 0.048880 0.048880	0.049294 0.049501 0.049708 0.049915 0.050122
C	<	9,00 9,00 9,00 80,00	2 0 5 6 2 0 5 6	81.00 1.00	9.16 9.18 9.18	9.20 9.21 9.22 8.22 8.32	\$ 55.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.50 \$2.5	9.29	~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~ ~	2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2

是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,我们是一个人,

TABLE II - VALUES OF THE COEFFICIENT S - CONTINUED

1/12 2/12 3/12 3/12 3/12 3/12 1/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12 3/12	_						KALIU X/L					
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C. CORTINATO C. CONTINATO C. C		50823	0.040742	-0.006544	448950.0-	-0.076097	-0.052557	0.001608	0.055851	992080	0,00,072	0.024149
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0.055186		50.52	0.042319	0.004646	-0.055006	-0.075800 -0.075711	-0.058159	0,000658	0.055111	0.079954	0,00,00	0.024192
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0.052203 0.04452 -0.000579 -0.07544 0.005462 -0.001216 0.058393 0.075493 0.075493 0.052203 0.04452 -0.001516 0.058393 0.075493 0.052203 0.04452 -0.001516 0.058393 0.075493 0.075493 0.052203 0.04554 0.00032 -0.052203 0.075402 -0.075242 0.00032 -0.052203 0.075402 -0.075242 0.00032 -0.052203 0.075402 -0.055162 -0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.00032 -0.075243 0.000340 0.052203 0.075433 0.000340 0.00032 -0.075243 0.000340 0.0003244 0.000340 0.0003244 0.000340 0.0003244 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000340 0.000	_	5157	0.043899	-0.002765	-0.05870	6.075 <u>y</u>	0.058798	-0.000281	0.054420	0.079711	0.064106	0.024257
0.052263 0.045483 -0.002293 -0.05263 -0.075246 0.003462 -0.001216 0.052773 0.075495 0.075284 0.052263 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005284 0.005287 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282 0.005282		27.58	0.044426	0.002140	77865	2000	210450	200000	0.054200	0.073643		0.024264
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0.052878											-	100
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0.054363 0.0050383 0.0050382 -0.004309 -0.075002 -0.056960 -0.004885 0.051951 0.073457 0.054364 0.051890 0.005382 -0.004303 -0.074997 -0.077285 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 -0.077319 <td></td> <td>34148</td> <td>0.050299</td> <td>0.004708</td> <td>-0.048799</td> <td>-0.075013</td> <td>0.056690</td> <td>-0.004022</td> <td>0.052112</td> <td>0.07¥31</td> <td>0.004861</td> <td>0.02470</td>		34148	0.050299	0.004708	-0.048799	-0.075013	0.056690	-0.004022	0.052112	0.07¥31	0.004861	0.02470
0.055884 0.051890 0.06583 -0.043021 -0.074996 -0.057265 -0.004965 -0.051842 0.073492 0.055406 0.05198 0.005883 -0.043684 -0.043684 -0.057515 -0.004965 0.051852 0.0779585 0.055209 0.052489 0.007210 -0.045751 -0.057800 -0.051852 0.077949 0.055209 0.052489 0.007210 -0.046772 -0.075011 -0.05885 -0.051852 0.077948 0.055708 0.053429 0.0054159 0.0054159 -0.046772 -0.05885 -0.005318 0.051874 0.077508 0.055708 0.055401 0.054722 0.0045742 -0.075086 -0.005886 -0.005181 0.077964 0.056416 0.055422 0.005772 -0.075086 -0.005886 -0.005886 -0.005876 0.077964 0.056416 0.055428 0.010370 -0.045889 -0.055893 -0.005881 0.05705 0.07756 -0.055887 0.0505891 0.0505891 0.0505891 0.0505891 0.0505891 <td>_</td> <td>54368</td> <td>0.050843</td> <td>0.005832</td> <td>-0.043409</td> <td>-0.075002</td> <td>-0.056960</td> <td>-0.004885</td> <td>0.051951</td> <td>0.079457</td> <td>0.064967</td> <td>0.027255</td>	_	54368	0.050843	0.005832	-0.043409	-0.075002	-0.056960	-0.004885	0.051951	0.079457	0.064967	0.027255
0.0554806 0.052483 0.007210 0.047258 0.075011 0.057805 0.057855 0.057855 0.075585 0.075585 0.075585 0.057806 0.055780 0.055780 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.057809 0.	_	10010	0.051960	O OCCORD	to of	200000	-0 057785	C DWCS		0 079492	0 06507	258420 0
0.055980 0.052489 0.07210 -0.04672 -0.057800 -0.05599 0.051495 0.073648 0.055981 0.053048 0.007889 -0.04672 -0.058090 -0.005918 0.051852 0.073648 0.055708 0.053470 0.0054159 0.005101 -0.046772 -0.058085 -0.005918 0.051214 0.077701 0.055708 0.0534159 0.009101 -0.046117 -0.075047 -0.058085 -0.005918 0.051214 0.077701 0.055708 0.054159 0.009101 -0.046117 -0.075047 -0.058085 -0.005918 0.077964 0.055938 0.055472 0.009774 -0.045349 -0.045349 -0.045369 -0.05981 0.050951 0.077964 0.056480 0.05587 0.010370 -0.04529 -0.059803 -0.0050951 0.050951 0.050951 0.056485 0.011649 -0.044629 -0.059803 -0.0050951 0.050951 0.050951 0.050951 0.056485 0.012297 -0.044629 -0.059804 <td< td=""><td>_</td><td>5580K</td><td>0.051838</td><td>0.006588</td><td>20.00.0</td><td>966120</td><td>0.057515</td><td>-0.004965</td><td>0.051662</td><td>0.079585</td><td>0.065198</td><td>0.021917</td></td<>	_	5580K	0.051838	0.006588	20.00.0	966120	0.057515	-0.004965	0.051662	0.079585	0.065198	0.021917
0.055785 0.053043 0.007889 -0.046672 -0.075011 -0.058085 -0.055399 0.051852 0.075709 0.055781 0.055481 0.056489 -0.075026 -0.058085 -0.05518 0.051214 0.077709 0.055708 0.054722 0.006101 -0.046117 -0.075042 -0.058086 -0.006237 0.057184 0.077784 0.055708 0.054722 0.0067742 -0.075078 -0.058992 -0.06558 0.057081 0.077864 0.055708 0.055857 0.011008 -0.044598 -0.075142 -0.05992 -0.006237 0.050951 0.075087 0.056871 0.055857 0.011008 -0.044529 -0.075185 -0.059943 -0.007531 0.050076 0.080056 0.056871 0.05758 0.012292 -0.044261 -0.055994 -0.007581 0.050077 0.050077 0.050077 0.057849 0.057584 -0.045829 -0.06008 -0.007588 0.050077 0.050077 0.050077 0.050077 0.050077 0.050077		55030	0.052489	0.007210	-0,047258	-0.075001	-0.057800	-0.005232	0.051195	0,079585	0.065:123	0.024982
0.055781 0.05860 0.008469 -0.046494 -0.05885 -0.05881 0.051214 0.077703	_	55255	0.053043	0.007839	-0.046872	-0.075011	-0.058090	-0.005599	0.051852	0.079648	0.065456	0,025049
0.055708 0.054159 0.009101 -0.046117 -0.0750k7 -0.058686 -0.066287 0.051081 0.073866 0.055938 0.0554722 0.00973k -0.0453k2 -0.0750k8 -0.058982 -0.066558 0.050827 0.077866 0.05618 0.055480 0.010870 -0.0453k2 -0.075105 -0.05982 -0.050827 0.077866 0.05618 0.05618 0.010870 -0.0453k2 -0.075142 -0.05982 -0.050827 0.07506 0.05685 0.0110870 -0.044529 -0.075142 -0.05982 -0.050706 0.05076 0.05076 0.056871 0.056430 0.011282 -0.044261 -0.059943 -0.007581 0.050479 0.050479 0.050479 0.056871 0.057709 0.012292 -0.044261 -0.060272 -0.007588 0.050479 0.050479 0.050479 0.057349 0.058178 -0.048529 -0.06048 -0.06048 0.050472 0.060676 0.057349 0.058178 -0.045816 -0.075484 -0.0		55181	0.058600	0.008469	-0.046494	-0.075026	-0.058385	-0.005918	0.051214	0.07570.0	963590*0	0.025119
0.055938 0.054722 0.0045742 -0.075078 -0.058992 -0.056958 0.050957 0.079866 0.056168 0.055288 0.010370 -0.045389 -0.075105 -0.059808 -0.050827 0.079866 0.056168 0.05587 0.011008 -0.044998 -0.075142 -0.059820 -0.050827 0.079057 0.05687 0.011008 -0.044998 -0.075142 -0.059820 -0.05706 0.05076 0.05076 0.05687 0.011649 -0.044629 -0.075185 -0.067581 0.05077 0.05077 0.05077 0.05687 0.05687 -0.044561 -0.075283 -0.06076 -0.05077 0.05077 0.05077 0.057349 0.057589 -0.06067 -0.06089 -0.06089 -0.06089 0.05077 0.05077 0.057349 0.058173 0.0448529 -0.06089 -0.06089 -0.06089 -0.06087 0.05077 0.057340 0.05677 -0.06089 -0.06089 -0.06089 -0.06089 0.05077 0.06087 <td></td> <td>55708</td> <td>0.054159</td> <td>0.009101</td> <td>-0.046117</td> <td>-0,075047</td> <td>-0.058686</td> <td>-0.006237</td> <td>0.051081</td> <td>0.07978%</td> <td>0.065742</td> <td>0.025198</td>		55708	0.054159	0.009101	-0.046117	-0,075047	-0.058686	-0.006237	0.051081	0.07978%	0.065742	0.025198
0.055(68) 0.010370 -0.045369 -0.075105 -0.059808 -0.006881 0.050827 0.077957 0.056401 0.055857 0.011008 -0.044998 -0.075142 -0.059620 -0.05706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.050706 0.05071 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077 0.05077		55938	0.054722	0.009734	-0.045742	-0.075078	-0.058992	-0.006558	0.050951	0.079865	0.065896	0.025268
0.0556401 0.055857 0.011008 -0.044998 -0.075142 -0.059620 -0.007205 0.050706 0.080056 0.056490 0.056490 0.011649 -0.044629 -0.075185 -0.05949 -0.007205 0.050479 0.050718 0.0507109 0.057109 0.057588 0.012997 -0.043894 -0.075287 -0.060608 -0.008188 0.050872 0.080402 0.057109 0.058173 0.012987 -0.043824 -0.060608 -0.00819 0.050271 0.080402 0.050319 0.050319 0.050319 0.050072 0.080676 0.057340 0.057340 -0.00852 0.008519 0.050172 0.080676	_	26168	0.055288	0,010370	-0.045369	-0.075105	-0.059808	-0.006881	0.050827	0.079957	0.066057	0.02587
0.05687 0.05689 0.011689 -0.044629 -0.075185 -0.05948 -0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050471 0.050479 0.050471 0.050479 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471 0.050471		56401	0.055857	0.011008	-0.044998	-0.075142	-0.059620	-0.007205	0.050706	0.080056	0.066226	0.023423
0.056871 0.057007 0.012292 -0.044261 -0.075283 -0.060272 -0.050479 0.050479 0.050479 0.050479 0.050479 0.050479 0.050471 0.057349 0.057568 0.012587 -0.048529 -0.075846 -0.06049 -0.060818 0.050270 0.050270 0.050271 0.057590 0.058173 0.014586 -0.048529 -0.075846 -0.060949 -0.006527 0.050270 0.080587 0.057590 0.058173 0.0148529 -0.048166 -0.075442 -0.061297 -0.066078 0.060778 0.060778 0.060778		26685	0.056490	0.01169	-0.044629	-0.075185	-0.059948	-0.0075a1	0.050591	0.080163	0.066401	0.025514
0.057109 0.057588 0.012937 -0.043894 -0.060608 -0.0608188 0.050372 0.080402: 0.057349 0.058178 0.013584 -0.075344 -0.060949 -0.069519 0.050270 0.080535: 0.057390 0.058742 0.014288 -0.043164 -0.075412 -0.061297 -0.008652 0.050172 0.080674	-,-	26871	0.057007	0,012292	-0.044261	-0,075283	-0,060272	-0,007858	0.050479	0,000278	0.066585	0,025601
0.057949 0.058178 0.018586 -0.048529 -0.075346 -0.060949 -0.008519 0.050270 0.080535 0.057590 0.058762 0.014288 -0.045166 -0.075412 -0.061297 -0.008652 0.050172 0.080676	-	57109	0.057568	0.012937	4688 to 0-	-0.075287	809090*0-	-0.008188	0.050372	0.080402	0.066775	0.025692
0,05/590 0,056/62 0,014200 =0,065166 =0,075412 =0,06123/ =0,06022 0,050172 0,000876 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,080826 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0,057/590 0,08082 = 0		57849	0.058178	0.013586	0.048529	-0.075346	646090-0-	0.008519	0.050270	0.080585	0.06677	0.025786
		5783h	0.059855	0.014288	0.042808	0.075488	0.061651	600000	0.050078	978080	0.067394	0,025988

TABLE 11 - VALUES OF THE COEFFICIENT C - CONTINUED

		_	-					_							_																	_			-
	11/12	0.025086	0.026303	0.02016	0.026533	4500cm	0.02677	0.026905	0,027037	0.027172	410000	0.027311	0.000	0 007752	0.05.79.09		0.028069	0.000000	0.000409	0.028755	000000	0.028938	0.02620	0.329519	0.023724	#666W 0	0.030119	0.030371	0.030598	0.030832	0.031072	0.031319	0.031573	0.031833	0.006101
	10/12	0.067617	0.063036	0.068333	•	O DCBBIGO	5,069126	0.069409	0.069700	0.970001	c seuch o	0.00000	0.000	0.070	0.071653		0.072014	0.07287	0.072770	0.073571	000000	0.073369	0.07*862	0.075317	0.075786	9363CH 0	0.076764	0.077274	0.077799	0.078389	0.078891	0.079465	0.080053	0.080657	0,2100.0
3 (a)	9/12	0.080985	0.061330	0.081516	0.081711	O ORIGIS	0.082131		0.082589	0.082834	C Oppose	•	•	2000	0.081213		0.084521	0.084841	0.002178	0.085873		0,086241	0.087016	0.087424	0.087845	O CRRORO	0.088730	0.083194	0.089673	0,090168	0.090678	0.091205	0.091748	0.092309	0002500
	8/12	0.049989	0.049828	0.049747	9/36%000	0 Ch 920R	0.0356	0.049487	•	0.049385	0469360	0.000	•	0,49293	G. 049207		0.049186	0,049169	100	0.049148		0.045151	0.049177	0.049190			0.049276			0.049411	0.049468	0.749530	0.049599	0.049673	5
	7/12	-0.009526 -0.009866	0.010209	-0.010555	-0.010903	-0.01125	-0.011609	-0.011967	-0.012327	-0.012692	012060	-0.013430	-0.013808	-0.011188	-0.014572		-C.014961	0.012324	D 016155	-0.016563	2	-0.016977 -0.017396	-0.017821	-0.018252	-0.018689	0.019133	-0.019584	-0.020041	-0.02020-0-	-0.020978	-0.021158	-0.0219%	-0.022443	-0.0229#8 -0.0229#8	U. 063786
RATIO X/L	1/2	-0.062012	-0.062754	-0.063136	-0.068525	-0.063921	-0.064825	-0.064737	-0.065157	-0.065586	-0 066003	-0.066468	-0.066923	-0.067386	-0.067859	27	2468900	- Cess 2	058650 C	-0.070373	000000	0.070500	-0.072012	-0.072582	-0.073165	-0.073759	-0.074368	-0.074989	-0.075625	-0.076275	-0.076939	-0.077619	-0.078315	0.079027	D.017170
2	5/12	-0.075560 -0.075633	-0.075782	-0.075827	-0.075928	-0 076085	-0.076113	-0.076269	-0.076396	-0.076530	-0 075570	-0.076817	0.076970	-0.077131	-0.077300		-0.077475	04326	0.078047	-0.078253	07.000	0.07879	-0.078921	-0.079161	-0.079409	293660	-0.079934	-0.080210	964080-0-	-0.080792	-0.081098	-0.081114	-0.081742	0.082080	V. UOC 7 CO
	4/12	-0.0%2%42 -0.0%20%2	-0.041723	-0.041364	-0.041007	05/06/50	-0.040294	-0.039988	-0.039583	-0.035228	-0 038873	0.038519	-0.036165	-0 037810	-0.037156		0.037101	086390	10000 O-	-0.035677	000000	0.030313	0.031601	-0.034240	-0.033878	-0.029515	-0.033150	-0.032783	-0.032115	-0.0320%	-0.031672	-0.031297	-0.030920	0.030540	1/1000,0
	3/12	0.015552	0.016880	0.017551	0.018225	0.018905	0.019589	0.020278	0.020972	0.021672	0 002377	0.023088	0.023806	0.024590	0.025260		0.025998	0 027495	0.02.55	0.023025		0,029002	0.031383	0.032188	Ų.033003	0 033828	034664	0.035511	0.036370	0.037241	0,038124	0.039021	0.039930	0.0000 P	٥٠١١٢٥ و١
*4	2/12	0.059953	0.061164	0.061777	0.062395	0.083020	0.063649	0.064285	0.064927	0.065576	0 066234	0.066893	0.067563	0.000239	0.068924		0,069616	20100	0 071715	0.072172	000000	0.073203	0.074712	0.075479	0,076257	0.077047	0.077848	0.078661	0.079486	0.080325	0.081177	0.082042	0.082922	0.083817	0.007160
	1/12	0.058080	0.058579	0.058831	0.059087	0.059364	0.059605	0.059868	0,060134	0.060403	ט טעטעטיי	0.060919	0.061227	0.061509	0.061794		0.062082	0.06287	0 062969	0.063273	0 0/0504	0.063201	0.064209	0.064531	0.064856	0.065187	0.065523	0.065864	0.066210	0.066563	0.06:320	0.067284	0.067654	0.068031	0,000-11
~		5.75	9.73	9.78	9.79	58	9.81	9.82	9.83	\$ 6.	a R	9.6	9.87	9.88	98		8.5	200	100	26.6		2000	76.6	96.6	9.99	90.00	10.01	20.02	10.03	5.0	10.05	10.06	10.01	80.0	>

TABLE 14 - VALUES OF THE COEFFICIENT C - CONTINUED

C						RATIO X/L					
<	1/12	2/12	21/8	21/4	5/12	1/2	7/12	8/12	9/12	10/12	11/12
10.10	0.068804	0.085654	0.042746	-0.029772	-0.082791	-0.080502	-0.023986	0.049841	0.093485	0.081918	0.082376
10.11	0.069201	0.086597	0.048715	-0.029383	-0.083165	-0.081265	-0.024520	0.049935	0,094100	0.082576	9.082659
10.12	909690*0	0.087558	0.044701	-0.028991	-0.083550	-0.082049	-0.025063	0.050035	0.094735	0,083253	0,030,50
10.13	0.070018	0.088536	0.045703	-0.028596	-0.083919	-0.082851	-0.025618	0.050143	0.095391	0.083949	0.033249
±.0-	0.070438	0.089538	0.046723	-0.028197	-0.084361	-0.083672	-0.026183	0.050257	990960.0	0.084666	0.033557
10.15	0.079866	0.090548	0.047762	-0.027794	-0.084786	-0.084515	-0.026759	0.050378	0.096763	0,385404	0.083873
10.16	0,071303	0.091584	0.048820	-0.027386	-0.085225	-0.085378	-0.027348	0.050507	0.097482	0,086163	0.034199
10.17	0.071749	0.092641	0.049897	-0.026975	-0.085679	-0.086264	-0.027949	0.050643	0.098224	0.086945	0.031533
10.18	0.072204	0.093719	0.050995	-0.026558	-0.086118	-0.087172	-0.028562	0.050787	0.098989	0.087750	0.034878
10.19	0.072669	0.091820	0.052115	-0.026137	70.086622	-0.088105	-0.029189	0.050938	0.099778	0.088579	0.035232
10.20	0.073144	0°095944	0.053257	-0.025711	-0.087131	-0.089062	-0.029830	0.051100	0.10059	0,089433	0.035597

APPENDIX B. DERIVATION OF FORMULAS

1. Formulas for Bars Without Axial Forces

a. General Solution of Fundamental Equation for Vibration of Bers
Using Bernoulli-Euler's beam theory, the differential equation
for transverse vibration of a uniform bar which is free from external loads is

$$EI\frac{\partial^4 w}{\partial x^4} + m\frac{\partial^2 w}{\partial t^2} = 0 , \qquad (B1)$$

where w(x,t) is the deflection of any point of the bar at a time \underline{t} , \underline{m} is the mass per unit of length of the bar, and \underline{EI} is the flexural rigidity of its cross section. The effects of damping, shearing deformation, and rotatory inertia are disregarded.

We can let

$$w(x,t) = Y(x)\cos wt, \qquad (B2)$$

where the amplitude of the motion Y(x) is a function of \underline{x} enly, and w is the circular frequency of the motion.

Substituting (B2) in (B1), one obtains the following expression for determining the function Y(x):

$$Y^{nn} - \left(\frac{\lambda}{I}\right)^4 Y = 0, \tag{B3}$$

where L is the span length of the bar and

$$\lambda = \sqrt[4]{\frac{m\omega^2}{EI}} L \qquad (B4)$$

Primes in Eq. (B3) indicate differentiations with respect to \underline{x} .

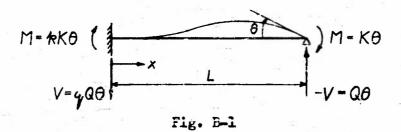
The solution of Eq. (B3) is

$$Y(x) = c_1 \cosh \lambda \frac{x}{L} + c_2 \sinh \lambda \frac{x}{L} + c_3 \cos \lambda \frac{x}{L} + c_4 \sin \lambda \frac{x}{L} . \tag{B5}$$

The integration constants c_1 : c_2 ; c_3 ; and c_4 must be determined from the boundary conditions of the particular problem considered.

b. Formulas for Elastic Constants

Consider the bar shown in Fig. B-1. At x = 0 the bar is fixed;



while at x = L it is subjected to a moment

$$M(x,t) = Mcosut$$
 (B6)

producing at that end a steady-state forced rotation

$$\Theta(\mathbf{x},\mathbf{t}) = \Theta \cos \omega \mathbf{t} . \tag{B7}$$

With the notation and sign convention given in Section 2, the boundary conditions may be stated as follows:

At
$$x = 0$$

$$\delta = Y = 0,$$

$$\Theta = Y! = 0,$$
 and at $x = L$
$$\delta = Y = 0,$$

$$M = EIY^{n}.$$
 (B9)

From these boundary conditions, one finds the following values for the integration constants in Eq. (B5):

$$c_{1} = -c_{3} = -\frac{ML^{2}}{2\lambda^{2}El} \cdot \frac{\sinh \lambda - \sinh \lambda \cos \lambda}{\cosh \lambda \sin \lambda - \sinh \lambda \cos \lambda},$$

$$c_{2} = -c_{4} = -\frac{ML^{2}}{2\lambda^{2}El} \cdot \frac{\cosh \lambda - \cos \lambda}{\cosh \lambda \sin \lambda - \sinh \lambda \cos \lambda}.$$
(B10)

The moments \underline{M} and the reactions \underline{V} at the ends of the bar are found to be as follows:

$$At x = L \qquad M = K\Theta, \qquad (B11)$$

where
$$K = \frac{EIY''}{Y'} = \lambda \frac{\cosh \lambda \sinh \lambda - \sinh \lambda \cosh \lambda}{1 - \cosh \lambda \cosh \lambda} \cdot \frac{EI}{L}$$
 (B12)

and
$$-V = Q\Theta$$
, (B13)

where
$$Q = -\frac{EIY'''}{Y'} = \lambda^2 \frac{\sinh \lambda \sinh \lambda}{1 - \cosh \lambda \cosh \lambda} \cdot \frac{EI}{L^2}.$$
 (B14)

$$At x = 0 M = kK\Theta. (B15)$$

where
$$k = -\frac{Y'']_{x=0}}{Y'']_{x=L}} = \frac{\sinh \lambda - \sinh \lambda}{\cosh \lambda \sinh \lambda - \sinh \lambda \cosh},$$
 (B16)

and
$$V = qQ\Theta$$
, (B17)

where
$$q = \frac{Y''']_{x=0}}{Y''']_{x=L}} = \frac{\cosh \lambda - \cos \lambda}{\sinh \lambda \sin \lambda}$$
 (B18)

For a simply supported beam, the moment at x = L may be expressed as

$$M = K^n \Theta . (B19)$$

It can be shown that

$$K'' = \lambda \frac{2 \sinh \lambda \sin \lambda}{\cosh \lambda \sin \lambda - \sinh \lambda \cos \lambda}.$$
 (B20)

Equations (B12), (B16), and (B20) have been presented previously by Gaskell (13).

Now consider the case in which the right end of the beam is displaced without rotation by

$$\delta(x,t) = \delta \cos \omega t , \qquad (B21)$$

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as shown in Fig. B2.

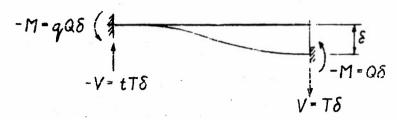


Fig. B2

In this case, the boundary conditions may be stated as follows:

At
$$x = 0$$

$$\delta = Y = 0.$$
 (B22)

$$\theta = Y^{\dagger} = 0.$$
 (B23)

For these conditions, one finds the following values for the integration constants in Eq. (B5).

 $\delta = Y$.

$$C_{1} = -C_{3} = \frac{\delta}{2} \cdot \frac{\cosh \lambda - \cos \lambda}{1 - \cosh \lambda \cos \lambda},$$

$$C_{2} = -C_{4} = -\frac{\delta}{2} \cdot \frac{\sinh \lambda + \sin \lambda}{1 - \cosh \lambda \cos \lambda}.$$
(B24)

The moments \underline{M} and the reactions \underline{V} at the ends of the bar are found to be as follows:

At
$$x = L$$
 $M = -Q\delta$, (B25)

where Q is given by Eq. (Bl4), and

$$V = T\delta, \tag{B26}$$

where
$$T = -\frac{EIY'''}{\delta} = \frac{\cosh \lambda \sinh \lambda \cosh}{1 - \cosh \lambda \cosh}.$$
 (B27)

$$At x = 0 M = -qQ\delta, (B28)$$

where q is given by Eq. (B18), and

$$V = -tT\delta, \tag{B29}$$

where
$$t = \frac{Y''']_{x=0}}{Y''']_{x=1}} = \frac{\sinh \lambda + \sin \lambda}{\cosh \lambda \sinh \lambda + \sinh \lambda \cosh}.$$
 (B30)

As already remarked, the quantities Q in Eqs. (B13) and (B25) are equal; likewise the quantities q in Eqs. (B17) and (B28) are equal. These equalities follow from Lord Rayleigh's reciprocal relations which, for convenience, are reviewed in Section 1d of this Appendix.

It should be stated that numerical values of the trigonometric and hyperbolic functions appearing in the numerator and denominator of most of the formulas given in this section have been tabulated previously in Reference (24). These functions were tabulated for values of λ between zero and 10.00 at increments of 0.02. The numerical values presented in this report have been tabulated at increments of λ of 0.01. Since all quantities were computed on the Electronic Digital Computer, there was no need to use the previously tabulated functions.

c. Formulas for Deflections of a Bar Due to Distortions at the Ends

It is desired to find the deflections of the bars shown in Figs. Bl and B2. The distortions θ and δ may be introduced at either end of the tar.

First consider the bar shown in Fig. Bl. Let x denote the distance of any point of the bar from the end being rotated. Then, if O represents the rotation at the left end, the deflection amplitude

$$Y_{\bar{x}} = C\Theta L$$
, (B31a)

and if 9 represents the rotation at the right end

$$Y_{\bar{x}} = -COL , \qquad (B31b)$$

where C is a dimensionless coefficient dependent on the coordinate \overline{z} and the parameter λ .

Substituting the integration constants given in Eq. (Bl0) into Eq. (B5), the following expression is found for \underline{C} :

$$C = \frac{1}{2\lambda(1-\cosh\lambda\cos\lambda)} \left\{ \left[\sinh\lambda - \sinh\lambda \right] \left[\cosh(1-\xi)\lambda - \cos(1-\xi)\lambda \right] - \left[\cosh\lambda - \cosh\lambda \right] \left[\sinh(1-\xi)\lambda - \sin(1-\xi)\lambda \right] \right\},$$
(B32)

where
$$\xi = \frac{x}{L}$$
 (B33)

Consider now the bar shown in Fig. B2. Let x denote the distance of a point of the bar from the deflected end. Then, for a deflection amplitude δ at either end

$$Y_{\bar{x}} = C^{\dagger}\delta, \qquad (B.34)$$

where C' is a dimensionless coefficient.

Substituting the integration constants given in Eq. (B24) into Eq. (B5), the following expression is found for C^{1} :

$$C' = \frac{1}{2\lambda(1-\cosh\lambda\cos\lambda)} \left\{ \left[\cosh\lambda - \cosh\lambda \right] \left[\cosh(1-\xi)\lambda - \cos(1-\xi)\lambda \right] - \left[\sinh\lambda + \sinh\lambda \right] \left[\sinh(1-\xi)\lambda - \sin(1-\xi)\lambda \right] \right\}.$$
(B35)

d. Rayleigh's Reciprocal Relations and Principle of Influence Lines

Rayleigh's reciprocal relations for dynamics (14) are strictly analogous to Maxwell's law of reciprocal relations for statics. Rayleigh's relations may be stated as follows: If \underline{A} and \underline{B} denote two points in a given structure, the steady-state forced displacement at \underline{A} produced by a harmonically varying load applied at \underline{B} is equal to the steady-state displacement at \underline{B} due to the same load applied at \underline{A} . The term displacement may be interpreted in a general sense as either linear or

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angular displacement; similarly, the term load may be interpreted in the same general sense as either force or couple. Couples correspond to rotations while forces correspond to linear displacements.

Willer-Breslau's principle is also applicable in the case of steadystate forced vibrations. The proof is identical to that for the static
case and is, therefore, omitted. According to this principle: The
influence line for any dynamic function, such as reaction, shear, bending moment, torque, at some point A of a structure due to harmonically
varying load can be obtained as the deflected shape of the structure due
to a very small unit displacement, linear or angular, introduced at
point A.

It follows from this principle that the deflection of a fixed ended beam subjected to a unit rotation at one end represents an influence line for fixed end moment due to a unit concentrated force on the beam. Similarly, the deflection of a beam resulting from a unit deflection without rotation of one end represents an influence line for fixed end shear due to a concentrated unit force.

2. Formulas for Bars with Axial Forces

a. General Solution of Governing Differential Equation

The differential equation for transverse deflection w(x,t) of a uniform bar which is free from lateral losas but is acted upon by constant axial forces P is

$$EI\frac{\partial^4 w}{\partial x^4} - P\frac{\partial^2 w}{\partial x^2} + m\frac{\partial^2 w}{\partial t^2} = 0.$$
 (B36)

A positive P indicates a tensile force.

The deflection w(x,t) may be expressed as

$$w(x,t) = Y(x)\cos wt. (B37)$$

where Y(x) is the amplitude of the harmonic motion and w is its circular frequency.

Substituting Eq. (B37) into Eq. (B36) and using the symbols

$$P_o = \frac{\pi^2 EI}{i^2} , \qquad (B38)$$

$$\lambda = \sqrt[4]{\frac{m\omega^2}{EI}} L . \tag{B4}$$

one obtains the following expression for determining the function Y(x):

$$Y'''' - \frac{\pi^2}{L^2} \frac{P}{P_o} Y'' - (\frac{\lambda}{L})^4 Y = 0$$
 (B39)

The roots of the corresponding characteristic equation are

$$\Gamma_{1,2} = \pm \frac{\phi}{L} \tag{P40}$$

$$\Gamma_{3,4} = \pm \frac{\chi}{L}$$

where

$$\phi = \frac{\pi}{\sqrt{2}} \sqrt{\left(\frac{P}{P_o}\right)^2 + \frac{4}{\pi^4} \lambda^4 + \frac{P}{P_o}} , \qquad (B41)$$

$$\chi = \frac{\pi}{\sqrt{2}} \sqrt{\left(\frac{P}{P_c}\right)^2 + \frac{4}{\pi^4} \lambda^4} - \frac{P}{P_c} = \frac{\lambda^2}{2} \qquad (B42)$$

Then, the solution of Eq. (B39) becomes

$$Y(x) = c_1 \cosh \phi \frac{x}{L} + c_2 \sinh \phi \frac{x}{L} + c_3 \cos \chi \frac{x}{L} + c_4 \sin \chi \frac{x}{L}. \quad (B43)$$

The integration constants c₁, c₂, c₃, and c₄ must be determined from the boundary conditions of the particular problem considered.

b. Formulas for Flexural Stiffness and Flexural Carry-Over Factor Consider a bar, such as that shown in Fig. Bl, fixed at x = 0 and

subjected to a periodic moment

$$M(x,t) = Mcoswt$$

at x = L. Assume that the bar is acted upon by tensile end forces.

The boundary conditions in this case are the same as those given in Eqs. (BS) and (B9). For these boundary conditions, one finds the following values for the integration constants in Eq. (B43).

$$c_{1} = -c_{3} = -\frac{ML^{2}}{EI} \cdot \frac{1}{\phi^{2} + \chi^{2}} \cdot \frac{\chi \sinh \phi - \phi \sin \chi}{\phi \cosh \phi \sin \chi - \chi \sinh \phi \cos \chi},$$

$$c_{2} = -\frac{\chi}{\phi} c_{4} = \frac{ML^{2}}{EI} \cdot \frac{-\chi}{\phi^{2} + \chi^{2}} \cdot \frac{\cosh \phi - \cos \chi}{\phi \cosh \phi \sin \chi - \chi \sinh \phi \cos \chi}.$$
(B44)

The moments at the ends of the bar are found to be as follows:

$$At x = L M = K\Theta = KY!, (B45)$$

where
$$K = \frac{\phi \cosh \phi \sin \chi - \lambda \sinh \phi \cos \chi}{\frac{2\phi \chi}{\phi^2 + \chi^2} \left[1 - \cosh \phi \cos \chi\right] + \frac{\phi^2 - \chi^2}{\phi^2 + \chi^2} \sinh \phi \sin \chi}$$
 (B46)

$$\mathbf{A}\mathbf{t} \mathbf{x} = \mathbf{0} \qquad \qquad \mathbf{M} = \mathbf{k}\mathbf{K}\mathbf{\Theta} \,, \tag{B47}$$

where
$$k = -\frac{Y'']_{x=0}}{Y'']_{x=L}} = \frac{\sinh \phi - \frac{\phi}{\chi} \sin \chi}{\frac{\phi}{\chi} \cosh \phi \sin \chi - \sinh \phi \cos \chi}$$
 (B48)

Now, assume that the bar is subjected to compressive forces. In this case, it is necessary to replace +P by -P. Then, Eq. (B41) is changed to Eq. (B42) and vice versa. Therefore, the expressions of \underline{K} and \underline{k} for a compressive force can be obtained from the corresponding expressions for a tensile force simply by interchanging in the latter expressions the quantities ψ and χ .

For the special case in which no axial force is present, $\phi = \chi = \lambda$, and Eqs. (B46) and (B48) reduce respectively to Eqs. (B12) and (B16).

3. Formulas for Plates Simply Supported Along Two Opposite Edges

2. General Solution of Fundamental Equation for Vibration of Plates

Using the ordinary flexure theory of medium thick plates, the differential equation for lateral deflection w(x,y,t) of a uniform plate which is free from lateral loads is

$$\frac{\partial^4 w}{\partial x^4} + 2 \frac{\partial^4 w}{\partial x^2 \partial y^2} + \frac{\partial^4 w}{\partial y^4} + \frac{f^2 h}{N} \frac{\partial^2 w}{\partial t^2} = 0 , \qquad (B49)$$

where ρ = the density of the plate material, \underline{h} = the thickness of the plate, assumed to be constant, and \underline{N} = the flexural rigidity of the plate.

The coordinate axes are taken in the middle plane of the plate parallel to the sides of the plate. The origin of the axes is taken at the upper left hand corner of the plate.

If the plate is simply supported along two opposite edges (say, along x = 0 and x = a) the solution of Eq. (B49) may be taken in the form

$$w(x,y,t) = Y_n \sin \frac{n\pi x}{a} \cos \omega t, \qquad (B50)$$

where Y_n is a function of the \underline{y} variable only. Substituting this equation into Eq. (B49), one obtains the following equation for determining the function Y_n :

$$\gamma_n^{m_1} - \frac{2n^2\pi^2}{\sigma^2} \gamma_n^{\alpha} + \left(\frac{\eta^4\pi^4}{\sigma^4} - \frac{\rho h \omega^2}{N}\right) \gamma_n = 0 . \tag{B51}$$

The roots of the corresponding characteristic equation are

$$\Gamma_{1,2,3,4} = \pm \frac{\pi}{b} \sqrt{\left(\frac{nb}{a}\right)^2 \pm \lambda^{\frac{4}{3}}} . \tag{B52}$$

where

$$\lambda^* = \frac{b^2}{\pi^2} \sqrt{\frac{\rho h w^2}{N}} \quad . \tag{B53}$$

Two different cases must now be considered:

Case (I); when
$$\lambda^* > \left(\frac{nb}{a}\right)^2$$
, and

Case (II), when
$$\lambda^* < \left(\frac{nb}{a}\right)^2$$
.

The particular case in which $\lambda^{*} = 0$ is omitted.

In the first case two of the roots are real while the remaining two are imaginary. In the second case all four roots are real.

First consider Case (I). Using the notation

$$\bar{\Phi} = \pi \sqrt{\lambda^* + \left(\frac{nb}{a}\right)^2} \tag{B54}$$

and

$$\bar{\chi} = \pi \sqrt{\lambda^* - \left(\frac{nb}{a}\right)^2} \tag{B55}$$

the solution of Eq. (B51) becomes

$$Y_n(y) = c_1 \cosh \overline{\phi} \frac{y}{b} + c_2 \sinh \overline{\phi} \frac{y}{b} + c_3 \cos \overline{\lambda} \frac{y}{b} + c_4 \sin \overline{\lambda} \frac{y}{b} \qquad (B56)$$

In Case (II) the $\overline{\lambda}$ values in Eq. (B55) are imaginary and, using the notation

$$\bar{\lambda}' = \pi \sqrt{\left(\frac{nb}{o}\right)^2 - \lambda^4} \quad . \tag{B57}$$

the solution of Eq. (B51) becomes

$$Y_{n}(y) = c'_{i} \cosh \overline{\phi} \frac{y}{b} + c'_{2} \sinh \overline{\phi} \frac{y}{b} + c'_{3} \cosh \overline{\lambda}' \frac{y}{b} + c'_{4} \sinh \overline{\lambda}' \frac{y}{b}. \quad (B58)$$

The integration constants in Eqs. (B56) and (B58) must be determined from the boundary conditions of the particular problem considered.

b. Formulas for Flexural Stiffness and Flexural Carry-Over Factor

Consider a rectangular plate simply supported at x = 0 and x = a and fixed at y = 0. Let an exciting moment

$$M(x,t) = Msin \frac{n \pi x}{a} cos \omega t$$
 (B59)

be applied along the edge y = b

The boundary conditions in this case are:

at
$$y = 0$$

$$\delta = Y_n = 0,$$
 (Pó0)
$$\theta = Y_n^* = 0.$$

at
$$y = b$$

$$\delta = Y_n = 0,$$
 (B61)
$$M = NY_n^n.$$

The moment amplitudes at the ends may be expressed in terms of the rotation amplitude θ as follows:

$$\mathbf{At} \ \mathbf{y} = \mathbf{0} \qquad \qquad \mathbf{M} = \mathbf{K}\mathbf{\Theta} \ , \tag{B62}$$

$$At y = b M = kK9 (B63)$$

where K and k are respectively the flexural stiffness and the flexural carry-over factor.

It should be noted that when $\lambda^* > \left(\frac{\mathrm{nb}}{\mathrm{s}}\right)^2$ Eq. (B51) for plates is similar to Eq. (B39) for bars subjected to fixed axial forces. And since, for the particular case considered, the boundary conditions given in Eqs. (B60) and (B61) are similar to those given in Eqs. (B8) and (B9), the expressions of \underline{K} and \underline{k} for a plate panel can be obtained directly from the corresponding expressions given in Eqs. (B46) and (B48). It is only necessary to replace in Eqs. (B46) and (B48) the quantities ϕ , χ , $\underline{\mathrm{EI}}$, and $\underline{\mathrm{L}}$ by $\overline{\phi}$, $\overline{\chi}$, $\underline{\mathrm{N}}$, and $\underline{\mathrm{b}}$, respectively. The results are as follows:

$$K = \frac{\overline{\phi} \cosh \overline{\phi} \sin \overline{\chi} - \overline{\chi} \sinh \overline{\phi} \cos \overline{\chi}}{\frac{2\overline{\phi} \overline{\chi}}{\overline{\phi}^2 + \overline{\chi}^2} \left[1 - \cosh \overline{\phi} \cos \overline{\chi} \right] + \frac{\overline{\phi}^2 - \overline{\chi}^2}{\overline{\phi}^2 + \overline{\chi}^2} \sinh \overline{\phi} \sin \overline{\chi}} \cdot \frac{N}{b} , \quad (B64)$$

These relations apply to values of $\lambda > (\frac{nb}{a})^2$.

For $\lambda^{\phi} < (\frac{n k}{a})^2$ the expressions for \underline{K} and \underline{k} are obtained from those given in Eqs. (E64) and (E65) by replacing trigonometric functions by hyperbolic functions and the quantity $(\overline{\chi})^2$ by $-(\overline{\chi}')^2$. The results are:

$$K = \frac{\overline{\Phi} \cosh \overline{\Phi} \sinh \overline{\lambda}' - \overline{\lambda}' \sinh \overline{\Phi} \cosh \overline{\lambda}'}{\overline{\Phi}^2 - (\overline{\lambda}')^2} \frac{N}{[1 - \cosh \overline{\Phi} \cosh \overline{\lambda}'] + \frac{\overline{\Phi}^2 + (\overline{\lambda}')^2}{\overline{\Phi}^2 - (\overline{\lambda}')^2} \sinh \overline{\Phi} \sinh \overline{\lambda}'} \cdot \frac{N}{b}, \quad (B66)$$

$$h = \frac{\sinh \overline{\Phi} - \frac{\overline{\Phi}}{\overline{\chi}'} \sinh \overline{\chi}'}{\frac{\overline{\Phi}}{\overline{\chi}'} \cosh \overline{\Phi} \sinh \overline{\chi}' - \sinh \Phi \cosh \overline{\chi}'}$$
 (B67)

c. Correlation Between Blastic Constants for Vibrating Plates and Compressed Plates

Consider a flat plate loaded on two edges parallel to the y-axis by uniformly distributed compressive forces p_x . Assume that no lateral load acts on the plate.

The differential equation for the deflection w(x,y) of the plate is

$$\frac{\partial^4 \mathbf{w}}{\partial \mathbf{x}^4} + 2 \frac{\partial^4 \mathbf{w}}{\partial \mathbf{x}^2 \partial \mathbf{y}^2} + \frac{\partial^4 \mathbf{w}}{\partial \mathbf{y}^4} + \frac{\partial^2 \mathbf{w}}{\mathbf{w}} \frac{\partial^2 \mathbf{w}}{\partial \mathbf{x}^2} = 0$$
 (B68)

For the case in which the leaded edges are simply supported, the solution of Eq. (B68) may be taken in the form

$$w(x,y) = Y_n \sin \frac{n\pi x}{a}, \qquad (B69)$$

where Y is a function of y only. The unloaded edges may have any condition of restraint.

Substituting Eq. (B69) into Eq. (B68), one obtains the following equation for determining the function I_n :

$$Y_n^{nn} - \frac{2n^2\pi^2}{a^2} Y_n^n + \left(\frac{n^4\pi^4}{a^4} - \frac{4x'n^2\pi^4}{a^2b^2} \right) Y = 0 , \qquad (B70)$$

$$R' = \frac{b^2 P_K}{\pi^2 N} \tag{B71}$$

Comparing Eq. (B70) with Eq. (B51) it can readily be shown that if

$$k' = (\lambda^{\phi})^2 \left(\frac{\alpha}{\eta b}\right)^2 . \tag{B72}$$

the two equations will be identical. Accordingly, the quantities \underline{K} and \underline{k} of a vibrating plate for a given value of $\frac{a}{nb}$ and λ^{*} are numerically equal to the corresponding quantities of a compressed plate for the same $\frac{a}{nb}$ value but for a value of $k'=(\lambda^{*})^{*}(\frac{a}{nb})^{2}$. Since tabulated values of stiffness and carry-over factor for compressed plates do exist (see Reference 32), these values can be used to determine the corresponding dynamic quantities. It should be noted, however, that in Reference 32 stiffness has been defined as the moment necessary to produce a rotation of a maximum amplitude of a quarter radian rather than one radian. Therefore, the stiffness values obtained from Reference 32 must be multiplied by 4 to make them conform to the definition given in this report.

1. General Description of Method of Analysis

The information presented in this report may be used also to analyze the steady-stateforced vibration of continuous beams and frames subjected to harmonically varying forces. The forces are presumed to have the same frequency and the same phase angle. The effect of damping is neglected.

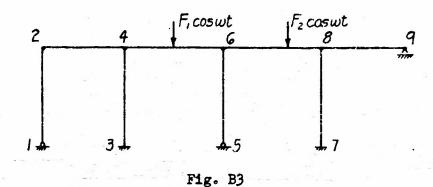
The determination of the standy-state forced vibration of a system is a much simpler problem than the calculation of its natural frequencies, since in the former case it is only necessary to go through a single cycle of the trial-and-error procedure used in the determination of natural frequencies.

An analysis for steady-state forced vibrations can be carried out in substantially the same way as an analysis for static conditions. In either case, the analysis involves two basic steps:

- a. Determination of the redundant quantities at the joints or supports of the continuous system. In general, the redundant quantities may be moments, rotations, deflections or any combination of these.
- b. Determination of the moments, shears, deflections at points between joints or supports. The principal difference between a static and dynamic analysis is that while in a static analysis moments and shears within a member may be determined by statics from the moments and shears at the ends of the member, in a dynamic analysis these effects must be computed independently.

We shall now outline one of a number of possible procedures for executing these steps. For illustration, we shall consider the relatively simple frame shown in Fig. B3 and, for simplicity's sake, shall assume that

the joints of the frame do not move. Joints 1 and 9 are assumed to be simply supported.



Although this procedure, in the form presented herein, is applicable to continuous open frames only, it can readily be extended to frames involving closed panels. The details of the procedure are as follows:

Step a. (1) Replace the concentrated forces by equivalent fixed end moments. The magnitude of these moments may be obtained directly from Table II in appendix A. (If the ends of the loaded members were free to deflect, it would have been necessary to calculate also fixed end shears. These could have been computed either from Eq. (72) or from Eq. (B31).

- (2) For each span compute the quantities \underline{K} and $\underline{k}\underline{K}$. (If the joints of the frame were free to translate, it would have been necessary to compute also the quantities \underline{Q} , $\underline{q}\underline{Q}$, \underline{T} , and $\underline{t}\underline{T}$.) These quantities are obtained directly from Table I in Appendix A.
- (3) Assume a slope at support 1. Progressing from joint to joint across the frame in the manner described in the body of this report, evaluate the rotations of the joints. It should be remembered that in this case the external moment \overline{M}_1 is, in general, different from zero.
- (4) From the rotations determined in the preceding step, calculate the magnitude of the moment at the extreme right end of the frame. This

moment will, in general, be different from the actual moment at that end, a condition indicating that the assumed slope θ_{j} was in error. It is therefore necessary to add a correction configuration.

- (5) Disregarding the external mements, find the influence of a unit rotation at joint 1 on the distortions of the remaining joints. Calculate also the magnitude of the corresponding mement at the right and.
- (6) Combine the configurations determined in (4) and (5) so as to eliminate the unbalanced moment at the right end.
- (7) From the rotations determined in (6), compute the magnitude of the moments at the joints or supports of the frame using the relationship

$$M_{OJ} = K\theta_O + kK\theta_J$$

where Moi is the moment at end o of the member of. This concludes Step a.

Step b. Any desired effect (moment, shear, deflection, etc.) within a member of may be determined by superimposing the following effects:

- (1) The effect of the load on a simply supported member
- (2) The effect of the moment at end o
- (3) The effect of the moment at end j

If the ends of the member deflect, the following effects must also be added:

- (4) The effect of the deflection at end o
- (5) The effect of the deflection at end j

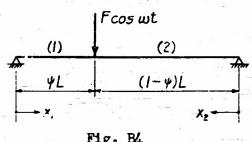
Each effect is computed on the assumption that the member is simply supported at the ends.

The quantities added may, if desired, be different from those outlined. For example, one may add the effect of the load on a member fixed at both ends, the effects of the end deflections, and the effects of the end rotations. Irrespective of the manner in which the computations are carried out, the facility with which results are computed depends on the information available for the various quantities added.

The appropriate expressions for effects (2) through (5) are given in Reference (24). Included in this reference are also tabulated numerical values of functions in terms of which these effects can easily be computed. The appropriate expression for effect (1) is given in the next section.

2. Formulas for Steady-State Deflection of a Simply Supported Uniform Beam Carrying a Concentrated Force Fcoswt

The force is assumed to be applied at a distance ψ L from the left end of the beam as shown in Fig. B4. The subscripts 1 and 2 will be used to



designate quantities for the left and the right portions of the beam. The distances x_1 and x_2 are measured from the ends of the beam as shown on the figure.

The deflections w₁ and w₂ may be written as

$$W_{i} = \left[c_{i} \cosh \lambda \frac{X_{i}}{L} + c_{2} \sinh \lambda \frac{X_{i}}{L} + c_{3} \cos \lambda \frac{X_{i}}{L} + c_{4} \sin \lambda \frac{X_{i}}{L} \right] \cos \omega t ,$$

$$W_{z} = \left[\overline{c}_{1} \cosh \lambda \frac{X_{2}}{L} + \overline{c}_{2} \sinh \lambda \frac{X_{2}}{L} + \overline{c}_{3} \cosh \lambda \frac{X_{2}}{L} + \overline{c}_{4} \sinh \lambda \frac{X_{2}}{L} \right] \cos \omega t.$$

The eight integration constants have been evaluated from the four boundary conditions and from the four continuity and equilibrium conditions for the point of application of the force. The results are:

$$w_{i}(x_{i}) = \frac{FL^{3}}{EI} \cdot \frac{1}{2\lambda^{3}} \left[\frac{\sin(1-\psi)\lambda}{\sin\lambda} \sin\lambda \frac{x_{i}}{L} - \frac{\sinh(1-\psi)\lambda}{\sinh\lambda} \sinh\frac{x_{i}}{L} \right] \cos\omega t ,$$

$$w_{z}(x_{z}) = \frac{FL^{3}}{EI} \cdot \frac{1}{2\lambda^{3}} \left[\frac{\sin\psi\lambda}{\sin\lambda} \sinh\lambda \frac{x_{z}}{L} - \frac{\sinh\psi\lambda}{\sinh\lambda} \sinh\frac{x_{z}}{L} \right] \cos\omega t .$$

From these equations, expressions for bending moment and shear can be obtained readily by differentiation.

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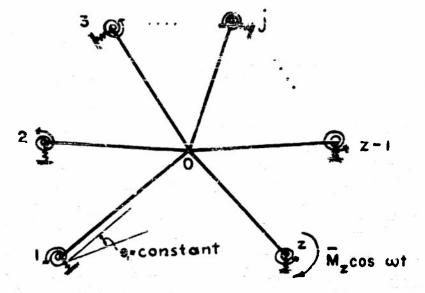
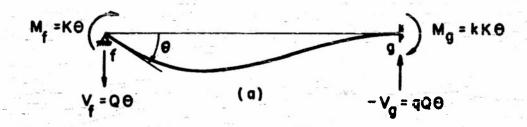
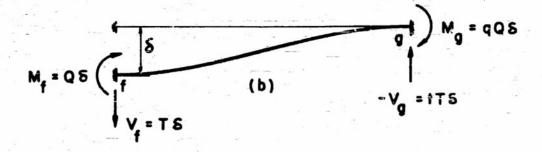


FIG. 1 TYPICAL JOINT OF A PLANE FRAMEWORK





Summary of Elastic Constants

Movement	At End "f"		At End "g"	
of End "f"	Moment M	Shear V	Moment M	Shear V
Θ=1	K	Q	kK.	- q Q
8 = 1	Q	T	qQ	-tT

FIG. 2 DEFINITION OF ELASTIC CONSTANTS



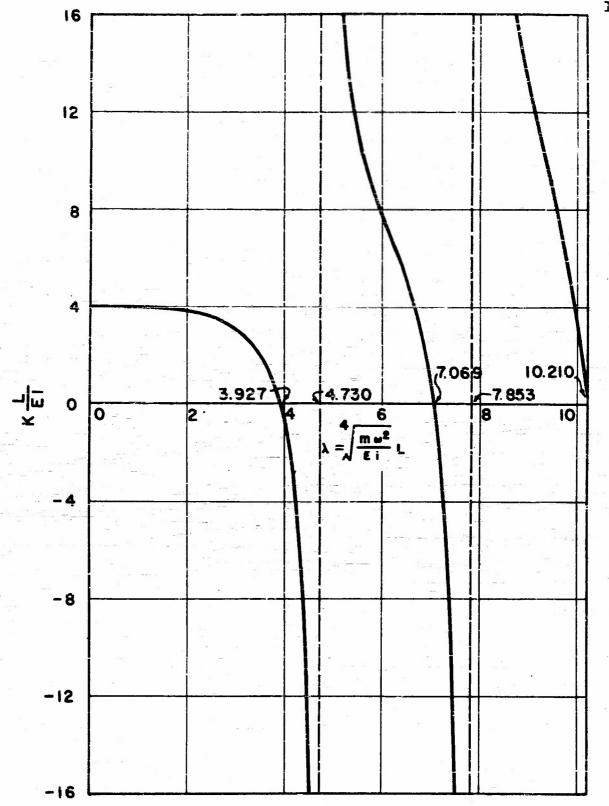


FIG. 3 COEFFICIENTS OF DYNAMIC FLEXURAL STIFF-NESS K FOR A UNIFORM BAR FIXED AT THE FAR END

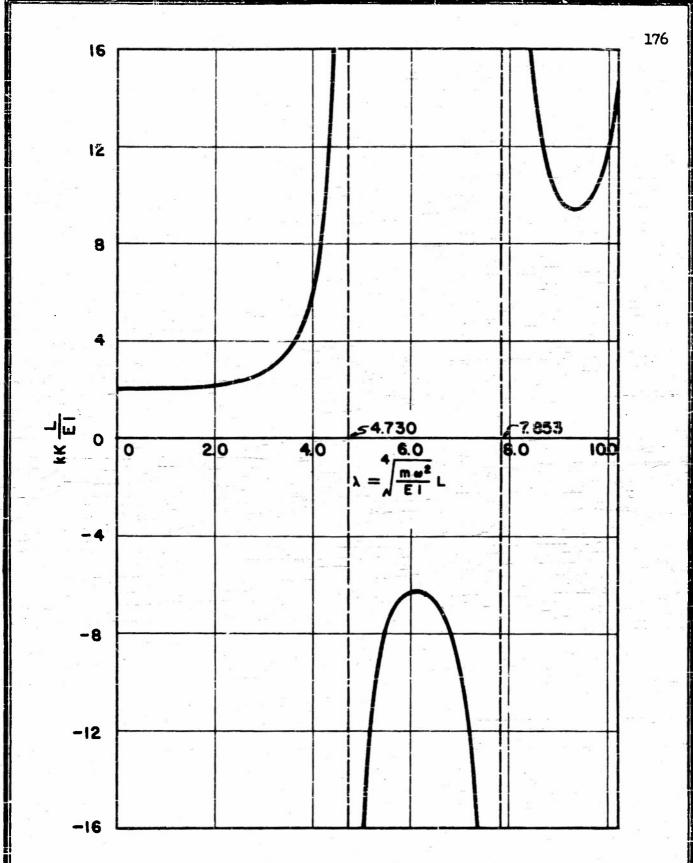


FIG. 4 COEFFICIENTS OF THE PRODUCT OF DYNAMIC FLEXURAL STIFFNESS AND DYNAMIC FLEXURAL UNIFORM CARRY - OVER **FACTOR** FOR <u>kK</u> A FAR BAR FIXED

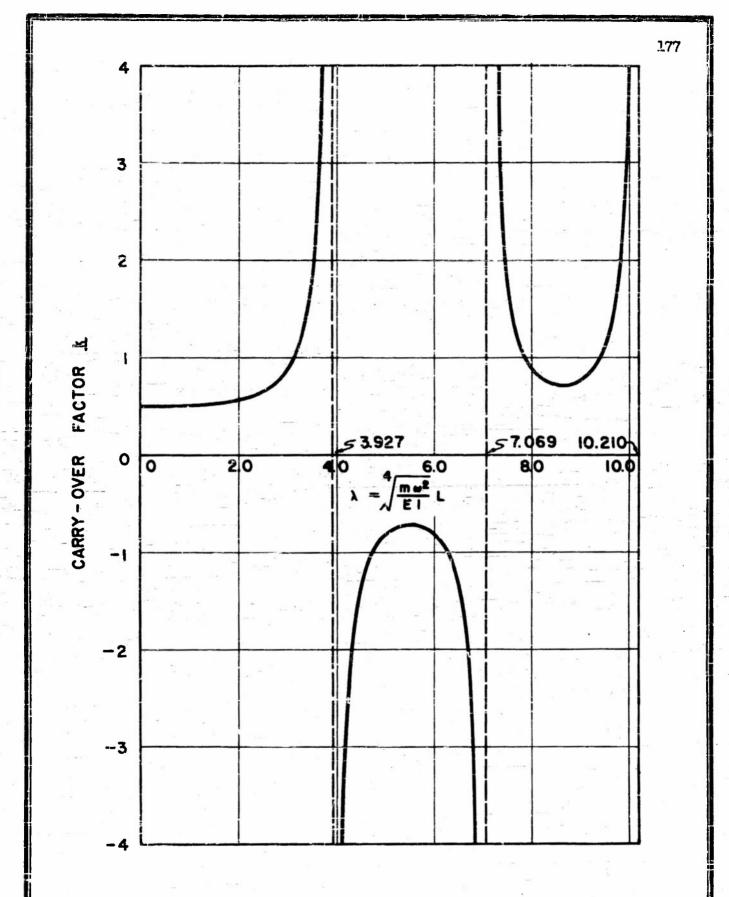


FIG. 5 DYNAMIC FLEXURAL CARRY-OVER FACTOR <u>k</u>
FOR A UNIFORM BAR FIXED AT THE FAR END



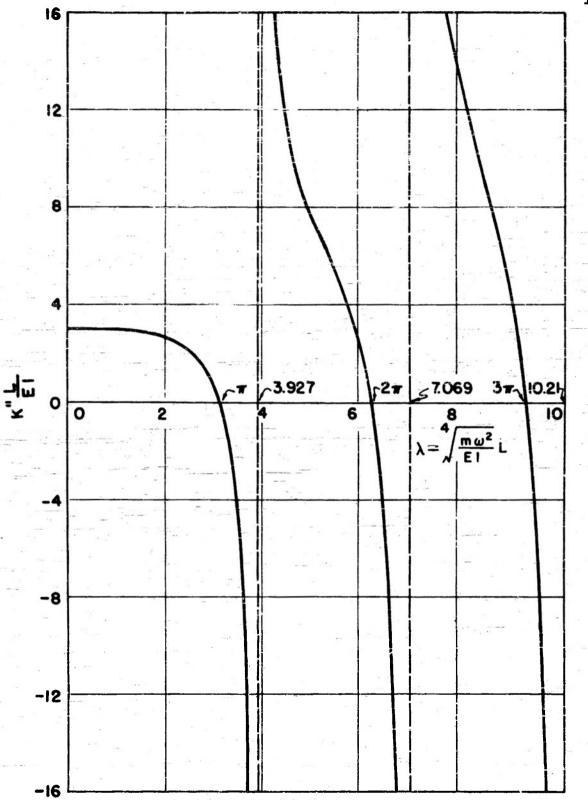


FIG. 6 COEFFICIENTS OF DYNAMIC FLEXURAL STIFFNESS K"
FOR A UNIFORM BAR HINGED AT THE FAR END

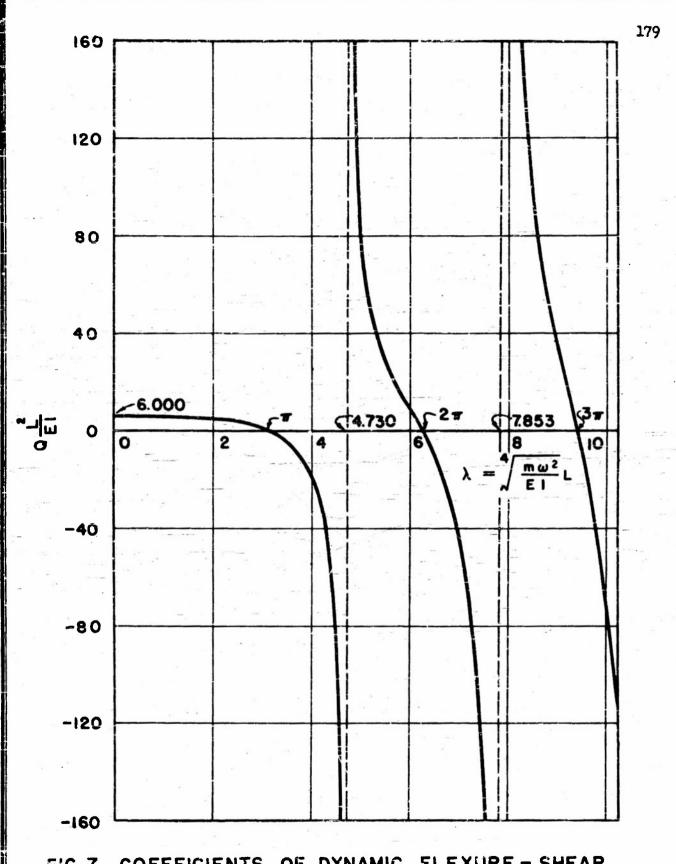


FIG. 7 COEFFICIENTS OF DYNAMIC FLEXURE - SHEAR STIFFNESS Q FOR A UNIFORM BAR FIXED AT THE FAR END

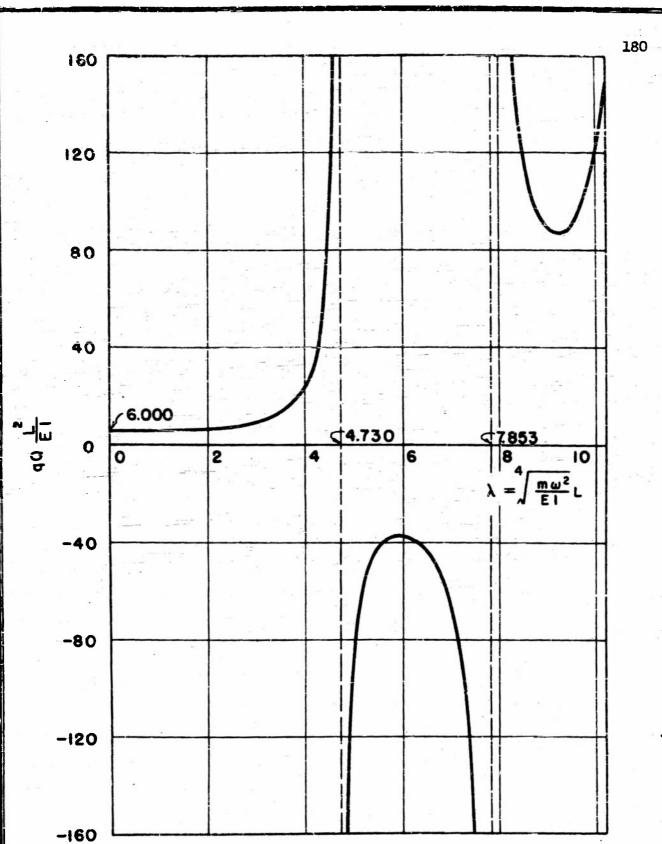


FIG. 8 COEFFICIENTS OF THE PRODUCT OF DYNAMIC FLEXURE - SHEAR STIFFNESS AND DYNAMIC FLEXURE - SHEAR CARRY-OVER FACTOR QQ FOR A UNIFORM BAR FIXED AT THE FAR END

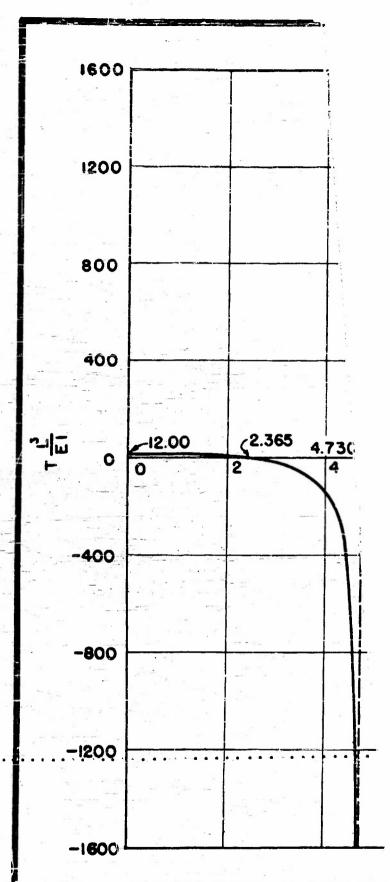
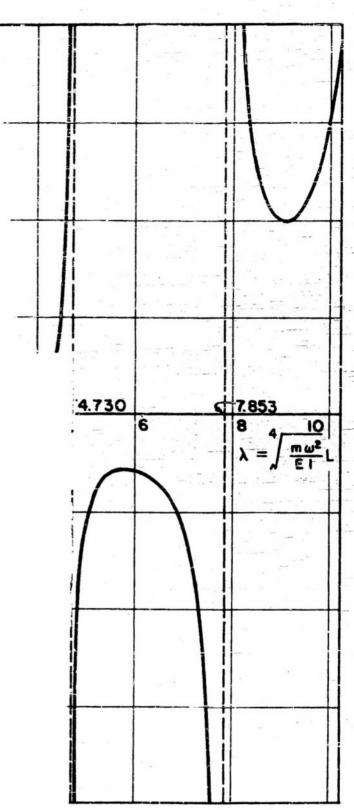


FIG. 9 COEFFICIENTS OF DYNAMIC FOR A UNIFORM BAR F



HE PRODUCT OF DYNAMIC AND DYNAMIC SHEAR OR IT FOR A UNIFORM FAR END

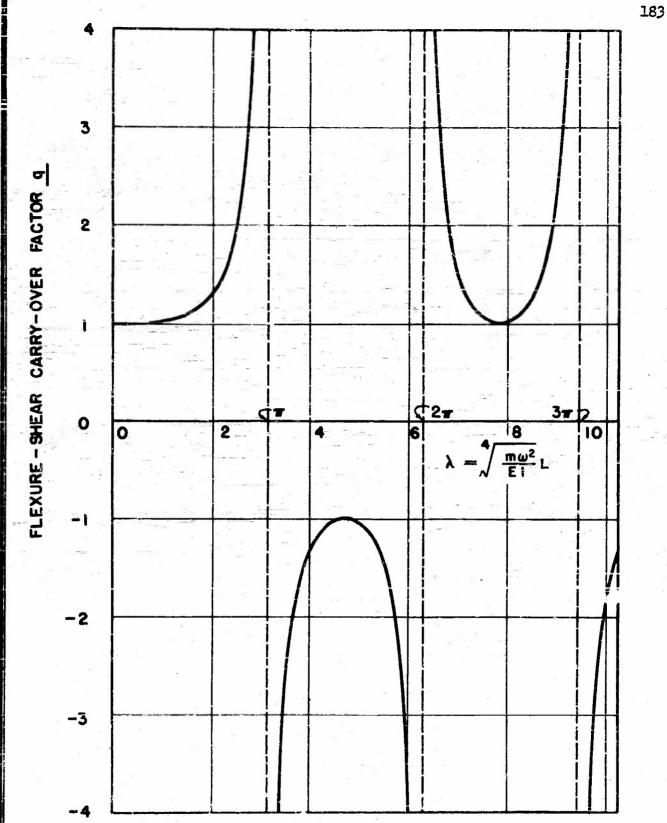


FIG.II DYNAMIC FLEXURE - SHEAR CARRY - OVER FACTOR & FOR A UNIFORM BAR FIXED AT THE FAR END



The second secon

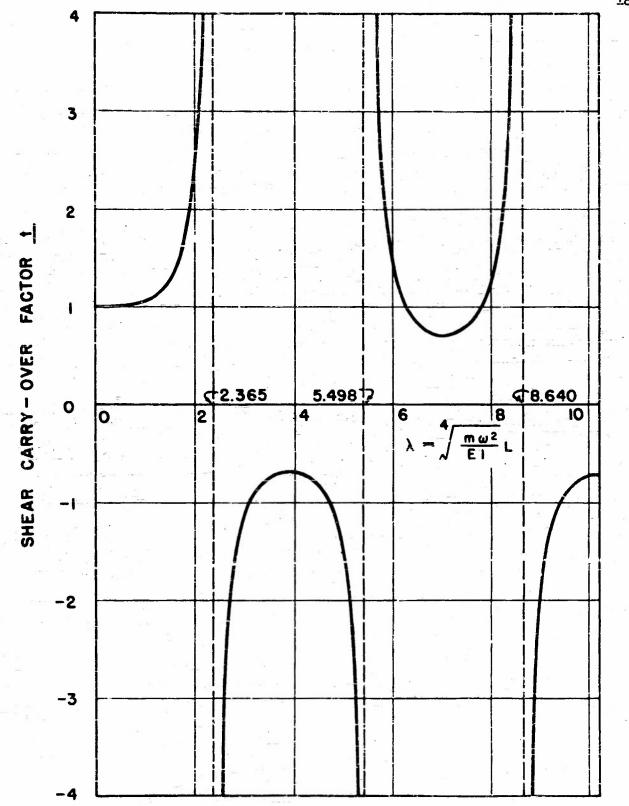


FIG.12 DYNAMIC SHEAR CARRY-OVER FACTOR 1 FOR A UNIFORM BAR FIXED AT THE FAR END

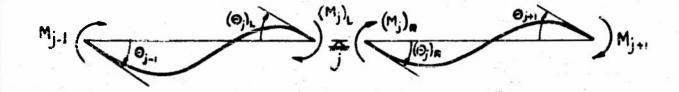


FIG. 13 DEFLECTED SHAPE OF TWO ADJACENT SPANS
OF A CONTINUOUS BEAM ON RIGID SUPPORTS

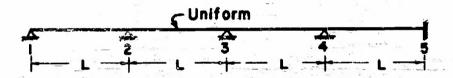
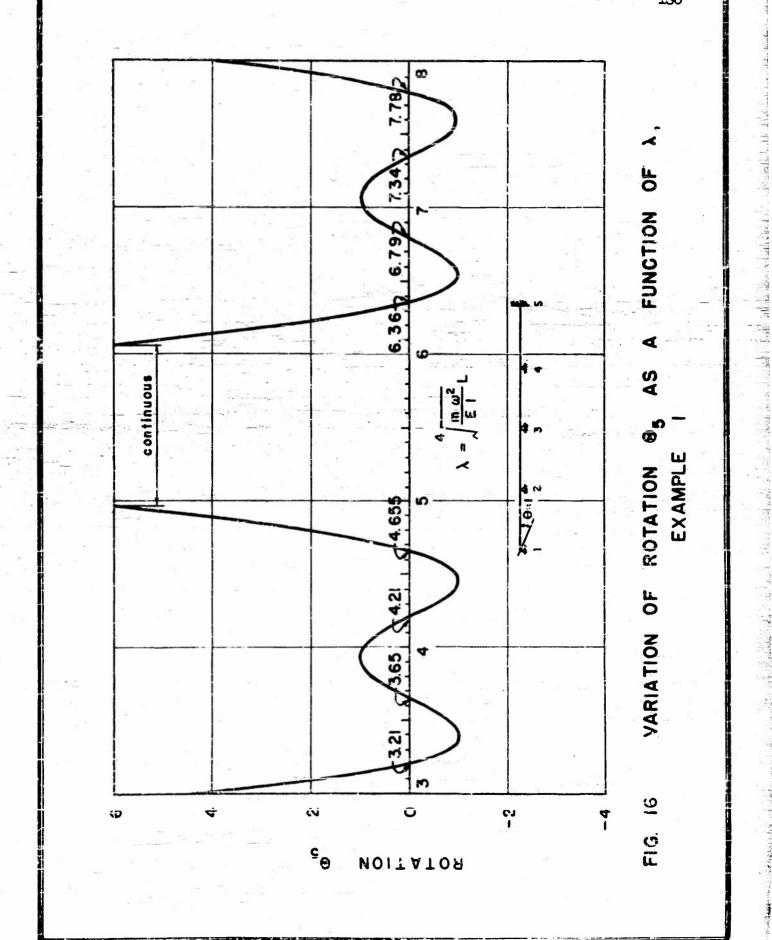
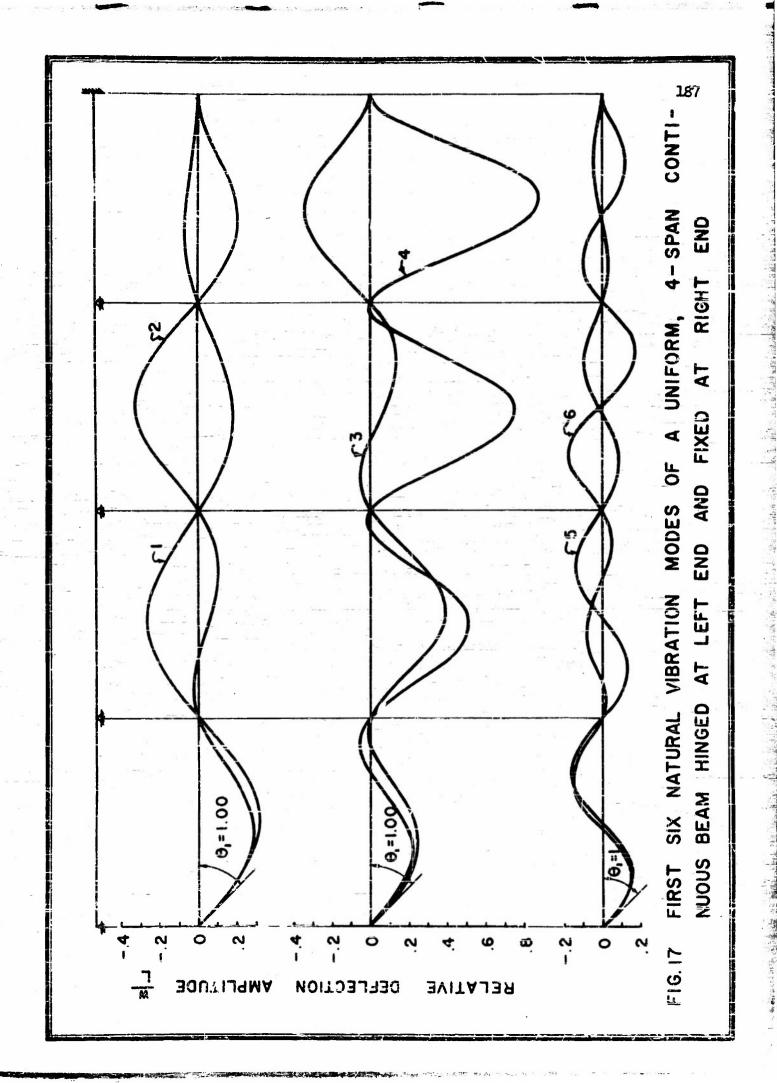


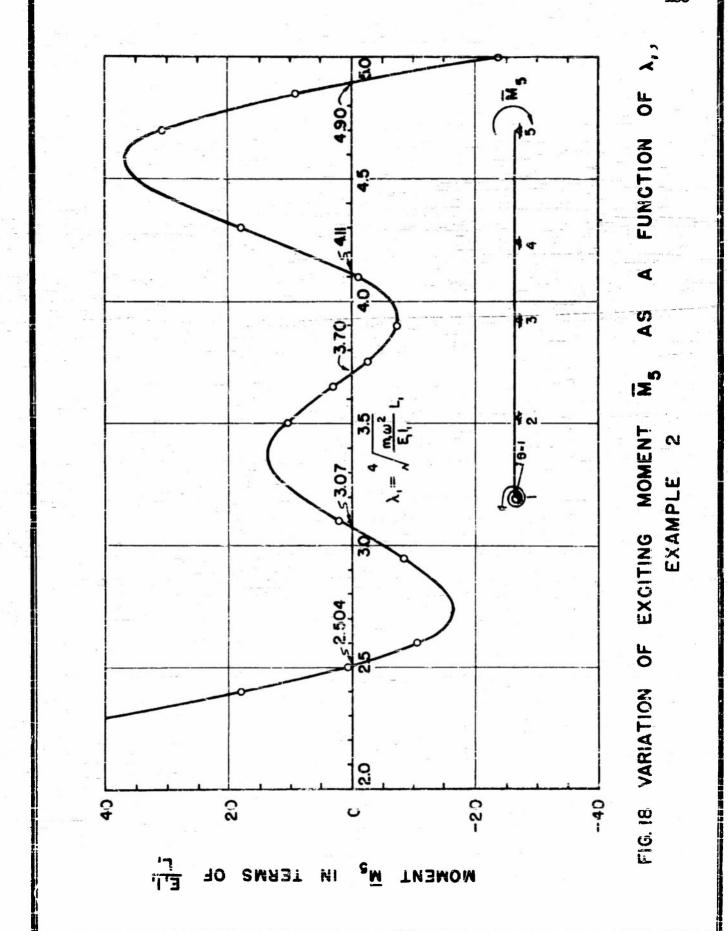
FIG. 14 BEAM CONSIDERED IN EXAMPLE 1

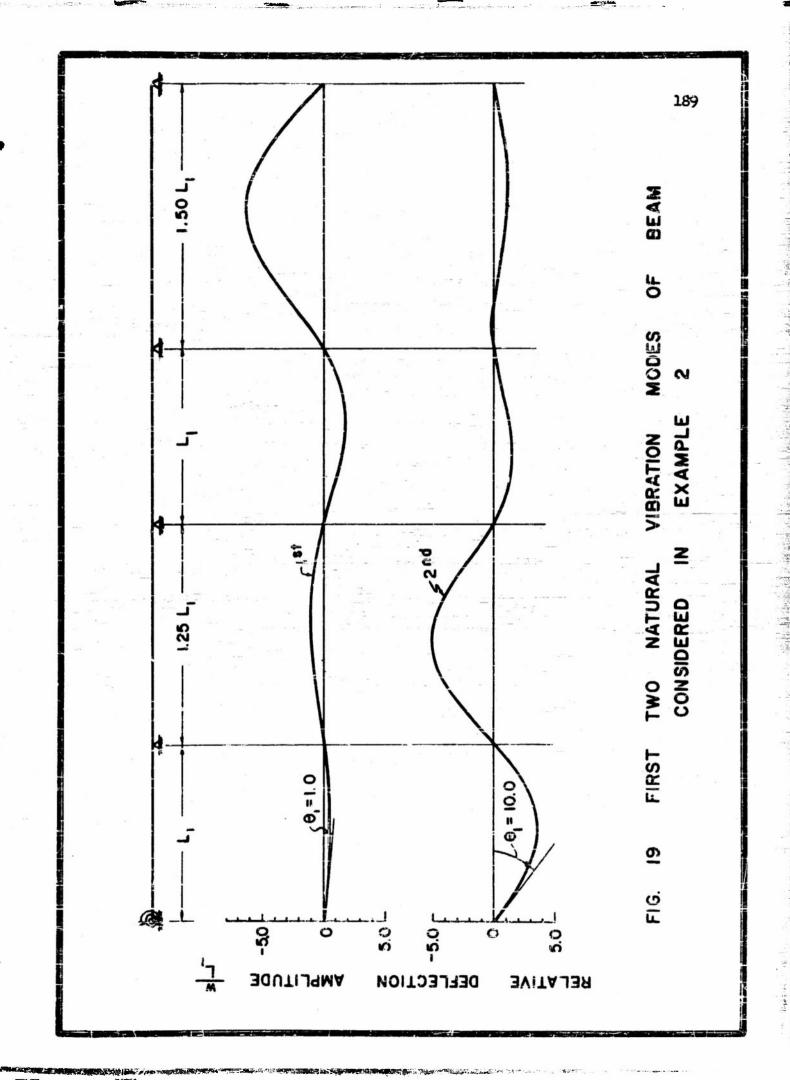
$$R_1 = 0.5 \frac{E_1 I_1}{L_1}$$
 $E_1 I_1$
 $E_2 I_3$
 $E_3 I_4$
 $E_4 I_5$
 $E_4 I_4$
 $E_5 I_4$
 $E_5 I_4$
 $E_7 I_8$
 $E_7 I_$

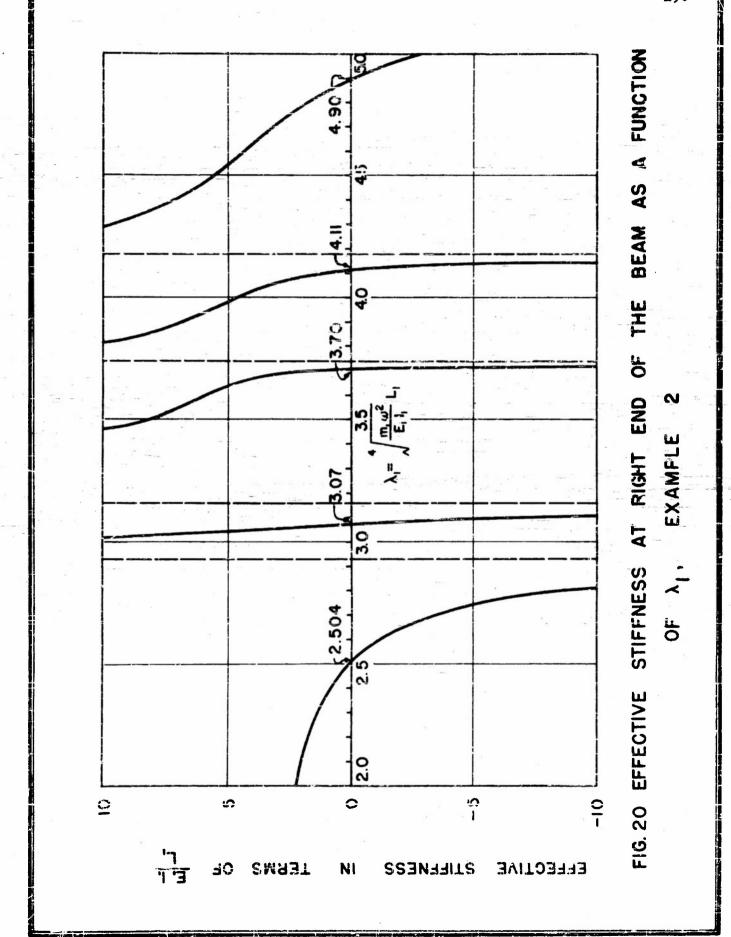
FIG. 15 BEAM CONSIDERED IN EXAMPLE 2











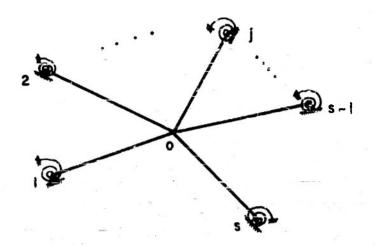


FIG. 21 TYPICAL JOINT OF A PLANE RIGID
FRAME, NO SIDESWAY

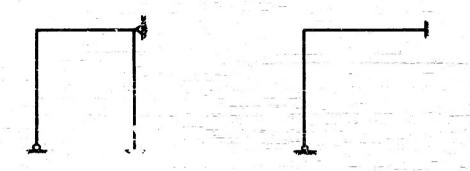


FIG. 22 TYPICAL PORTAL AND L- FRAMES

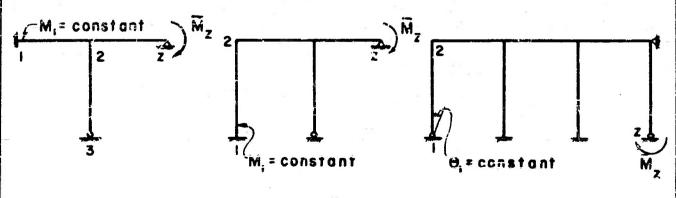
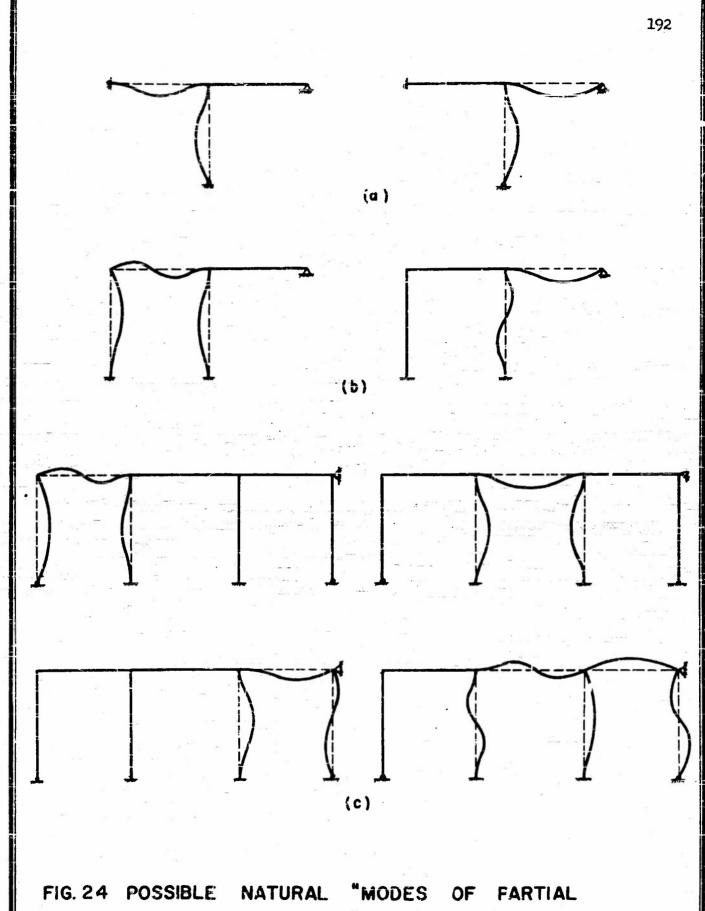
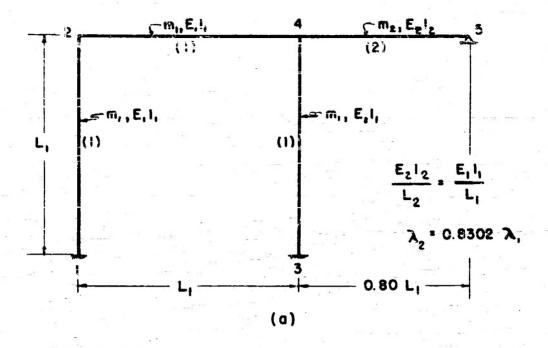


FIG. 23 TYPICAL OPEN FRAMES



VIBRATION"



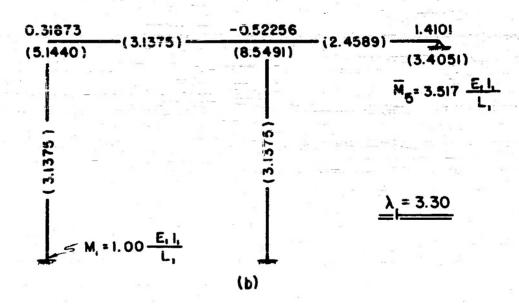
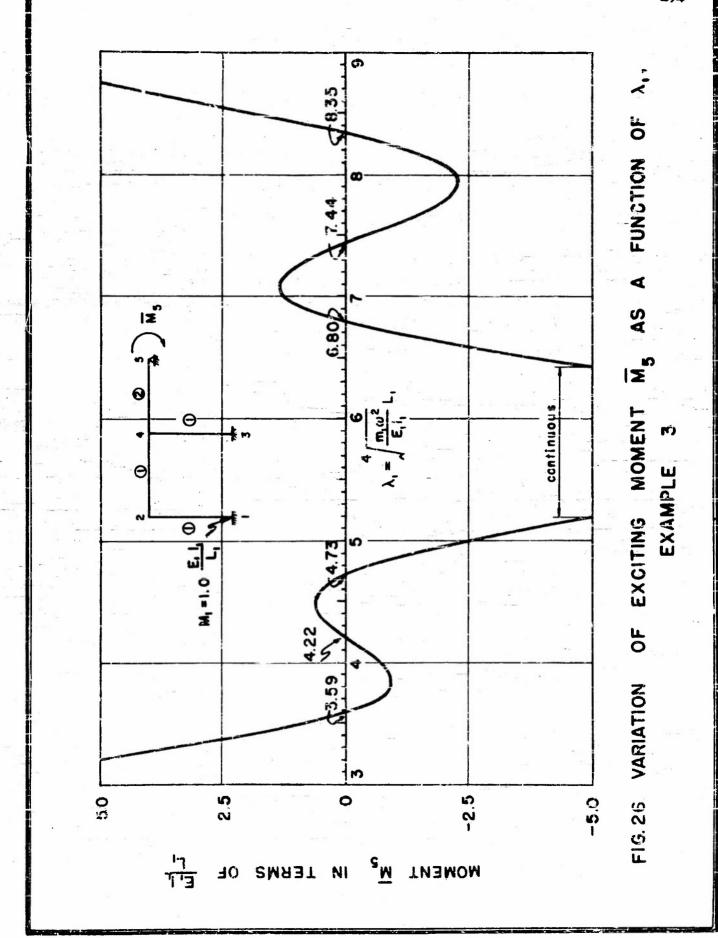
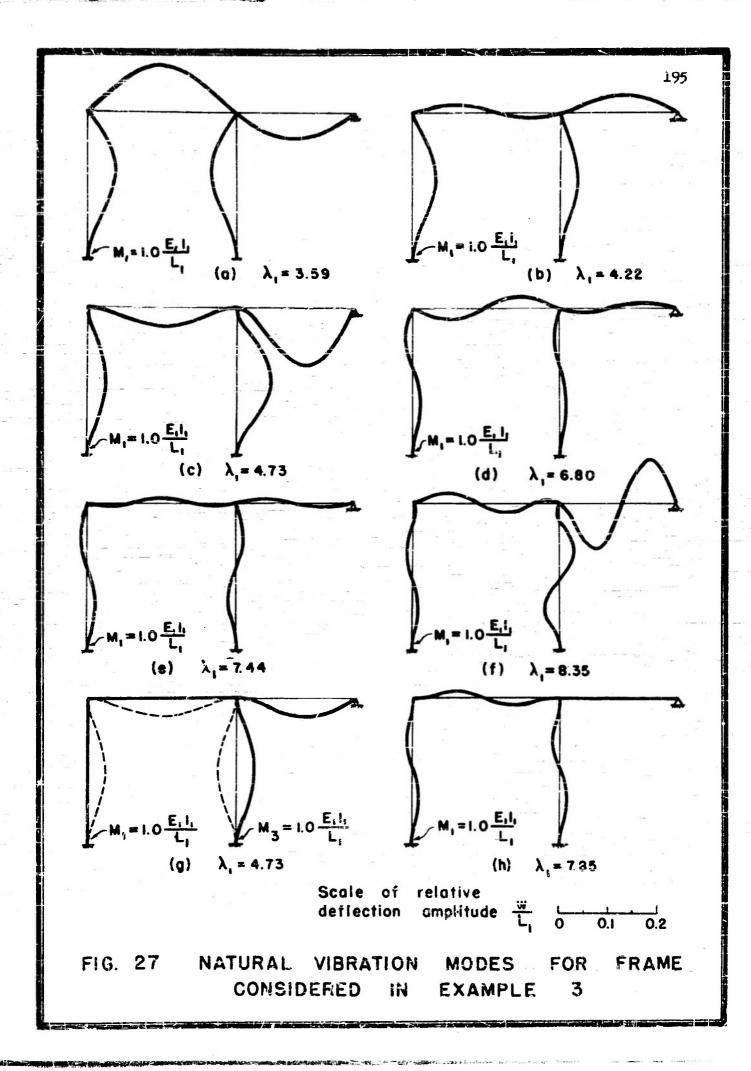
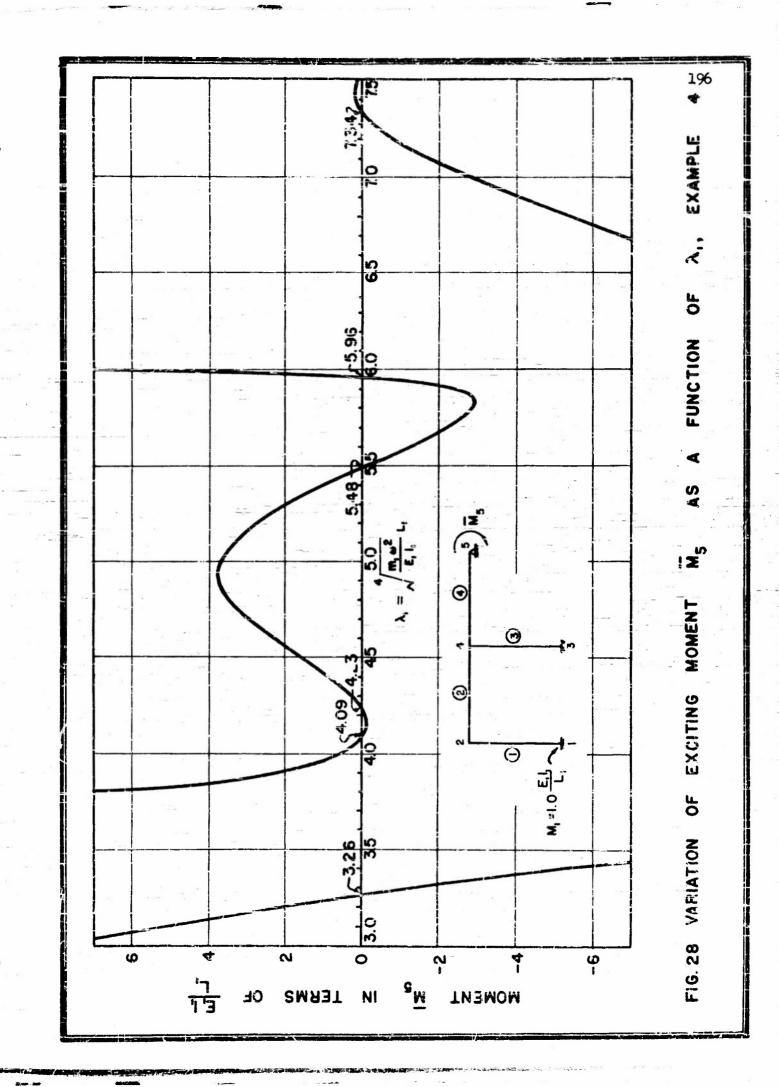


FIG. 25 ILLUSTRATIVE EXAMPLE 3







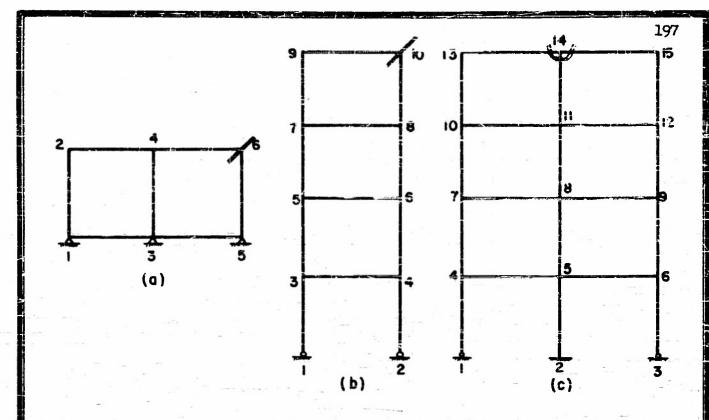
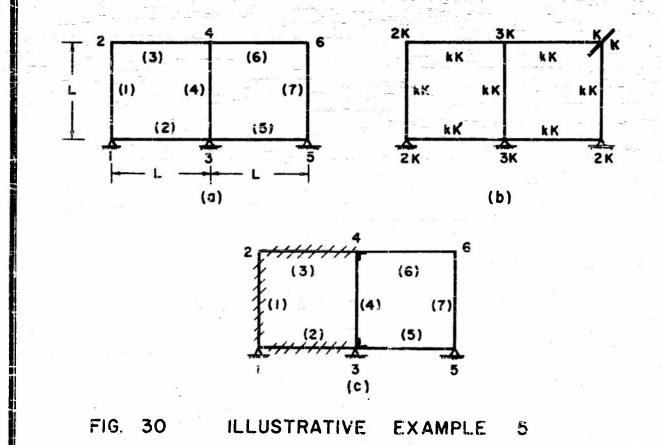
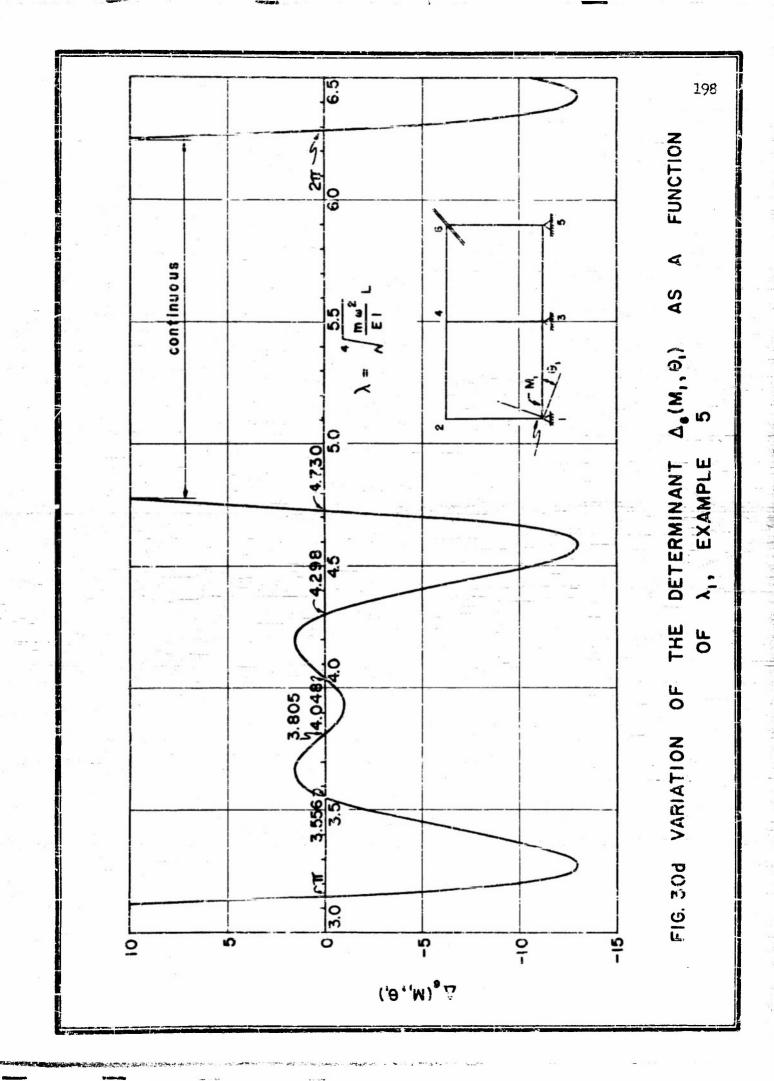
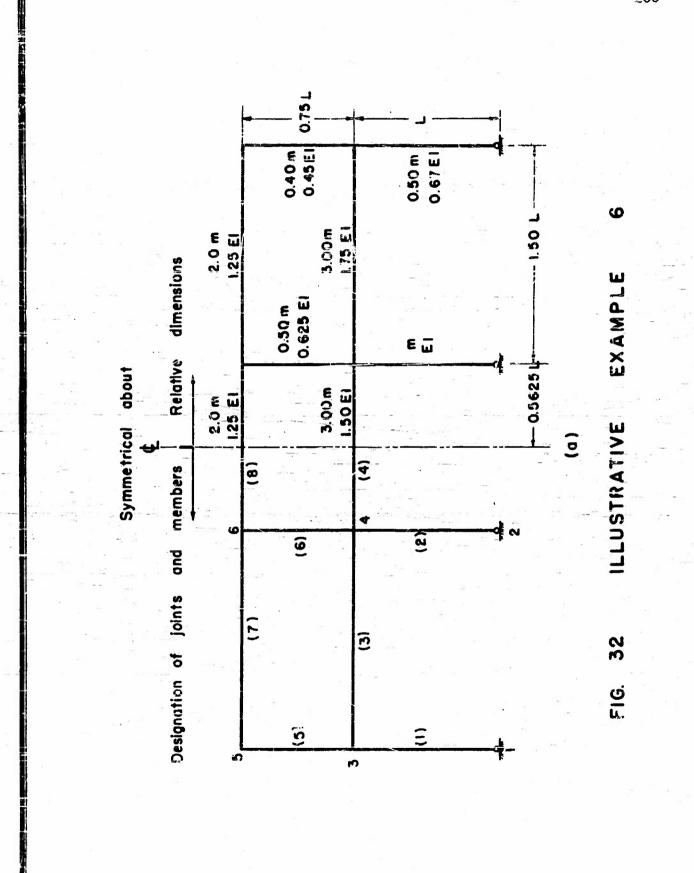


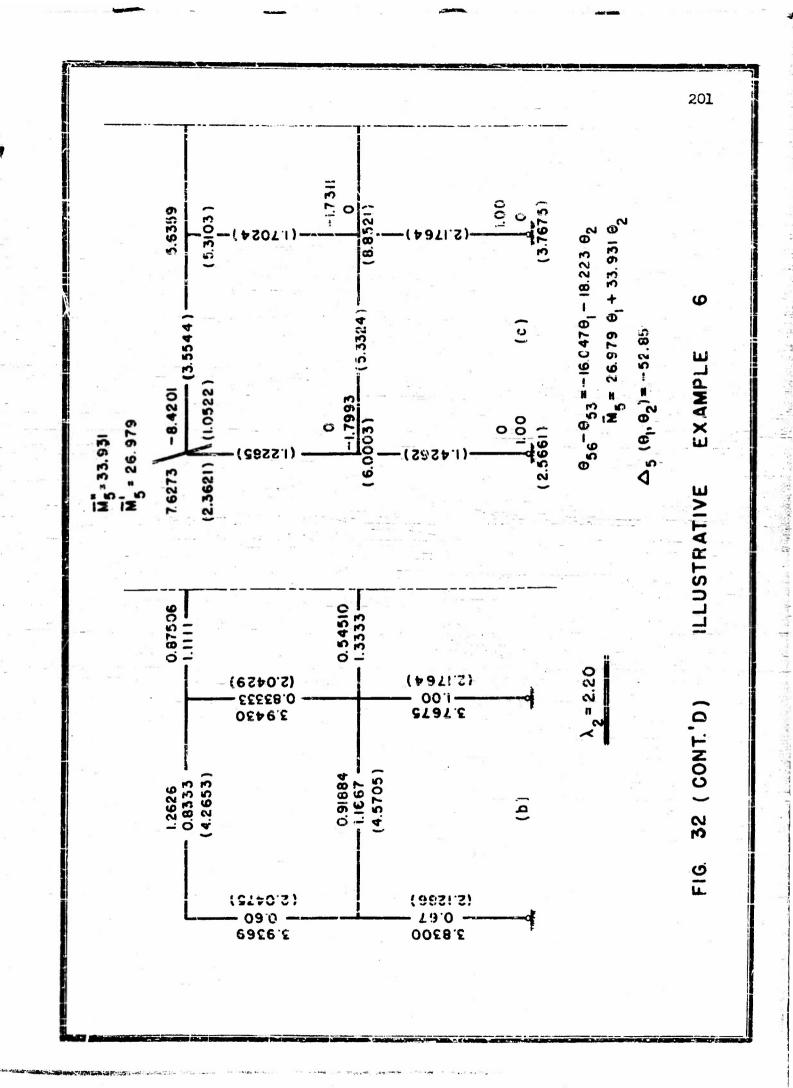
FIG. 29 TYPICAL CLOSED FRAMES, NO SIDESWAY





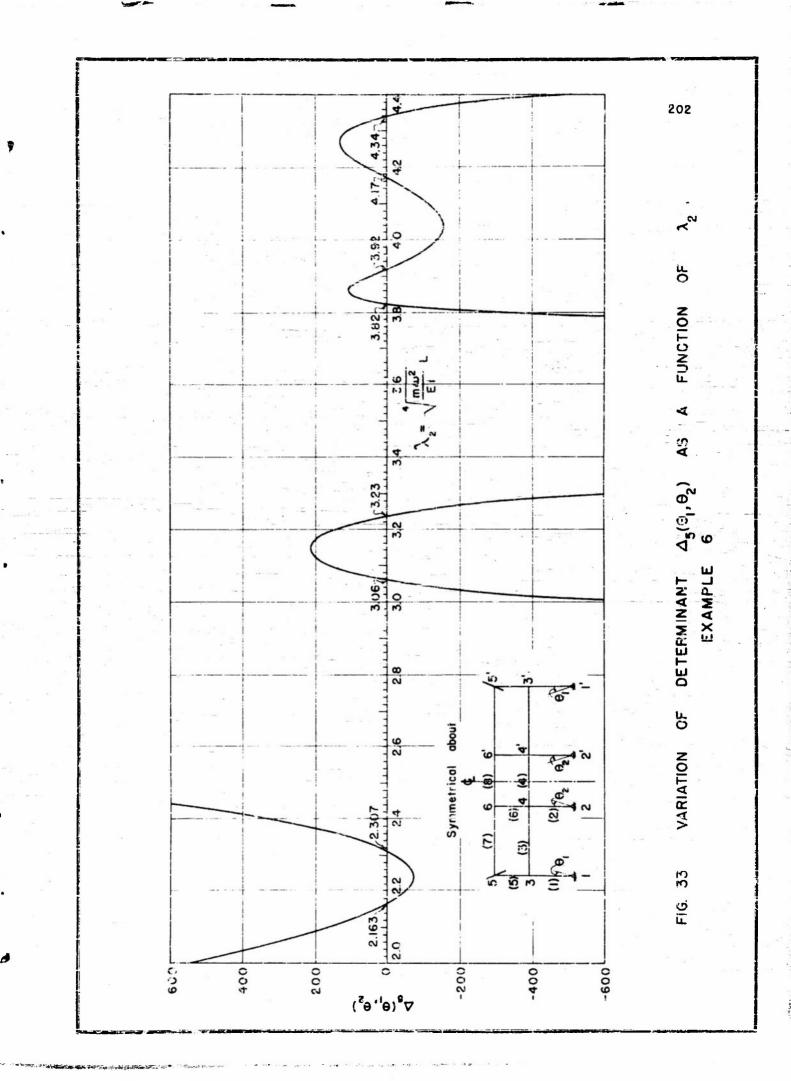


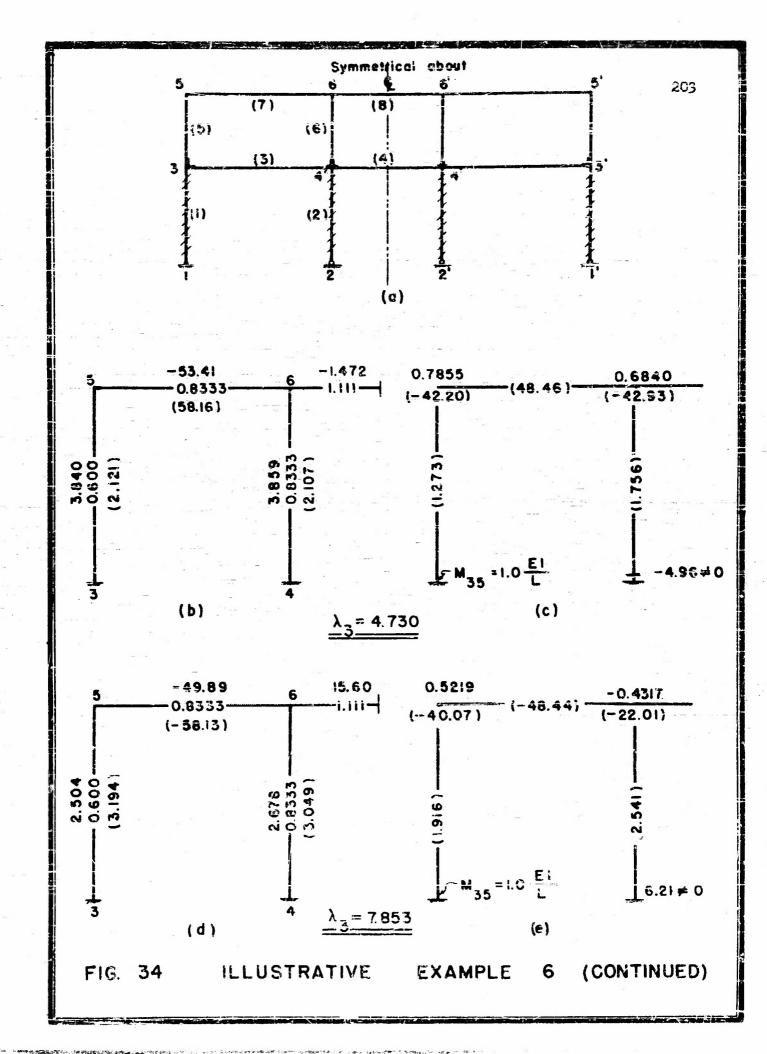
,



大型。1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,1985年,

B





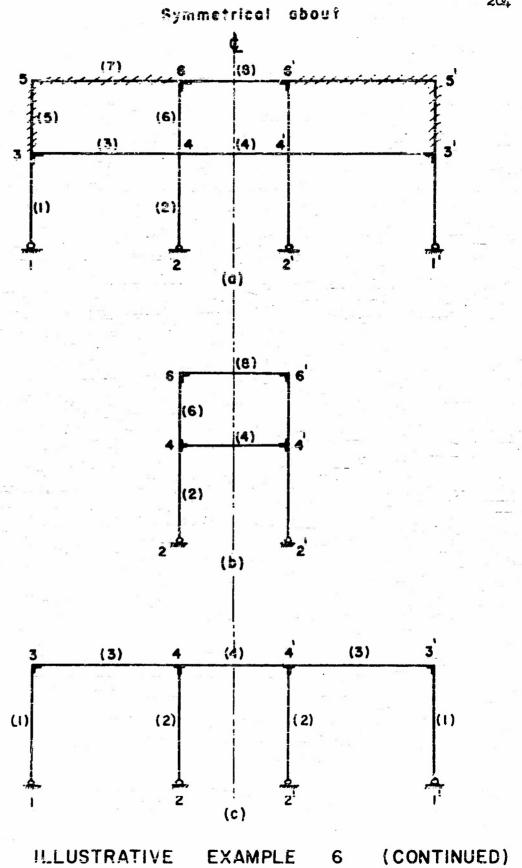


FIG. 35

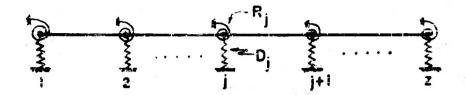


FIG. 36 TYPICAL CONTINUOUS BEAM ON FLEXIBLE SUPPORTS

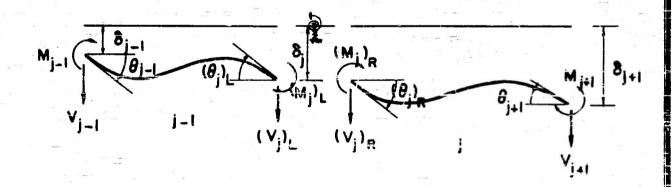
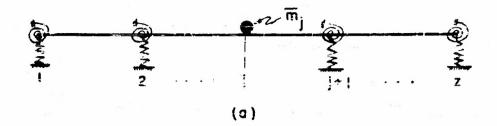
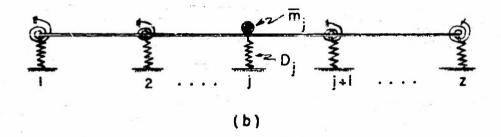


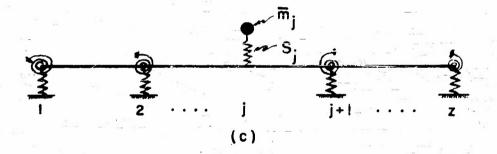
FIG. 37 SPANS j-1 AND j OF A CONTINUOUS BEAM ON FLEXIBLE SUPPORTS



: 3>

一种,这种人是一种,我们是一种,我们也是一种,我们是一种,我们是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是 一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我们也是一种,我





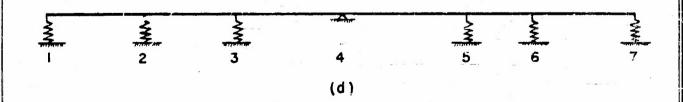
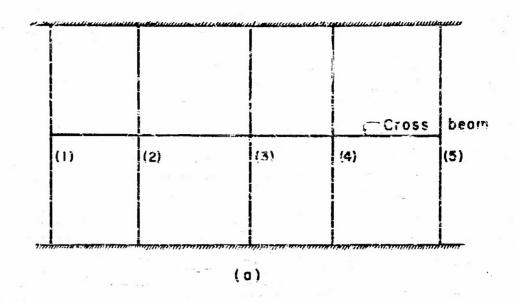
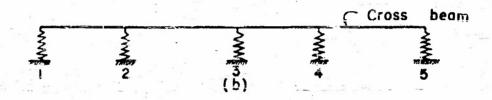
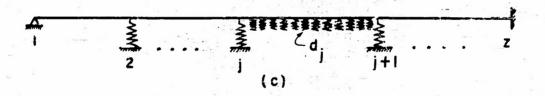


FIG. 38 BEAMS WITH VARIOUS INTERMEDIATE
CONSTRAINTS







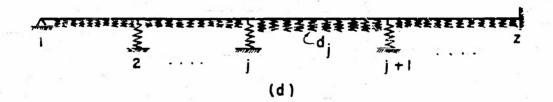


FIG. 39 BEAMS WITH VARIOUS INTERMEDIATE
CONSTRAINTS

A

EXAMPLE

Z

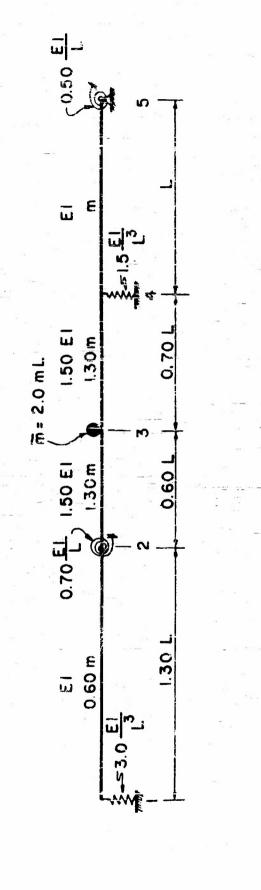
CONSIDERED

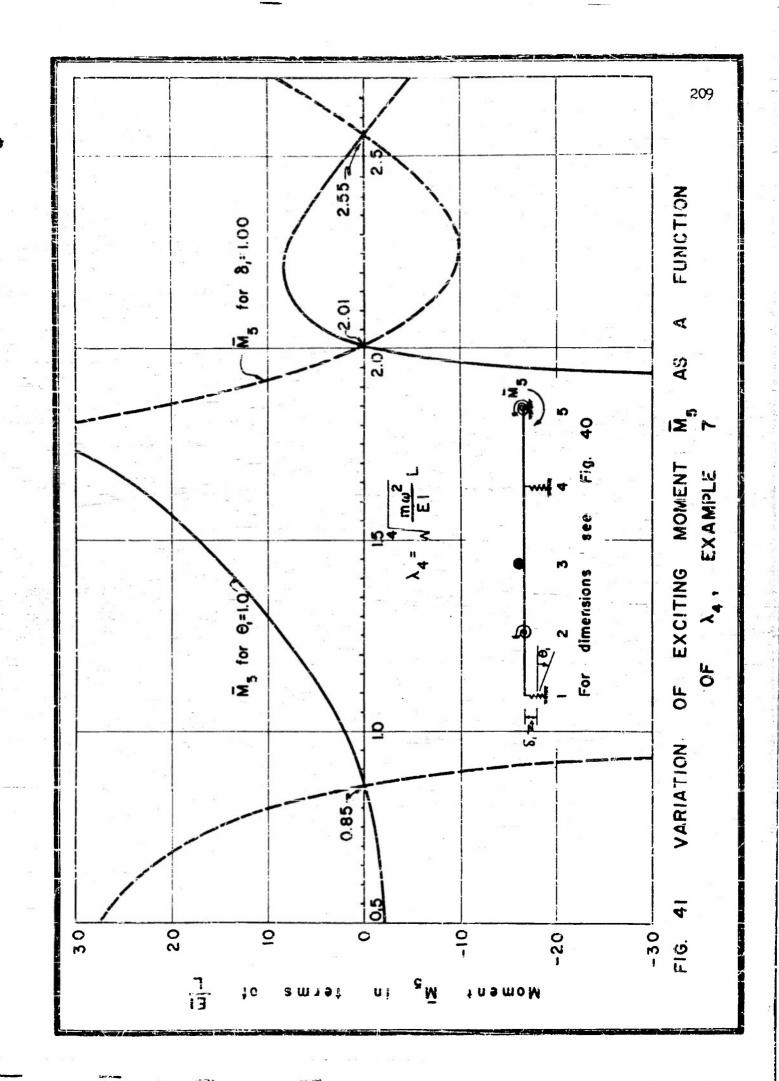
BEAM

OF

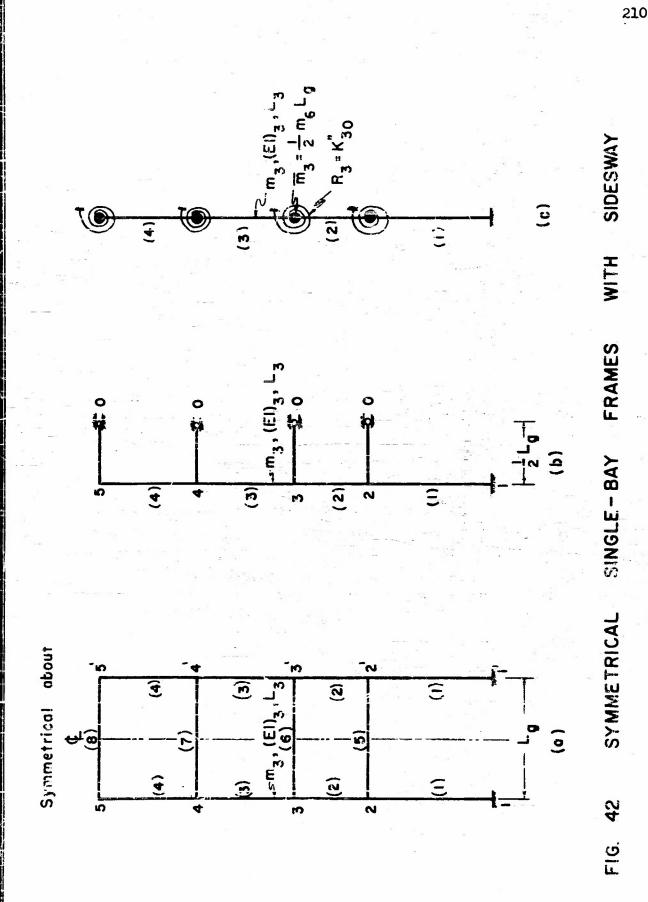
PROPERTIES

F16. 40





, R



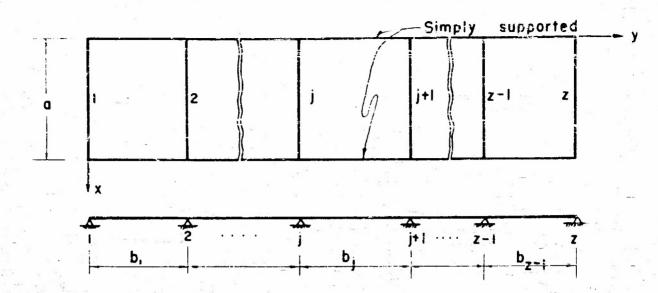


FIG. 43 TYPE OF CONTINUOUS PLATE - CONSIDERED

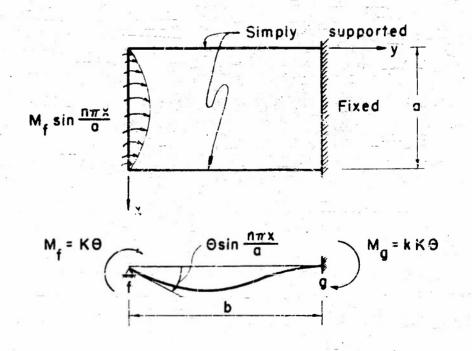


FIG. 44 ELASTIC CONSTANTS FOR A PANEL OF
A SLAB ON RIGID SUPPORTS

